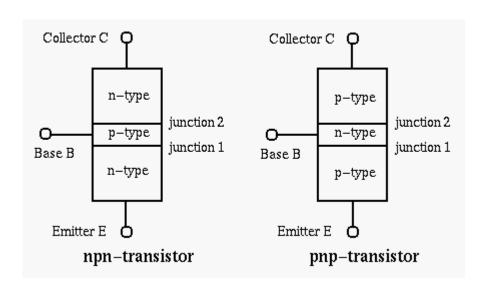
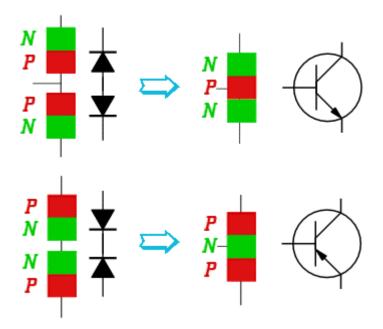
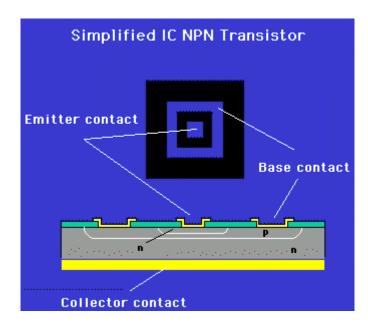
BIPOLAR JUNCTION TRANSISTOR

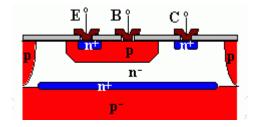
A Bipolar Junction Transistor (BJT) has three terminals connected to three doped semiconductor regions. In an npn transistor, a thin and lightly doped p-type material is sandwiched between two thicker n-type materials; while in a pnp transistor, a thin and lightly doped n-type material is sandwiched between two thicker p-type materials. In the following we will only consider npn BJTs.



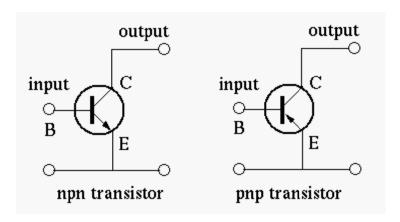


In many schematics of transistor circuits (especially when there exist a large number of transistors in the circuit), the circle in the symbol of a transistor is omitted.

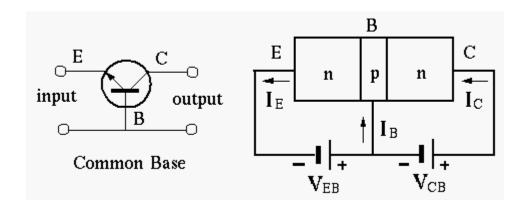


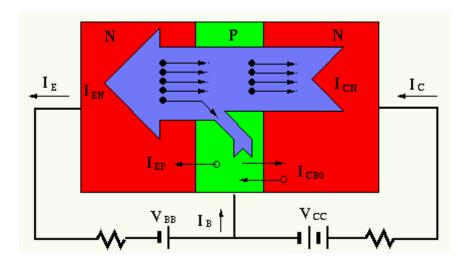


The three terminals of a transistor are typically used as the input, output and the common terminal of both input and output. Depending on which of the three terminals is used as common terminal, there are three different configurations: common emitter (CE), common base (CB) and common collector (CC). The CE configuration is the most widely used.



• Common-Base (CB)





The behavior of the npn-transistor is determined by its two pn-junctions:

- \circ $\:$ The forward biased base-emitter (BE) PN-junction allows the free electrons to $\:$ I_E flow from the emitter through the PN-junction to form the emitter current $\:$.
- As the p-type base is thin and lightly doped, most electrons from the emitter αI_E (e.g. $\underline{\alpha} \approx 0.99$) go through the base to reach the collector-base junction, only a small number of the electrons are combined with the holes in base to form

$$I_B = (1 - \alpha)I_E$$

the base current

The reverse biased collector-base (CB) PN-junction blocks the majority carriers (holes in the p-type base and electrons in n-type collector), but lets the minority carriers to go through, including the free electrons in the base coming from the

emitter $I_{CN}=\alpha I_E$, and the reverse saturate current of the collector-base PN- $I_{CP}=I_{CB0}$ junction .

 $I_C \qquad \qquad I_E \\$ The relationship between the output \qquad and the input \qquad can be found as:

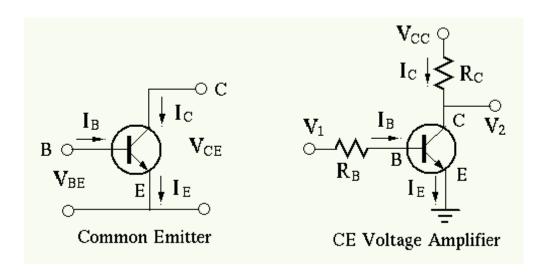
$$I_C = I_{CN} + I_{CP} = \alpha I_E + I_{CB0} \approx \alpha I_E$$

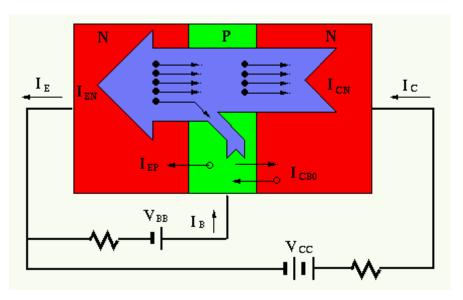
The base current ${I_B}$ is the small difference between two nearly equal currents ${I_C}$ and ${I_C}$.

$$I_B = I_E - I_C \approx I_E - \alpha I_E = (1 - \alpha)I_E$$

• Common-Emitter (CE)

$$V_{CE} = V_{CB} + V_{BE}$$





 $I_{B} \\ \label{eq:IB}$ The input current is I_{B} , and the output current is

$$I_C = \alpha I_E + I_{CB0} = \alpha (I_C + I_B) + I_{CB0} \approx \alpha (I_C + I_B)$$

Solving this equation for I_{C} , we get the relationship between the output I_{C} and the $\begin{array}{cc} I_B \\ \text{input} & : \end{array}$

$$I_C = rac{lpha}{1-lpha}I_B + rac{1}{1-lpha}I_{CB0} = eta I_B + (eta+1)I_{CB0} = eta I_B + I_{CE0} pprox eta I_B$$

$$\beta \stackrel{\triangle}{=} \alpha/(1-\alpha)$$

is the **current-transfer ratio** for CE (e.g., $\underline{\alpha}=0.99$ and Here

$$\beta = 99 \qquad I_{CE0} = (\beta + 1)I_{CB0}$$

 $\beta=99$), and $I_{CE0}=(\beta+1)I_{CB0}$ is the reverse saturation current between

collector and emitter. In summary:

$$\left\{ \begin{array}{l} I_C = \beta I_B \\ I_E = I_C + I_B = (\beta + 1)I_B \end{array} \right.$$