Assignment5\_HC

Kunal Sharma

April 25, 2021

library(cluster)  
library(caret)

## Loading required package: lattice

## Loading required package: ggplot2

library(dendextend)

##   
## ---------------------  
## Welcome to dendextend version 1.14.0  
## Type citation('dendextend') for how to cite the package.  
##   
## Type browseVignettes(package = 'dendextend') for the package vignette.  
## The github page is: https://github.com/talgalili/dendextend/  
##   
## Suggestions and bug-reports can be submitted at: https://github.com/talgalili/dendextend/issues  
## Or contact: <tal.galili@gmail.com>  
##   
## To suppress this message use: suppressPackageStartupMessages(library(dendextend))  
## ---------------------

##   
## Attaching package: 'dendextend'

## The following object is masked from 'package:stats':  
##   
## cutree

library(factoextra)

## Welcome! Want to learn more? See two factoextra-related books at https://goo.gl/ve3WBa

library(purrr)

##   
## Attaching package: 'purrr'

## The following object is masked from 'package:caret':  
##   
## lift

Apply hierarchical clustering to the data using Euclidean distance to the normalized measurements. Use Agnes to compare the clustering from single linkage, complete linkage, average linkage, and Ward. Choose the best method.

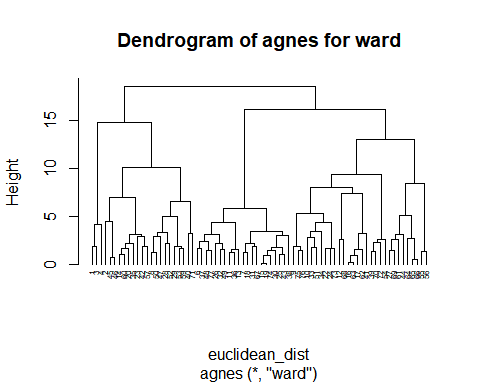
c\_data <- read.csv("A:/DATA\_SETS/Cereals.csv")  
sum(is.na(c\_data))

## [1] 4

c\_data <- na.omit(c\_data)  
c\_data <- c\_data[,4:16]  
c\_data <- scale(c\_data, center = T, scale = T)  
  
set.seed(123)  
  
# Dissimilarity matrix  
euclidean\_dist <- dist(c\_data, method = "euclidean")  
  
  
method <- c( "average", "single", "complete", "ward")  
names(method) <- c( "average", "single", "complete", "ward")  
ac\_values <- function(x) {  
   
 agnes(euclidean\_dist, method = x)$ac  
}  
  
map\_dbl(method, ac\_values)

## average single complete ward   
## 0.7766075 0.6067859 0.8353712 0.9046042

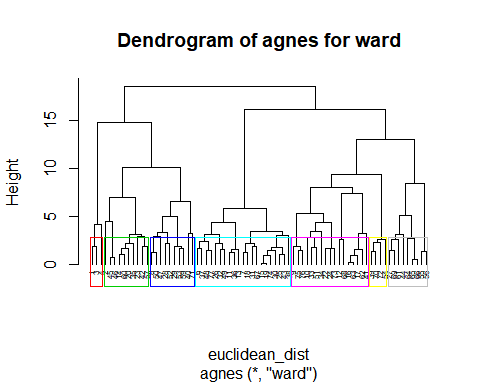
#The agglomerative coefficient obtained by Ward's method is the largest.   
#Let's take a peek at the dendogram.  
  
hc\_ward <- agnes(euclidean\_dist, method = "ward")  
pltree(hc\_ward, cex = 0.5, hang = -1, main = "Dendrogram of agnes for ward")

 How many clusters would you choose?

#install.packages("NbClust")  
  
hc\_ward <- agnes(euclidean\_dist, method = "ward")  
pltree(hc\_ward, cex = 0.5, hang = -1, main = "Dendrogram of agnes for ward")  
  
#install.packages("NbClust")  
library(NbClust)  
num\_of\_clust = NbClust(c\_data, distance = "euclidean", min.nc = 5, max.nc = 10, method = "ward.D",index = 'dunn')  
num\_of\_clust$Best.nc

## Number\_clusters Value\_Index   
## 7.0000 0.2604

#After checking NbClust value for best number of clusters, the best fits is with K=7  
rect.hclust(hc\_ward, k = 7, border = 2:10)



clust\_comp <- cutree(hc\_ward, k = 7)  
temp3 <- cbind(as.data.frame(cbind(c\_data,clust\_comp)))

Comment on the structure of the clusters and on their stability. Hint: To check stability, partition the data and see how well clusters formed based on one part apply to the other part. To do this: ● Cluster partition A ● Use the cluster centroids from A to assign each record in partition B (each record is assigned to the cluster with the closest centroid). ● Assess how consistent the cluster assignments are compared to the assignments based on all the data

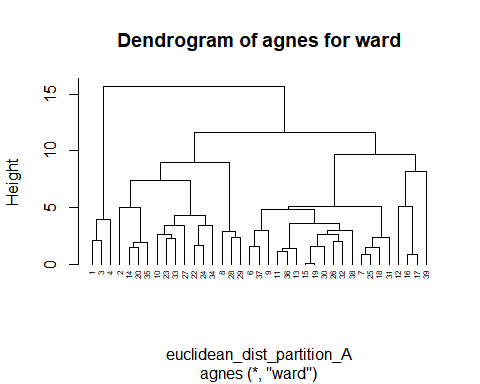
c\_data <- read.csv("A:/DATA\_SETS/Cereals.csv")  
sum(is.na(c\_data))

## [1] 4

c\_data <- na.omit(c\_data)  
c\_data <- c\_data[,4:16]  
# Creating Partitions for into two data   
c\_partition\_A <- c\_data[1:37,]  
c\_partition\_B <- c\_data[38:74,]  
c\_partition\_A <- scale(c\_partition\_A, center = T, scale = T)  
c\_partition\_B <- scale(c\_partition\_B, center = T, scale = T)  
  
euclidean\_dist\_partition\_A <- dist(c\_partition\_A, method = "euclidean")  
  
names(method) <- c( "average", "single", "complete", "ward")  
ac\_values1 <- function(x) {  
 agnes(euclidean\_dist\_partition\_A, method = x)$ac  
}  
map\_dbl(method, ac\_values1)

## average single complete ward   
## 0.7091020 0.6724675 0.7706708 0.8570846

#The agglomerative coefficient obtained by Ward's method is the largest.   
#Let's take a peek at the dendogram.  
set.seed(123)  
hc\_ward\_partition\_A <- agnes(euclidean\_dist\_partition\_A, method = "ward")  
pltree(hc\_ward\_partition\_A, cex = 0.5, hang = -1, main = "Dendrogram of agnes for ward")



clust\_comp\_partition\_A <- cutree(hc\_ward\_partition\_A, k = 7)  
  
result<-as.data.frame(cbind(c\_partition\_A,clust\_comp\_partition\_A))  
  
#result[result$clust\_comp\_partition\_A==1,]  
#center1<-colMeans(result[result$clust\_comp\_partition\_A==1,])  
klust <- 1:7  
for (i in klust) {  
 assign(paste0("center\_",i), colMeans(result[result$clust\_comp\_partition\_A==i,]))  
}  
  
centroids <- rbind(center\_1,center\_2,center\_3,center\_4,center\_5,center\_6,center\_7  
 )  
  
combined <- as.data.frame(rbind(centroids[,-14], c\_partition\_B))  
temp1<-get\_dist(combined)  
temp2<-as.matrix(temp1)  
data1<-data.frame(data=seq(1,nrow(c\_partition\_B),1),clusters=rep(0,nrow(c\_partition\_B)))  
for(i in 1:nrow(c\_partition\_B))  
{  
 data1[i,2]<-which.min(temp2[i+7,1:7])  
}  
  
cbind(temp3$clust\_comp[38:74],data1$clusters)

## [,1] [,2]  
## [1,] 4 4  
## [2,] 5 6  
## [3,] 2 2  
## [4,] 3 3  
## [5,] 6 5  
## [6,] 2 2  
## [7,] 2 2  
## [8,] 4 4  
## [9,] 3 3  
## [10,] 3 3  
## [11,] 4 4  
## [12,] 5 5  
## [13,] 4 2  
## [14,] 4 4  
## [15,] 7 5  
## [16,] 6 5  
## [17,] 6 5  
## [18,] 2 5  
## [19,] 4 4  
## [20,] 2 2  
## [21,] 6 5  
## [22,] 5 6  
## [23,] 5 6  
## [24,] 6 5  
## [25,] 6 5  
## [26,] 6 5  
## [27,] 3 3  
## [28,] 5 6  
## [29,] 6 5  
## [30,] 7 7  
## [31,] 4 4  
## [32,] 7 5  
## [33,] 5 5  
## [34,] 3 3  
## [35,] 5 5  
## [36,] 5 6  
## [37,] 3 3

table(temp3$clust\_comp[38:74]==data1$clusters)

##   
## FALSE TRUE   
## 17 20

#We get 17 FALSE and 20 TRUE, indicating that the model is only partly stable.

The elementary public schools would like to choose a set of cereals to include in their daily cafeterias. Every day a different cereal is offered, but all cereals should support a healthy diet. For this goal, you are requested to find a cluster of “healthy cereals.” Should the data be normalized? If not, how should they be used in the cluster analysis?

Nutri\_cereal <- na.omit(read.csv("A:/DATA\_SETS/Cereals.csv"))  
Nutri\_cereal<- cbind(Nutri\_cereal,clust\_comp)  
  
  
for (i in 1:7){  
 assign(paste0("Cluster",i), mean(Nutri\_cereal[Nutri\_cereal$clust\_comp==i,"rating"]))  
  
}  
  
a<-cbind(Cluster1,Cluster2,Cluster3,Cluster4,Cluster5,Cluster6,Cluster7)  
paste("clearly cluster 1 has maximum rating", max(a)," hence we'll choose it")

## [1] "clearly cluster 1 has maximum rating 73.8444633333333 hence we'll choose it"

We must normalize data since we are using the distance metic algorithm. Since the features of data vary, we must scale it to similar features.