# diamond-prediction

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### 0.1 # Diamonds Price Prediction

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#### 0.2 Problem Statement

Pricing diamonds is notoriously difficult, especially for brokers. A diamond can be the same size and same weight but priced thousands of dollars differently. This poses significant challenges to setting the fair market price of diamonds.

#### 0.2.1 Problems

The problems faced during this analysis include:

- 1. Determining the relationship to the 4 C's and pricing, or any identifiable patterns?
- 2. How are the 4 C's distributed across the data?
- 3. How to address the cut, color, and clarity categorical variables?
- 4. How accurate can the price of diamonds be predicted?

### 0.3 Value Proposition

Give diamonds broker insights into how diamonds are priced. The objective is to provide a tool such as a dashboard that will give greater understanding to how diamonds are priced.

### 0.3.1 Solutions

- 1. There is no clear indication of a pattern with the average price of diamonds, only observing that best color with the best clarity diamonds are priced significantly higher.
- 2. There is minimal regularities across the features, and as a whole not normal distributions across the data.
- 3. Addressed the cut, color, and clarity categorical variables with ordinal encoding, from best to worst across the variables.
- 4. Based on the best performing model, price can be predicted quite accurately with a 99% predicted performance.

```
[32]: import pandas as pd
import matplotlib.pyplot as plt
import numpy as np
import seaborn as sns
```

```
sns.set()
[33]: diamonds = "https://raw.githubusercontent.com/kyle-w-brown/diamonds-prediction/
       →main/data/diamonds.csv"
      df_diamonds = pd.read_csv(diamonds)
      df_diamonds.head()
[33]:
         carat
                    cut color clarity
                                       depth
                                               table
                                                      price
                                                                             z
                                                                Х
                                                                      У
          0.23
                  Ideal
                            Ε
                                  SI2
                                         61.5
                                                55.0
                                                        326
                                                             3.95
                                                                   3.98
                                                                          2.43
          0.21
                            Ε
                                         59.8
                                                61.0
      1
                Premium
                                  SI1
                                                        326
                                                             3.89
                                                                   3.84
                                                                          2.31
      2
          0.23
                   Good
                            Ε
                                  VS1
                                         56.9
                                                65.0
                                                        327
                                                             4.05
                                                                   4.07
                                                                          2.31
          0.29
                            Ι
                                         62.4
                                                58.0
                                                        334
                                                             4.20 4.23
      3
                Premium
                                  VS2
                                                                         2.63
                            J
                                                        335 4.34 4.35 2.75
          0.31
                   Good
                                  SI2
                                         63.3
                                                58.0
 []: df_diamonds.shape
 []: (53940, 10)
 []: df_diamonds.info()
     <class 'pandas.core.frame.DataFrame'>
     RangeIndex: 53940 entries, 0 to 53939
     Data columns (total 10 columns):
          Column
                   Non-Null Count Dtype
      0
          carat
                   53940 non-null
                                    float64
      1
          cut
                   53940 non-null
                                    object
      2
                   53940 non-null
          color
                                    object
      3
          clarity
                   53940 non-null
                                    object
      4
          depth
                   53940 non-null
                                    float64
      5
          table
                   53940 non-null
                                    float64
      6
          price
                   53940 non-null
                                    int64
      7
          х
                   53940 non-null float64
      8
                   53940 non-null
                                    float64
          У
                   53940 non-null float64
     dtypes: float64(6), int64(1), object(3)
     memory usage: 4.1+ MB
     Create volume feature by multiplying x, y, and z.
[34]: df_diamonds['volume'] = round(df_diamonds['x'] * df_diamonds['y'] *__

df_diamonds['z'], 2)

      df_diamonds.head()
[34]:
                                        depth table price
         carat
                    cut color clarity
                                                                                volume
                                                                Х
                                                                             Z
                                                                      У
                                                                                 38.20
          0.23
                  Ideal
                            Ε
                                  SI2
                                         61.5
                                                55.0
                                                        326
                                                             3.95
                                                                   3.98
                                                                          2.43
          0.21
                Premium
                            Ε
                                  SI1
                                         59.8
                                                61.0
                                                        326
                                                             3.89
                                                                   3.84
                                                                          2.31
                                                                                 34.51
      1
          0.23
                   Good
                            Ε
                                  VS1
                                         56.9
                                                65.0
                                                        327
                                                             4.05
                                                                   4.07
                                                                         2.31
                                                                                 38.08
```

```
0.29 Premium
                      Ι
                            VS2
                                  62.4
                                         58.0
                                                 334 4.20 4.23 2.63
                                                                          46.72
3
4
    0.31
             {\tt Good}
                      J
                            SI2
                                  63.3
                                         58.0
                                                 335 4.34 4.35 2.75
                                                                          51.92
```

# 1 Data Cleansing

```
[35]: df_diamonds[['x','y','z','volume']] = df_diamonds[['x','y','z','volume']].
       →replace(0, np.NaN)
      df_diamonds.isnull().sum()
[35]: carat
                  0
      cut
                  0
      color
                  0
      clarity
                  0
      depth
                  0
      table
                  0
      price
                  0
      X
                  7
      у
                 20
      volume
                 20
      dtype: int64
     Removing missing data
[36]: df_diamonds.dropna(inplace=True)
      df_diamonds.isnull().sum()
[36]: carat
                 0
      cut
                 0
      color
                 0
      clarity
      depth
                 0
      table
                 0
      price
                 0
                 0
      x
                 0
      У
      z
      volume
      dtype: int64
```

### 1.0.1 Outliers

Removing the outliers

[37]: (53902, 11)

## 2 Exploration

```
[57]:
      df_diamonds.describe()
[57]:
                                    depth
                     carat
                                                   table
                                                                  price
                                                                                     х
                                                                                        \
                            53902.000000
             53902.000000
                                            53902.000000
                                                          53902.000000
                                                                          53902.000000
      count
      mean
                  0.797555
                                61.749434
                                               57.455694
                                                            3930.426793
                                                                              5.731398
      std
                  0.473433
                                 1.419670
                                                2.221249
                                                            3986.883678
                                                                              1.119202
                  0.200000
                                50.800000
                                               49.000000
                                                             326.000000
                                                                              3.730000
      min
      25%
                                               56.000000
                  0.400000
                                61.000000
                                                             949.000000
                                                                              4.710000
      50%
                  0.700000
                                61.800000
                                               57.000000
                                                            2401.000000
                                                                              5.700000
      75%
                  1.040000
                                62.500000
                                               59.000000
                                                            5322.000000
                                                                              6.540000
                                               73.000000
                                                           18823.000000
      max
                  4.500000
                                73.600000
                                                                             10.230000
                                                  volume
             53902.000000
                            53902.000000
                                           53902.000000
      count
                  5.733239
                                 3.539387
                                              129.790389
      mean
      std
                  1.111083
                                 0.691292
                                               76.399565
      min
                  3.680000
                                 2.060000
                                               31.710000
      25%
                  4.720000
                                 2.910000
                                               65.190000
      50%
                  5.710000
                                 3.530000
                                              114.840000
      75%
                  6.540000
                                 4.040000
                                              170.840000
                 10.160000
                                 6.720000
                                              698.460000
      max
```

Exploring the categorical variables.

```
[7]: df_diamonds['cut'].unique()
[7]: array(['Ideal', 'Premium', 'Good', 'Very Good', 'Fair'], dtype=object)
[8]: df_diamonds['clarity'].unique()
```

```
[8]: array(['SI2', 'SI1', 'VS1', 'VS2', 'VVS2', 'VVS1', 'I1', 'IF'],
             dtype=object)
  [9]: df_diamonds['color'].unique()
  [9]: array(['E', 'I', 'J', 'H', 'F', 'G', 'D'], dtype=object)
  []: df_diamonds.describe(include=object)
  []:
                 cut color clarity
       count
               53902
                      53902
                               53902
                   5
                           7
       unique
                                   8
       top
               Ideal
                           G
                                 SI1
       freq
               21542 11281
                               13058
      Counting the values per unique feature.
  []: df_diamonds['cut'].value_counts()
  []: Ideal
                    21542
       Premium
                     13779
       Very Good
                    12079
                     4902
       Good
       Fair
                      1600
       Name: cut, dtype: int64
  []: df_diamonds['color'].value_counts()
  []: G
            11281
       Ε
             9791
       F
             9535
       Η
             8296
       D
             6774
             5419
       Ι
       J
             2806
       Name: color, dtype: int64
[107]: df_diamonds['clarity'].value_counts()
[107]: SI1
               13058
       VS2
               12250
       SI2
                9183
       VS1
                8165
       VVS2
                5066
       VVS1
                3654
       ΙF
                1790
                 736
       Ι1
```

```
Name: clarity, dtype: int64
```

2.0.1 Reordering cut, color, and clarity categorical variables from best to worst

```
[10]: df_diamonds['cut'] = pd.Categorical(df_diamonds['cut'], ["Ideal", "Premium", |

¬"Very Good", "Good", "Fair"])
      df diamonds = df diamonds.sort values('cut')
[11]: df_diamonds['color'] = pd.Categorical(df_diamonds['color'], ["D", "E", "F", "
      df_diamonds = df_diamonds.sort_values('color')
[12]: df_diamonds['clarity'] = pd.Categorical(df_diamonds['clarity'], ["IF", "VVS1", ___
       →"VVS2", "VS1", "VS2", "SI1", "SI2", "I1"])
      df_diamonds = df_diamonds.sort_values('clarity')
     Looking at the average price for cut, color, and clarity.
[13]: round(df_diamonds.groupby('cut')['price'].mean().reset_index(), 2)
[13]:
               cut
                      price
      0
             Ideal 3456.21
           Premium 4579.13
      1
      2
       Very Good 3982.12
      3
              Good 3926.40
      4
              Fair 4350.67
     The best cut diamonds have the lowest average price.
[14]: round(df_diamonds.groupby('color', as_index=False)['price'].mean(), 2)
[14]:
        color
                 price
      0
            D 3168.11
      1
            E 3077.52
            F 3723.99
      2
      3
            G 3997.05
      4
           H 4479.38
      5
            I 5089.27
      6
            J 5319.49
     The worst color diamonds have the highest average price.
[15]: round(df_diamonds.groupby('clarity', as_index=False)['price'].mean(), 2)
[15]:
       clarity
                   price
      0
             ΙF
                 2864.84
      1
           VVS1 2519.51
```

```
2 VVS2 3283.74
3 VS1 3839.14
4 VS2 3923.01
5 SI1 3993.02
6 SI2 5059.96
7 I1 3910.66
```

Comparing variables to price with pivot tables.

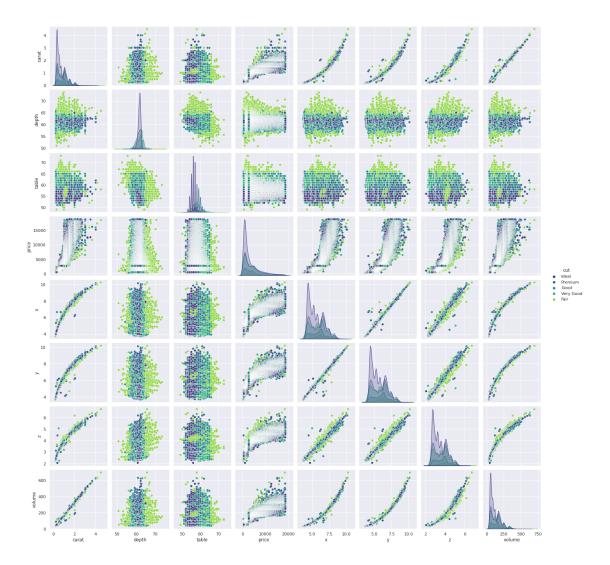
```
[16]: df_diamonds.pivot_table('price', index='cut', columns='clarity')
[16]: clarity
                          IF
                                     VVS1
                                                   VVS2
                                                                 VS1
                                                                              VS2 \
      cut
      Ideal
                                           3250.290100
                                                         3487.972393
                                                                      3281.928374
                 2272.913366
                              2468.129458
      Premium
                 3856.143478
                              2810.304065
                                           3795.122989
                                                         4485.462041
                                                                      4546.261919
      Very Good
                 4396.216418
                                           3037.765182
                                                         3808.267343
                                                                      4215.403089
                              2459.441065
      Good
                 4098.323944
                              2254.774194
                                           3079.108392
                                                         3801.445988
                                                                      4262.236196
      Fair
                 1912.333333
                              3871.352941
                                           3349.768116
                                                         4152.029586
                                                                      4187.647287
                                      SI2
                                                     Ι1
      clarity
                         SI1
      cut
      Ideal
                 3750.394860
                              4755.876396
                                           4335.726027
      Premium
                 4448.621886
                              5539.047910
                                           3958.881773
      Very Good
                 3932.391049
                              4988.688095
                                           4078.226190
      Good
                 3689.533333
                              4571.627087
                                           3584.694737
      Fair
                 4191.592593
                              5180.094624
                                           3646.451923
[17]: df_diamonds.pivot_table('price', index='cut', columns='color')
[17]: color
                           D
                                        Ε
                                                      F
                                                                   G
                                                                                H \
      cut
      Ideal
                 2629.094566
                              2597.684008
                                           3373.863755
                                                         3718.469070
                                                                      3887.452152
      Premium
                 3623.767790
                              3538.914420
                                           4325.099571
                                                         4502.207806
                                                                      5195.375531
      Very Good
                 3470.467284
                              3216.314012
                                           3778.820240
                                                         3872.753806
                                                                      4535.059243
      Good
                 3405.382175
                              3423.644159
                                           3498.761852
                                                         4105.907940
                                                                      4276.254986
      Fair
                 4291.061350
                              3703.248869
                                           3801.087097
                                                         4241.022581
                                                                      5135.683168
      color
                           Ι
                                        J
      cut
      Ideal
                 4449.548541
                              4918.343017
      Premium
                 5939.557814
                              6294.591584
      Very Good
                 5255.879568
                              5103.513274
      Good
                 5078.532567
                              4574.172638
      Fair
                 4685.445714
                              4865.127119
[18]: df_diamonds.pivot_table('price', index='color', columns='clarity')
```

[18]:	clarity	IF	VVS1	VVS2	VS1	VS2	\
	color						
	D	8307.369863	2897.163347	3351.128391	3030.158865	2587.225692	
	E	3668.506329	2219.820122	2499.674067	2859.463224	2751.081037	
	F	2750.836364	2804.276567	3475.512821	3796.717742	3756.795093	
	G	2558.033774	2866.820821	3845.283437	4130.314392	4412.354096	
	H	2287.869565	1845.658120	2649.067434	3775.576199	4713.943327	
	I	1994.937063	2034.861972	2968.232877	4632.805411	5690.505560	
	J	3363.882353	4034.175676	5142.396947	4884.461255	5311.789041	
	clarity	SI1	SI2	I1			
	color						
	D	2976.146423	3931.101460	3863.023810			
	E	3161.838005	4173.826036	3510.465347			
	F	3708.651480	4476.996259	3342.181818			
	G	3775.574468	5014.848544	3545.540541			
	H	5027.035620	6084.141667	4461.403727			
	I	5345.414909	7002.649123	4302.184783			
	J	5186.048000	6520.958246	4993.571429			

The best color and best clarity diamonds have an average price that is significantly higher than the rest of the variables.

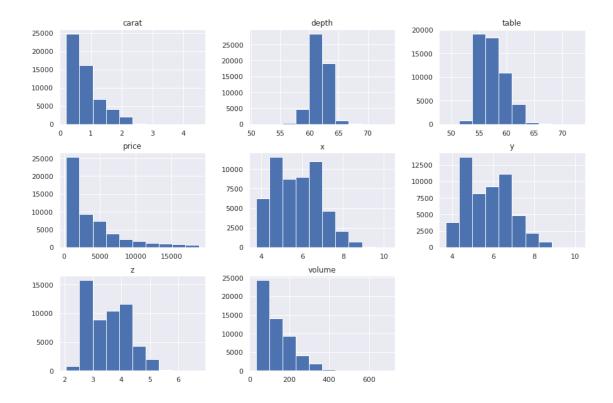
## 3 Visualization

## 3.1 Pairplot



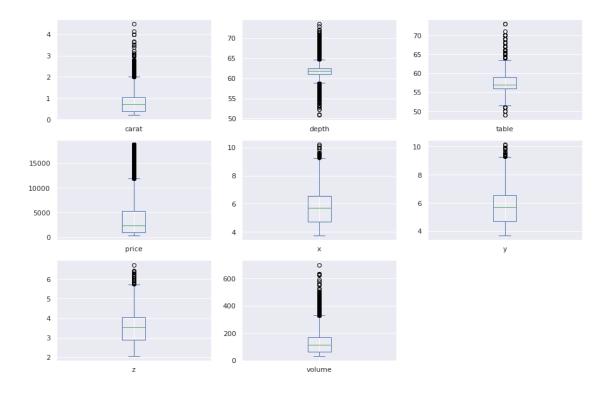
# 3.2 Historgram

```
[59]: df_diamonds.hist(layout=(3,3), figsize=(15,10)) plt.show()
```

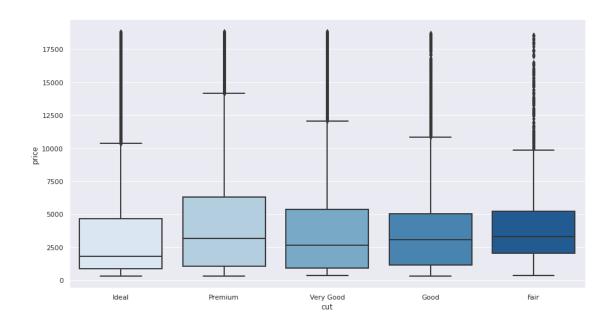


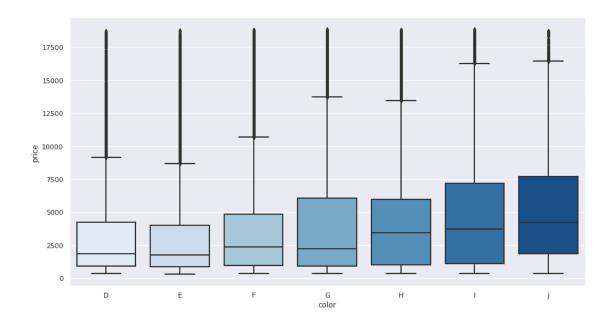
## 3.3 Boxplots

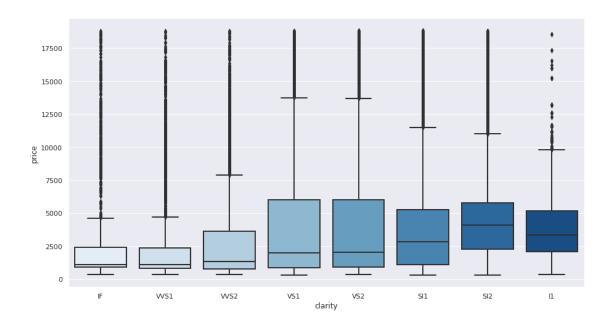
```
[60]: df_diamonds.plot(kind='box',figsize=(15,10),subplots=True,layout=(3,3)) plt.show()
```



## 3.3.1 Boxplot of Cut, Color, Clarity







### 3.3.2 Ordinal Encoding

Creating a rank system for cut, color, and clarity.

```
[41]: # Color rank
color_two = pd.DataFrame(df_diamonds['color'])
df_diamonds['color_rk'] = color_two.replace({'color':{'D' : 1, 'E' : 2, 'F' : 3, \( \ \ \ 'G' : 4, 'H' : 5, 'I' : 6, 'J' : 7}})
```

```
[42]: # Clarity rank
clarity_two = pd.DataFrame(df_diamonds['clarity'])
df_diamonds['clarity_rk'] = clarity_two.replace({'clarity':{'IF' : 1, 'VVS1' : \_ \to 2, 'VVS2' : 3, 'VS1' : 4, 'VS2' : 5, 'SI1' : 6, 'SI2' : 7, 'I1' : 8}})
```

## 3.4 Correlation Heatmap

```
[22]: import plotly.express as px
import plotly.graph_objects as go
import numpy as np

df_corr = df_diamonds.corr()
```

```
[10]: df_diamonds.to_csv('diamonds_new.csv', index=False)
```

### 4 Models

```
[38]: import warnings from sklearn.exceptions import ConvergenceWarning warnings.simplefilter("ignore", ConvergenceWarning)
```

Slicing the data on for numeric columns and removing highly correlated x, y, and z.

```
[43]: df = df_diamonds.drop(df_diamonds.columns[[1, 2, 3, 7, 8, 9]], axis=1) df.head()
```

```
[43]:
                depth table price volume cut_rk color_rk clarity_rk
         carat
      0
          0.23
                 61.5
                        55.0
                                326
                                      38.20
                                                            2
                                                                         7
                                                  1
                                                  2
                                                            2
         0.21
                59.8
                        61.0
                                326
                                      34.51
                                                                         6
      1
      2
         0.23
                56.9
                        65.0
                                327
                                      38.08
                                                  4
                                                            2
                                                                         4
          0.29
      3
                 62.4
                        58.0
                                334
                                      46.72
                                                  2
                                                            6
                                                                         5
          0.31
                 63.3
                        58.0
                                335
                                      51.92
```

Scaling the features

```
[44]: carat depth table price volume cut_rk color_rk \
0 -1.198817 -0.175700 -1.105557 -0.904080 -1.198845 -0.981476 -0.936934
1 -1.241062 -1.373172 1.595652 -0.904080 -1.247144 -0.085459 -0.936934
```

```
2 -1.198817 -3.415919 3.396457 -0.903829 -1.200416 1.706574 -0.936934
3 -1.072082 0.458256 0.245047 -0.902073 -1.087325 -0.085459 1.414295
4 -1.029837 1.092211 0.245047 -0.901822 -1.019261 1.706574 2.002102

clarity_rk
0 1.245681
1 0.638536
2 -0.575752
3 0.031392
4 1.245681
```

## 4.1 Linear Regression

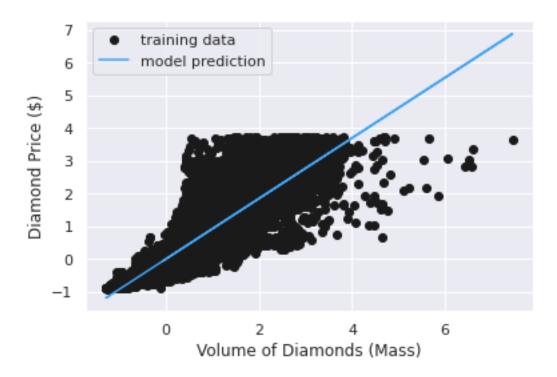
```
[45]: from sklearn.linear_model import LinearRegression

X = df_diamonds_scaled[['volume']]
y = df_diamonds_scaled['price']

lr = LinearRegression()
lr.fit(X, y)

y_pred = lr.predict(X)

plt.plot(X, y, 'o', color = 'k', label='training data')
plt.plot(X, y_pred, color='#42a5f5ff', label='model prediction')
plt.xlabel('Volume of Diamonds (Mass)')
plt.ylabel('Diamond Price ($)')
plt.legend();
```



```
print("Mean absolute error (MAE):", metrics.mean_absolute_error(y, y_pred))
print("Mean squared error (MSE):", metrics.mean_squared_error(y, y_pred))
print("Root Mean squared error (RMSE):", np.sqrt(metrics.mean_squared_error(y, u_y_pred)))
print("R^2:", metrics.r2_score(y, y_pred))
```

Mean absolute error (MAE): 0.2505992415063422 Mean squared error (MSE): 0.1465545262843114 Root Mean squared error (RMSE): 0.3828244065943437 R^2: 0.8534454737156886

### 4.2 Multiple Linear Regression

```
[30]: print(('prediction = ' +
              '{} +\n'.format(lr_many_features.intercept_) +
              ' +\n'.join(['{} * {}'.format(n, f) for f, n in zip(features,_
        →lr_many_features.coef_)])))
      prediction = 2.589476119376005e-16 +
      0.11935791009746609 * carat +
      0.0036623212292045126 * depth +
      -0.0006422984576668067 * table +
      0.9229942229753453 * volume +
      -0.031521976753149175 * cut rk +
      -0.13591598330479643 * color_rk +
      -0.21507245231196492 * clarity rk
[52]: print('Multiple features linear model R^2 on training data set: {}'.
        →format(lr_many_features.score(X, y)))
      Multiple features linear model R^2 on training data set: 0.9059466891034228
      4.3 Random Forest
[165]: from sklearn.model_selection import train_test_split
       X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.
        \rightarrow2, random_state=321)
[166]: from sklearn.ensemble import RandomForestRegressor
       forest = RandomForestRegressor()
       model = forest.fit(X_train,y_train)
       y_pred = model.predict(X_test)
[167]: from sklearn.metrics import mean_squared_error
       print("RMSE: {}".format(np.sqrt(mean_squared_error((y_test),(y_pred)))))
       print("R2 : {}".format(np.sqrt(metrics.r2_score((y_test),(y_pred)))))
      RMSE: 0.13191401153332313
      R2 : 0.9912175810216939
[168]: n_{estimators} = [int(x) for x in np.linspace(10,200,10)]
       max_depth = [int(x) for x in np.linspace(10,100,10)]
       min_samples_split = [2,3,4,5,10]
       min_samples_leaf = [1,2,4,10,15,20]
       random_grid = {'n_estimators':n_estimators, 'max_depth':max_depth,
                      'min_samples_split':min_samples_split, 'min_samples_leaf':
        →min_samples_leaf}
```

```
random_grid
[168]: {'max_depth': [10, 20, 30, 40, 50, 60, 70, 80, 90, 100],
        'min_samples_leaf': [1, 2, 4, 10, 15, 20],
        'min_samples_split': [2, 3, 4, 5, 10],
        'n_estimators': [10, 31, 52, 73, 94, 115, 136, 157, 178, 200]}
[169]: from sklearn.model_selection import RandomizedSearchCV
      rf = RandomForestRegressor()
      rf_random = RandomizedSearchCV(estimator=rf,
                                     param_distributions=random_grid,
                                      cv = 3
      rf_random.fit(X_train,y_train)
      y_pred = rf_random.predict(X_test)
      print("RMSE: {}".format(np.sqrt(mean_squared_error((y_test),(y_pred)))))
      print("R2 : {}".format(np.sqrt(metrics.r2_score((y_test),(y_pred)))))
      RMSE: 0.13224621848979198
      R2 : 0.9911730935294353
[170]: rf random.best params
[170]: {'max_depth': 100,
        'min_samples_leaf': 2,
        'min_samples_split': 2,
        'n_estimators': 178}
[171]: rf = RandomForestRegressor(max_depth = 100,
                                min_samples_leaf = 2,
                               min_samples_split = 2,
                                n = 178
      rf.fit(X_train,y_train)
      y_pred = rf.predict(X_test)
      print("RMSE: {}".format(np.sqrt(mean_squared_error((y_test),(y_pred)))))
      print("R2 : {}".format(np.sqrt(metrics.r2_score((y_test),(y_pred)))))
      RMSE: 0.1320848174143195
```

R2 : 0.9911947217783478

### 4.4 AutoML using H20

```
[]: ept-get install openjdk-8-jdk
     pip install H20
[53]: import h2o
      h2o.init()
     Checking whether there is an H2O instance running at http://localhost:54321
     ... not found.
     Attempting to start a local H2O server...
       Java Version: openjdk version "11.0.15" 2022-04-19; OpenJDK Runtime
     Environment (build 11.0.15+10-Ubuntu-Oubuntu0.18.04.1); OpenJDK 64-Bit Server VM
     (build 11.0.15+10-Ubuntu-Oubuntu0.18.04.1, mixed mode)
       Starting server from /usr/local/lib/python3.7/dist-
     packages/h2o/backend/bin/h2o.jar
       Ice root: /tmp/tmpjj kvf9p
       JVM stdout: /tmp/tmpjj_kvf9p/h2o_unknownUser_started_from_python.out
       JVM stderr: /tmp/tmpjj_kvf9p/h2o_unknownUser_started_from_python.err
       Server is running at http://127.0.0.1:54321
     Connecting to H2O server at http://127.0.0.1:54321 ... successful.
     H20_cluster_uptime:
                                  02 secs
     H20_cluster_timezone:
                                 Etc/UTC
     H20_data_parsing_timezone:
                                 UTC
     H20_cluster_version:
                                  3.36.1.1
     H20_cluster_version_age:
                                  1 month and 11 days
     H20_cluster_name:
                                 H20_from_python_unknownUser_inkqa6
     H20_cluster_total_nodes:
     H2O_cluster_free_memory:
                                 3.172 Gb
     H2O_cluster_total_cores:
                                  2
     H2O cluster allowed cores:
                                 2
     H20_cluster_status:
                                  locked, healthy
     H2O connection url:
                                 http://127.0.0.1:54321
     H20_connection_proxy:
                                  {"http": null, "https": null}
     H20_internal_security:
                                 False
     Python_version:
                                  3.7.13 final
 [2]: diamonds = h2o.import_file("/content/diamonds_new.csv")
     Parse progress:
                                         | (done) 100%
[82]: diamonds.describe()
```

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```
[3]: diamonds = diamonds[:, ["carat", "depth", "table", "price", "volume", □

→"cut_rk", "color_rk", "clarity_rk"]]

print(diamonds)
```

#### 4.4.1 GBM Model

```
[6]: from h2o.estimators.gbm import H2OGradientBoostingEstimator
    # set the predictor names and the response column name
                          "depth",
    predictors = ["carat",
                                                            "volume",
     response = "price"
    # split into train and validation sets
    train, valid = diamonds.split_frame(ratios = [.8], seed = 1234)
    # train a GBM model
    diamonds_gbm = H20GradientBoostingEstimator(distribution = "poisson", seed = __
     →1234)
    diamonds_gbm.train(x = predictors,
                  y = response,
                  training frame = train,
                  validation_frame = valid)
    # retrieve the model performance
    perf = diamonds_gbm.model_performance(valid)
    perf
```

```
[6]:
```

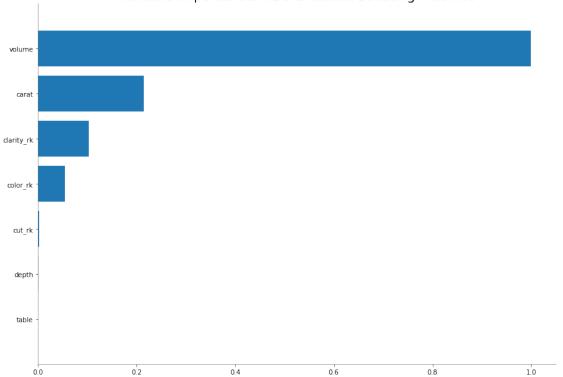
```
[7]: print('R^2:', diamonds_gbm.r2())
    print('R^2 on validation data:', diamonds_gbm.r2(valid=True))

R^2: 0.9814291623069304
    R^2 on validation data: 0.9812236569623808

[8]: import matplotlib.pyplot as plt
    %matplotlib inline
    import warnings
    import matplotlib.cbook
    warnings.filterwarnings("ignore", category = matplotlib.cbook.mplDeprecation)

[9]: diamonds_gbm.varimp_plot();
```





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#### 4.4.2 AutoML Search

```
[10]: from h2o.automl import H2OAutoML
     y = "price"
     splits = diamonds.split_frame(ratios = [0.8], seed = 1)
     train = splits[0]
     test = splits[1]
[11]: aml = H2OAutoML(max_runtime_secs = 60, seed = 1, project_name =__
      aml.train(y = y, training frame = train, leaderboard frame = test)
     AutoML progress:
                                       | (done) 100%
     Model Details
     _____
     H2OStackedEnsembleEstimator: Stacked Ensemble
     Model Key: StackedEnsemble_BestOfFamily_2_AutoML_1_20220524_162247
     No model summary for this model
     ModelMetricsRegressionGLM: stackedensemble
     ** Reported on train data. **
     MSE: 161938.39018806818
     RMSE: 402.4156932676311
     MAE: 220.7877598599966
     RMSLE: 0.08778344307949035
     R^2: 0.9897187253749596
     Mean Residual Deviance: 161938.39018806818
     Null degrees of freedom: 10063
     Residual degrees of freedom: 10060
     Null deviance: 158518164125.60925
     Residual deviance: 1629747958.852718
     AIC: 149287.78529932746
     ModelMetricsRegressionGLM: stackedensemble
     ** Reported on validation data. **
     MSE: 292904.99543856416
     RMSE: 541.2069802197345
     MAE: 278.4709657509555
     RMSLE: 0.10112574270266088
     R^2: 0.982358202719312
     Mean Residual Deviance: 292904.99543856416
     Null degrees of freedom: 4424
```

Residual degrees of freedom: 4421 Null deviance: 73479405051.87427

Residual deviance: 1296104604.8156464

AIC: 68267.7518947419

#### [11]:

```
[12]: aml2 = H2OAutoML(max_runtime_secs = 60, seed = 1, project_name = 

→"diamonds_full_data")
aml2.train(y = y, training_frame = diamonds)
```

AutoML progress:

| (done) 100%

Model Details

H2OStackedEnsembleEstimator: Stacked Ensemble

Model Key: StackedEnsemble\_BestOfFamily\_2\_AutoML\_2\_20220524\_162357

No model summary for this model

ModelMetricsRegressionGLM: stackedensemble

\*\* Reported on train data. \*\*

MSE: 138826.82775252234 RMSE: 372.59472319468284 MAE: 204.39755930071115 RMSLE: 0.08147085766295006 R^2: 0.9913322116029226

Mean Residual Deviance: 138826.82775252234

Null degrees of freedom: 10060 Residual degrees of freedom: 10057 Null deviance: 161145712751.90436 Residual deviance: 1396736714.0181272

AIC: 147694.0070222262

 ${\tt ModelMetricsRegressionGLM: stackedensemble}$ 

\*\* Reported on validation data. \*\*

MSE: 282593.98661155737 RMSE: 531.5956984509538 MAE: 271.81878422685537 RMSLE: 0.09838611409008427 R^2: 0.9828973674669435

Mean Residual Deviance: 282593.98661155737

Null degrees of freedom: 5459 Residual degrees of freedom: 5456 Null deviance: 90264416715.4349

Residual deviance: 1542963166.8991032

```
AIC: 84037.45370992915
```

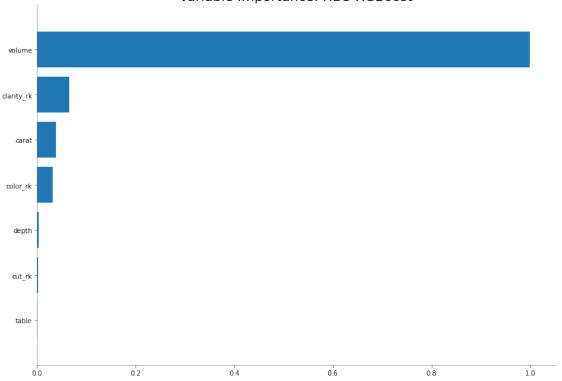
```
[12]:
```

```
[13]: aml.leaderboard.head()
```

#### [13]:

```
[18]: best_model_aml = h2o.get_model(aml.leaderboard[9,'model_id'])
best_model_aml.varimp_plot();
```





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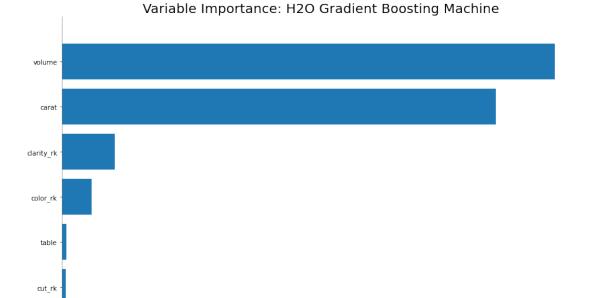
```
[56]: print('XGBoost_3_AutoML R^2:', best_model_aml.r2())
    print('XGBoost_3_AutoML R^2 on validation data:', best_model_aml.r2(valid=True))

XGBoost_3_AutoML R^2: 0.9870193028366475
    XGBoost_3_AutoML R^2 on validation data: 0.9802658257424989

[16]: aml2.leaderboard.head()
```

## [16]:

```
[17]: best_model_aml2 = h2o.get_model(aml2.leaderboard[4,'model_id'])
best_model_aml2.varimp_plot();
```



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0.2

```
[55]: print('GBM_2_AutoML R^2:', best_model_aml2.r2())
    print('GBM_2_AutoML R^2 on validation data:', best_model_aml2.r2(valid=True))

GBM_2_AutoML R^2: 0.9861479432667472
    GBM_2_AutoML R^2 on validation data: 0.9824892967917611

[23]: h2o.cluster().shutdown()
```

H2O session \_sid\_8aOf closed.

## 5 Conclusion

depth

- An analysis was performed using the classic Diamonds dataset, in which the objective was determining how to best price diamonds for brokers.
- Through exploration and visualization of the data, observed small generalized patterns, accompanied with not normal distributions.
- The clearest indication is the combination of best color and best clarity diamonds are priced significantly higher.
- After scaling and slicing, the baseline linear regression captured a modest 90% accuracy, while the Random Forest model scored the highest with 99.11%.
- Of the 4 C's carat's coefficient level in the multiple linear regression, and among the variable importance compared favorable against the other 4 C's.

[]: