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Fully convolutional measurement network for compressive sensing image reconstruction



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ABSTRACT

Recently, deep learning methods have made a significant improvement in compressive sensing image reconstruction task. In the existing methods, the scene is measured block by block due to the high computational complexity. This results in block-effect of the recovered images. In this paper, we propose a fully convolutional measurement network, where the scene is measured as a whole. The proposed method powerfully removes the block-effect since the structure information of scene images is preserved. To make the measure more flexible, the measurement and the recovery parts are jointly trained. From the experiments, it is shown that the results by the proposed method outperforms those by the existing methods in PSNR, SSIM, and visual effect.

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1. Introduction

Compressive sensing (CS) theory [1-4] is able to acquire measurements of signals at sub-Nyquist rates and recover signals with high probability when the signals are sparse in a certain domain. Greedy algorithms [5,6], convex optimization algorithms [7,8], and iterative algorithms [9,10] have been used for recovering images in conventional CS. However, almost all these methods recover images by solving an optimization problem, which is time-consuming. In order to reduce the computational complexity in the reconstruction stage, convolutional neural networks (CNNs) are applied to replace the optimization process. CNN-based methods [11-15] use big data [16] to train the networks that speed up the reconstruction stage. Mousavi, Patel, and Baraniuk [11] firstly propose deep learning approach to solve the CS recovery problem. They use stacked denoising autoencoders (SDA) to recover signals from undersampled measurements. ReconNet [12] and Deep-Inverse [13] introduce CNNs to the reconstruction problem, where the random Gaussian measurement matrix is used to generate the measurements. Instead, the methods [14,15] using adaptive measurement learn a transformation from signals to the measurements. This mechanism allows measurements to retain more information from images. The methods mentioned above divide an image into blocks, which breaks the structure information of

the image. This will cause the block effect in the reconstructed image.

In this paper, we propose a fully convolutional measurement network for CS image reconstruction. Instead of block-wise methods, a convolutional layer is applied to obtain the measurement from a full image, which keeps the integrity of structure information of the original image. Furthermore, motivated by the residual learning proposed by ResNet [17], we apply residual connection block (Resblock) in the proposed network for improvement. Experimental results show that the proposed method outperforms the state-of-the-art method 1–2 dB in PSNR at different measurement rates.

The organization of this paper is as follows. The related works using deep learning methods for the CS reconstruction problem are introduced in Section 2. Section 3 presents the proposed fully convolutional measurement network. Section 4 shows experimental results of the proposed method and the previous works. The conclusion of this paper is drawn in Section 5.

2. Related work

Recently, deep learning methods have been applied in CS image reconstruction tasks and achieve promising results such as [11,12,14]. Among them, CNN-based methods present superior performance. ReconNet [12] is a representative work that applies CNNs in reconstructing low-resolution mixed image measured by random Gaussian matrix. The framework is shown in Fig. 1. The training of the network is driven by the error between the label

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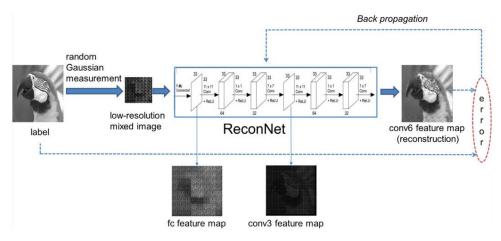


Fig. 1. Framework of random Gaussian based network.

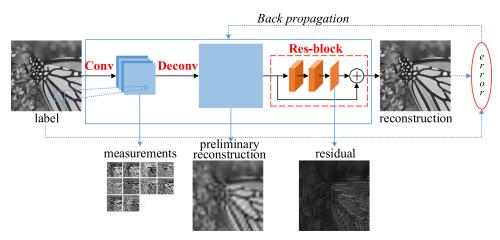


Fig. 2. Framework of the proposed network.

and the reconstructed image. And the loss function is given by

$$L(\{W\}) = \frac{1}{T} \sum_{i=1}^{T} \|f(y_i, \{W\}) - x_i\|^2,$$
 (1)

where $f(y_i, \{W\})$ is the i-th reconstructed image of ReconNet. x_i is the i-th original signal as well as the i-th label. $\{W\}$ means the training parameters in ReconNet. T is the total number of image blocks in the training dataset. The loss function is minimized by tuning $\{W\}$ using back propagation.

Based on the way the original image is measured, deep learning methods for CS reconstruction can be divided into two categories: fixed random Gaussian measurement and adaptive measurement. Fixed random Gaussian measurement Mousavi et al. [11] firstly use SDA to recover signals from undersampled measurements. ReconNet [12] and DeepInverse [13] utilizes CNNs to recover signals from Gaussian measurements. DR²-Net [18], inheriting ReconNet, adds residual connection blocks (Resblock) to its reconstruction stage and achieves better performance. Instead of learning to directly reconstruct the high-resolution image from the low-resolution one, DR²-Net learns the residual between the ground truth image and the preliminary reconstructed image. However, the measurements of these methods are randomly measured, which is not optimally designed for natural images.

Adaptive measurement In order to keep the information of the training data, the adaptive measurement is proposed. Methods in-

cluding improved ReconNet [19], Adp-Rec¹ [15], and DeepCodec [14] are all based on adaptive measurement. In cases of the improved ReconNet and Adp-Rec, a fully-connected layer is used to measure the signals, which allows for a jointly learning of the measurement and reconstruction stages. With the learned measurement matrix, a significant gain in terms of PSNR is achieved. DeepCodec, closely related to the DeepInverse, learns a transformation for dimensionality reduction. Learning measurements from the original signals helps to preserve more information compared with taking random measurements.

3. Fully convolutional measurement

The exsiting CNN-based CS methods always adopt block-wise pattern due to the limitation of GPU memory. The block effect comes accordingly. In order to overcome this shortcoming, we propose a fully convolutional measurement network in which a convolutional layer is used to get the adaptive measurements. It is different from our previous work using fully-connected layers [15]. Fig. 2 shows the proposed network which is composed of a convolutional layer, a deconvolutional layer [20], and a residual block. The first layer 'conv' is used to obtain measurements. The second layer 'deconv' is used to recover a low resolution image from the measurements. Furthermore, we apply a residual network (ResNet) to reconstruct the high resolution image. Because batch normaliza-

 $^{^{\}rm 1}$ Adp-Rec stands for adaptive measurement network for CS image reconstruction, proposed in our previous work.

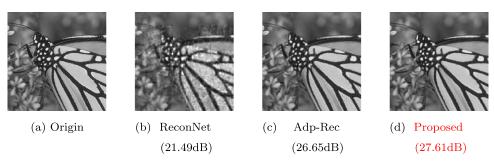
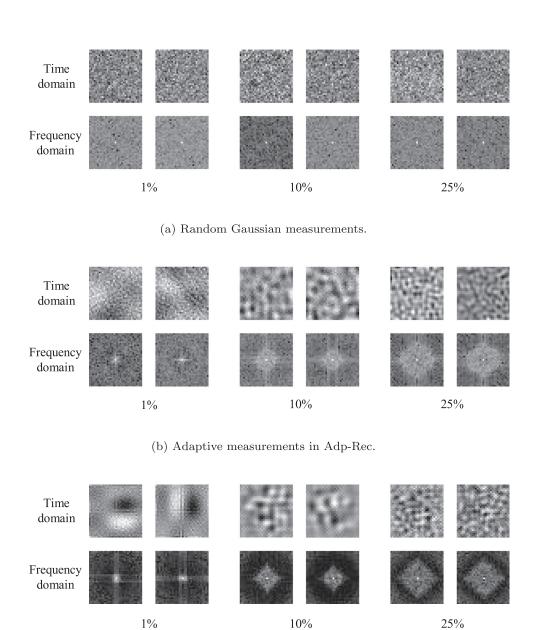


Fig. 3. The reconstruction results of monarch at measurement rate 10%.



(c) Proposed

Fig. 4. Reshaped row vectors of measurement matrix at measurement rates 1%, 10%, and 25% in both time and frequency domain.

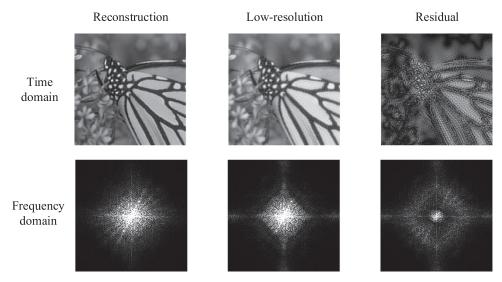


Fig. 5. Reconstruction image, low-resolution image and residual image at measurement rate 10% in both time and frequency domain.

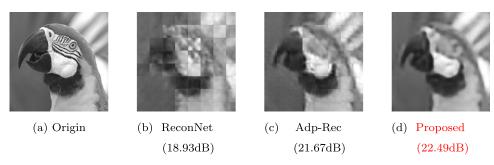


Fig. 6. The reconstruction results of parrots at measurement rate 1%.

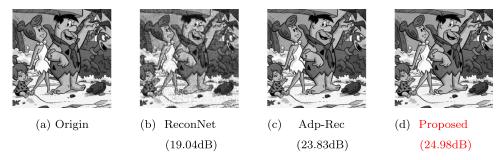


Fig. 7. The reconstruction results of flinstones at measurement rate 10%.

tion would get rid of range flexibility from networks [21], we remove the batch normalization layer in Resblock. Our framework is different from super-resolution (SR) [22–25], since SR just learns a transform form the low-resolution images to high-resolution images, while the proposed framework is jointly trained from the measurement to the recovery part. The loss function of the proposed network is given by

$$L(\{W\}) = \frac{1}{T} \sum_{i=1}^{T} \|f(x_i, \{W, K\}) - x_i\|^2,$$
 (2)

where K is the parameter of the convolutional measurement network, and W is the parameters of the reconstruction network. The Euclidian distance between the label and the reconstruction is back propagated to train the whole network.

The main advantage of the proposed network is the use of convolutional layer as the measurement matrix. By means of the over-

lapped convolutional kernels, this structure can remove block effect of the reconstructed images. In details, one feature map contains several measurements of each pixel, which is similar to the idea proposed by He *et al.* [26] that the feature map preserves the explicit per-pixel spatial correspondence. Another advantage is that the fully convolutional neural network can deal with images of any size, which breaks the limitation that fully-connected layer is only capable of measuring the fixed size of images. Once the network is trained, we can test images with different sizes without changing the structure of the network.

Fig. 3 shows an example of reconstruction results at three kinds of measurements. The original image and those by random Gaussian, Adp-Rec, and the proposed method are shown respectively in Fig. 3(a)–(d). The measurement rate is 10%. We can see that the proposed method performs better than the others.

The better performance can be proved through a visualization of the kernels in convolutional layer of the measurement network,







(b) ReconNet (23.48dB)



(c) Adp-Rec (27.11dB)



(d) Proposed (28.99dB)

Fig. 8. The reconstruction results of cameraman at measurement rate 25%.

Table 1The PSNR results at measurement rates (MR) 1%, 10%, and 25%, where Red is ranked the first and blue is ranked the second.

Parrots	MR	Samples	ReconNet	$\mathrm{DR^2} ext{-Net}$	Adp-Rec	Fully-Conv	Proposed
Barbara	1%	Monarch	$15.61 \mathrm{dB}$	15.33 dB	17.70dB	$17.98 \mathrm{dB}$	$18.46 \mathrm{dB}$
Boats		Parrots	18.93 dB	$18.01 \mathrm{dB}$	$21.67 \mathrm{dB}$	$21.80 \mathrm{dB}$	$22.49 \mathrm{dB}$
Cameraman		Barbara	19.08 dB	$18.65 \mathrm{dB}$	21.36 dB	$21.61 \mathrm{dB}$	22.06 dB
Fingerprint 15.01dB 14.73dB 16.22dB 16.24dB 16.33dB Flinstones 14.14dB 14.01dB 16.12dB 16.55dB 16.92dB Foreman 22.03dB 20.59dB 25.53dB 25.18dB 27.26dB House 20.30dB 19.61dB 22.93dB 22.93dB 23.67dB Lena 18.51dB 17.97dB 21.49dB 21.77dB 22.51dB Peppers 17.39dB 16.90dB 19.75dB 20.80dB 21.38dB Mean(all) 17.94dB 23.10dB 26.65dB 25.20dB 27.61dB Parrots 23.36dB 23.94dB 27.59dB 26.82dB 27.92dB Barbara 22.17dB 22.69dB 24.28dB 24.39dB 24.28dB Boats 24.56dB 25.58dB 28.80dB 28.52dB 29.48dB Cameraman 21.54dB 22.46dB 24.97dB 24.58dB 25.62dB Fingerprint 20.99dB 22.03dB 26.55dB 26.92dB 27.36dB Finstones 19.04dB 21.09dB 23.83dB 23.08dB 24.98dB Foreman 29.02dB 29.20dB 33.51dB 31.96dB 34.00dB House 26.74dB 27.53dB 31.43dB 30.81dB 32.36dB Lena 24.48dB 25.39dB 28.50dB 27.76dB 28.97dB Peppers 22.72dB 24.32dB 26.67dB 26.69dB 28.72dB Mean(all) 23.28dB 24.32dB 26.67dB 26.69dB 28.72dB Monarch 24.95dB 27.95dB 29.25dB 28.47dB 32.63dB Parrots 26.66dB 28.73dB 30.51dB 29.90dB 32.13dB Barbara 23.58dB 25.77dB 27.40dB 27.11dB 28.59dB Barbara 23.58dB 25.77dB 27.40dB 27.11dB 28.59dB Barbara 23.68dB 25.62dB 27.11dB 26.73dB 33.88dB Cameraman 23.48dB 25.62dB 27.11dB 26.73dB 33.88dB Fingerprint 26.15dB 27.65dB 32.31dB 30.92dB 32.91dB Finstones 22.74dB 26.19dB 27.94dB 27.02dB 30.26dB Foreman 32.08dB 33.53dB 36.18dB 35.08dB 33.00dB Foreman 32.08dB 33.53dB 36.18dB 35.08dB 33.00dB Foreman 32.08dB 33.53dB 36.18dB 35.08dB 33.00dB House 29.96dB 31.83dB 34.38dB 33.63dB 36.22dB Lena 27.47dB 29.42dB 31.63dB 30.65dB 30.00dB House 29.96dB 31.83dB 34.38dB 33.63dB 36.22dB Lena 27.47dB 29.42dB 31.63dB 30.65dB 30.00		Boats	$18.82 \mathrm{dB}$	$18.67 \mathrm{dB}$	21.09 dB	21.73 dB	22.3 dB
Flinstones		Cameraman	$17.51 \mathrm{dB}$	$17.08 \mathrm{dB}$	$19.74 \mathrm{dB}$	19.88 dB	20.63 dB
Finstones 14.14dB 14.01dB 16.12dB 16.55dB 16.92dB Foreman 22.03dB 20.59dB 25.53dB 25.18dB 27.26dB House 20.30dB 19.61dB 22.93dB 22.93dB 23.67dB Lena 18.51dB 17.97dB 21.49dB 21.77dB 22.51dB Peppers 17.39dB 16.90dB 19.75dB 20.80dB 21.38dB Mean(all) 17.94dB 17.44dB 20.33dB 20.59dB 21.27dB Monarch 21.49dB 23.10dB 26.65dB 25.20dB 27.61dB Parrots 23.36dB 23.94dB 27.59dB 26.82dB 27.92dB Barbara 22.17dB 22.69dB 24.28dB 24.39dB 24.28dB Boats 24.56dB 25.58dB 28.80dB 28.52dB 29.48dB Cameraman 21.54dB 22.46dB 24.97dB 24.58dB 25.62dB Fingerprint 20.99dB 22.03dB 26.55dB 26.92dB 27.36dB Finstones 19.04dB 21.09dB 23.83dB 23.08dB 24.98dB Foreman 29.02dB 29.20dB 33.51dB 31.96dB 34.00dB House 26.74dB 27.53dB 31.43dB 30.81dB 32.36dB Lena 24.48dB 25.39dB 28.50dB 27.76dB 28.97dB Peppers 22.72dB 24.32dB 26.67dB 26.69dB 28.72dB Mean(all) 23.28dB 24.32dB 27.53dB 29.90dB 32.13dB Barbara 23.58dB 27.95dB 29.25dB 28.47dB 32.63dB Barbara 23.58dB 25.77dB 27.40dB 27.11dB 28.59dB Boats 27.83dB 30.09dB 32.47dB 31.75dB 33.89dB Boats 27.83dB 30.09dB 32.47dB 31.75dB 33.89dB Fingerprint 26.15dB 27.65dB 27.11dB 26.73dB 28.99dB Fingerprint 26.15dB 27.65dB 32.31dB 30.92dB 32.91dB Foreman 32.08dB 33.53dB 36.18dB 35.08dB 38.10dB Foreman 32.08dB 33.53dB 36.18dB 35.08dB 38.10dB Foreman 32.08dB 33.53dB 36.18dB 35.08dB 38.10dB Foreman 32.08dB 33.53dB 36.18dB 35.08dB 33.00dB Foreman 32.08dB 33.53dB 36.18dB 35.08dB 33.00dB		Fingerprint	$15.01 \mathrm{dB}$	$14.73 \mathrm{dB}$	$16.22 \mathrm{dB}$	$16.24 \mathrm{dB}$	$16.33 \mathrm{dB}$
House		Flinstones	14.14 dB	$14.01 \mathrm{dB}$	$16.12 \mathrm{dB}$	$16.55 \mathrm{dB}$	$16.92 \mathrm{dB}$
Lena		Foreman	22.03 dB	20.59 dB	25.53 dB	25.18 dB	27.26 dB
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Mean(all) 17.94dB 17.44dB 20.33dB 20.59dB 21.27dB		Lena	$18.51 \mathrm{dB}$	$17.97 \mathrm{dB}$	$21.49 \mathrm{dB}$	$21.77 \mathrm{dB}$	22.51 dB
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Boats		Parrots	23.36 dB	23.94 dB	27.59 dB	26.82 dB	27.92 dB
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							$36.22 \mathrm{dB}$
							33.00 dB
* *							$32.90 \mathrm{dB}$
Mean(all) 26.42dB 28.66dB 30.80dB 30.09dB 32.69dB		Mean(all)	$26.42 \mathrm{dB}$	$28.66 \mathrm{dB}$	$30.80 \mathrm{dB}$	30.09dB	32.69dB

as shown in Fig. 4. Since the original signal in random Gaussian and adaptive measurements is a cloumn vector (Fig. 4(a) and (b)), we reshape the row vectors of measurement matrix to size 33×33 . Fig. 4(a) shows two reshaped row vectors of the random Gaussian measurement matrix at measurement rates 1% , 10%, and 25% in both time and frequency domain. The content of random Gaussian measurement matrix is obviously irregular. Fig. 4(b) shows two reshaped row vectors of adaptive measurement matrix in Adp-

Rec. When measurement rate is set to 1%, low frequency information is already extracted. As the measurement rate increases, much high frequency information is captured. Fig. 4(c) shows two kernels of the proposed measurement matrix. Compared with the adaptive measurements in Adp-Rec, the measurements by the proposed method provide more concentrated energy in the low frequency area at different measurement rates. As for the directional information, when measurement rate is 1%, two extracted typical

Table 2The SSIM and MOS results. Here measurement rates (MR) 1% is taken as an example. The highest is marked red, while the second is marked blue.

	Samples	Original	ReconNet	DR ² -Net	Adp-Rec	Proposed
	Monarch	4.9615	1.0000	1.1538	1.7307	2.4615
	Parrots	4.9615	1.0384	1.2307	2.1538	2.9230
	Barbara	4.9615	1.0769	1.0769	2.0000	2.6538
	Boats	4.9230	1.0769	1.0384	1.5000	2.3846
	Cameraman	5.0000	1.1538	1.1923	1.8461	2.7692
MOS	Fingerprint	4.8461	1.1538	1.0384	1.4230	1.6823
MOS	Flinstones	5.0000	1.1923	1.1538	2.0769	3.1538
	Foreman	4.9230	1.1538	1.1538	1.9230	2.7692
	House	4.9615	1.0000	1.1153	2.0769	2.7307
	Lena	5.0000	1.0384	1.0384	1.8076	2.8461
	Peppers	4.9615	1.0000	1.1153	1.8076	2.5769
	Mean(all)	4.9545	1.0734	1.1188	1.8496	2.6328
	Monarch	1.0000	0.3801	0.3931	0.4755	0.5058
	Parrots	1.0000	0.5328	0.5617	0.6739	0.7135
	Barbara	1.0000	0.3729	0.3847	0.4648	0.5007
	Boats	1.0000	0.4140	0.4319	0.4888	0.5405
	Cameraman	1.0000	0.4516	0.4783	0.5578	0.5867
SSIM	Fingerprint	1.0000	0.1548	0.1727	0.1628	0.1700
	Flinstones	1.0000	0.2502	0.2718	0.3230	0.3801
	Foreman	1.0000	0.5647	0.6051	0.6912	0.7396
	House	1.0000	0.5278	0.5526	0.6350	0.6624
	Lena	1.0000	0.4418	0.4552	0.5554	0.6081
	Peppers	1.0000	0.4002	0.4127	0.5053	0.5839
	Mean(all)	1.0000	0.4083	0.4291	0.5031	0.5447

directions 'horizontal' and 'vertical' can be easily observed in time domain.

Fig. 5 shows the reconstruction of image 'Monarch', its low-resolution, and the corresponding residual. From residual image in frequency domain, we can see that the high frequency component is mainly learned by the residual network. Rather than ReconNet which reconstructs the high resolution image from the low resolution one directly, ResNet just reconstruct the residual between the low resolution image and the high resolution image, that is the reconstruction image. Thus, all its energy is concentrated on the residual. That is why ResNet has better performance.

4. Experiments

In this section, we perform experiments on the reconstruction of compressive sensing images with existing typical methods. The results show the outstanding performance by the proposed method.

The experiments are conducted on caffe framework [27]. Our computer is equipped with Intel Core i7-6700 CPU with frequency of 3.4GHz, 4 NVidia GeForce GTX Titan XP GPUs, 128 GB RAM, and the framework runs on Ubuntu 16.04 operating system. The training dataset consists of 800 pieces of 256×256 size images downsampled and divided from 800 images in DIV2K dataset [28].

The performance of the proposed method is compared with those by ReconNet and Adp-Rec which are the typical CNN-based CS methods. We give the testing results using image 'parrots', 'flinstones', and 'cameraman' at measurement rates 1%, 10%, and 25%, as shown in Figs. 6, 7, and 8, respectively. The proposed method provides the best reconstruction results in terms of PSNR and the results are most visually attractive.

From the results shown in Fig. 6, with measurement rate being 1%, it can be seen that the block effect is removed (Fig 6(d) vs.

(b) and (c)). From Fig. 7, when the measurement rate is 10%, the proposed method shows the advantage in reconstructing the image, typically in those smooth areas such as nose, hands, and legs of the man. From Fig. 8, when measurement rate rises to 25%, the proposed method still outperforms other methods, which can be easily seen in the edge of the man's arm.

For an overall look on the performance, the reconstruction results of 11 test images at measurement rates 1%, 10%, and 25% with the methods including ReconNet, DR²-Net, Adp-Rec, Fully-Conv², and the proposed one are shown in Table 1. The mean PSNR is given in the type of blue background. It is obvious that the proposed method shows greatest performance in almost all test images.

From Table 1, it can be concluded that Adp-Rec beats DR²-Net and ReconNet about 3dB in all measurement rates because of its adaptive measurement. Based on the standard ReconNet [12], the improved ReconNet [19] adds several tricks such as adaptive measurement and adversarial loss. Its performance is even lower than Adp-Rec. Despite its promising results, Adp-Rec still divides image into blocks, ignoring the relevance between neighbouring blocks, which causes to the block effect in reconstructed images. For this reason, Fully-Conv uses a convolution layer as measurement matrix to deal with this problem. It achieves comparable results with Adp-Rec even though it contains no additional operation.

To further improve the reconstruction results, we put Resblock after Fully-Conv structure because of the brilliant performance of Resblock in reconstruction task. With this enhancement, the proposed method obtains the best performance in terms of PSNR at all measurement rates, as shown in Table 1.

² Fully-Conv consists of a convolutional layer and a deconvolutional layer without Resblock, which can be regarded as the tiny model of the proposed network.

We also measure the quality of images with Mean Opinion Score (MOS). The test results of different images are shown in Table 2. In this experiment, 26 volunteers take part in ranking the images. The quality of the images is divided into five levels, from 1 to 5, with the quality from low to high. All the test images are randomly ranked before being scored and they are displayed group by group. Each group has four reconstruction images, in different methods, and one original scene image. All participants take this test on the same computer screen, from the same angle and distance. Here the distance from the screen to the tested persons is 50 cm and the eyes of those persons are of the same height of the center of the screen. In addition, we also use structural similarity index (SSIM) to evaluate our method and existing block-wised methods as shown in Table 2. The case of MR = 1% is taken as an example.

In terms of hardware implementation, we follow the approach of the previous work proposed in [29] in which sliding window is used to measure the scene. Similarly, we can replace the random Gaussian measurement matrix with the learned pre-defined parameters in the conv layer of the measurement network. The reconstruction part is not on optical device, so only the measurement part needs to be implemented with the approach above.

5. Conclusion

This paper proposes a novel CNN-based deep neural network for high-quality compressive sensing image reconstruction. The network uses a fully convolutional architecture, which removes the block effect caused by block-wise methods. For a further improvement, we add Resblock after the deconvolutional layer, making the network learn the residual information between low and high resolution images. With this enhancement, the network shows best performance in reconstruction task compared with other methods. In future work, we are going to apply perceptual loss into the network for better reconstruction result. And semantics-oriented reconstruction will be also considered.

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