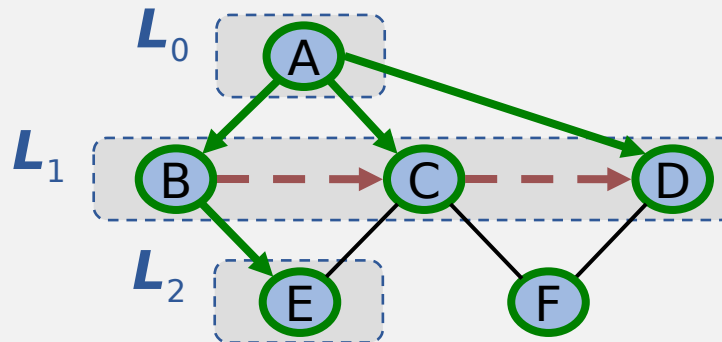




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# CPSC 131

## Data Structures



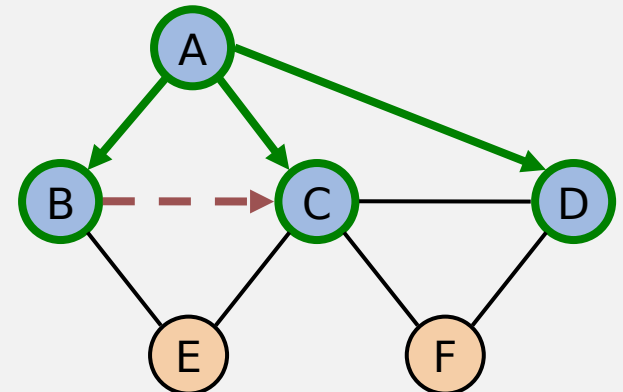
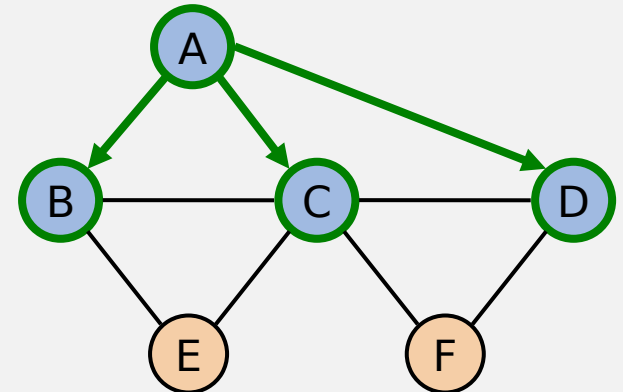
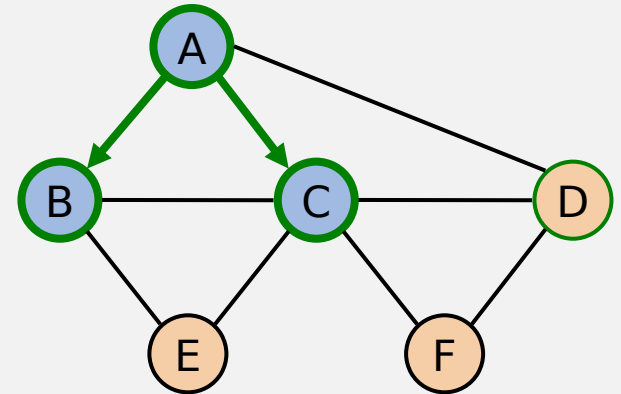
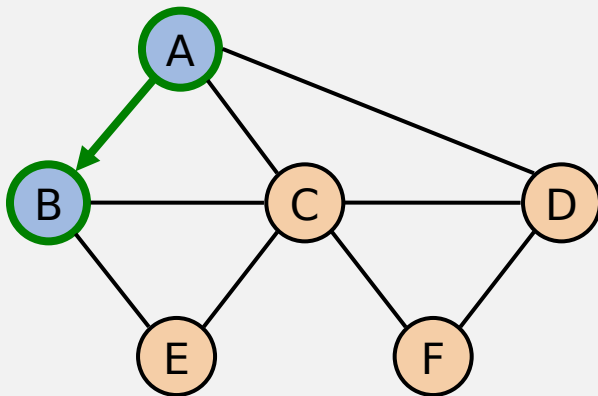
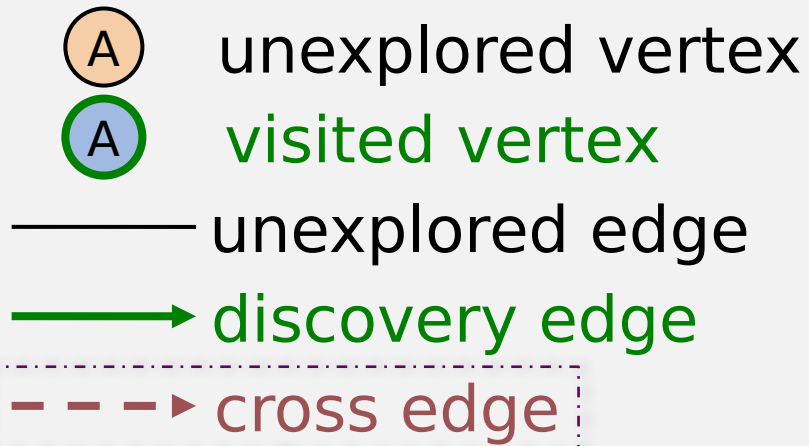
## Breadth-First Search (BFS)

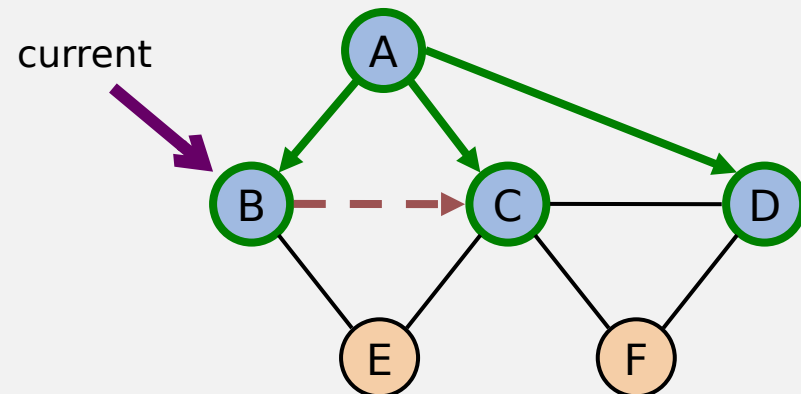
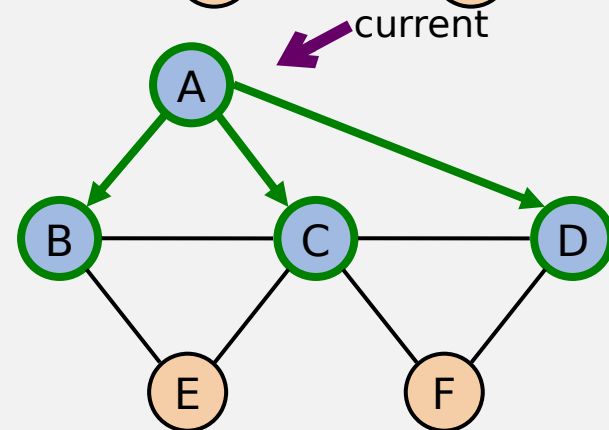
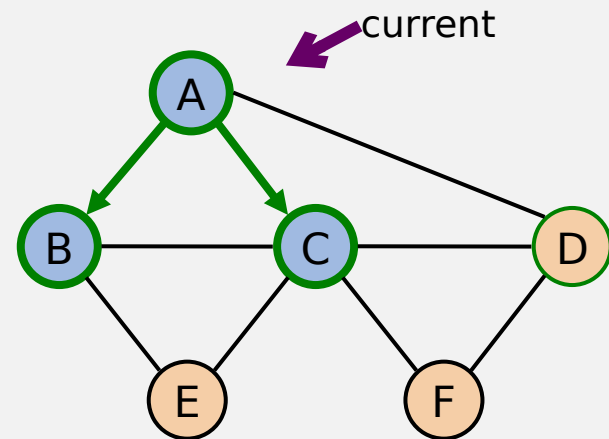
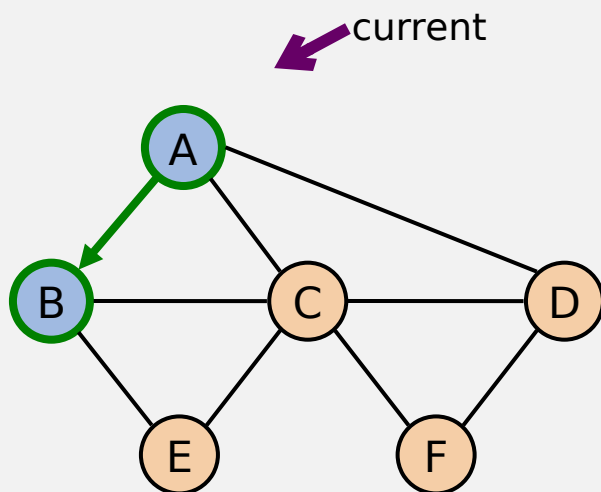
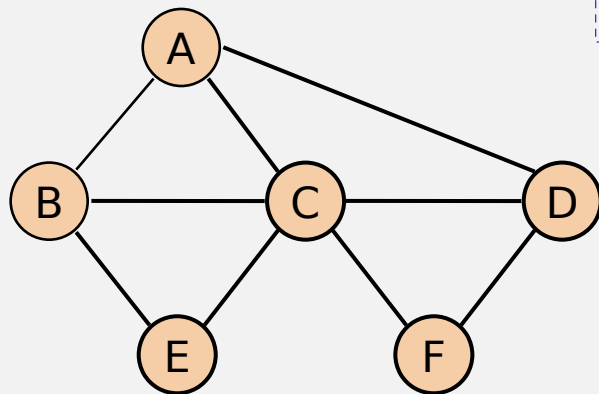
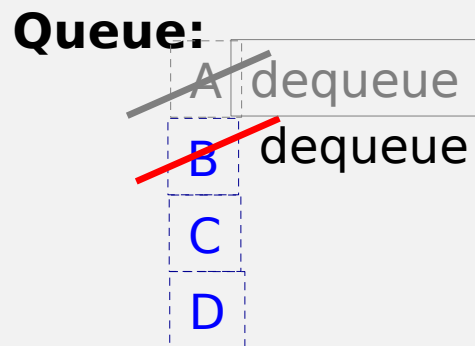
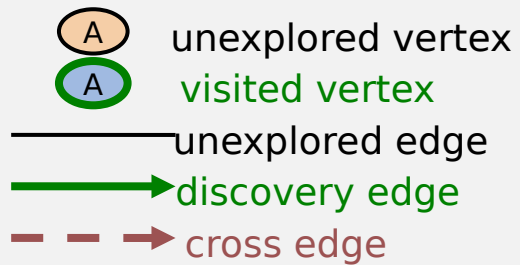
# Review: Graph Traversals

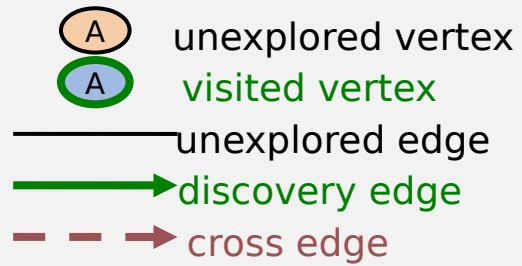
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- ❑ A systematic procedure for exploring a graph by examining all of its vertices and edges
- ❑ Traversal algorithms
  - Depth-First Search (DFS)
    - Visits the child vertices before visiting the sibling vertices
    - A stack OR recursion is used when implementing DFS
  - Breadth-First Search (BFS)
    - Visits the neighbor vertices before visiting the child vertices
    - A queue is used in the search process

## BFS Traversal Terminologies & Sketches



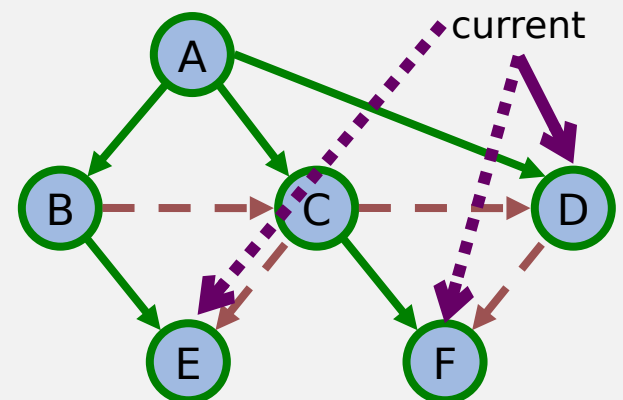
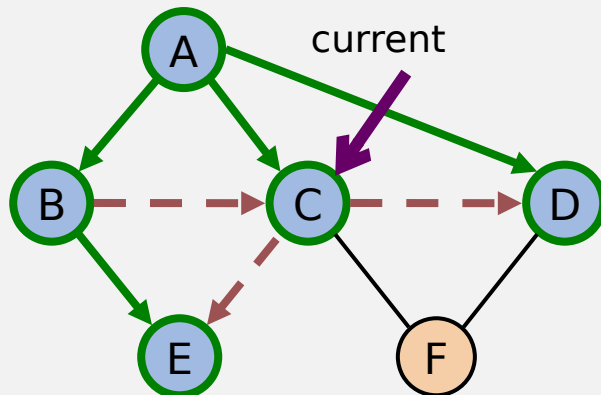
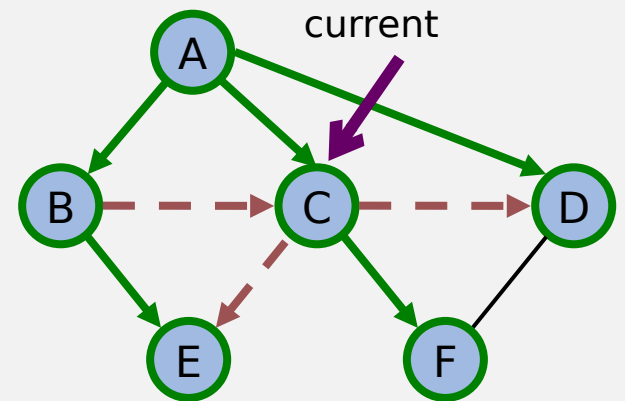
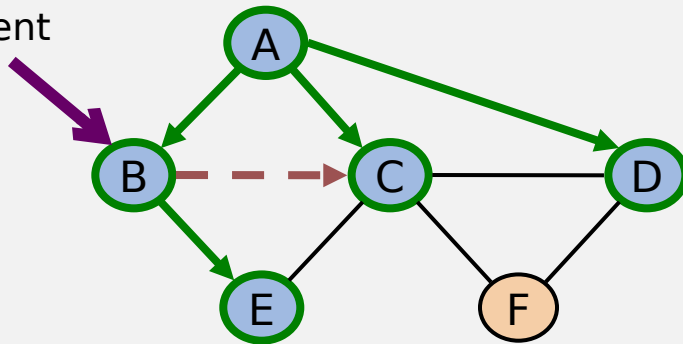




**Queue:**

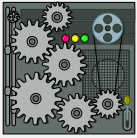
A	dequeue
B	dequeue
C	dequeue
D	dequeue
E	dequeue
F	dequeue

current



# BFS Algorithm Pseudo Code

```
BFS(startV) {  
    Set all vertices to not_visited  
    Push startV to queue  
  
    Set startV to visited  
  
    while (queue is not empty )  
        currentV = Pop queue  
        "Visit" current  
  
        for each vertex adjV adjacent to currentV do  
            if ( adjV is not visited)  
                Push adjV to queue  
                Set adjV to visited  
}
```



# Analysis of BFS

- ❑ Setting/getting a vertex/edge label takes  $\mathbf{O}(1)$  time
- ❑ Each vertex is labeled twice
  - once as NOT VISITED
  - once as **VISITED**
- ❑ For-loop is called once for each vertex
- ❑ BFS runs in  $\mathbf{O}(n + m)$  time provided the graph with  $\mathbf{n}$  vertices and  $\mathbf{m}$  edges is represented by the adjacency list structure

How can one find and  
report a shortest path  
using BFS?