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Machine Problem

Code Documentation

Implementation is divided into 3 files, main.cpp, Node.h, and Algo.h

Detailed discussion of the code

main.cpp

Line 19-33

This code is only a basic keyboard input. It has no error checking such as duplication of number, and out of bound number.

I assume that the user inputs a perfect 8 puzzle problem.

Line 35 - 43

```
Node *root = new Node(puzzle);

Search *aStar = new Search();

Search *Ids = new Search();

clock_t start, end;
int expandedNodes;

double timeTaken;
list<Node> solution;
```

Declaration of variables and Instantiation of Class Objects that is necessary for the required output of the machine problem.

Line 45 - 53

```
/* Displaying output for A* Search */

start = clock();

solution = aStar->AStarSearch(*root);

expandedNodes = aStar->expandedNodes;

end = clock();

timeTaken = double(end - start) / double(CLOCKS_PER_SEC);

start = clock();

double(CLOCKS_PER_SEC);
```

Line 45 – 50, calculates the running time of the algorithm. Result is displayed in seconds unit of time.

Node.h

Node.h is the implementation of the states of the board. This contains the code necessary to create new states, and to get the Manhattan distance heuristics of each state.

Line 17 – Line 33

```
Node *parent; //also necessary for backtracking of solution path
list <Node> children; //for the new states after expanding

int puzzle[9]; //Represented the board in 1D for simplicity
int column = 3; //for constraints in moves
int fValue; //f(n) of every state

char moves[10]; //for the required output, "right" "left" "up" "down"

Node() {}

Node(int p[]) {

setPuzzle(p);
parent = NULL;
fValue = 0;
strcpy(this->moves, "");
}
```

class Node is set to public.

Why the attributes are declared is on their comments

Constructor for class Node,

it takes in and sets the puzzle,

fValue is zero, for the manhattan distance

```
35     void setPuzzle(int p[]) {
36
37         for(int i = 0; i < 9; i++)
38         this->puzzle[i] = p[i];
39     }
```

setPuzzle, used in constructor. Basically just copies the inputted puzzle to the object's own puzzle problem.

isSamePuzzle, takes puzzle problem (state) as parameter and returns a boolean.

It checks whether the input is the same as the objects's state is the same.

Used for checking if a state already exists in the open list, and closed list (in the A* algorithm)

Node.h

goalTest, I am only using a 1 dimensional array for the board.

Returns a Boolean, if true then the object's state has reach the goal state

expandNode, calls all the possible moves that can be made on the current state.

It locates the blank tile on the state for the parameter on the possible moves.

moveRight, takes the object's current state and the index of the blank tile.

Line 100 is the constraint if moving right is possible.

Line 104 swaps the blank tile to the right

Line 108 – 111, instantiates a child Node (a new state) then points its parent pointer to the current object and add its children list. Also sets its moves to string "Right" for the required output of the machine problem.

This code is similar to moveRight, moveLeft, moveUp, and moveDown

Node.h

```
int manhattanDistance() {
   int distance = 0;
   int goalIndex = 0;
   int x = 0;
   int y = 0;
   int xGoal = 0;
   int yGoal = 0;
   for(int i = 0; i < 9; i++)
       if(this->puzzle[i] != i) {
            goalIndex = getGoalpos(this->puzzle[i]);
           x = getXpos(i);
           y = getYpos(i);
           xGoal = getXpos(goalIndex);
           yGoal = getYpos(goalIndex);
           distance += abs(x - xGoal) + abs(y - yGoal);
   return distance;
```

Line 176 – 198 is the implementation of the Manhattan Distance that is used as the heuristic for A* algorithm.

I used its formula: abs(x - x of goal) + abs(y - y of Goal)

Being in a 1 dimension array can be tricky so I used getXpos and getYpos functions to get the x and y position of the *misplaced tiles* and its goal index.

```
int getGoalpos(int num) {    //takes the goal position of the misplaced tile

int index = 0;
    int goal[] = {1, 2, 3, 8, 0, 4, 7, 6, 5};

for(int i = 0; i < 9; i++)
    if(num == goal[i])
    index = i;

int getXpos(int x) {
    return index;
}

int getXpos(int x) {
    return x/3;
}

int getYpos(int y) {
    return y % 3;
}
</pre>
```

getGoalpos method returns the index of a misplaced tile. it can be made faster but may require more code. I just made it simple enough.

getXpos and getYpos are the methods that made it possible to calculate the Manhattan Distance on a 1 dimensional array.

Algo.h

Algo.h contains the implementation for the IDS and A* search algorithm and some other methods to support it.

I used class *Search* that contains methods *IterativeDeepeningSearch* and *AStarSearch* as methods that returns the solution path if there is any, and takes in the initial state as their parameter.

For the **Iterative Deepening Search**, I used an algorithm from a youtube video. I don't know if it accurate but its simulation shows it is. I also used iterative implementation instead of recursive as I tried recursive and the confusion led me more errors than usual. This showed me that I have to practice my understanding on recursive implementations.

Steps: 1. add root to frontier 2. if frontier is empty then increament depth limit and do steps again 3. pop out deepest node from frontier and add it to the explored set 4. find all child nodes from selected node and add them to the frontier except nodes with depth limit or repetitive nodes that are in the explored or frontier sets 5. check if new nodes include the target node: $\begin{cases} 4.1. & \text{if True:} \\ \text{return the path} \\ 4.2. & \text{else repeat steps 2 to 5} \end{cases}$

This is the algorithm that I followed.

Based on my understanding and from what I read on it, it is not that good for practical applications. It may be very slow because of its exponential time complexity

Algo.h

IDS implementation

I really had troubles on deciding whether my implementation is correct because it returns a really long execution time and opens far too many nodes when a more complex puzzle is inputted.

Line 28 - 36

This is the Step 1 and 2 of the algorithm.

If the depth has been reached, it can no longer add new states to the open list therefore making it empty. Step 2 states to start at the initial problem again then increment the depth limit by 1

```
Steps:
```

- 1. add root to frontier
- 2. if frontier is empty then increament depth limit and do steps again

```
//stack implementation
Node *currentNode = new Node(openList.back());
this->expandedNodes++;
closedList.push_back(*currentNode);
openList.pop_back();

currentNode->expandNode();
```

Line 38 - 44 I think is the step 3 in the algorithm.

It is a stack implementation which means it always pop the deepest node that exist inside the open list

Line 44 expands the node, creating deeper nodes.

3. pop out deepest node from frontier and add it to the explored set

```
//iterate through list of the expanded nodes

for(list<Node>::iterator currentChild = currentNode->children.begin(); currentChild != cur

//if current node is below limit and is unique, add it to open list

if( getDepth(*currentChild) < depthLimit ) {

if( !(contains(openList, *currentChild)) && !(contains(closedList, *currentChild))

openList.push_back(*currentChild);
```

4. find all child nodes from selected node and add them to the frontier except nodes with depth limit or repetitive nodes that are in the explored or frontier sets

Line 47 lets me iterate through the children of the expanded node.

Line 50 – 52 Is my implementation on the step 4, If the child node is below the depth limit and it is unique (meaning no duplicated in the open list and close list) then add it to the last of the list for the stack implementation

```
//if it is at the limit then apply goal test
} else if(currentChild->goalTest()) {
    goalFound = true;
    pathToSolution = pathTrace(*currentChild);
    return pathToSolution;
}
```

```
5. check if new nodes include the target node: \begin{cases} 4.1. & \text{if True:} \\ \text{return the path} \\ 4.2. & \text{else repeat steps 2 to 5} \end{cases}
```

Line 55 - 58 is my implementation on the step 5 of the algorithm. If the previous check if it is below the depth limit fails, then it must mean it would be at the depth limit. If so, apply the goal test on the current child, if the test fails then continue with the while loop.

A* Search implementation

I followed the lecture's algorithm for it, I am not sure if it is accurate but it does return far better results than the IDS implementation as expected.

I had some troubles on removing Nodes from the open list and closed lists as the st> functions on c++ can be quite a hassle.

I learned that you can't just remove an element just by the index. I have to create a list::iterator, and keep track of the index of the element I want to remove. I can remove an element successfully using advance() of the iterator and erase() of the list function.

This is the algorithm that I followed.

A* Algorithm

- 1. Put the start node s on a list called **OPEN** and compute f(s).
- 2. If *OPEN* is empty, exit with failure; otherwise continue.
- Remove from *OPEN* that node whose *f* value is smallest and put it on a list called *CLOSED*. Call this node *n*. (Resolve ties for minimal *f* values arbitrarily, but always in favor of any goal node.)
- 4. If *n* is a goal node, exit with the solution path obtained by tracing back the pointers; otherwise continue.
- 5. Expand node n, generating all its successors. If there are no successors, go immediately to 2. For each successor n_i , compute $f(n_i)$.
- 6. Associate with the successors not already on either *OPEN* or *CLOSED* the *f* values just computed. Put these nodes on *OPEN* and direct pointers from them back to *n*.
- Associate with those successors that were already on *OPEN* or *CLOSED* the smaller of the *f* values just computed and their previous *f* values. Put on *OPEN* those successors on *CLOSED* whose *f* values were thus lowered, and redirect to *n* the pointers from all nodes whose *f* values were lowered.
- 8. Go to 2.

This is the step 1 of the algorithm from the lecture.

1. Put the start node s on a list called **OPEN** and compute f(s).

At Line 76, it is still at the root node so the g(n) is still 0. I just use the depth level of each node for the g(n) because it is similar to the steps made to reach it and also because each move cost only 1.



2. If **OPEN** is empty, exit with failure; otherwise continue.

Line 80 is the implementation of step 2

Remove from *OPEN* that node whose *f* value is smallest and put it on a list called *CLOSED*. Call this node *n*. (Resolve ties for minimal *f* values arbitrarily, but always in favor of any goal node.)

```
Node *minNode = new Node(); //for storing of the node wit minimum f value
        int minF = 9999; //for comparison, just a basic compare
        int minFIndex = 0;
        int removeIndex = 0;
                                //for removing node from open or closed list
        list<Node>::iterator remove = openList.begin(); // for removing an element from the list
        /* For taking the state with the least f(n) */
        for(list<Node>::iterator currentNode = openList.begin(); currentNode != openList.end(); currentNode++)
            int currentF = currentNode->fValue;
            if(currentNode->goalTest()) {    //to check if it the goal to avoid overlapping
                goalFound = true;
                pathToSolution = pathTrace(*currentNode);
                return pathToSolution;
            if(currentF < minF) {    //linear search for state with least f value</pre>
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                minF = currentF;
                *minNode = *currentNode;
102
                minFIndex = removeIndex;
            removeIndex++;
```

This is my implementation of the step 3, I have declared variables to make it possible and I think there is far better implementation for this given more time.

Instead of the step 4, I inserted the goal test inside the for loop so that if ever a goal node appears on the open list, it can end the program faster.

I only used *Linear Search* for comparing of the f(n) values of each node in the open list. I think there are better ways to select better f(n) if there are equal ones.

5. Expand node n, generating all its successors. If there are no successors, go immediately to 2. For each successor n_i , compute $f(n_i)$.

```
closedList.push_back(*minNode);
this->expandedNodes++;

advance(remove, minFIndex);
openList.erase(remove);

minNode->expandNode();

if(minNode->children.size() > 0) {
```

Line 111-112 is the tiring process of removing the node from the list...

Line 114 and Line 116 is my implementation for the step 5 of the algorithm. 6. Associate with the successors not already on either *OPEN* or *CLOSED* the *f* values just computed. Put these nodes on *OPEN* and direct pointers from them back to *n*.

```
currentChild->fValue = getDepth(*currentChild) + currentChild->manhattanDistance() - 1;

121

122

if(!(contains(openList, *currentChild)) && !(contains(closedList, *currentChild)))

openList.push_back(*currentChild);
```

Line 120 – 123 is my implementation for step 6. I don't know if my understanding is correct but I think if it is a unique node, put it on the list with its calculated f(n) value.

7. Associate with those successors that were already on *OPEN* or *CLOSED* the smaller of the *f* values just computed and their previous *f* values. Put on *OPEN* those successors on *CLOSED* whose *f* values were thus lowered, and redirect to *n* the pointers from all nodes whose *f* values were lowered.

Line 128 – 139 is my implementation for the step 7. After checking if it unique or not. This implementation says that if it is not unique, check the open list for its duplicate and then compare its f(n) values. If the current child is lower then replace it. I feel like my understanding of step 7 is insufficient, something is off here?

This is similar to Line 140 – 154, difference is that it checks the closed list.

Step 8 says to go back to step 2 which is the while loop. I think the code is done.

```
int getDepth(Node n) {
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               int depth = 0;
172
              Node currentNode = n;
173
174 🗸
               while(currentNode.parent != NULL) {
                   currentNode = *currentNode.parent
175
176
                   depth++;
177
178
               return depth;
179
```

getDepth returns the depth of the entered Node.

This is useful for both searching algorithm. I used it for the depth limits on IDS and for taking the f(n) values on A* search

pathTrace returns the path it took from initial to the goal node. This is only used when the *goalTest* has returned true;

It traces back from goal to the initial node using the parent pointer of each created node.

```
static bool contains(list<Node> tempList, Node x) {

bool contains = false;
for(list<Node>::iterator it = tempList.begin(); it != tempList.end(); it++) {

if(it->isSamePuzzle(x.puzzle))

contains = true;
}

return contains;
}
```

contains method returns a boolean, this is useful for checking if a new node (state) is unique.

• Analysis and Comparison

Initial State				IDS	A*
Easy			Solution Path	U-R-U-L-D	U-R-U-L-D
1	3	4	Solution Cost	5	5
8	6	2	Expanded Nodes	50	5
7		5	Running Time	~0.001 seconds	< 0.000000 seconds

Initial State				IDS	A*
Medium			Solution Path	U-R-R-D-L-L-U-R-D	U-R-R-D-L-L-U-R-D
2	8	1	Solution Cost	9	9
	4	3	Expanded Nodes	560	14
7	6	5	Running Time	~0.10300 seconds	~0.001000 seconds

Initial State				IDS	A*
	Hard		Solution Path	U-L-D-R-U-L-D-RU-L-L-U- R-R-D-L-L-U-R-D-D-U	L-U-L-U-R-R-D-L-L-U-R-D
2	8	1	Solution Cost	22	12
4	6	3	Expanded Nodes	41366	28
7	5		Running Time	~117.31900 seconds	~0.002000 seconds

Initial State				IDS	A*
Worst			Solution Path	-	L-D-R-R-U-U-L-L-D-D-R-R-U-U-L- L-D-R-R-U-U-L-L-D-D-R-R-U-L
5	5 6	7			
ļ			Solution Cost	-	30
4		8	Expanded Nodes	-	5883
3	2	1	Running Time	>30 minutes	~56 seconds

Initial State				IDS	A*		
8	1	2	Solution Path	L-U-R-R-D-D-L-U	L-U-R-R-D-D-L-U		
6	6 0			3	Solution Cost	8	8
L .		3	Expanded Nodes	421	16		
7	5	4	Running Time	~0.03500 seconds	< 0.000000 seconds		