# Graphs in ML Project Defence Recommender system with serendipity

Clémence Réda

École Normale Supérieure Paris-Saclay

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This might be a useful recommender system!

Comic from artist Piccolo





This might be a <u>useless</u> recommender system!

(Adapted) comic from artist Piccolo



### **Outlines**

- Introduction
  - Field of research
  - Goal
- Problem of Serendipity
  - State-of-the-art
  - Formalization of the problem
  - Method
- Results
  - Datasets
  - Setting
  - Quantitative Results
  - Qualitative Results
- Conclusion



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### **Accuracy** ≠ **Usefulness!**

[Abbassi et al., 2009, Kunaver and Požrl, 2017], ...

### Regular recommender problem

### Input:

- A user u
- A set of objects V in which the recommended item must belong
- Access to the histories of the user(s):  $\{(object_k, reward_k)\}_k$

#### Goal:

Return a recommended item that maximizes the reward for the seller (price, probability of buying, ...)



### **Accuracy** ≠ **Usefulness!**

[Abbassi et al., 2009, Kunaver and Požrl, 2017], ...

### Recommender problem with serendipity

### Input:

- A user u
- A set of objects V in which the recommended item must belong
- Access to the histories of the user(s): {(object<sub>k</sub>, reward<sub>k</sub>)}<sub>k</sub>

#### Goal:

Return a recommended item that maximizes both the reward and the novelness.



- ~ diversity-accuracy dilemma [Zhou et al., 2010]
   → exploration-exploitation dilemma in bandits
- Bandits are popular tools to tackle the recommender problem [Koutrika, 2018, Mary et al., 2015, Guillou et al., 2016].

#### Multi-Armed Bandit

- 1: Initialize scores associated with each action (eg movie)
- 2: Repeat
  - 3: Compute the score of each action
  - 4: Select the arm/action which maximizes the score
  - 5: Receive the reward and improve the computation of the score
- 6: return the arm associated with the highest score



# **Introduction** Objectives of this project

#### Goals

Formalize the problem of recommendation with serendipity



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- Find a method to tackle this problem

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#### Goals

- Formalize the problem of recommendation with serendipity
- Find a method to tackle this problem
- Compare it with other bandit methods

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### State-of-the-art

### Several definitions of serendipity

[Abbassi et al., 2009, Murakami et al., 2007, Iaquinta et al., 2008, Kotkov et al., 2016]

### State-of-the-art

### Several definitions of serendipity

[Abbassi et al., 2009, Murakami et al., 2007, Iaquinta et al., 2008, Kotkov et al., 2016]

#### What one would need:

- A flexible definition
- Easy to understand and grasp
- Should fit as much as possible the concept of serendipity

### **Formalization**

- G(V, E) unweighted, undirected object similarity graph
- Histories of the user  $\{(\mathsf{object}_k, \mathsf{reward}_k)\}_k$

 $f_u^{(k)} = \text{explored objects up to time } k$   $r_u^{(k)} = \text{associated reward received up to time } k$  (random variables)

### Serendipity value

**serendipity value** of an unexplored object v (of *normalized* reward variable  $\tilde{r}_{v,u}^{(k)}$ ) at time k>0 with respect to user u

$$s(v,u,k) = \mathbb{E}_{(f_u^{(k)},\tilde{r}_u^{(k)})}[\tilde{r}_{v,u}^{(k)} \times d_e(v, \text{explored}) | (f_u^{(t)},\tilde{r}_u^{(t)})_{t < k}]$$

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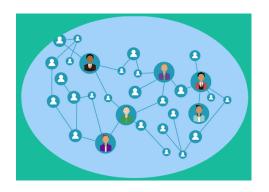
Thus the set of potential serendipities at time k>0 for user u is denoted  $S_u$ 

### Potential Serendipities

$$S_u = \arg\max\{v \text{ unexplored} : s(v, u, k)\}$$



# **Method** Adapting from Influence Maximization

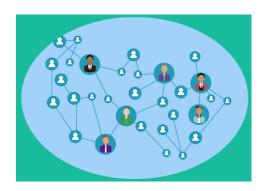


To whom should products be given in order to become viral?

richardkim.me/
influencemaximization



# **Method** Adapting from Influence Maximization



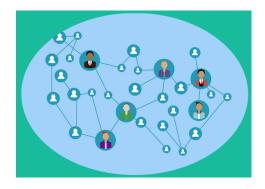
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Online: Learning while running the marketing campaign

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# **Method** Adapting from Influence Maximization



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To whom should products be given in order to become viral?

Online: Learning while running the marketing campaign

**Persistent:** Once a node is explored, it does not yield a reward anymore



# Method Algorithm from [Lagrée et al., 2017]

#### Score:

$$b_k(t) = \hat{R}_k(t) + (1 + \sqrt{2}) \sqrt{\frac{\hat{\lambda}_k(t)\log(4t)}{n_k(t)}} + \frac{\log(4t)}{3n_k(t)}$$

**Require:** Set of candidates [K], time budget N

- 1: **Initialization:** play each candidate  $k \in [K]$  once, observe the spread  $S_{k,1}$ , set  $n_k = 1$
- 2: For each  $k \in [K]$ : update the reward  $W = W \cup S_{k,1}$
- 3: **for** t = K + 1, ..., N **do**
- 4: Compute  $b_k(t)$  for every candidate k
- 5: Choose  $k(t) = \arg \max_{k \in [K]} b_k(t)$
- 6: Play candidate k(t) and observe spread S(t)
- 7: Update cumulative reward:  $W = W \cup S(t)$
- 8: Update statistics of candidate k(t):  $n_{k(t)}(t+1) = n_{k(t)}(t) + 1$  and  $S_{k,n_k(t)} = S(t)$ .
- 9: end for
- 10: return W



# Method Adapted algorithm

Apply the serendipity constraint on the set of candidates (and their supports) selected in [Lagrée et al., 2017]'s algorithm, parametrized by value s.

```
\text{1: } S \leftarrow \mathsf{Supp}(f_u^{(t)}) \cap \{c \in V: \exists i, 1 \leq i \leq s, W^i[c, \mathsf{Supp}(f_u^{(t)})] \mathbf{1} > 0\}
```

2: centroids  $\leftarrow$  Kmeans(data = F[S,:], nclusters = K)

3: candidates  $\leftarrow \emptyset$ 

4: **for**  $c \in$  centroids **do** 

5: Append  $\arg\min_{v \in S} ||F[v,:] - F[c,:]||_2^2$  to candidates

6: end for

7: supports  $\leftarrow \emptyset$ 

8: for  $v \in \text{candidates do}$ 

9: Append  $\{v' \in S : W[v, v'] > 0\}$  to supports

10: end for

11: return candidates, supports

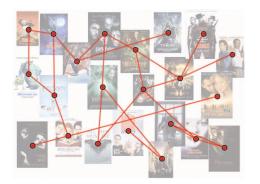
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### MovieLens

Movie recommendation! data on users, movies, and ratings

(GroupLens Research: movielens.org)



M. Valko's slides for Lecture 7

# MovieLens (ml-1m, ml-20m)



MovieLens 1M Dataset (ml-1m)

#movies	#users	average #ratings/user
4,000	6,000	165

MovieLens 20M Dataset (ml-20m)

#movies	#users	average #ratings/user
27,000	138,000	144



**Evaluation** on 100 iterations and at horizon 100

### Cumulative regret

 $a^{(t)}$  is the recommended item at time t:

$$R_T = \sum_{t \le T} \max\{a^* \text{explored} : r(a^*) - r(a^{(t)})\}$$

**Evaluation** on 100 iterations and at horizon 100

### Cumulative regret

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### Diversity measure ([Vie, 2016])

t is the number of rounds,  $V^{(t)}$  is the feature matrix of explored objects up to time t

$$D(V^{(t)}) = \sqrt{|V^{(t)}.t(V^{(t)})|}$$



### **Algorithms**

#### Tested bandit methods

Random strategy

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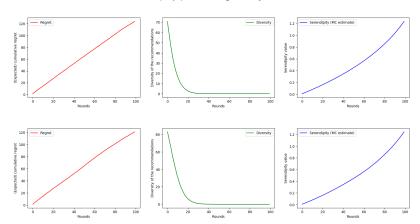
### **Algorithms**

#### Tested bandit methods

- Random strategy
- $\bullet$ -greedy strategy (w.r.t. diversity measure)
- LinUCB (described in [Chu et al., 2011])
- The adapted method from [Lagrée et al., 2017]

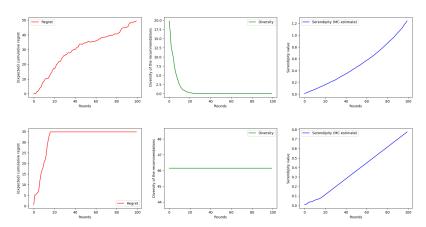
# Results Regret, diversity, serendipity curves

### **ml-20m** dataset, random (*top*) and $\epsilon$ -greedy methods

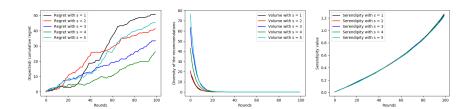


# Results Regret, diversity, serendipity curves

### ml-20m dataset, adapted method (top) and LinUCB methods



# **Results** Variation of parameter s

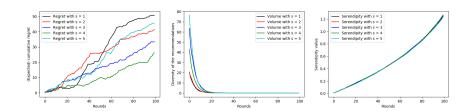


#### Remarks:

 When s increases (up to some point), diversity increases and regret decreases



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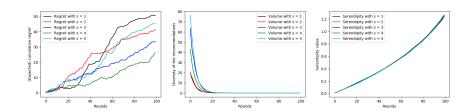


#### Remarks:

- When s increases (up to some point), diversity increases and regret decreases
- From some value of s, regret increases again



# **Results** Variation of parameter s



#### Remarks:

- When s increases (up to some point), diversity increases and regret decreases
- From some value of s, regret increases again
- Little influence of s on the (cumulative) serendipity value...



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#### What remains to be done

 Testing with methods that might be more relevant: Rotting Bandits [Seznec et al., 2018], Outside-The-Box recommendation [Abbassi et al., 2009]

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- User similarity has been ignored here
- The parametrization with the serendipity threshold s has an influence on regret and diversity, but not so much on the serendipity measure!!



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