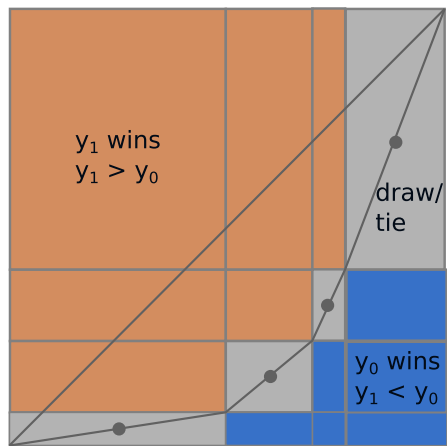


**PP plot illustration of ordinal effect measures
comparing $p(y \mid x = 0)$ to $p(y \mid x = 1)$ based on
the "independent draws" device**

$\text{cdf}(y_1)$



0

c_1

c_2

c_3

1

$\text{cdf}(y_0)$

0

r_1

r_2

r_3

r_4

1

$\text{ridit}(y_0) = \text{midrank}(y_0)/N$

1

N $\text{rank}(y_0)$

$\text{mean ridit}(y_1 \text{ w.r.t. } \text{cdf}(y_0))$
= area under diagonal

win ratio = orange : blue

win odds = above diagonal : below diagonal

win difference = orange - blue

orange ?= common language effect size

?= probability of superiority

?= win probability

?= AUROC

check handling of ties/grey

Mann-Whitney U statistic = (orange + grey/2) * N_0 * N_1

Somers' D = area above - area below (vs. win difference: ties?)

Note: both axes have the same number of levels

What about **average difference between the CDFs** (since CDF plots are natural)?