Moving Target Indicators

Swrangsar Basumatary (09d07040) Chakradhar Thallapaka (09007046)

Department of Electrical Engineering IIT Bombay, Powai

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Single Delay Line Cancelers

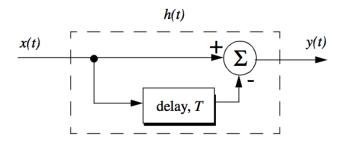


Figure: Single delay line canceler

Single Delay Line Cancelers

$$h(t) = \delta(t) - \delta(t - T)$$

$$H(\omega) = 1 - e^{-j\omega T}$$

$$|H(\omega)|^2 = H(\omega)H^*(\omega)$$

$$= (1 - e^{-j\omega T})(1 - e^{j\omega T})$$

$$= 2(1 - \cos\omega T)$$

$$= 4(\sin(\omega T/2))^2$$

Double Delay Line Cancelers

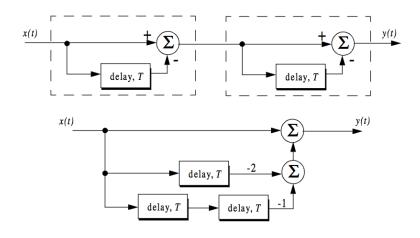
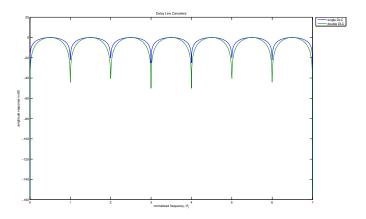


Figure: Two configurations for a double delay line canceler

Double Delay Line Cancelers

$$h(t) = \delta(t) - 2\delta(t - T) + \delta(t - 2T)$$
$$|H(\omega)|^2 = |H_1(\omega)|^2 |H_1(\omega)|^2$$
$$where |H_1(\omega)|^2 = 4(\sin(\omega T/2))^2$$
$$|H(\omega)|^2 = 16\left(\sin\left(\omega \frac{T}{2}\right)\right)^4$$

Delay Line Cancelers



Delay Lines with Feedback

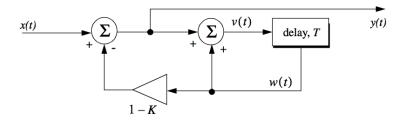
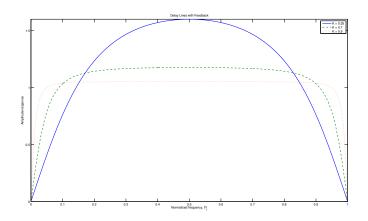


Figure: MTI recursive filter

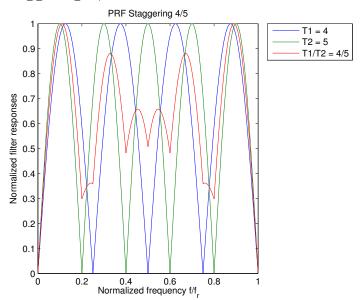
Delay Lines with Feedback

$$H(z) = \frac{1 - z^{-1}}{1 - Kz^{-1}}$$
$$|H(z)|^2 = \frac{(1 - z^{-1})(1 - z)}{(1 - Kz^{-1})(1 - Kz)}$$
$$= \frac{2 - (z + z^{-1})}{(1 + K^2) - K(z + z^{-1})}$$
$$|H(e^{j\omega T})|^2 = \frac{2(1 - \cos\omega T)}{(1 + K^2) - 2K\cos(\omega T)}$$

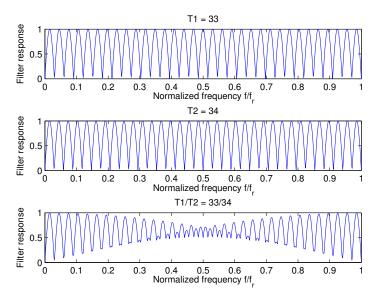
Delay Lines with Feedback



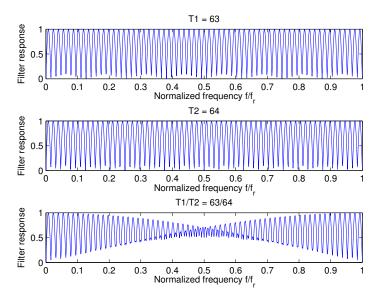
PRF Staggering 4/5



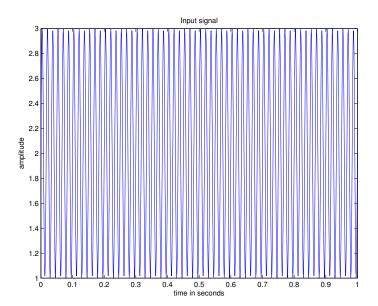
PRF Staggering 33/34



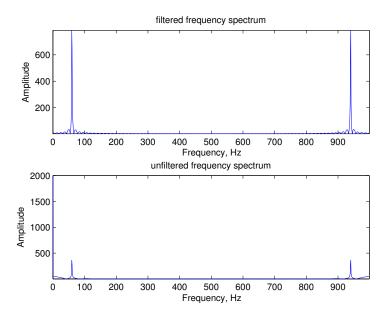
PRF Staggering 63/64



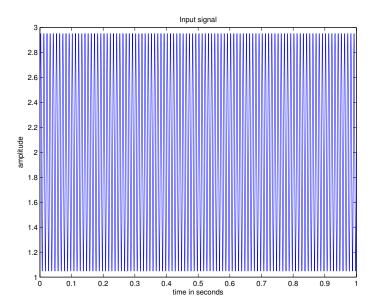
60Hz input



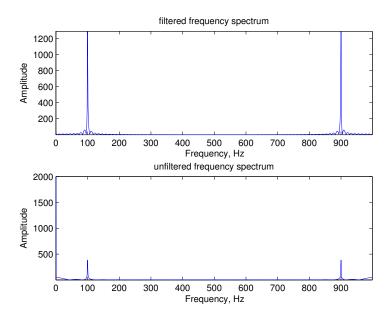
Filtered spectrum of 60Hz input



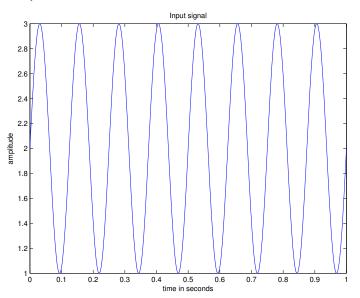
100Hz input



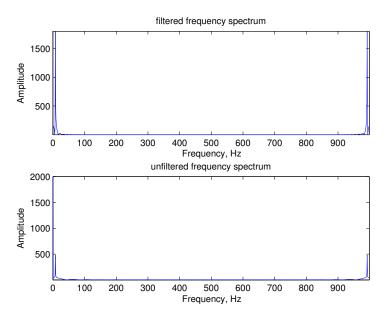
Filtered spectrum of 100Hz input



1008Hz input



Filtered spectrum of 1008Hz input



References

- Merrill I. Skolnik. Introduction to Radar Systems. McGraw-Hill, 2001.
- ► Bassem R. Mahafza. *Radar Systems Analysis and Design Using MATLAB*®. Chapman & Hall/CRC, 2000.

Thanks