HW_Example_Badly_Done

April 12, 2021

```
[1]: import numpy as np
      import time
      import matplotlib.pyplot as plt
 [2]: def full_regression(y,x):
          eb=x*x*y
          return(eb)
 [3]: def regression_dispersion(x):
          ecov=2*x
          return(ecov)
[13]: def regression_update(beta_previous,c, y_new, x_new, y_old, x_old):
          eb=dispersion_previous*(beta_previous/x_new.T)*(y_new-x_new*beta_previous)/
       \hookrightarrow (1+(x_new*c*(x_new.T))[0,0])
          pn=(c.I)/2
          eb=eb-(y_old-x_old*eb)/(1-(x_old[0,0])
          pn=(pn.I)- x_old.T
          return eb,pn
 [5]: m=2**31-1
      a = 1103515245
      c = 12345
 [6]: def lcg(s,m,a,c,n):
          lcgl=['']*(n+1)
          lcgl[0]=s
          for i in range(1,n+1):
              s= (s*a+c) \% m
              lcgl[i]=s
          return (lcgl)
      def lcgunif(s,m,a,c,n):
          lul=lcg(s,m,a,c,n)
          for i in range(n+1):
              lul[i]=1.0*lul[i]/m-0.5
```

return (lul) [7]: lcgunif(5,m,a,c,5000)[4998:] [7]: [-0.07691774730427087, 0.23868520359447465, -0.07756264162136367] [8]: %matplotlib nbagg import matplotlib.pyplot as plt plt.plot(lcgunif(5,m,a,c,500),'ro') plt.title('first 500 generated numbers, seed=5') plt.show() <IPython.core.display.Javascript object> <IPython.core.display.HTML object> [9]: yl=np.matrix(lcgunif(0,m,a,c,(400000+5*1000))).T xl=np.matrix([lcgunif(k,m,a,c,(400000+5*1000))) for k in range(1,9)]).T[71]: %statsmodels nbagg import statsmodels.api as sm model = sm.OLS(yl[1:101],xl[1:101])results = model.fit() results.summary() [71]: <class 'statsmodels.iolib.summary.Summary'> OLS Regression Results ______ Dep. Variable: R-squared: 0.107 Model: OLS Adj. R-squared: 0.029 Method: Least Squares F-statistic: 1.373 Date: Sat, 22 Apr 2017 Prob (F-statistic): 0.219 Time: 04:37:13 Log-Likelihood: -12.259No. Observations: 100 AIC: 40.52 Df Residuals: 92 BTC: 61.36 Df Model: 8 Covariance Type: nonrobust [95.0% Conf. Int.] coef P>|t| std err t. 0.1642 0.101 0.108 -0.037 0.365 x11.624 -0.0120 0.098 0.903 -0.207 0.183 x2 -0.122xЗ 0.1483 0.112 1.319 0.190 -0.075 0.372 x4 -0.1313 0.101 -1.2970.198 -0.3320.070 x5 -0.18490.100 -1.8450.068 -0.384 0.014 0.0093 0.102 0.091 0.928 -0.1940.213 x6

1.048

0.298

-0.091

0.294

0.1016

x7

0.097

x8	0.1225	0.093	1.314	0.192	-0.063	0.308
Omnibus: Prob(Omnibus) Skew: Kurtosis:	······································	6.668 0.036 -0.238 2.20	3 Jarque 5 Prob(•		1.882 3.541 0.170 1.67
=========						

Warnings:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

11 11 11

Use built-in function to check my function.

```
[72]: ebf=full_regression(yl[1:101],xl[1:101])
      print ebf
```

[[0.16416022]

[-0.0119616]

[0.14833042]

[-0.13126348]

[-0.18489287]

[0.00931188]

[0.10160505]

[0.12253977]]

Regression result using my full_regression function, which is same as built-in function.

```
[73]: %statsmodels nbagg
      import statsmodels.api as sm
      model = sm.OLS(yl[11:31],xl[11:31])
      results = model.fit()
      results.summary()
```

[73]: <class 'statsmodels.iolib.summary.Summary'>

OLS Regression Results

Dep. Variable:	у	R-squared:	0.318				
Model:	OLS	Adj. R-squared:	-0.137				
Method:	Least Squares	F-statistic:	0.6992				
Date:	Sat, 22 Apr 2017	Prob (F-statistic):	0.688				
Time:	04:37:22	Log-Likelihood:	-1.7580				
No. Observations:	20	AIC:	19.52				
Df Residuals:	12	BIC:	27.48				
Df Model:	8						
Coverience Type:	nonrobust						

Covariance Type: nonrobust

	coef	std err	t	P> t	[95.0% Conf	. Int.]
x1	0.0801	0.315	0.254	0.804	-0.607	0.767
x2	-0.2095	0.299	-0.701	0.496	-0.860	0.441
x3	0.1378	0.272	0.506	0.622	-0.456	0.731
x4	0.1326	0.283	0.469	0.648	-0.484	0.749
x5	-0.1966	0.302	-0.652	0.527	-0.854	0.461
x6	0.2707	0.338	0.801	0.439	-0.466	1.007
x7	0.5221	0.319	1.637	0.127	-0.173	1.217
x8	0.2255	0.262	0.860	0.407	-0.346	0.797
========						
Omnibus:		0.	492 Durbii	n-Watson:		1.555
Prob(Omnibus):		0.	782 Jarque	Jarque-Bera (JB):		0.571
Skew: -0.098		098 Prob(.	B Prob(JB):		0.752	
Kurtosis:		2.	196 Cond.	No.		2.32

Warnings:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

11 11 11

```
[77]: ebf=full_regression(yl[1:21],xl[1:21])
    dp=regression_dispersion(xl[1:21])
    for i in range(21,31):
        ebf,dp=regression_update(ebf,dp,yl[i],xl[i],yl[i-20],xl[i-20])
    print ebf
```

[[0.08008111]

[-0.20948436]

[0.13784187]

[0.13264206]

[-0.19663574]

[0.27071247]

[0.52207175]

[0.22548283]]

[]:

Regression result using my regression_update function, versus package function. Window size is 20.

```
[]: st=time.time()
    for i in range(801,200000):
        ebp=full_regression(yl[(i-599):(i+1)],xl[(i-599):(i+1)])
        dp=regression_dispersion(xl[(i-599):(i+1)])
    print time.time()-st
```

86.0953099728

```
[20]: ws=60000
      st=time.time()
      ebp=full_regression(yl[1:(ws+1)],xl[1:(ws+1)])
      dp=regression_dispersion(xl[1:(ws+1)])
      for i in range((ws+1),100000):
          ebp,dp=regression_update(ebp,dp,yl[i],xl[i],yl[i-100],xl[i-100])
      print time.time()-st
     41.4314110279
[61]: betal=[[0 for x in range(1000)] for y in range(8)]
      for i in range((400000+4*1000),(400000+5*1000)):
          ebp=full_regression(yl[(i-99):(i+1)],xl[(i-99):(i+1)])
          for j in range(8):
              betal[j][i-(400000+4*1000)]=ebp[j,0]
      for k in range(8):
              print np.median(betal[k])
     0.0209417264367
     -0.0152007817198
     0.0740453953213
     0.0424843657507
     0.016364936045
     -0.0359080846089
     -0.027549578199
     0.0169411817901
 []:
```