Big-O 7/7 points (100%)

Practice Quiz, 7 questions



1/1 points

1.

# Introduction and Learning Outcomes

The goal of this assignment is to practice with big-O notation.

Recall that we write f(n)=O(g(n)) to express the fact that f(n) grows no faster than g(n): there exist constants N and c>0 so that for all  $n\geq N$ ,  $f(n)\leq c\cdot g(n)$ .

Is it true that  $\log_2 n = O(n^2)$ ?



Yes

## Correct

A logarithmic function grows slower than a polynomial function.



No



1/1 points

2.

 $n\log_2 n = O(n)$ 



Yes



No

## Correct

To compare these two functions, one first cancels n. What is left is  $\log_2 n$  versus 1. Clearly,  $\log_2 n$  grows faster than 1.

Big-O

**~** 

1/1 points

7/7 points (100%)

Practice Quiz, 7 quest 3 ns

$$n^2 = O(n^3)$$



Yes

### Correct

 $n^a$  grows slower than  $n^b$  for constants a < b.

No



1/1 points

4.

$$n = O(\sqrt{n})$$





#### Correct

 $\sqrt{n}=n^{1/2}$  grows slower than  $n=n^1$  as 1/2<1.



1/1 points

5

$$5^{\log_2 n} = O(n^2)$$

Yes



#### Correct

Recall that  $a^{\log_b c}=c^{\log_b a}$  so  $5^{\log_2 n}=n^{\log_2 5}$  . This grows faster than  $n^2$  since  $\log_2 5=2.321\ldots>2$  .

1/1 points

Big-O

7/7 points (100%)

Practice Quiz, 7 questions  $n^5 = O(2^{3\log_2 n})$ 

Yes

No

 $2^{3\log_2 n} = (2^{\log_2 n})^3 = n^3$  and  $n^3$  grows slower than  $n^5$ .



1/1 points

 $2^n = O(2^{n+1})$ 



Yes

 $2^{n+1}=2\cdot 2^n$  , that is,  $2^n$  and  $2^{n+1}$  have the same growth rate and hence  $2^n = \Theta(2^{n+1})$ .

No





