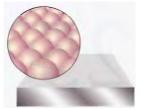
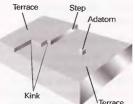
simple picture of a perfect crystal surface (flat)



simple picture of a perfect crystal surface (flat)



surface with defects





screw dislocation occurs where one region is pushed up through one or more unit cells relative to another region

The cut extends to the screw axis. As atoms lie along the step the dislocation rotates round the screw axis and is not annihilated

Adsorption: attachment of particles to a solid surface

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material to which it adsorbs: adsorbent or substrate

Under normal conditions a surface exposed to a gas is constantly bombarded with molecules and a freshly prepared surface is covered very quickly

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collision flux :
$$Z_W = \frac{p}{\sqrt{2\pi\,mk_B\,T}}$$

derivation: Consider surface area A perpendicular to the z-axis

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1 m² of metal surface has $\approx 10^{19}$ atoms ∴ each atom is struck about 10^8 times each second Even if only a few collisions leave a molecule adsorbed to the surface, the time for which a freshly prepared surface remains clean is very short

Physisorption and chemisorption

Physisorption:

- long range, weak van der Waals interaction between adsorbate and substrate
- ullet energy released on physisorption : $\mathcal{O}(\text{enthalpy of condensation})$
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$\Delta H_{ extsf{physisorption}}$: measured by monitoring		
rise in temperature of sample of known heat	Adsorbate	$\Delta_{ad}H^{\odot}(kJ/mol)$
capacity	CH₄	-21
insufficient to lead to bond breaking, so a	H ₂	-84
physisorbed molecule retains its identity,	H ₂ O	_ 5 9
although it is distorted on surface	N_2	-21
	I	data at 298K

 $\Delta H_{
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m physisorption}$ distance between surface and closest adsorbate atom typically shorter for chemisorption than for physisorption

$\Delta_{\sf ad} {\sf H}^{\scriptscriptstyle igoredown}({\sf kJ/mol})$ data at 298K			
Adsorbate		Adsorbent	
Adsorbate	Cr	Fe	Ni
C_2H_4	-427	-285	-243
CO		-192	
H_2	-188	-134	
NH_3		-188	-155

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Except in special cases, chemisorption must be exothermic

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- •These adsorbates also show order—disorder transitions when they are heated enough for thermal motion to overcome the particle—particle interactions, but not so much that they are desorbed

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Ex. : adsorption of CO on charcoal at 273 K p/kPa | 13.3 | 26.7 | 40.0 | 53.3 | 66.7 | 80.0 | 93.3 V/cm^3 | 10.2 | 18.6 | 25.5 | 31.5 | 36.9 | 41.6 | 46.1 (V corrected to 1.00 atm and 273 K)

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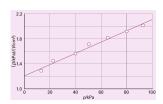
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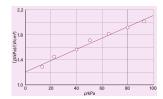
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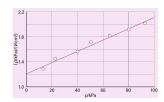
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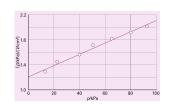
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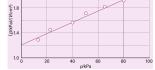
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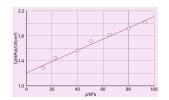
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volumes in definition of θ are those of the free gas measured under same conditions of temperature and pressure, not the volume the adsorbed gas occupies when attached to surface

adsorption with dissociation: A₂ adsorbs as 2A $\left(\frac{d\theta}{dt}\right)_{ad}=k_a p \left[N(1-\theta)\right]^2$

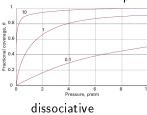
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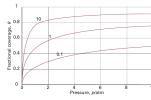
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Equilibrium:
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,

surface coverage depends more weakly on pressure than for non-dissociative adsorption





non-dissociative

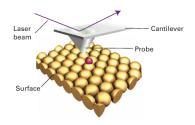
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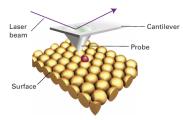
Experimental procedures must begin with a clean surface reduce the pressure and reduce the number of impacts on the surface When $p\sim 0.1 \text{mPa}$ (simple vacuum) collision flux $\sim 10^{18} \text{m}^{-2} \text{ s}^{-1} \approx$ one hit per surface atom in each 0.1 s

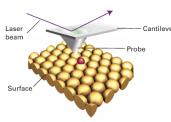
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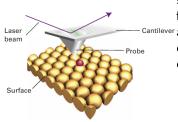


sharpened tip attached to a cantilever is scanned across surface

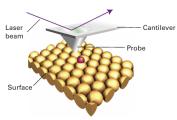




sharpened tip attached to a cantilever is scanned across surface force exerted by the surface and any molecules Cantilever attached to it pushes or pulls on the tip and deflects the cantilever



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sharpened tip attached to a cantilever is scanned across surface force exerted by the surface and any molecules Cantilever attached to it pushes or pulls on the tip and deflects the cantilever deflection monitored by using a laser beam ... no current needs to pass between sample and probe, the technique can be applied to non-conducting surfaces and to liquid samples

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In 'non-contact', or 'tapping mode', the tip bounces up and down with specified frequency and never quite touches the surface Amplitude of the tip's oscillation changes when it passes over species adsorbed on surface

Isosteric (fixed coverage) enthalpy of adsorption

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Ex. 10 cm³ adsorption of CO on charcoal at different temperatures

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dimensionless equilibrium constant:
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or,
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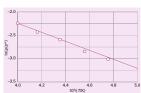
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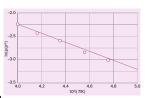
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$$10^{3}/(\text{T/K}) \quad 5 \quad 4.762 \quad 4.545 \quad 4.348 \quad 4.167 \quad 4 \\ -\ln\frac{p}{p^{\odot}} \quad 3.22 \quad 3.01 \quad 2.81 \quad 2.63 \quad 2.47 \quad 2.32$$

slope=
$$-0.904$$
, $\Delta_{ad}H^{\odot} = -(0.904 \times 10^{3} \text{K}) \times R = -7.52 \text{kJ mol}^{-1}$



Deviations from Langmuir isotherm:

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- substrate—substrate interactions on the surface can be important
- number of isotherms deal with cases where deviations from Langmuir isotherm are important

BET isotherm: accounts for multilayer adsorption

$$\frac{V}{V_{\text{mon}}} = \frac{cz}{(1-z)\{1-(1-c)z\}}$$
 with $z = \frac{p}{p^*}$; $c = e^{\left(\Delta_{\text{des}}H^{\odot} - \Delta_{\text{vap}}H^{\odot}\right)}$ $p^* = \text{vapour pressure above a layer of adsorbate that is more than one molecule thick and which resembles pure bulk liquid $V_{\text{mon}} = \text{volume corresponding to monolayer coverage}$ BET isotherm fits experimental observations moderately well over restricted pressure ranges, but errs by underestimating extent of adsorption at low pressures and$

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Temkin isotherm: accounts for varying $\Delta_{ad}H^{\ominus}$ with θ

$$\theta = c_1 \ln(c_2 p)$$

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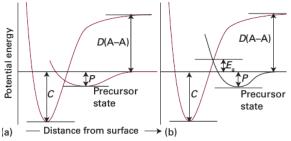
$$\theta = c_1 \ln(c_2 p)$$

Freundlich isotherm: accounts for substrate-substrate interactions

$$\theta = c_1 p^{\frac{1}{c_2}}$$

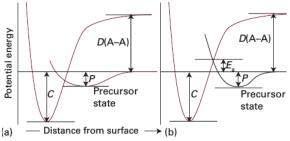
adsorption and desorption are activated processes,

Precursor state:



chemisorption (a) not activated; (b) activated

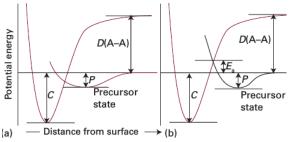
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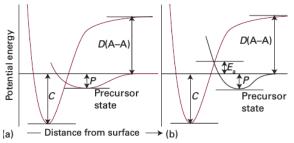


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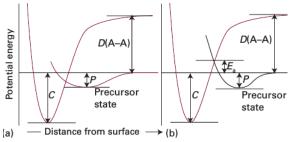
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Physisorption is usually fast, but can appear slow if adsn. takes place on porous medium



Ex. : adsorption experiments for H_2 on different faces of Cu crystal

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Face	$E_{ m act}$ kJ mol $^{-1}$
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ratio of rates of chemisorption on equal areas of the two faces at 250 K is

$$\frac{\mathrm{Rate}(1)}{\mathrm{Rate}(2)} = \frac{A\mathrm{e}^{-\frac{E_{\mathrm{act}}(1)}{RT}}}{A\mathrm{e}^{-\frac{E_{\mathrm{act}}(2)}{RT}}} = 11$$

sticking probability, $s=rac{{
m rate}\,{
m of}\,{
m adsorption}\,{
m of}\,{
m particles}\,{
m by}\,{
m the}\,{
m surface}}{{
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but for N_2 on Rhenium, $s < 10^{-2}$

Simple assumption : $s = (1 - \theta) s_0$,

where s_0 =sticking probability on a perfectly clean surface

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If $\frac{1}{ au_0} pprox$ vibrational frequency of weak particle-surface bond ($pprox 10^{12} {
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Lifetimes close to 1 s are obtained by lowering T to ≈ 100 K For chemisorption, with $E_d \approx 100$ kJ mol $^{-1}$,and $au_0 = 10^{-14}$ s,

we get residence half-lives \approx 3000s at room temp and 1 s at 350 K