Learning from Observational Data

EC 350: Labor Economics

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Learning from Observational Data

- 1. A taxonomy of data
 - Experimental vs. observational data
- 2. Direct acyclic graphs
 - Causal paths
 - Backdoor paths
 - Backdoor criterion
- 3. Regression discontinuity

A taxonomy of data

A taxonomy of data

Experimental

Data generated from a **randomized** experiment.

- Treatment assigned at random
- The gold standard of social science research
- Often difficult/impractical/unethical to conduct

Observational (non-experimental)

Data generated from the decisions of various individuals in the "real world."

- Sometimes treatment is randomly assigned (e.g., in a lottery), but not usually (non-random!)
- Prone to selection bias and omitted-variable bias
- Must rely on natural experiments to identify causal relationships

A taxonomy of data

Example: Effect of job training on unemployment status

Experimental sample

Unemployed? (= 1 if yes, = if no)

	1	2	3	4
Training?	-0.111	-0.116	-0.115	-0.113
	(0.044)	(0.044)	(0.044)	(0.044)
Control mean	0.354	0.354	0.354	0.354
Demographics		\checkmark	\checkmark	\checkmark
Education			\checkmark	\checkmark
Unemployed? _{t-1}				\checkmark

Non-experimental sample

Unemployed? (=	1 if yes, = if no)
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	1	2	3	4
Training?	0.128	0.164	0.160	-0.182
	(0.025)	(0.027)	(0.027)	(0.027)
Control mean	0.115	0.115	0.115	0.115
Demographics		\checkmark	\checkmark	\checkmark
Education			\checkmark	\checkmark
Unemployed? _{t-1}				\checkmark

Note: Standard errors in parentheses.

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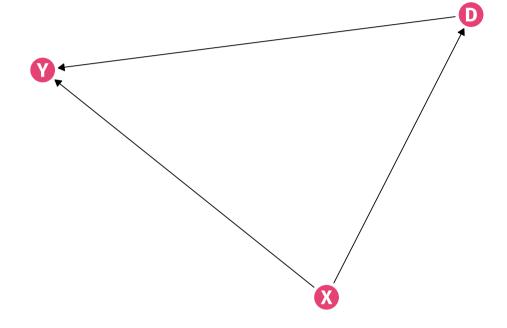
Direct acyclic graphs

Direct acyclic graphs

A direct acyclic graph (DAG) can help us visualize the assumptions necessary to estimate causal relationships using observational data.

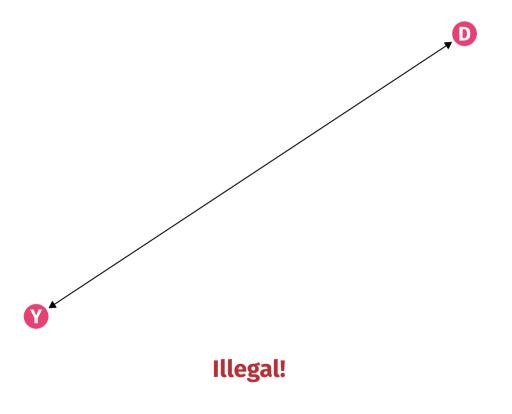
Nodes represent variables.

Arrows represent **causal relationships** between variables.

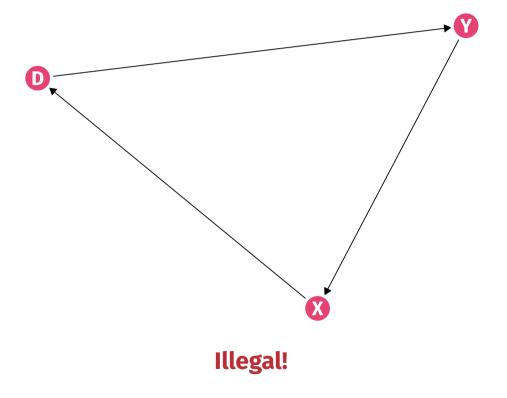


DAGs follow two rules

Rule 1 ("direct"): No bidirectional arrows!



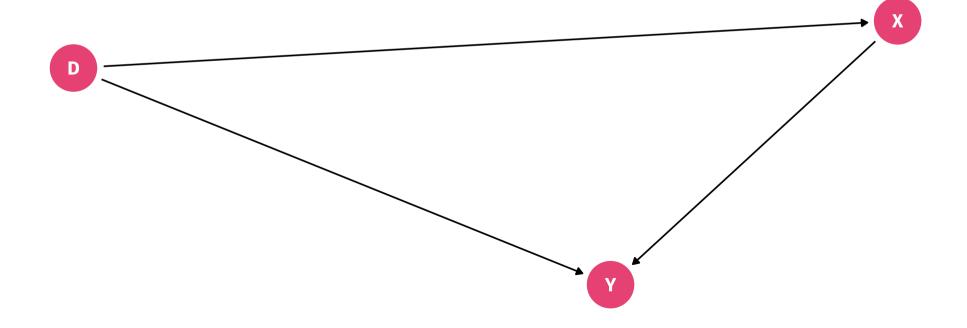
Rule 2 ("acyclic"): No feedback loops!



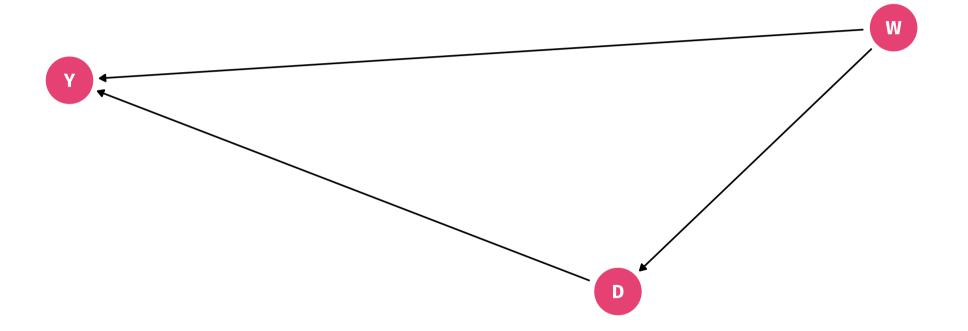
Causal paths

Our objective is to **identify the causal effect** of a treatment variable **D** on an outcome variable **Y**.

- The treatment could have a **direct effect** on the outcome: $D \longrightarrow Y$.
- Alternatively, the treatment could have an indirect effect on the outcome through X, a mediator variable: D → X → Y.



The presence of a confounder variable **W** opens a **backdoor path** from the treatment to the outcome:



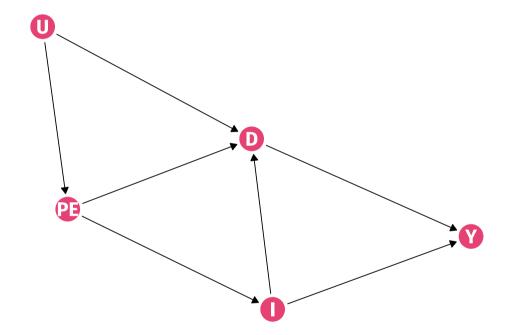
An open backdoor path creates a **spurious correlation** between the treatment and the outcome!

Example: Returns to education

Q: How does education affect earnings?

- D = Education (e.g., going to college or not)
- Y = Earnings as an adult
- PE = Parental education
- I = Family income
- U = Unobserved characteristics (e.g., family background)

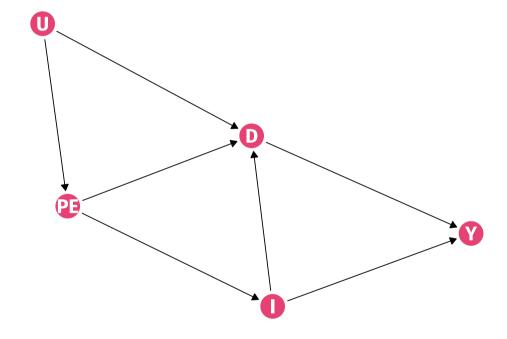
The presence—or absence—of an arrow illustrates our **causal assumptions** about how education affects earnings!



Example: Returns to education

Q: What are the paths through which education affects earnings?

- $\mathbf{D} \longrightarrow \mathbf{Y}$ (causal effect)
- $\mathbf{D} \leftarrow \mathbf{I} \longrightarrow \mathbf{Y}$ (backdoor path)
- $D \leftarrow PE \longrightarrow I \longrightarrow Y$ (backdoor path)
- $D \leftarrow U \longrightarrow PE \longrightarrow I \longrightarrow Y$ (backdoor path)



Backdoor criterion

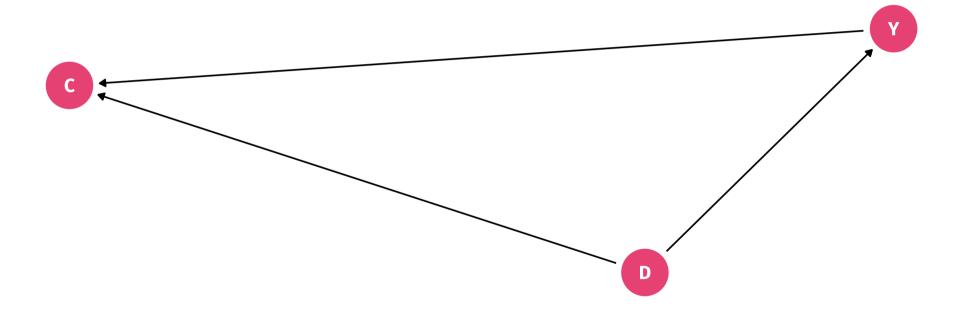
The observed correlation between **Y** and **D** isolates the causal effect of **D** on **Y** if and only if all backdoor paths from **D** to **Y** are closed.

Q: What closes a backdoor path?

- A₁: Conditioning or controlling for the confounder variable on the path.
- A₂: The presence of a collider variable on the path.

The presence of a collider variable **C** closes a backdoor path from the treatment to the outcome:

$$D \longrightarrow C \longleftarrow Y$$



The implication? We don't want to control for collider variables!

Conditioning on a collider can open up new backdoor paths. (More on this later.)

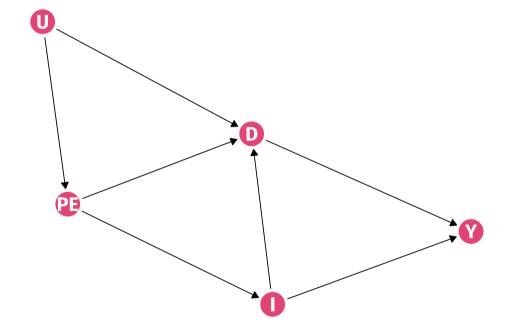
Example: Returns to education

Q: How could we satisfy the backdoor criterion given our assumptions about the effect of education on earnings?

A: Control for family income (I)

 Why? Family income appears as a noncollider on each backdoor path:

$$\begin{array}{c} D \longleftarrow I \longrightarrow Y \\ D \longleftarrow PE \longrightarrow I \longrightarrow Y \\ D \longleftarrow U \longrightarrow PE \longrightarrow I \longrightarrow Y \end{array}$$



Example: Returns to education

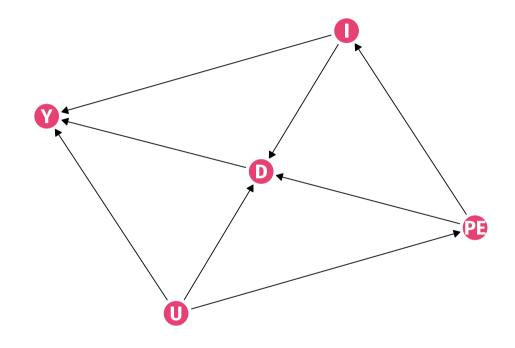
Q: Would controlling for family income isolate the causal effect of education on earnings if unobserved family background (**U**) has a direct effect on earnings (**Y**)?

A: No!

- U is unobserved, so we can't control for it.
- The backdoor path D ← U → Y would stay open.

The takeaway?

ALL causal inference is by assumption!



There are situations in the real world where treatment is assigned in a way that is as good as random.

• These situations can provide **valid comparison groups**, just like the ones you'd find in a randomized control trial!

Examples? When some arbitrary threshold triggers a change in treatment:

- Anti-discrimination laws only apply to firms with more than 15 employees.
- Prisoners are eligible for early parole if some score exceeds a threshold.
- An individual has legal access to alcohol if they are 21 or older.
- You get a ticket if your speed exceeds the speed limit.
- A candidate for governor wins if her vote share exceeds that of her competitors.

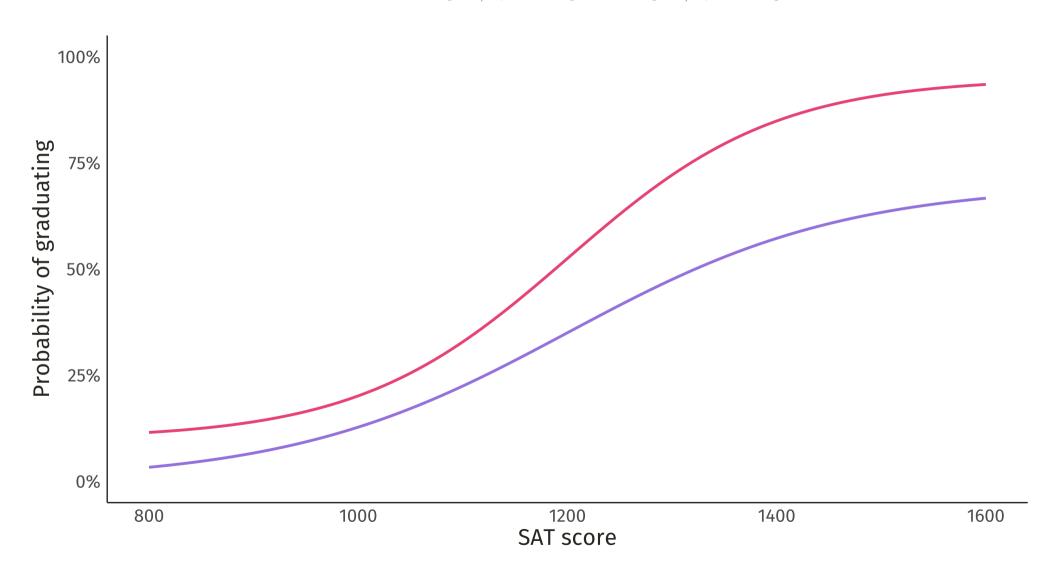
Economists can (and often do) use these situations to estimate causal effects.

Example: Effect of merit scholarships on graduation

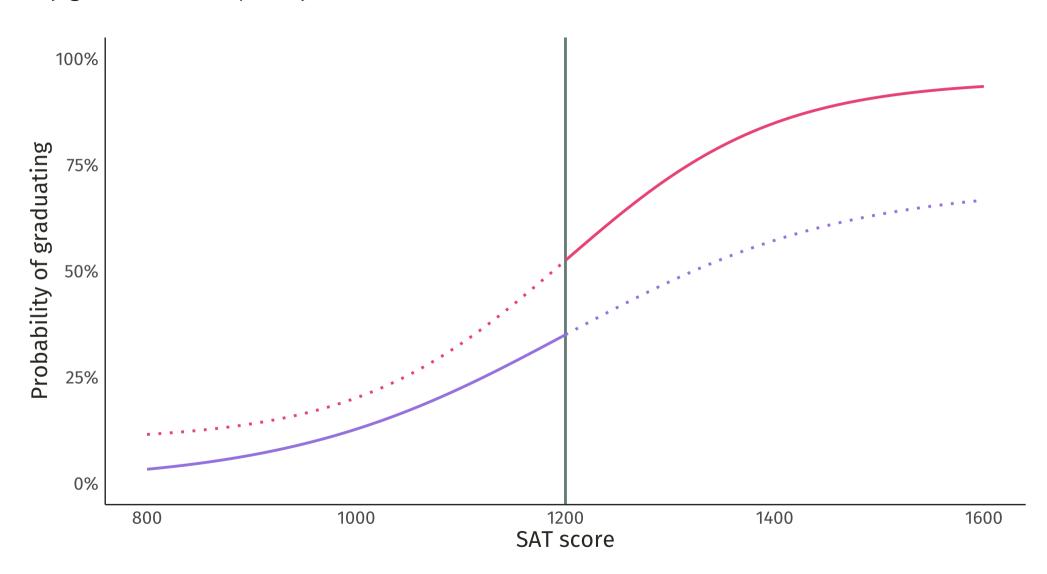
- Outcome variable = probability of graduation
- Treatment = scholarship money
- "Assignment variable" = admissions test score (e.g., the SAT)
- "Cutoff/threshold" = minimum score for getting a scholarship (e.g., SAT score of 1200 or higher)

Assumption: Students *just below* the cutoff are comparable to those *just above* the cutoff.

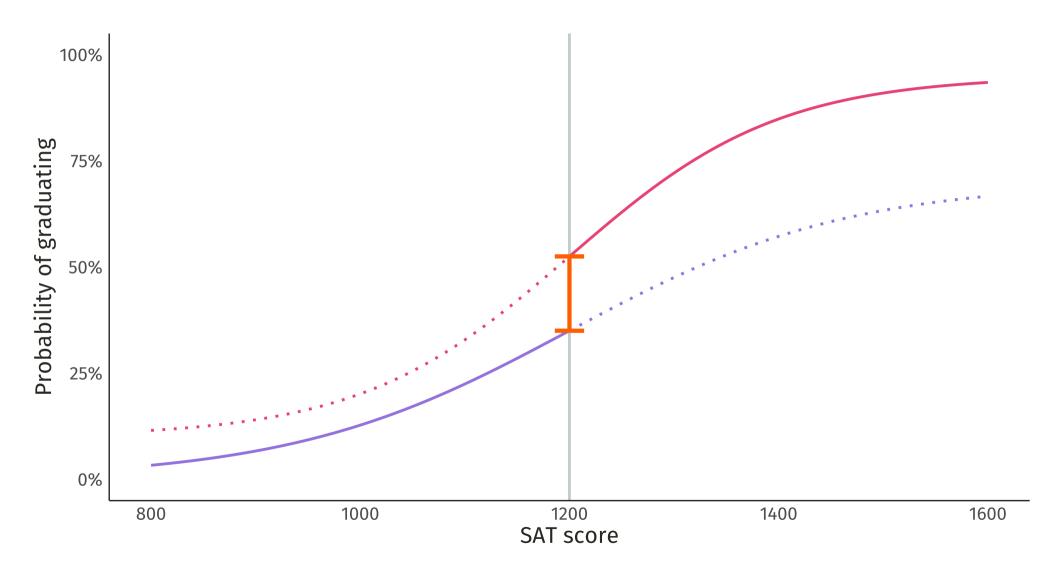
Let's start with potential graduation rates: $E[Y_{0,i} \mid SAT_i]$ and $E[Y_{1,i} \mid SAT_i]$.



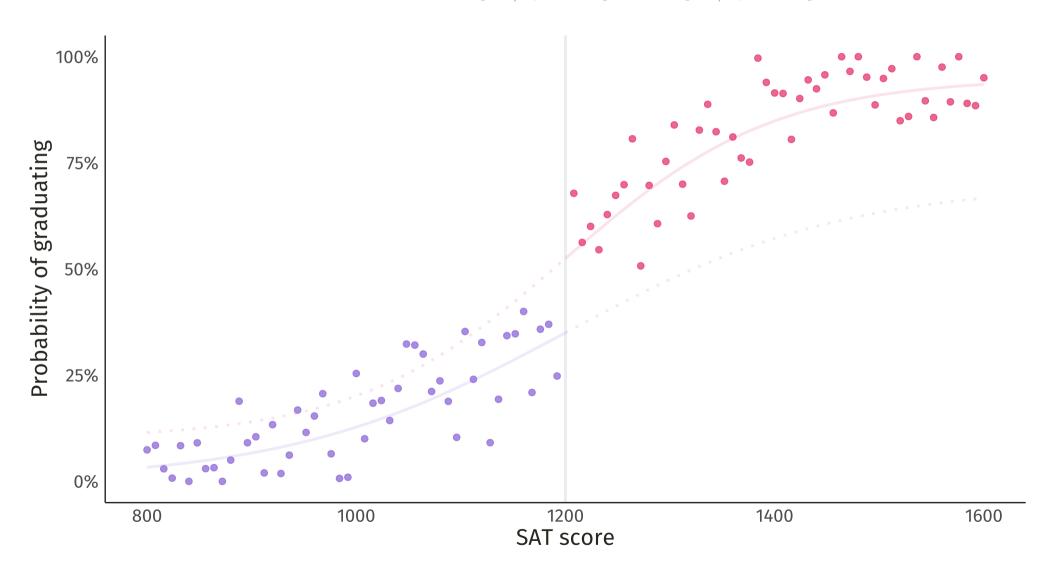
You only get a scholarship if if your **SAT score exceeds the cutoff score**.



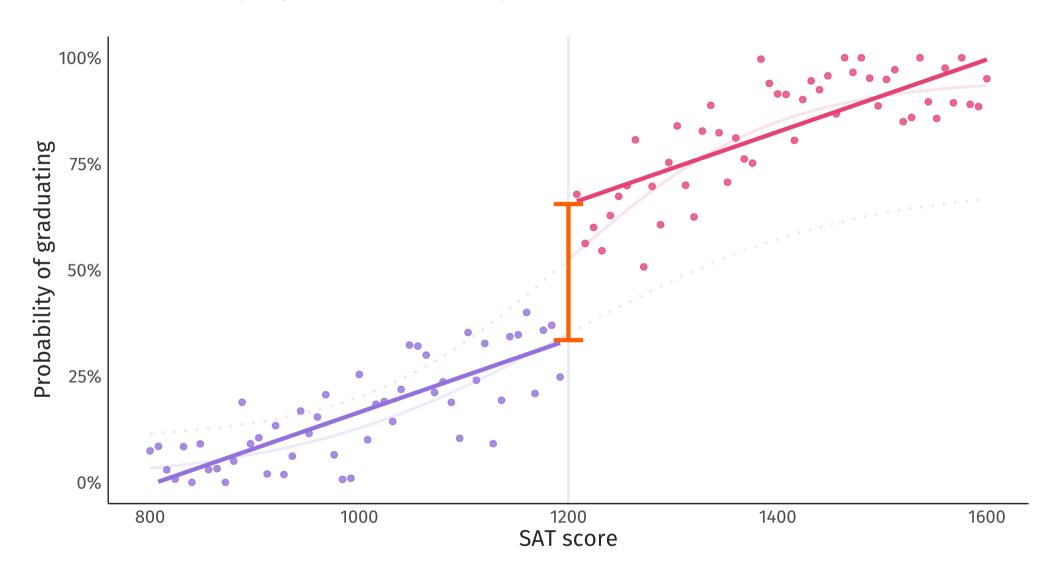
 $E[Y_{1,i} \mid SAT_i = 1200] - E[Y_{0,i} \mid SAT_i = 1200]$ gives the causal effect at the cutoff.



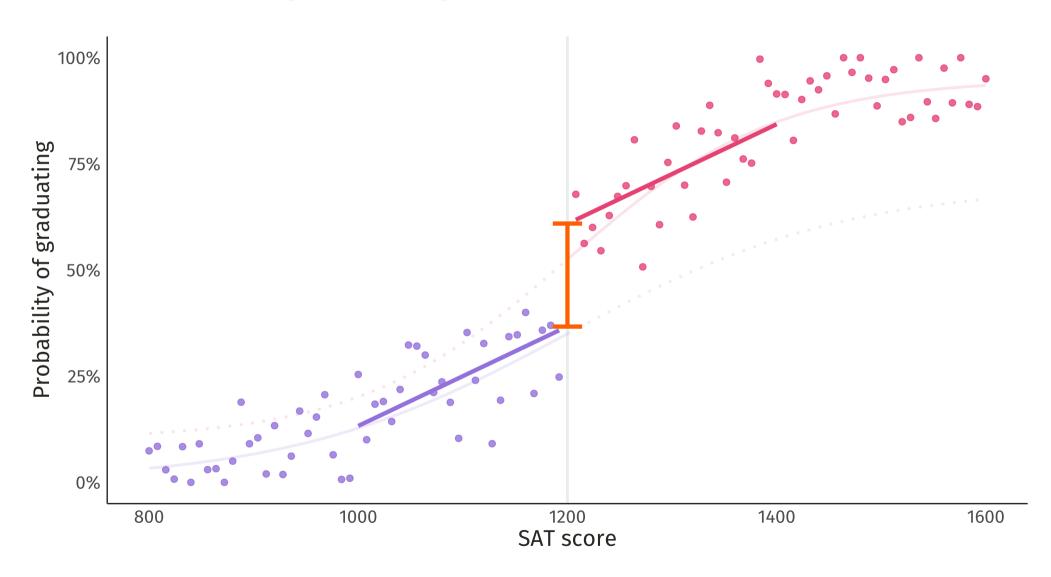
Using real data, researchers have to estimate $E[Y_{1,i} \mid SAT_i]$ and $E[Y_{0,i} \mid SAT_i]$.

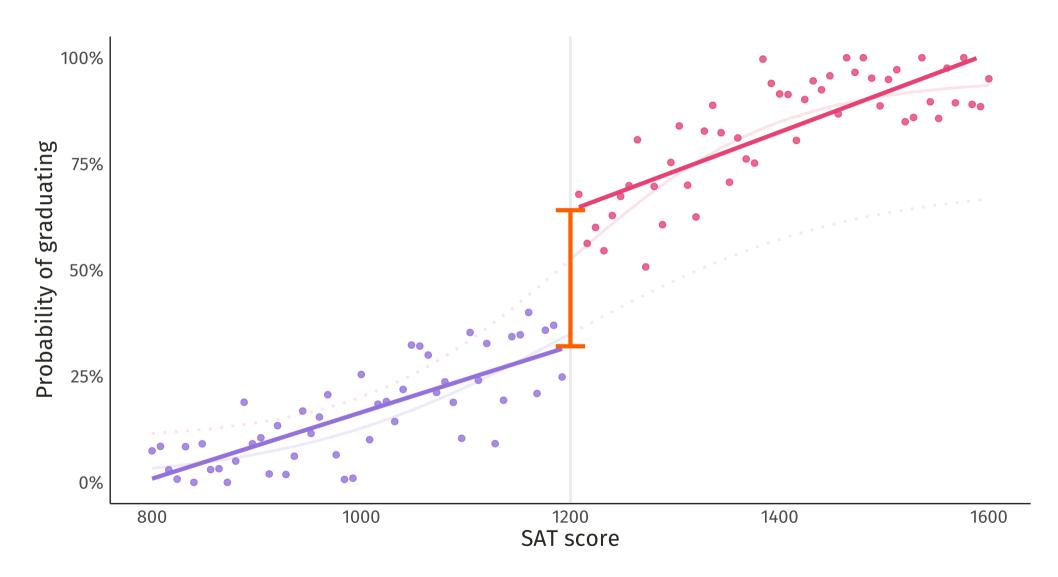


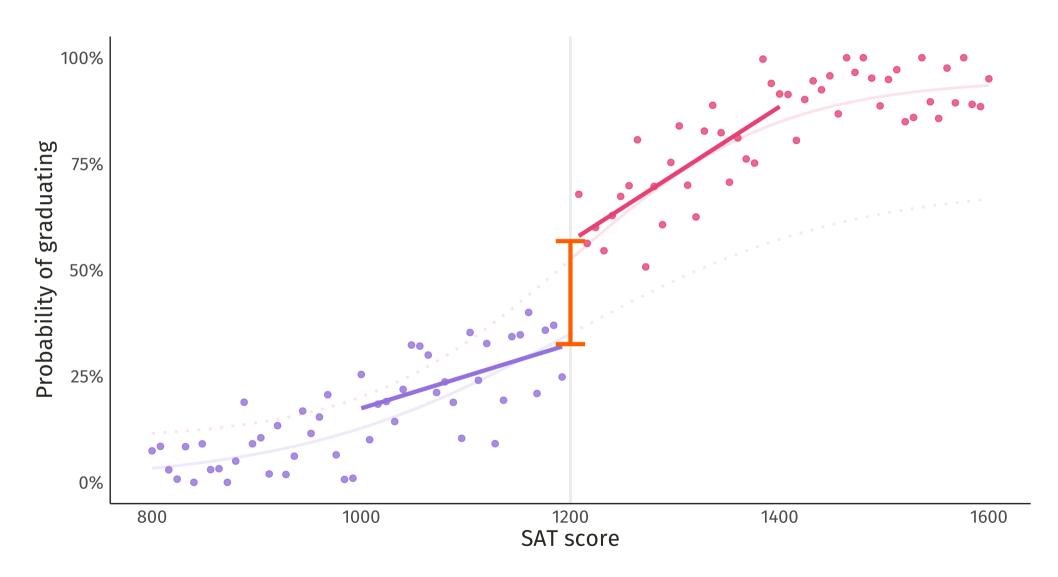
One way to estimate the **jump** is to estimate a regression on each side of the cutoff.

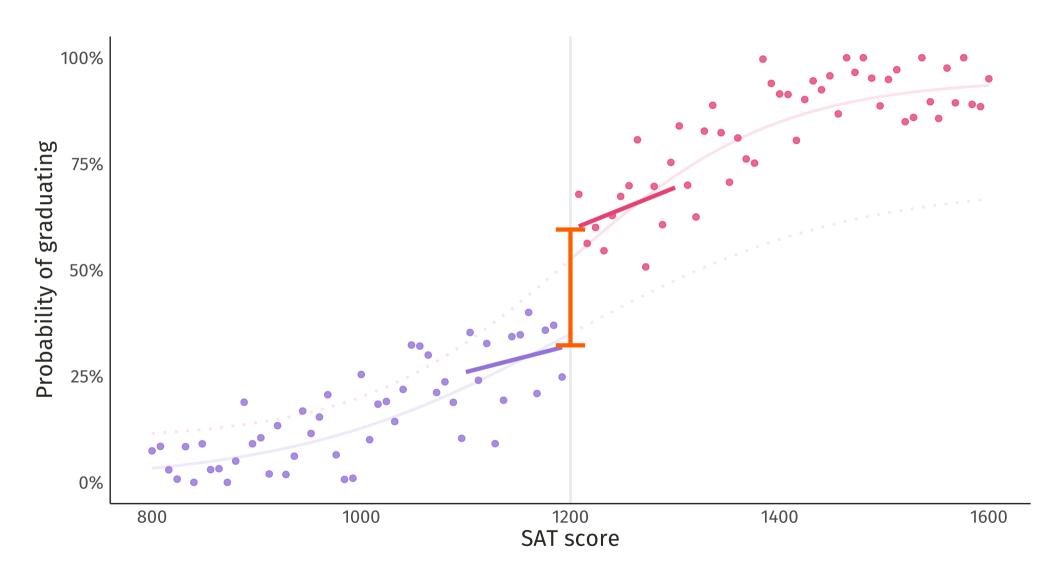


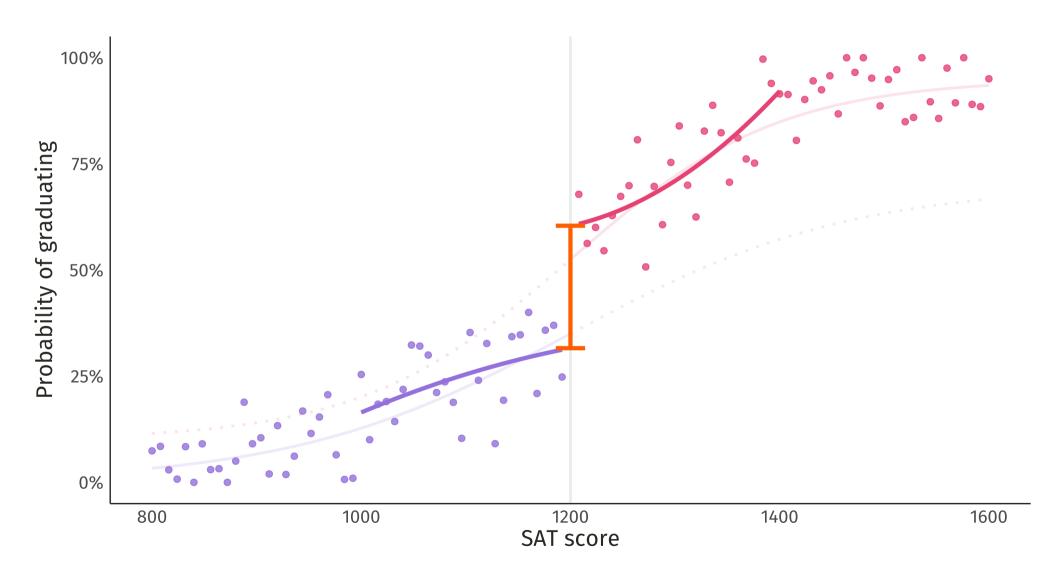
Another way is to estimate regressions using only data closer to the cutoff.

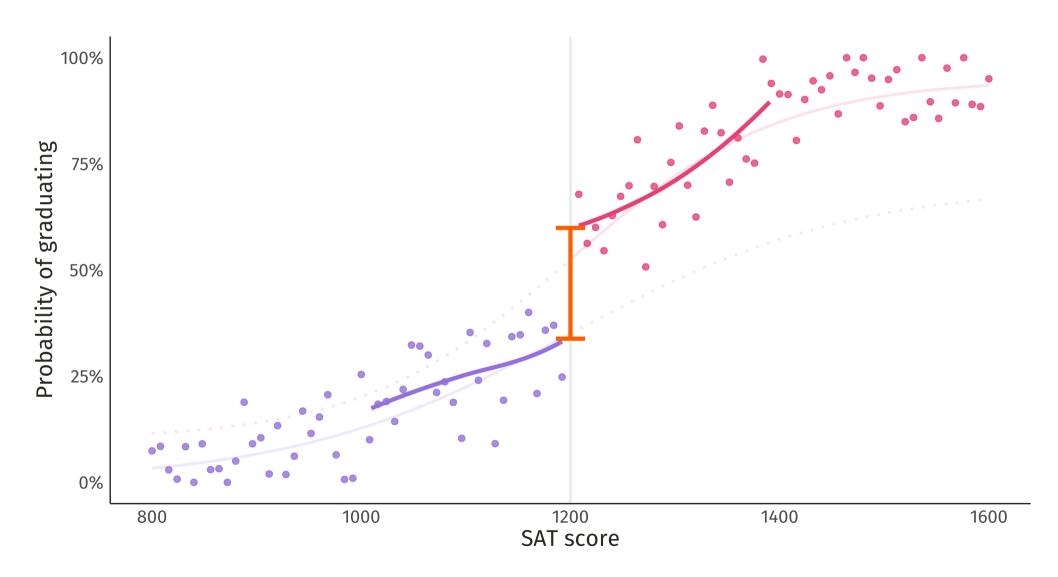


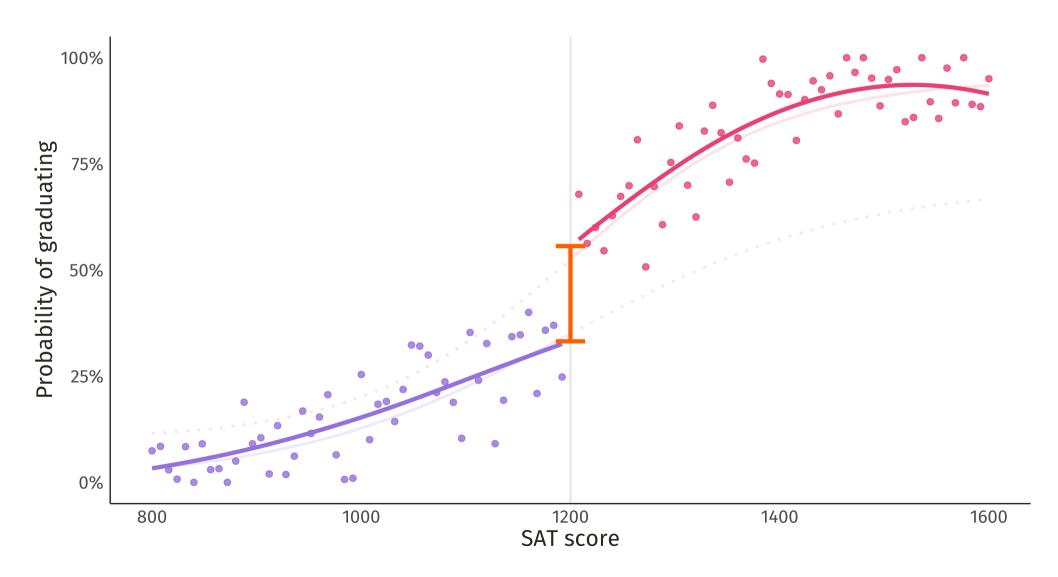




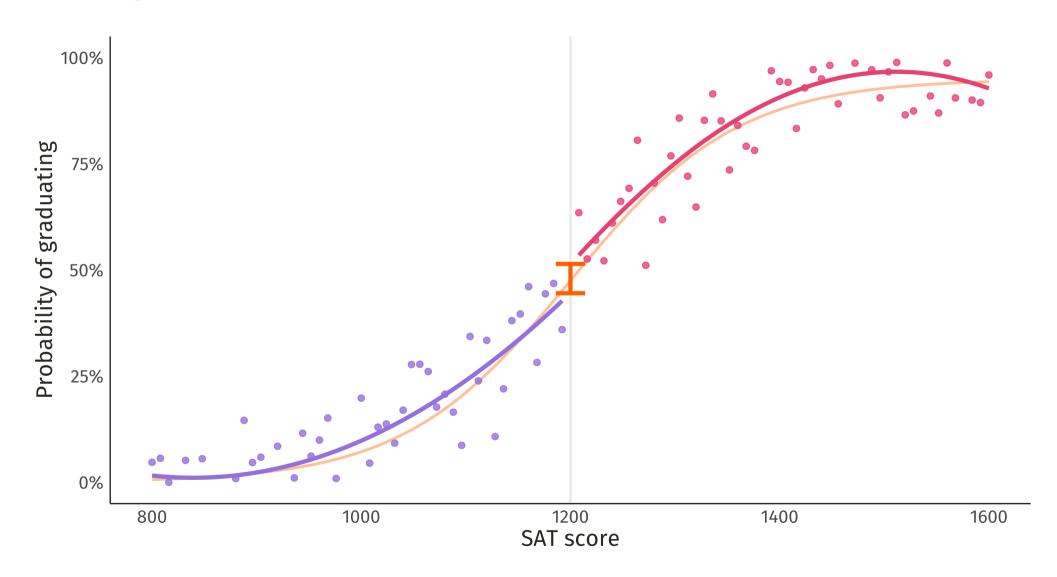








Some modeling choices can find an effect even if none exists!



Q: When should we trust a regression discontinuity comparison?

When is the comparison internally valid?

A: When we believe that **treatment is the only thing that changes** (other than observed outcomes) at the cutoff.

- 1. We don't want to see evidence of people **bunching** on one side of the threshold.
 - This could mean that people are **manipulating the assignment variable** near the cutoff so that they get the treatment.
 - Example: cheating among students who anticipate being close to the cutoff as a way to increase their score just enough to get the scholarship.
- 2. We don't want to see a "jump" in other variables at the cutoff.
 - This would mean that people on one side of the cutoff are **no longer comparable** to people on the other side!

Q: How can we tell if the treatment actually has a causal effect on the outcome?

A: The treatment has an effect if all three of the statements below are true.

- 1. We believe that the regression discontinuity comparison is **internally valid.**
- 2. We can see that the outcome variable "jumps" at the cutoff when we look at the raw data.
- 3. The estimate of the "jump" is **precise enough** to conclude that the effect is statistically significant.