

✓ how good a set of values is

from train material $X_i \rightarrow f(X_i)$

$$|\hat{y} - y_i| = e_i \rightarrow |\hat{y} - y_i| = e_i$$

(label) : the real number

$$\text{Loss } L = \frac{1}{N} \sum_n e_n$$

$e = |y - \hat{y}|$ mean absolute error
 $e = (y - \hat{y})^2$ mean square error

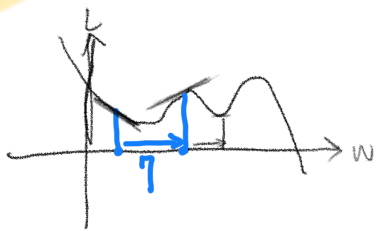
If y & \hat{y} are probability distributions \Rightarrow Cross entropy

③ optimization

$$w^* b^* = \arg \min_{w,b} L \quad \textcircled{1} \text{ minimize to only 1 variable}$$

gradient decent

① random pick initial w^0



② Compute $\frac{\partial L}{\partial w} |_{w=w^0}$

η is learn rate : the rate of update of data
↑
hyper parameter self define parameter

$$w' \leftarrow w^0 - \eta \frac{\partial L}{\partial w} |_{w=w^0}$$



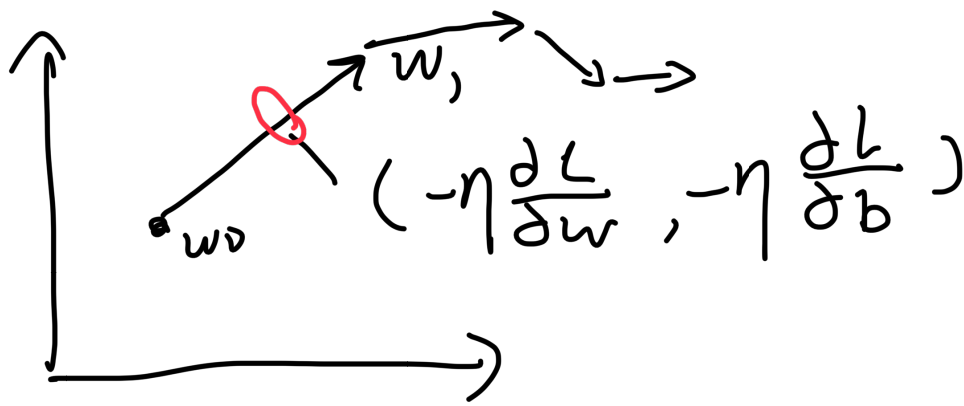
set times hyperparameter
 $\frac{\partial L}{\partial w} = 0 \rightarrow$ local extrema

Gradient descent of more than 1 unknown p

① initial w^0, b^0

② $\frac{\partial L}{\partial w} \big|_{w=w^0, b=b^0}$ $w' \leftarrow w^0 - \eta \frac{\partial L}{\partial w} \big|_{w=w^0, b=b^0}$

$\frac{\partial L}{\partial b} \big|_{w=w^0, b=b^0}$ $b' \leftarrow b^0 - \eta \frac{\partial L}{\partial b} \big|_{w=w^0, b=b^0}$



Step ① ② ③ is called Training (with current data)

④ forecast

⑤ use your domain knowledge to modify

