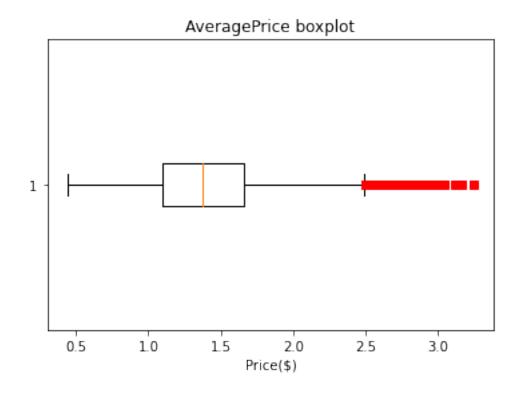
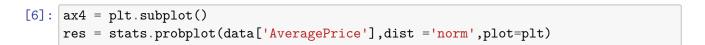
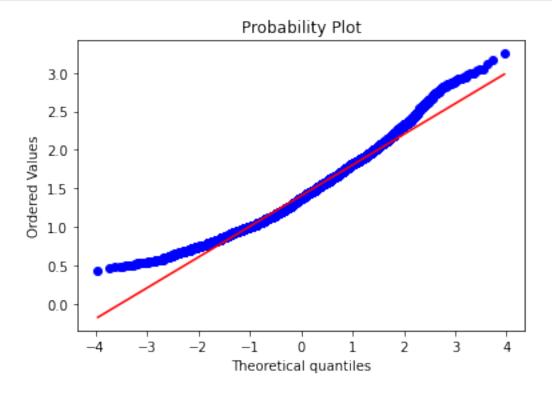
# Avocado Price Analysis

#### February 1, 2021

```
[1]: import pandas as pd
       import matplotlib.pyplot as plt
       import seaborn as sns
       import numpy as np
       from scipy import stats
 [2]: data = pd.read_csv('avocado.csv',delimiter = ',')
       data.drop(columns='Unnamed: 0',inplace=True)
 [4]: data.info()
      <class 'pandas.core.frame.DataFrame'>
      RangeIndex: 18249 entries, 0 to 18248
      Data columns (total 13 columns):
                         Non-Null Count Dtype
           Column
       0
           Date
                         18249 non-null object
       1
           AveragePrice 18249 non-null float64
           Total Volume 18249 non-null float64
       3
           4046
                         18249 non-null float64
       4
           4225
                         18249 non-null float64
       5
           4770
                         18249 non-null float64
       6
           Total Bags
                         18249 non-null float64
       7
           Small Bags
                         18249 non-null float64
                         18249 non-null float64
       8
           Large Bags
                         18249 non-null float64
           XLarge Bags
                         18249 non-null object
       10
           type
       11
           year
                         18249 non-null int64
                         18249 non-null object
       12 region
      dtypes: float64(9), int64(1), object(3)
      memory usage: 1.8+ MB
[120]: plt.boxplot(data['AveragePrice'], 0, 'rs', 0)
       plt.title('AveragePrice boxplot')
       plt.xlabel('Price($)')
       plt.plot()
[120]: []
```



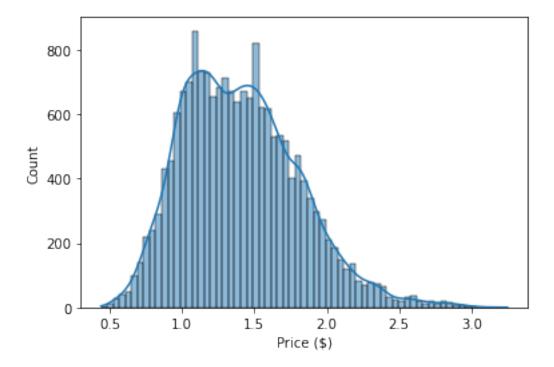




Not a great fit for a normal distribution.

```
[132]: sns.histplot(data['AveragePrice'],kde=True)
plt.xlabel('Price ($)')
plt.plot()
```

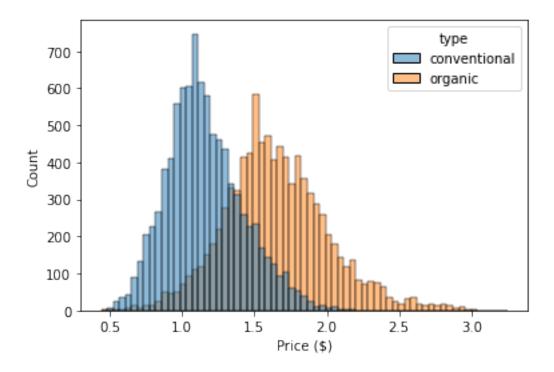
[132]: []



It appears to be a bimodal distribution, which is strange for a price of the same item you would expect it to be unimodal.

later in the analysis, I come to compare the variable 'type' which categorizes the avocados between organic and conventional. this explains the bimodal distribution, as the skews for organic and conv are different

```
[131]: sns.histplot(data,x='AveragePrice',hue='type')
plt.xlabel('Price ($)')
plt.show()
```



```
[126]: d_corr = data.corr()
    fig,ax = plt.subplots(figsize=(10,10))
    ax = sns.heatmap(d_corr,annot=True,linewidth=0.01,cbar=False,cmap='viridis')
    ax.set_title('Variable correlation Heatmap')
    plt.show()
```

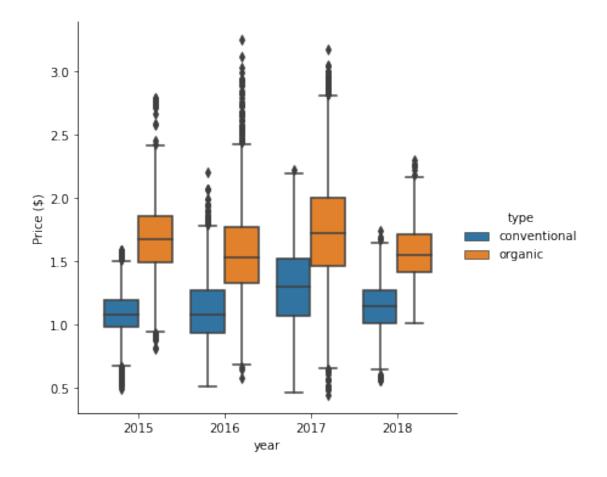
Variable correlation Heatmap -0.18 -0.18 -0.12 -0.19 -0.21 -0.17 -0.17 -0.17 AveragePrice -1 -0.19 1 0.98 0.97 0.87 0.96 0.97 0.88 0.75 Total Volume -0.21 0.98 0.93 0.92 0.93 0.0034 4046 0.83 0.84 0.7 0.97 0.93 0.91 0.69 -0.17 1 0.89 0.92 0.81 4225 4770 -0.18 0.87 0.83 0.89 1 0.79 0.8 0.7 0.68 -0.18 0.96 0.92 0.91 0.79 1 0.99 0.94 0.8 Total Bags -0.17 0.99 1 0.97 0.93 0.92 0.8 0.9 0.81 Small Bags -0.17 0.88 0.84 0.81 0.7 0.94 0.9 1 0.71 Large Bags -0.12 0.75 0.7 0.69 0.68 1 XLarge Bags 8.0 0.81 0.71 1 year : AveragePrice -4225 btal Bags Total Volume Small Bags Large Bags XLarge Bags year

# 0.1 Categorical

# 0.1.1 Type organic / conventional

```
[141]: sns.catplot(x ='year',y='AveragePrice', data=data,hue='type',kind='box')
plt.ylabel('Price ($)')
plt.plot()
```

[141]: []

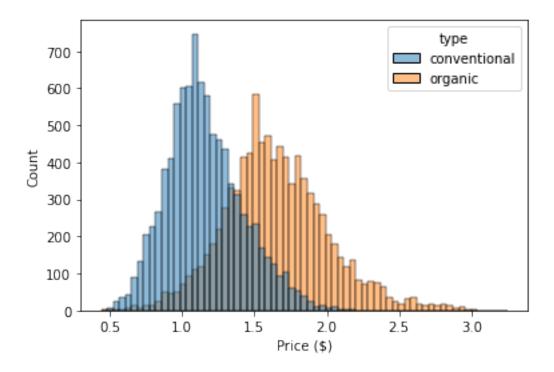


• Organic avocados tend to be more expensive that conventional avocados.

bernulli 1-organic, 0-conventional

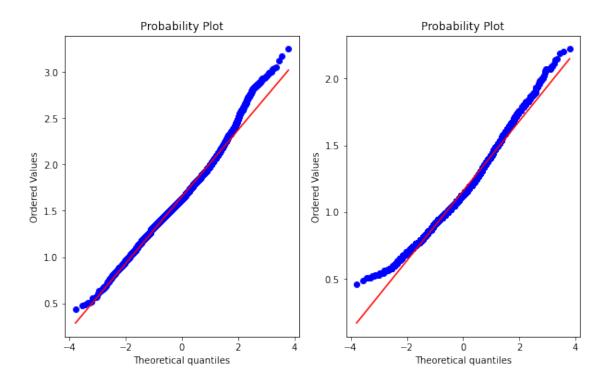
```
[143]: sns.histplot(data,x='AveragePrice',hue='type')
plt.xlabel('Price ($)')
plt.plot()
```

[143]: []



### distribution fit

[87]: []



the spread of values for organic is much larger. 4Q > 3.0 compared to 4Q < 3.0

mean difference 0.49 p

 $X_1 = \text{Organic Avocados, AveragePrice dist.}$ 

 $X_2 =$ Conventional Avocados, AveragePrice dist.

$$\bar{X}_1 - \bar{X}_2 = 0.49$$

 $\alpha = 0.01$ 

$$\sigma_{\bar{X_1} + \bar{X_2}}^2 \approx \frac{S_1}{n_1} + \frac{S_2}{n_2}$$

sampling std error approx 0.008243223411136655 0.47 to 0.51

Confident (That the true Mean difference in price between Organic avocados and conventional avocados is between 0.47p and 0.51p)  $\approx 99\%$ 

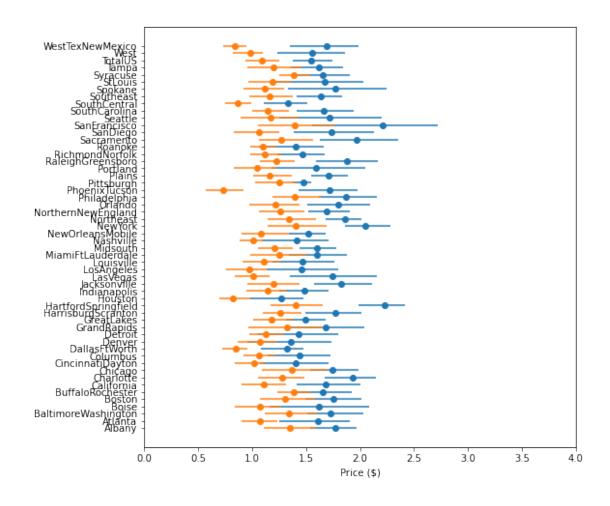
## 0.2 Region

Groupby region, with lambda agg to reduce oulier prices.

[351]:		mean		q15		q85	\
	type	conventional	organic	${\tt conventional}$	organic	conventional	
	region						
	Albany	1.348757	1.773314	1.110	1.54	1.588	
	Atlanta	1.068817	1.607101	0.902	1.25	1.230	
	BaltimoreWashington	1.344201	1.724260	1.120	1.51	1.600	
	Boise	1.076036	1.620237	0.836	1.16	1.268	
	Boston	1.304379	1.757396	1.070	1.49	1.580	

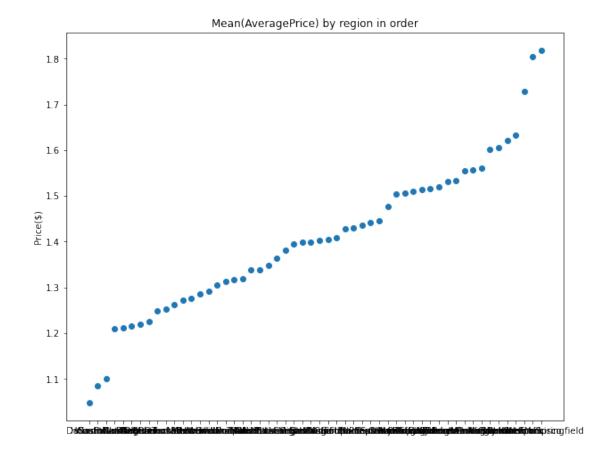
type	organic
region	
Albany	1.970
Atlanta	1.906
${\tt BaltimoreWashington}$	2.028
Boise	2.088
Boston	2.010

```
[352]: #reformating the quartile columns for the error bar plot
       err_pdata['q15'] = err_pdata['mean'] - err_pdata['q15']
       err_pdata['q85'] = err_pdata['q85'] - err_pdata['mean']
       err_pdata.head()
[352]:
                                   mean
                                                           q15
                                          organic conventional
      type
                           conventional
                                                                 organic
       region
       Albany
                               1.348757 1.773314
                                                      0.238757 0.233314
       Atlanta
                               1.068817 1.607101
                                                      0.166817 0.357101
                                                      0.224201 0.214260
       BaltimoreWashington
                               1.344201 1.724260
       Boise
                               1.076036 1.620237
                                                      0.240036 0.460237
       Boston
                               1.304379 1.757396
                                                      0.234379 0.267396
                                    q85
       type
                           conventional
                                          organic
       region
      Albany
                               0.239243 0.196686
      Atlanta
                               0.161183 0.298899
      BaltimoreWashington
                               0.255799 0.303740
      Boise
                               0.191964 0.467763
      Boston
                               0.275621 0.252604
[279]: fig,ax = plt.subplots(figsize=(8,8))
       ax.errorbar(y = test.
       →index,x=test['mean']['organic'],xerr=[err_pdata['q15']['organic'],err_pdata['q85']['organic
       →='0')
       ax.errorbar(y = test.
       →index,x=test['mean']['conventional'],xerr=[err_pdata['q15']['conventional'],err_pdata['q85']
       = ' o ' )
       ax.set_xticks([0,0.5,1,1.5,2,2.5,3,3.5,4])
       ax.set_xlabel('Price ($)')
       plt.show()
```



```
[355]: price_by_region = data.groupby('region')['AveragePrice'].agg(['mean'])
    price_by_region = price_by_region.sort_values('mean')
    price_by_region = price_by_region.reset_index()
    fig,ax = plt.subplots(figsize = (10,8))
    ax.scatter(x=price_by_region['region'],y=price_by_region['mean'])
    ax.set_title('Mean(AveragePrice) by region in order')
    ax.set_ylabel('Price($)')
    plt.plot()
```

[355]: []



[]: