
Name:**Entry No.:**

1. Let \mathcal{A}_1 and \mathcal{A}_2 be two automata that we can regard as either NFA (Non-deterministic Finite Automata) or as NBA (Non-deterministic Büchi Automata). Let us define equivalence relations \equiv_{NFA} and \equiv_{NBA} between the automata, as follows:

$$\mathcal{A}_1 \equiv_{NFA} \mathcal{A}_2 \text{ iff } \mathcal{L}(\mathcal{A}_1) = \mathcal{L}(\mathcal{A}_2)$$

$$\mathcal{A}_1 \equiv_{NBA} \mathcal{A}_2 \text{ iff } \mathcal{L}_\omega(\mathcal{A}_1) = \mathcal{L}_\omega(\mathcal{A}_2)$$

Answer the following, and justify your answer:

- (a) If \mathcal{A}_1 and \mathcal{A}_2 accept the same finite words, i.e. $\mathcal{A}_1 \equiv_{NFA} \mathcal{A}_2$, does this mean that they also accept the same infinite words?
- (b) If \mathcal{A}_1 and \mathcal{A}_2 accept the same infinite words, i.e. $\mathcal{A}_1 \equiv_{NBA} \mathcal{A}_2$, does this mean that they also accept the same finite words?