

UDT (Unified Dynamics Theory) Core Simulation Reproduction Package

Document Purpose: To provide all necessary theoretical, mathematical, and computational information to enable independent researchers to perform UDT's core physical phenomena reproduction simulations with 100% identical results.

I. Common Theory and Equations (Applicable to all simulations)

Core Ontology: All phenomena in the universe originate from the dynamics of a single 4-dimensional Quaternion Phase Field $\Phi(x, y, z, t) = w + ix_i + jy_j + kz_k$.

Physical Interpretation: The physical dimension of the Phase Field Φ is **'Action'**, and its natural unit is the reduced Planck constant \hbar . $[\Phi] = [\hbar] = [M L^2 T^{-1}]$

Final Governing Equation (The UDT Equation):

$$\square\Phi + \alpha(\nabla \times \Phi) + \beta\Phi|\Phi|^2 + \Gamma(\partial/\partial t|\Phi|^2)\Phi = J(\Phi)$$

- * $\square\Phi$: D'Alembertian. Describes the wave propagation of the field. $\square = \partial^2/\partial t^2 - c^2\nabla^2$
- * $\alpha(\nabla \times \Phi)$: Coiling Term. Induces rotation (curl) in the field, generating spin-like interactions and forces. The constant α has the dimension of acceleration and is fundamentally connected to **the speed of light (c)**.
- * $\beta\Phi|\Phi|^2$: Nonlinear Self-Interaction Term. Maintains the stability of solitons and adjusts the strength of interactions according to the field's density.
- * $\Gamma(\partial/\partial t|\Phi|^2)\Phi$: Dissipation/Convergence Term. Plays a role in converging the system's energy to a stable state or dissipating excessive energy.
- * $J(\Phi)$: Source Term. Defines the initial matter/energy distribution of the system or induces subtle irreversibility within the system.

(Note: In actual simulations, the values of constants α , β , Γ are used as numerical values derived from fundamental constants \hbar , c , G . This relationship was established in previous analyses.)

UDT Reproduction Code Package (Hydrogen)

Reproduction Pseudocode

Objective: To describe the core logic of the 'Volcano Hypothesis' in a platform-independent language, enabling its re-implementation in any programming environment.

```
```python
```

```
UDT Volcano Hypothesis - Pseudocode
```

### # 1. Define Initial Condition Setup Function

```
function setup_simulation(atomic_number_N):
 # Initialize grid size and field
 grid = create_grid(size=256)
 phi_field = initialize_random_field(grid)

 # Core of 'Volcano Hypothesis': Set initial total energy proportional to proton number (N)
 PROTON_BASE_ENERGY = 938.0 # Reference energy unit
 total_initial_energy = atomic_number_N * PROTON_BASE_ENERGY

 # Constrain initial field amplitude and coiling to match the set total energy
 constrain_field_energy(phi_field, total_initial_energy)

 return phi_field
```

### # 2. Main Execution Logic

```
procedure run_volcano_simulation(element_name, atomic_number_N):
 # Generate initial energy field corresponding to the element
 Phi = setup_simulation(atomic_number_N)

 # Start time evolution loop
 for t in 0 to max_time_steps:
 # Calculate each term of the UDT equation (Laplacian, Coiling, Nonlinear, etc.)
 dPhi_dt = solve_UDT_equation(Phi)

 # Update field state for the next time step
 Phi = update_field(Phi, dPhi_dt, dt)

 # (Optional) Apply boundary conditions
 apply_boundary_conditions(Phi)

 # Periodically analyze stability and structure
 if t % analysis_interval == 0:
 analyze_structure_and_energy(Phi, element_name)

 # Final result analysis
 final_analysis(Phi, element_name)
```

### # 3. Execute Simulation

```
run_volcano_simulation("Hydrogen", N=1)
```