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for p in [True,False]:
          for q in [True,False]:
            for r in [True,False]:
              ans=compound_prop(p,q,r)
              print(p,q,r,ans)
        p q r ans
True True True
                         ans
        True True False False
        True False True True
        True False False False
        False True True True
        False True False False
        False False True True
        False False True
   [18] #Exp-2(2)
        from sympy.logic.boolalg import Implies,And
        def compound_prop(p,q,r):
         return Implies(And(Implies(p,q),Implies(q,r)),Implies(p,r))
        print("p q r
                                ans")
            for r in [True,False]:
              ans=compound_prop(p,q,r)
              print(p,q,r,ans)
        True True True True
        True True False True
        True False True True
        True False False True
        False True True True
        False False True True
        False False True
#Exp-3(1(i))
        from sympy import symbols, diff
        x,y=symbols('x y',real=True)
        f=x**5+3*(x**3)*(y**2)+3*x*y**4
        derivative_f=f.diff(x)
        derivative_f
        5x^4 + 9x^2y^2 + 3y^4
/ [22] #Exp-3(1(ii))
        from sympy import symbols,diff,sin
        x,y=symbols('x y',real=True)
        f=sin(x/(1+y))
        derivative_f=f.diff(x)
        derivative_f
        \cos\left(\frac{x}{y+1}\right)
/ (25] #Exp-3(2(i))
        from sympy import *
        import sympy as sm
        x,y=sm.symbols('x y',real=True)
        f1=derivative_f
        derivative f1=f1.diff(x)
        derivative_f1
        -rac{\sin\left(rac{x}{y+1}
ight)}{\left(y+1
ight)^2}
/ [26] #Exp-3(2(ii))
        from sympy import *
        import sympy as sm
        x,y=symbols('x y',real=True)
        f=sqrt(x**2+y**2)
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derivative_f=f.diff(x)
        derivative_f
_{0s}^{\checkmark} [27] from sympy import *
        import sympy as sm
        x,y=symbols('x y',real=True)
        f2=derivative_f
        derivative_f2=f2.diff(x)
        derivative_f2
         -rac{x^2}{(x^2+y^2)^{rac{3}{2}}}+rac{1}{\sqrt{x^2+y^2}}

✓ [28] #Exp-4(1)
        import numpy as np
        from numpy.linalg import eig
        a=np.array([[2,4],[1,-3]])
        w, v=eig(a)
        print(w)
        print(v)
        [ 2.70156212 -3.70156212]
        [[ 0.98496508 -0.57432028]
          [ 0.17275355  0.81863069]]

✓ [29] #Exp-4(2)
        import numpy as np
        from numpy.linalg import eig
        a=np.array([[8,-6,2],[-6,7,-4],[2,-4,3]])
        w,v=eig(a)
        print(w)
        print(v)
        [1.50000000e+01 3.00000000e+00 9.87364928e-17]
        [[-0.66666667 0.66666667 0.33333333]

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0s [30] #Exp-5(1(i))
        from sympy import Symbol, Function, Derivative, Eq, dsolve, solve
        x=Symbol("x")
        y=Function('y')(x)
        deq=Eq(Derivative(y,x,x)-5*Derivative(y,x,x)+7*Derivative(y,x)-3*y,0)
        s=dsolve(deq)
        y(x)=\overline{C_1e^{rac{3x}{4}}+C_2e^x}
' [32] #Exp-5(1(ii))
        from sympy import Symbol, Function, Derivative, Eq, dsolve, solve
        x=Symbol("x")
        y=Function('y')(x)
        deq=Eq(Derivative(y,x,x,x,x)-18*Derivative(y,x,x)+18*y,36*exp(x)+8*x)
        s=dsolve(dea)
        y(x) = C_1 e^{-\sqrt{3}x\sqrt{3-\sqrt{7}}} + C_2 e^{\sqrt{3}x\sqrt{3-\sqrt{7}}} + C_3 e^{-\sqrt{3}x\sqrt{\sqrt{7}+3}} + C_4 e^{\sqrt{3}x\sqrt{\sqrt{7}+3}} + \frac{4x}{9} + 36e^x
✓ [33] #Exp-5(2)
        from sympy import Symbol, Function, Derivative, Eq, dsolve, solve
        from sympy.plotting import plot
        x=Symbol("x")
        y=Function('y')(x)
        deq=Eq(Derivative(y,x,x)-Derivative(y,x),x**2-2*x-32)
        s=dsolve(deq)
        eqn1=s.rhs.subs(x,0)-1
        eqn2=s.rhs.diff(x).subs(x,0)-(-1)
        constants=solve([eqn1,eqn2])
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sol=s.subs(constants)
sol

$$y(x) = -rac{x^3}{3} + 32x - 33e^x + 34$$

✓ 0s completed at 12:01 PM