

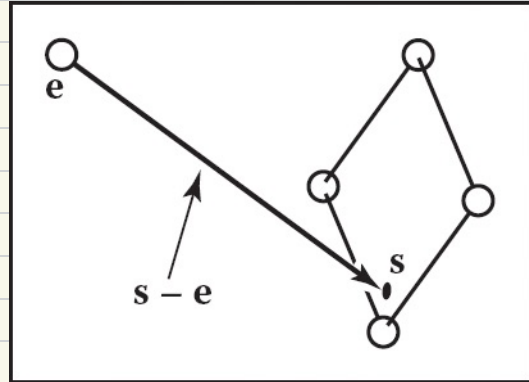
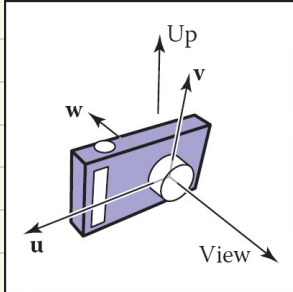
# Chapter 4 - Ray Tracing

## 3. Computing Viewing Rays

ray:  $p(t) = e + t(s-e)$

$e$  - ray origin

$s-e$  - ray direction



### 3.1. Orthographic Views

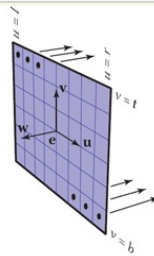
rays in the  $-w$  direction

$u, v$  - perpendicular to  $w$

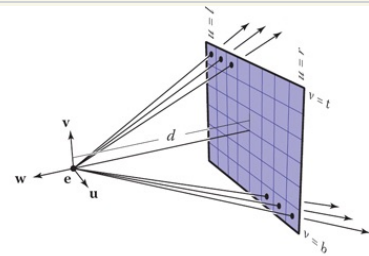
### 3.2. Perspective Views

rays - same origin

direction - similar to focal



Parallel projection  
same direction, different origins



Perspective projection  
same origin, different directions

## 4. Ray-Object Intersection

### 4.1. Ray-Sphere Intersection

ray -  $p(t) = e + td$

surface -  $f(p) = 0$

$f(p(t)) = f(e+td) = 0$

sphere:  $(x-x_c)^2 + (y-y_c)^2 + (z-z_c)^2 - R^2 = 0$  or  $(p-c)^2 - R^2 = 0$

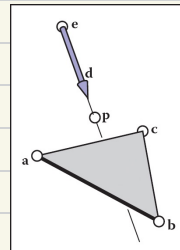
$(e+td-c)^2 - R^2 = 0$

$(d \cdot d)t^2 + 2d \cdot (e-c)t + (e-c) \cdot (e-c) - R^2 = 0$

### 4.2. Ray-Triangle Intersection

$e+td=f(u,v)$

$e+td = a + \beta(b-a) + \gamma(c-a)$



### 4.3. Ray-Polygon Intersection

polygon with  $m$  vertices  $p_1$ - $p_m$ , surface normal  $n$

$$(p - p_1) \cdot n = 0$$

$$t = (p_1 - e) \cdot n / d \cdot n$$

### 4.4. Intersecting a Group of Objects

intersect closest

# Chapter 13 - More Ray Tracing

## 4. Distribution Ray Tracing

### 4.1. Antialiasing

compute average colour for area of pixel rather than center point value

### 4.2. Soft Shadows

