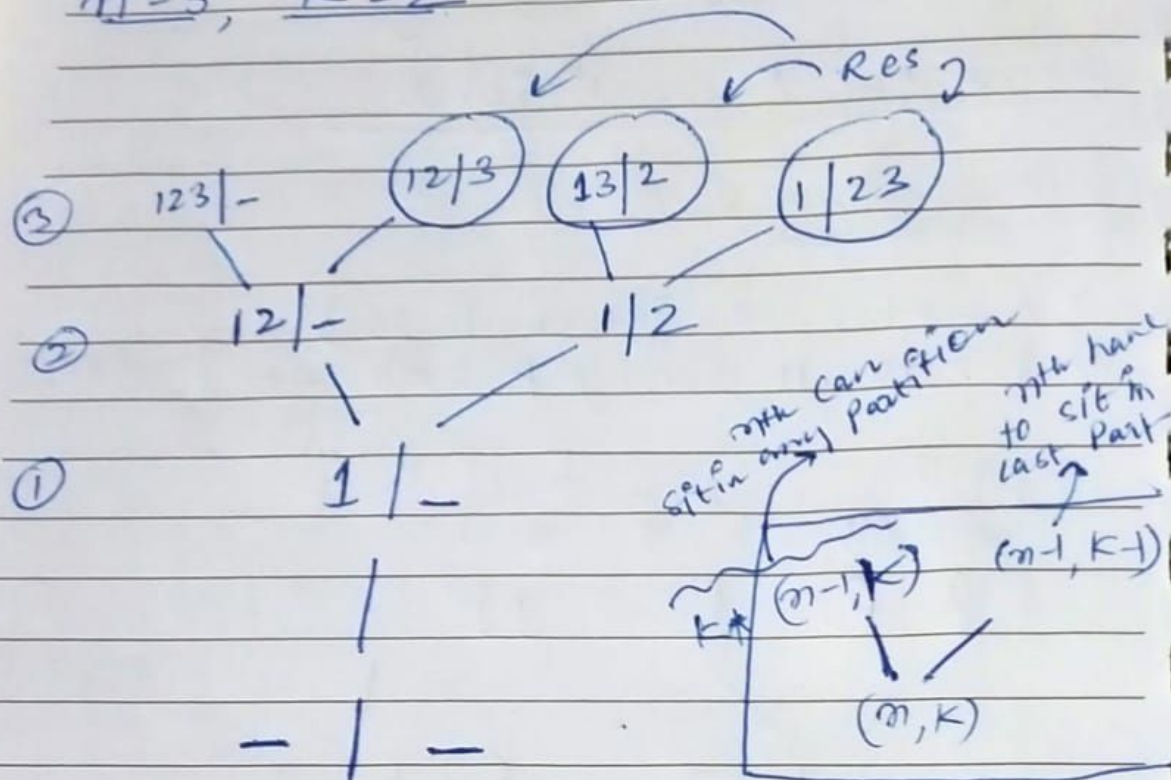


① Count number of ways to partition a set into K subsets \rightarrow & Print those subset

$n=3, K=2$

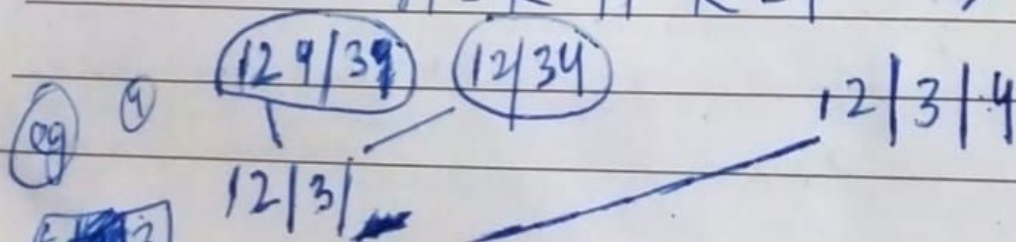


At each step ~~add~~ add in existing as well as one more empty space

for count: $K * S(n-1, K) + S(n-1, K-1)$

base case: $n=0 \parallel K=0 \parallel K > n \rightarrow 0$

$n=K \parallel K=1 \rightarrow 1$



② Partition array to k-subsets (equal sum)

eg: $\{2, 1, 7, 5, 6\}$, $k=3$
 $\{2, 4\}$ $\{1, 5\}$ $\{6\}$ } True

Same as K partitions

Base cases

$\rightarrow k=1 \rightarrow \text{true}$ [arr]

$\rightarrow k > n \parallel \text{sum} \% k \neq 0 \rightarrow \text{false}$

$(5, 4, 9)$

9 9

True

$[5 | 4 | 9]$

$[5+4, 9]$

$[5+9 | 4]$

$[5 | 4+9]$

$i=2$

$i=1$

$[5+4 | -]$

$[5 | 4]$

$i=0$

$[5 | -]$

subset sum []

arr

$\{5, 4, 9\}$, $k=2$

0 1 2



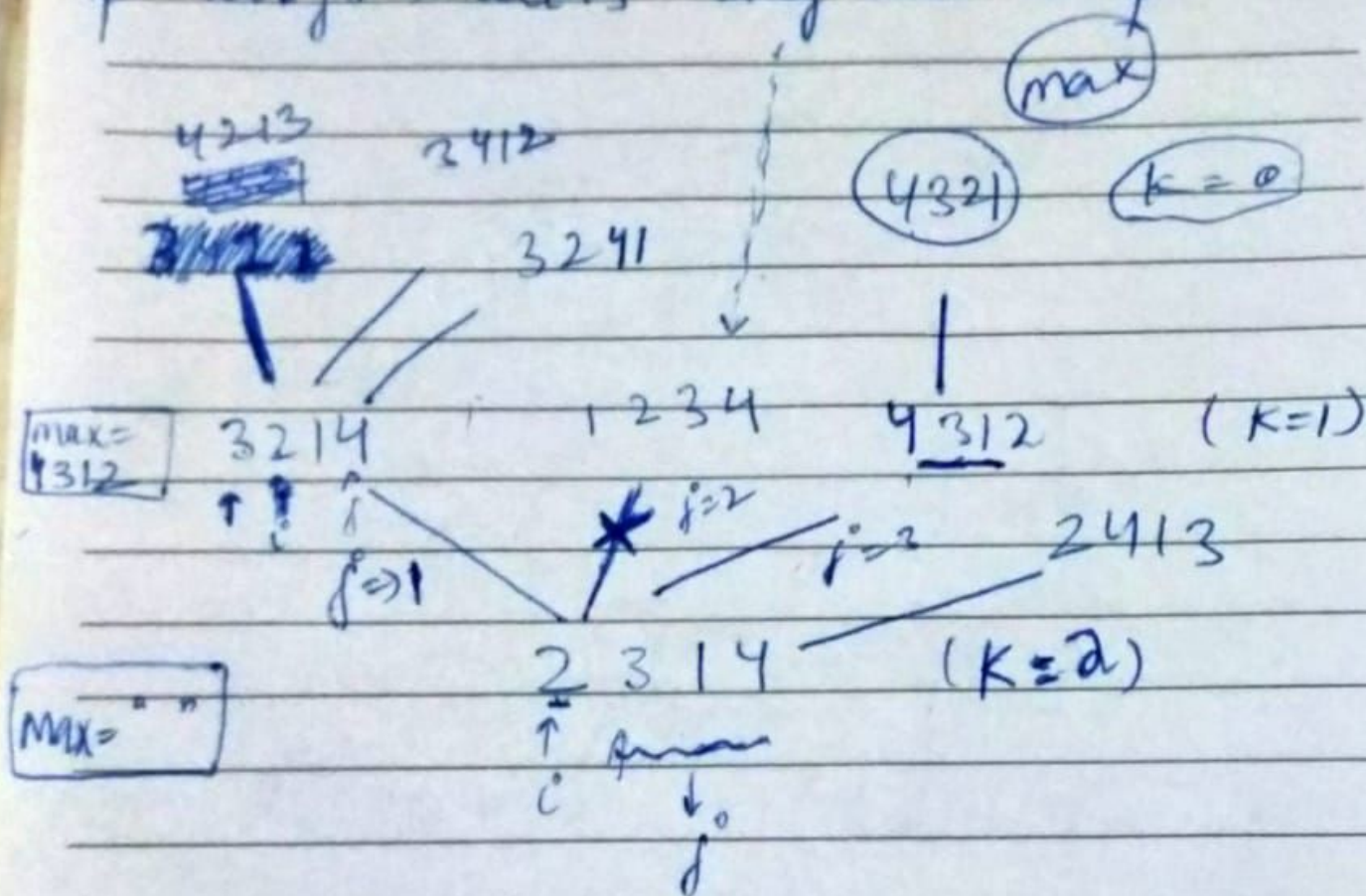
9 | 9

3) Maximum number Forward After k -swaps

$n = 2314$, $k = 2$

→ $k=0$ (return)

If $arr[j] > arr[i]$ only then swap



TC (n^k)

SC (n)

At each step d/o,

$i \rightarrow 0 \rightarrow n-1$

$j = i+1 \rightarrow n$

(4) k^{th} permutation of sequence

...../...../2020

(eg) $n=3, k=2$

$\overset{123}{(132)} \rightarrow \boxed{\text{output}}$

40ms

Brute force \rightarrow by Recursion store all permutation
 $\&$ sort $\&$ tell the k^{th} element
 $O(n! \times n) + O(n \log n)$

Better Approach

$TC(n^2)$

$SC(n)$

$[3, 4, 1, 2]$

$n=4, k=17 / 16^{\text{th}}$ $a = \{1, 2, 3, 4\}$ $16/6 \rightarrow 2$

① $n/n \rightarrow 6$ (groups) ② $\text{add}[k/\text{groups}]$

① $n=3, k = 16/6 \rightarrow 4 (k \% \text{group}), a = \{1, 2, 4\}$

$(n)/n \rightarrow 6/3 \rightarrow 2$ groups.

$\text{add } a[4/2] \rightarrow a[2] \rightarrow 4$

② $n=2, k = 4/2 \rightarrow 0, a = \{1, 2\}$

$\rightarrow \text{groups} \rightarrow 2/2 \rightarrow 1$

$\rightarrow \text{add } a[0/1] \rightarrow a[0] \rightarrow 1$

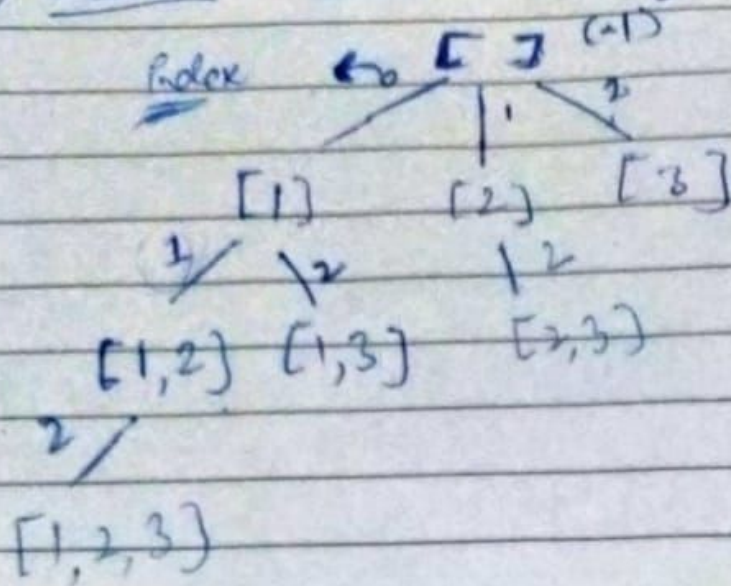
③ $n=1, k = 0/1 \rightarrow 0, a = \{2\}$

Base case : $n=1$ simply add $a[0]$

Returns

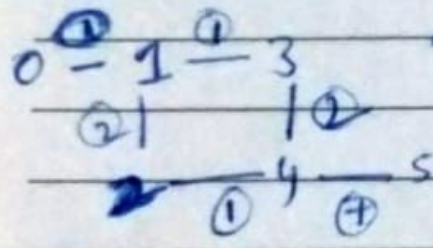
⑤ Subsets of An Array :

...../...../2020
[1, 2, 3]



Path of greater than equal to k Length

E=6 K=10 V=6



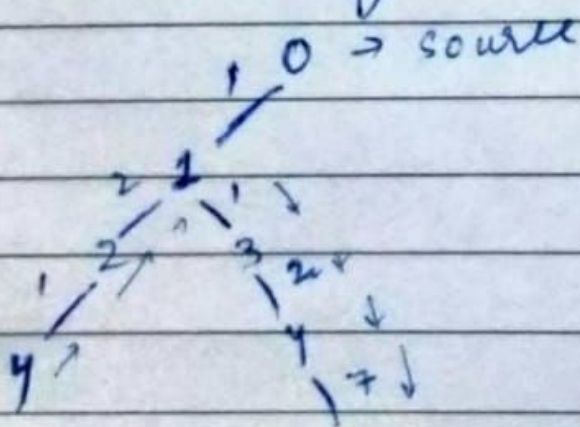
Path :

0-1-3-4-5

output

Backtracking is used as BFS/DFS not grab the path correctly.

Backtracking help to Track all the paths?



5
List → 0 → 1 → 3 → 4 → 5

⑦ Print all possible paths from top-left to bottom-right →

...../...../2020

eg $\begin{Bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \end{Bmatrix}$

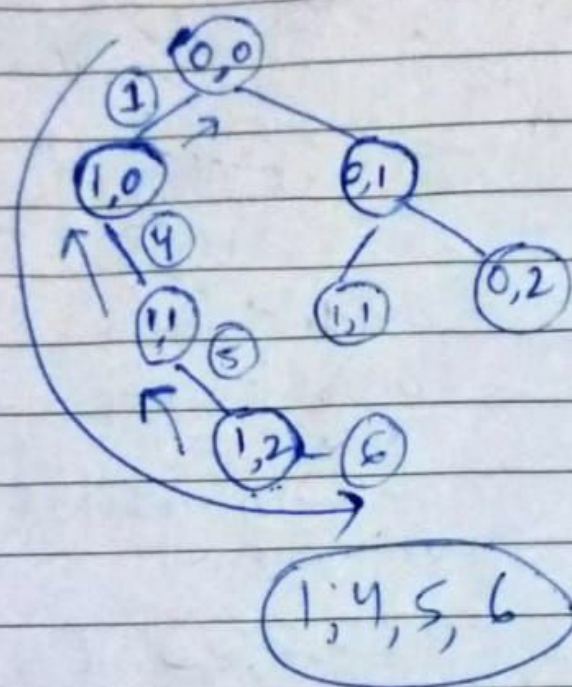
Input

→ $\begin{Bmatrix} 1 & 2 & 3 & 6 \\ 1 & 4 & 5 & 6 \\ 1 & 2 & 5 & 6 \end{Bmatrix}$

output

(↓)

Possible
Dir



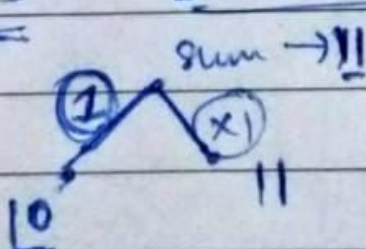
Base case

when
Reach at
Last-
Cell

display
The
Track

⑧ Partition equal subset sum :
can partition in 2 subset or not →

eg $[1, 5, 11, 5] \rightarrow [1, 5, 5] [11]$



Simple
Find sum
in Array



subset sum
problem

ERD
The Power of Innovation

Permutations of string

PAGE NO

DATE: / /

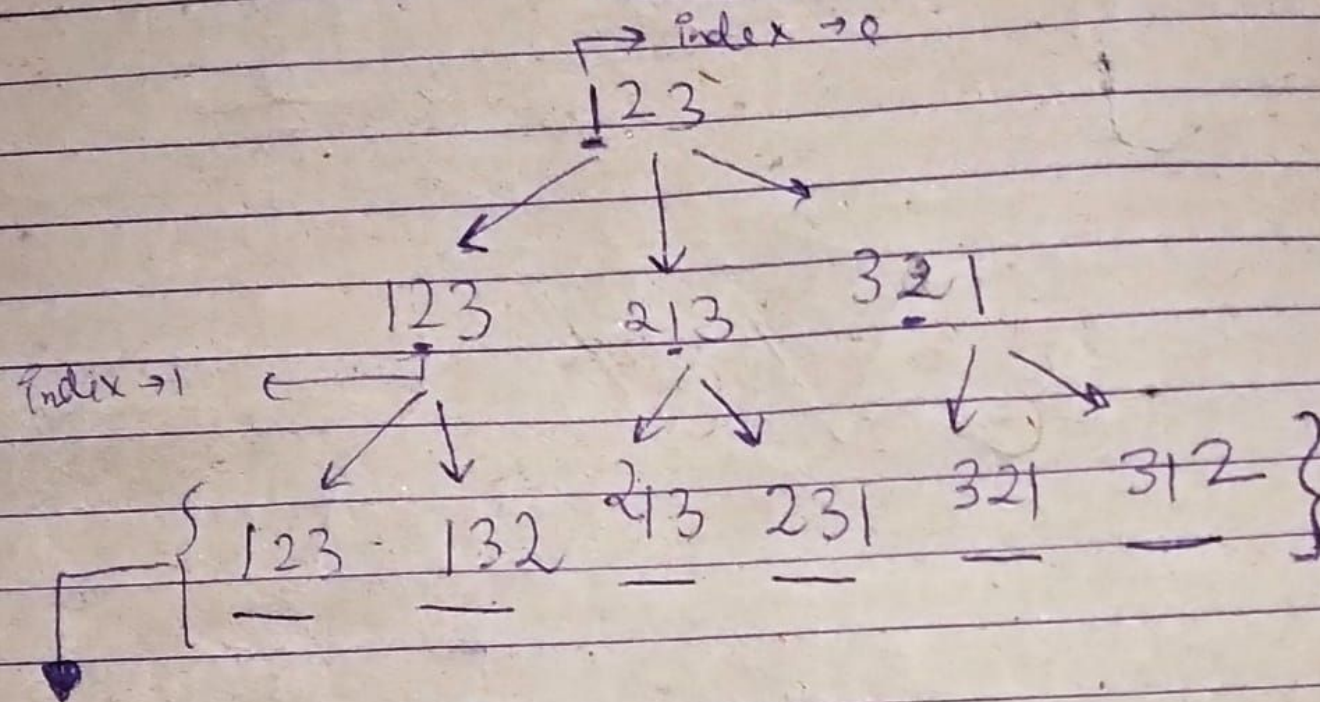
9

BACKTRACKING

"123" →

123	321
132	312
213	231

→ output



Output

Base case $\text{index} == \text{arr.length}$
Add into ans

Backtrack to
swap again