

- `lapply` → factors.
- `lapply` → list.
- `sapply` → produces matrix.

ex. `sapply(1:500, function(i) lm(y ~ [, i] #coef).`
 $\rightarrow \begin{pmatrix} \hat{\beta}_0^1 \\ \hat{\beta}_1^1 \end{pmatrix} \begin{pmatrix} \hat{\beta}_0^2 \\ \hat{\beta}_1^2 \end{pmatrix} \dots \begin{pmatrix} \hat{\beta}_0^{500} \\ \hat{\beta}_1^{500} \end{pmatrix}$
 2x500 matrix.

1) List: `b[[i]]` → vector of 2.

↓
 make it a matrix
`do.call(function, arguments into a list).`

`rnorm(n=, mean=, sd=,).`

`arg = list(n=10, mean=5, sd=2).`

`do.call(rnorm, arg).`
 execute `rnorm(arg).`

`rbind, cbind`

rbind, cbind:

$\text{rbind}(x, y) \rightarrow \begin{pmatrix} x \\ y \end{pmatrix}$

$\text{cbind}(x, y) \rightarrow (x \ y)$

└ $\rightarrow \text{cb.rattl}(\text{rbind}, b)$

can only be done if b
is a list.

apply (A ,
array, which
dimens sum
to fix. , FUN)

ex. $A_{100 \times 100} \rightarrow \text{SD on each column.}$

$\text{apply}(A, 2, \text{sd}) \rightarrow \text{compute sd for each column.}$

colMeans (A).

└ uses $\text{apply}(A, 2, \text{sd})$.

colSums (A)

✓

`apply(A, 2, sum)`

`apply(A, 2, min)`

`apply(A, 2, function(x) max(x) - min(x))` → fastest way.

expression:

`e1 ← expression(a * x / sin(x * b))`

`eval(e1, list(x=1, a=1, b=2))`

`⇒ D(e1, "x")`

derivative.

`D(D(e1, "x"))`

double derivative

~~mgapply~~

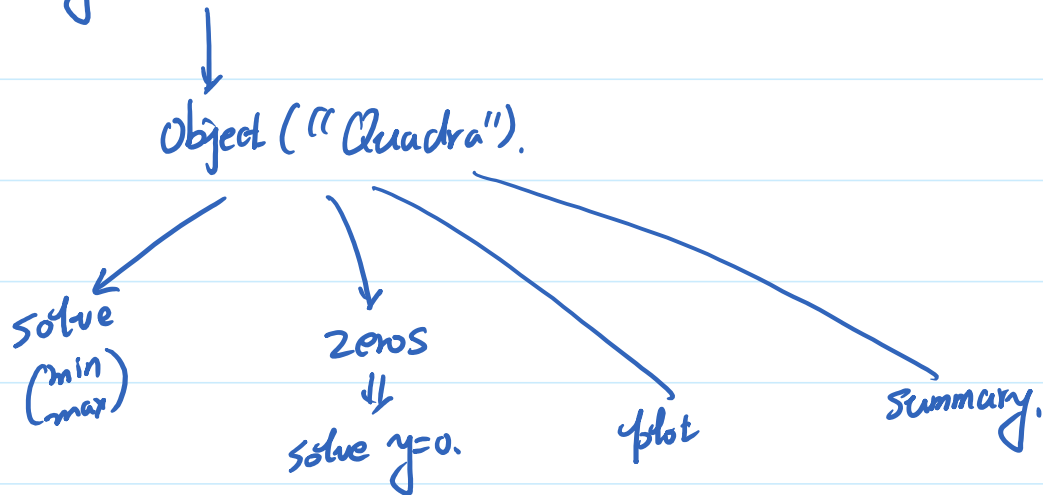
Require library(parrot)

→ multicore

$b \leftarrow \text{mclapply}(1:500, \text{function}(i) \text{lm}(y \sim x[i:i])\$coef, \text{mc.cores} = 52).$

Quadratic

$$y = Ax^2 + Bx + c$$



binary operator $\%+\%$

$\%+\%$ ← function(Q_1, Q_2)
addquodra(Q_1, Q_2).

Consumer Suite:

⇒ object of type "Consumer"

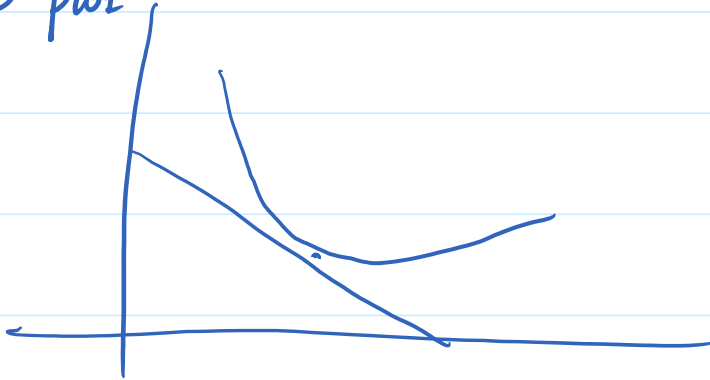
⇒ object of type "Consumer"

```

graph LR
    C[Consumer] --- UF[utility function.]
    C --- P[parameter]
    C --- N[name]
    C --- I[income.]
  
```

→ solve (can, y_1 , y_2).

→ plot



help ("%/%")
 ↗
remainders.
 (integer)

$$a \setminus b = 5.999$$

$$a \% \setminus \% b = 5.$$

1 % \ \% 0.2 — 4
 — 5.
 different platform.

Std: IEEE 754.

Binary standard.

$$47 = 2^0 + 2^1 + 2^3 + 2^5 = \underline{101011} \quad \text{Binary representation of 47.}$$

$$10^1 + 2 \times 10^2 + 3 \times 10^5 = 30210.$$

$$47.125 = 47 + 2^{-3}$$

$$\downarrow$$

$$101011.001$$

divid by 2

$$\begin{array}{c} \sim 16 \text{ bits} \quad \sim 10 \text{ bits} \\ (1.01011001) 2^{-5} \end{array} \quad \begin{array}{c} \sim 3 \text{ bits.} \\ \text{in binary.} \end{array}$$

+

$$\pm [d_0, d_1, d_2, \dots, d_{p-1}] 2^e.$$

64 bits \rightarrow more precision.

$$\text{In R, } p=53$$

$$e_{\max} = 1024$$

$$e_{\min} = -1022.$$

Machine

- Machine # double-exponent $\Rightarrow 11$
- Machine # double-max. exp $\Rightarrow 1024$

ex: $12.37 + 0.001$

$$\begin{array}{r} \swarrow \quad \downarrow \\ 1.237 \times 10^1 \quad 1 \times 10^{-3} \end{array}$$

$$\begin{array}{r} 1.237 \times 10^1 \\ 0.001 \times 10^1 \\ + \\ \hline 1.23 \end{array}$$

machine_epsilon: ϵ

$$1 + \epsilon \leq 1$$

does not change

$$\underbrace{(1.00 \dots 0)}_{52} \times 2^0$$

$$\underbrace{0.00 \dots 01}_{52} \times 2^{-53}$$

$$(1 + 2^{-53}) = 1 \Rightarrow \text{TRUE.}$$

$$\text{Inf} + \text{Inf} = \text{Inf}.$$

$$0/\text{Inf} = 0.$$

$$\text{Inf}/\text{Inf} = \text{NaN}$$

not a number.