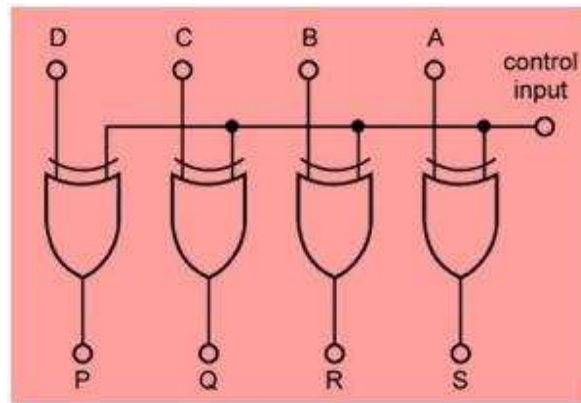


ADDER AND SUBTRACTOR

First of all we shall understand the working of Ex-OR gate. It can be used as controlled inverter circuit. Consider the circuit. When any one input terminal of Ex-OR gate is connected to logic-1, the gate works as NOT gate. Hence, Ex-OR gate can be used as controlled inverter. In the circuit shown here, a group of four Ex-OR gates are used as controlled inverter circuit. It produces following results –

When DCBA = 1011 and C.I. = 0, then, PQRS = 1011

When DCBA = 1011 and C.I. = 1, then, PQRS = 0100, which is the 1's complement of 1011.



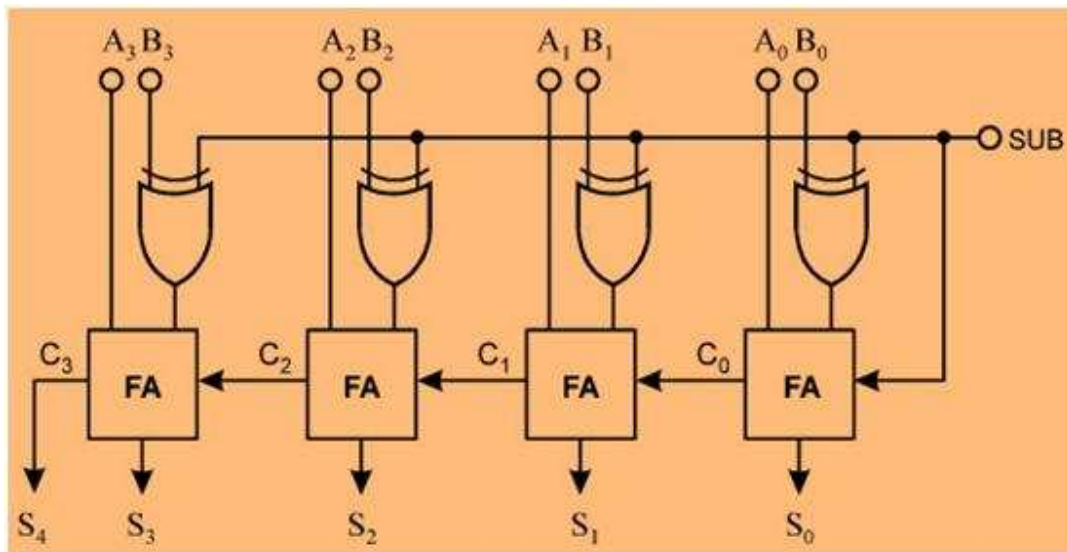
Adder/Subtractor – this circuit uses the above given circuit. It can perform both addition & subtraction in single circuit. [Refer the 4-bit binary adder circuit given here.](#)

Addition process – for addition, SUB = 0. Now the circuit works as general-purpose binary adder circuit.

All Ex-OR gates send the data at their outputs without any change, since the SUB input is in logic-0 state.

Thus, at output we get addition result as follows $A_3A_2A_1A_0 + B_3B_2B_1B_0 = S_4S_3S_2S_1S_0$.

Subtraction process – for subtraction $SUB = 1$. Now the circuit works as subtractor. The circuit performs subtraction process using 2's complement method. The Ex-OR gates generate 1's complement of 'B' group number. Then this 1's complement is added to a 1 through $SUB = 1$ at the input of rightmost full adder. Then it performs subtraction process. Thus, at output we get subtraction result as follows –



The numerical subtraction process is given below –

$$\begin{array}{r}
 + \quad A_3 A_2 A_1 A_0 \\
 + \quad D_3 D_2 D_1 D_0 \quad \leftarrow \text{2's complement of } B_3 B_2 B_1 B_0 \\
 \hline
 C_4 S_3 S_2 S_1 S_0 \\
 X \leftarrow \text{carry is ignored}
 \end{array}$$