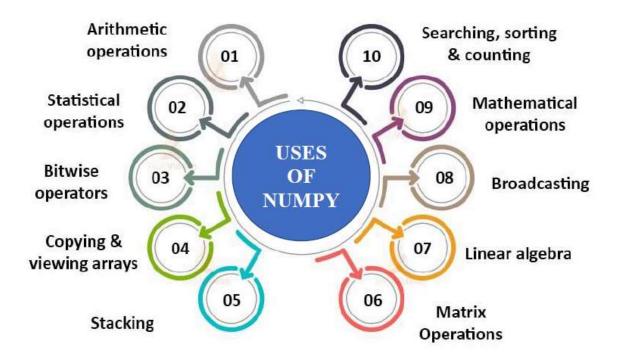
NumPy

NumPy is a fundamental library for numerical computing in Python. It provides a powerful N-dimensional array object and functions for manipulating arrays efficiently. NumPy is the foundation for many other libraries in the Python scientific ecosystem and is widely used for data manipulation and pre-processing in machine learning.

APPLICATIONS OF NUMPY:



In [1]: 1 import numpy as np

c:\users\vamsi2001\appdata\local\programs\python\python39\lib\site-packages\num
py_distributor_init.py:30: UserWarning: loaded more than 1 DLL from .libs:
c:\users\vamsi2001\appdata\local\programs\python\python39\lib\site-packages\num
py\.libs\libopenblas.EL2C6PLE4ZYW3ECEVIV3OXXGRN2NRFM2.gfortran-win_amd64.dll
c:\users\vamsi2001\appdata\local\programs\python\python39\lib\site-packages\num
py\.libs\libopenblas.XWYDX2IKJW2NMTWSFYNGFUWKQU3LYTCZ.gfortran-win_amd64.dll
 warnings.warn("loaded more than 1 DLL from .libs:"

1. Creating Arrays

Array from list: [1 2 3 4 5]
Array from tuple: [1 2 3 4 5]

```
In [3]:
          1 # Multi-dimensional array
           2 arr2D = np.array([[1, 2, 3], [4, 5, 6]])
           3 print("\n2D Array:\n", arr2D)
         2D Array:
          [[1 2 3]
          [4 5 6]]
 In [4]:
          1 # Zeros Array
           2 | zeros = np.zeros((3, 3)) # 3x3 matrix filled with zeros
           3 print("\nZeros Array:\n", zeros)
         Zeros Array:
          [[0. 0. 0.]
          [0. 0. 0.]
          [0. 0. 0.]]
 In [5]:
          1 # Ones Array
           2 ones = np.ones((2, 4)) # 2x4 matrix filled with ones
           3 print("\nOnes Array:\n", ones)
         Ones Array:
          [[1. 1. 1. 1.]
          [1. 1. 1. 1.]]
 In [6]:
          1 # Empty Array (random values)
           2 empty_arr = np.empty((2, 3)) # 2x3 matrix with random values
           3 print("\nEmpty Array:\n", empty_arr)
         Empty Array:
          [[6.23042070e-307 4.67296746e-307 1.69121096e-306]
          [3.22646744e-307 2.67015654e-306 2.42092166e-322]]
 In [9]:
          1 # Array with a Range of Values
           2 | arr_range = np.arange(0, 10,4)  # start=0, stop=10, step=2
           3 print("\nArray with range:\n", arr_range)
         Array with range:
          [0 4 8]
In [20]:
          1 # Array with Linearly Spaced Values
           2 | lin space = np.linspace(0, 10, 5) # 5 values between 0 and 10
           3 print("\nLinearly spaced array:\n", lin space)
         Linearly spaced array:
          [ 0. 2.5 5. 7.5 10. ]
```

2. Accessing Elements

3. Reshaping Arrays

4. Basic Mathematical Operations

```
In [22]:
             arr1 = np.array([[1, 2, 3], [0,9,8]])
           2 | arr2 = np.array([[4, 5, 6],[8,7,3]])
           3 print("\nAddition:\n", arr1 + arr2)
           4 print("Subtraction:\n", arr1 - arr2)
           5 print("Multiplication:\n", arr1 * arr2)
           6 print("Division:", arr1 / arr2)
         Addition:
          [[5 7 9]
          [ 8 16 11]]
         Subtraction:
          [[-3 -3 -3]
          [-8 2 5]]
         Multiplication:
          [[ 4 10 18]
          [ 0 63 24]]
         Division:
          [[0.25
                      0.4
                                  0.5
          [0.
                      1.28571429 2.66666667]]
```

5. Aggregate Functions

Sum: 15
Mean: 3.0
Max: 5
Min: 1

Standard Deviation: 1.4142135623730951

Product: 120

6. Array Concatenation

7. Transpose of a Matrix

8. Random Number Generation

9. Boolean Masking & Filtering

Elements greater than 3: [4 5 6]

```
In [2]: 1 import numpy as np
2
3  # Creating a structured array
4 numbers = np.linspace(5, 50, 24, dtype=int).reshape(4,-1)
5  #-1 is to automatically calculate the number of columns
6  #based on the total elements
7 print(numbers)
8  # Creating a mask where numbers are divisible by 4
9  mask = numbers % 4 == 0
10
11  # Using the mask to filter values
12 filtered_values = numbers[mask]
13
14 print(filtered_values) # Extracted numbers
```

```
[[ 5 6 8 10 12 14]

[16 18 20 22 24 26]

[28 30 32 34 36 38]

[40 42 44 46 48 50]]

[ 8 12 16 20 24 28 32 36 40 44 48]
```

10. Sum of elements in array

```
In [13]:
              import numpy as np
           2
           3 # Creating a 3x4 array
             matrix = np.array([
           5
                  [10, 20, 30, 40],
           6
                  [5, 15, 25, 35],
           7
                  [2, 4, 6, 8]
           8
             ])
           9
          10
             # Default sum (across all elements)
             print("Total sum:", matrix.sum())
          12
          13 # Sum along axis 0 (column-wise sum)
          14
             print("Sum along axis 0:", matrix.sum(axis=0))
          15
          16 # Sum along axis 1 (row-wise sum)
             print("Sum along axis 1:", matrix.sum(axis=1))
         Total sum: 200
         Sum along axis 0: [17 39 61 83]
         Sum along axis 1: [100 80 20]
```

11. Sorting of an array

```
In [44]:
              data = np.array([
           1
           2
                  [7, 1, 4],
           3
                  [8, 6, 5],
                  [1, 2, 3]
           4
           5
             ])
           6
           7
              print(np.sort(data)) # Sorts each row individually
             print(np.sort(data, axis=0)) # Sorts each column individually
              print(np.sort(data, axis=None)) # Flattens and sorts entire array
             print(np.sort(data, axis=None)[::-1]) # sorts in descending order
         [[1 4 7]
          [5 6 8]
          [1 2 3]]
         [[1 1 3]
          [7 2 4]
          [8 6 5]]
         [1 1 2 3 4 5 6 7 8]
         [8 7 6 5 4 3 2 1 1]
```

12. Standardizing the data

```
In [14]:
             import numpy as np
           2
             # Sample dataset (rows = samples, columns = features)
           3
             data = np.array([
           5
                  [50, 2000, 3.5],
           6
                  [20, 1500, 2.1],
           7
                  [30, 1800, 4.3],
           8
                  [40, 2100, 3.9]
           9
             ])
          10
          11
             # Compute mean and standard deviation
             mean = np.mean(data, axis=0)
          12
             std dev = np.std(data, axis=0)
          13
          14
          15
             # Standardization formula: (X - mean) / std dev
          16 | standardized data = (data - mean) / std dev
          17
             print("Original Data:\n", data)
          18
             print("\nStandardized Data:\n", standardized_data)
          19
          20 data.shape
          21 print(mean)
             print(std_dev)
         Original Data:
          [[
             50. 2000.
                             3.5]
             20.
                  1500.
                            2.1]
             30. 1800.
                            4.3]
             40. 2100.
                            3.9]]
         Standardized Data:
          [[ 1.34164079 0.65465367 0.06030227]
          [-1.34164079 -1.52752523 -1.62816126]
          [-0.4472136 -0.21821789 1.02513857]
          0.4472136
                        1.09108945 0.54272042]]
         [ 35.
                  1850.
                             3.45]
         [ 11.18033989 229.12878475
                                      0.8291562 ]
In [15]:
           1 a=50-35
           2 a=a/11.18
           3 a=140/4
           4 a
Out[15]: 35.0
```

13.Determinant

Out[23]: 29.9999999999999

14. Dot Product

[[35 59] [21 81]]

14. Diagonal &Trace of Matrix

The diagonal elements are: [1 5 9]

The trace of a matrix is: 15

15. Matrix Inversion (np.linalg.inv())

The inverse of a square matrix A is such that A * A_inv = I , where I is the identity matrix.

The inverse of a square matrix A is denoted as A^{-1} , and it satisfies:

$$A \cdot A^{-1} = A^{-1} \cdot A = I$$

where I is the identity matrix.

ho A matrix is invertible only if its determinant is nonzero $(\det(A) \neq 0)$.

Example:

$$A = \begin{bmatrix} 4 & 7 \\ 2 & 6 \end{bmatrix}$$

Inverse Formula for a 2×2 Matrix:

$$A^{-1} = \frac{1}{\det(A)} \cdot \begin{bmatrix} d & -b \\ -c & a \end{bmatrix}$$

where det(A) = (4)(6) - (7)(2) = 10.

$$A^{-1} = \frac{1}{10} \begin{bmatrix} 6 & -7 \\ -2 & 4 \end{bmatrix}$$

16. Eigenvalues and Eigenvectors

For a square matrix A, eigenvalues and eigenvectors satisfy $Av = \lambda v$.

$$Av = \lambda v$$

To find eigenvalues, solve the characteristic equation:

$$det(A - \lambda I) = 0$$

Example:

$$A = \begin{bmatrix} 4 & -2 \\ 1 & 1 \end{bmatrix}$$

Solving $det(A - \lambda I) = 0$:

$$\begin{vmatrix} 4 - \lambda & -2 \\ 1 & 1 - \lambda \end{vmatrix} = 0$$
$$(4 - \lambda)(1 - \lambda) - (-2)(1) = 0$$

Solving for λ , we get the eigenvalues.

17. Solving Linear Equations (np.linalg.solve())

Solving a system Ax = B for x.

A system of equations:

$$Ax = B$$

For example:

$$2x + 3y = 8$$

$$5x + 7y = 19$$

can be written as:

$$A = \begin{bmatrix} 2 & 3 \\ 5 & 7 \end{bmatrix}, \quad B = \begin{bmatrix} 8 \\ 19 \end{bmatrix}$$

 $x = A^{-1}B$

Solution: [1. 2.]

18. Matrix Norm (np.linalg.norm())

Computes the Euclidean norm (magnitude) of a vector.

5.0


```
In [ ]: 1
```