

# Plotting with Matplotlib

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## Pacchetto `matplotlib`

**The main plotting package in Python is matplotlib**

It can be used to build all sorts of scientific plot

- `matplotlib` is an extensive package
- ...And we'll use just a small part of its capabilities

If you are interested, the online documentation is very well done

**Plots are built in `matplotlib` by calling functions**

- A function is used to construct an (empty) figure
- ...Then other functions populate the figure with graphical elements
- ...And yet other functions can modify the figure properties

**We'll see how to use a few key functions step by step**



# Preparing Plot

First, we need to import the `matplotlib` module

```
In [1]: from matplotlib import pyplot as plt
```

- The alias `plt` is usually employed for `pyplot` when importing

Then, we build a new figure using `figure`

```
In [2]: plt.figure(figsize=(20, 3))
```

```
Out[2]: <Figure size 2000x300 with 0 Axes>
```

```
<Figure size 2000x300 with 0 Axes>
```

- We can specify the size with the (optional) `figsize` parameter
- Size is specify as a tuple in the `(width, height)` form



# The `plot` Function

## We can draw curves using the `plot` function

In this example, we'll use it to draw the function:  $f(x) = \sin(x) + 0.1x$

- First, we build arrays with the  $x$  and  $y$  coordinates of points on the curve

```
In [3]: import numpy as np

x = np.linspace(0, 10, 12)
y = np.sin(x) + 0.1 * x
n = 4
print(f'First {n} elements of x: {x[:n]}')
print(f'First {n} elements of y: {y[:n]}')
```

```
First 4 elements of x: [0.          0.90909091  1.81818182  2.72727273]
First 4 elements of y: [0.          0.87985455  1.15137413  0.67529476]
```

- We use `linspace` to define a sequence of  $x$  values
- ...Then we use `numpy` operations to evaluate the function for those points

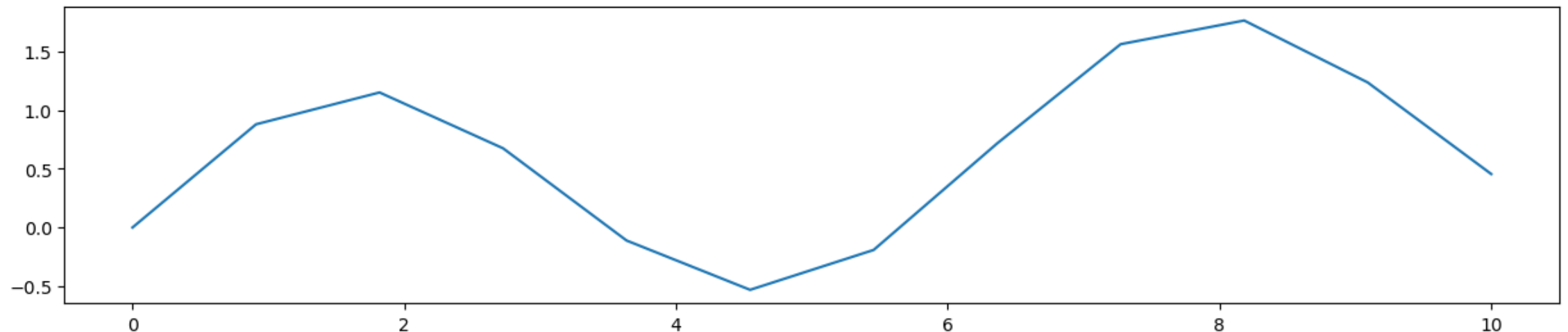


# The `plot` Function

Now we can call `plot(x, y, ...)` to draw the curve

- The `x` and `y` parameters are iterables with `x` and `y` coordinates
- The function draws a curve by connecting adjacent points

```
In [4]: plt.figure(figsize=(15, 3))  
plt.plot(x, y)  
plt.show()
```

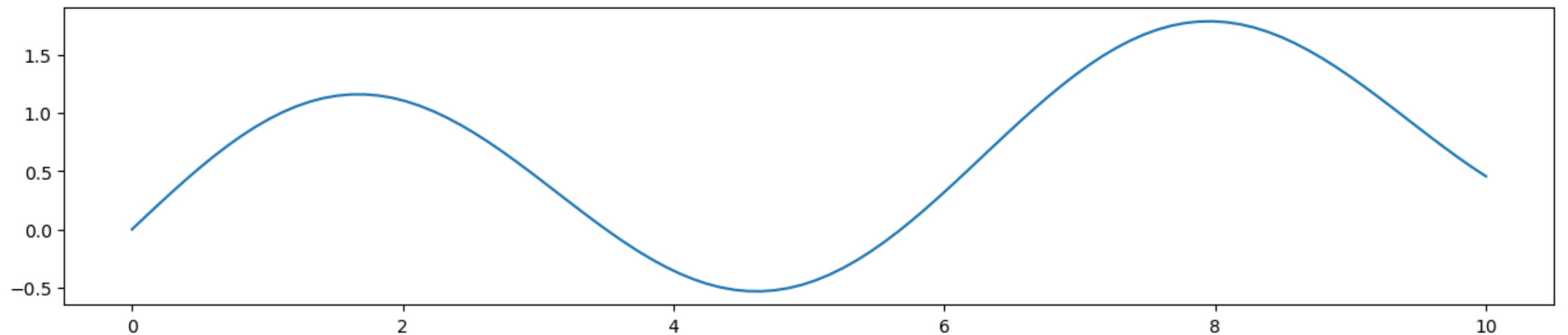


# The `plot` Function

We can improve the plot quality by just using more points

```
In [5]: x = np.linspace(0, 10, 100)
y = np.sin(x) + 0.1 * x

plt.figure(figsize=(15, 3))
plt.plot(x, y)
plt.show()
```

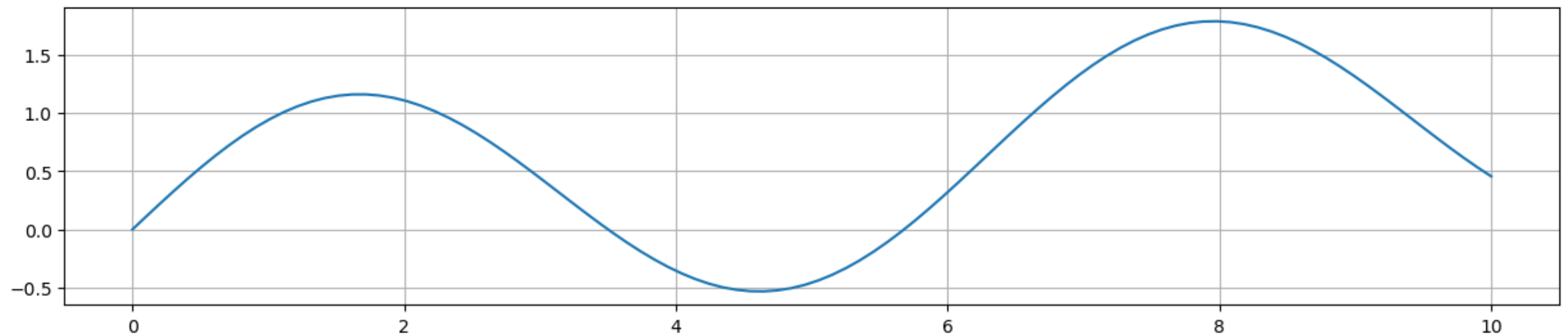


# The `plot` Function

We can add a reference grid by calling `grid`

```
In [6]: x = np.linspace(0, 10, 100)
y = np.sin(x) + 0.1 * x

plt.figure(figsize=(15, 3))
plt.plot(x, y)
plt.grid()
plt.show()
```

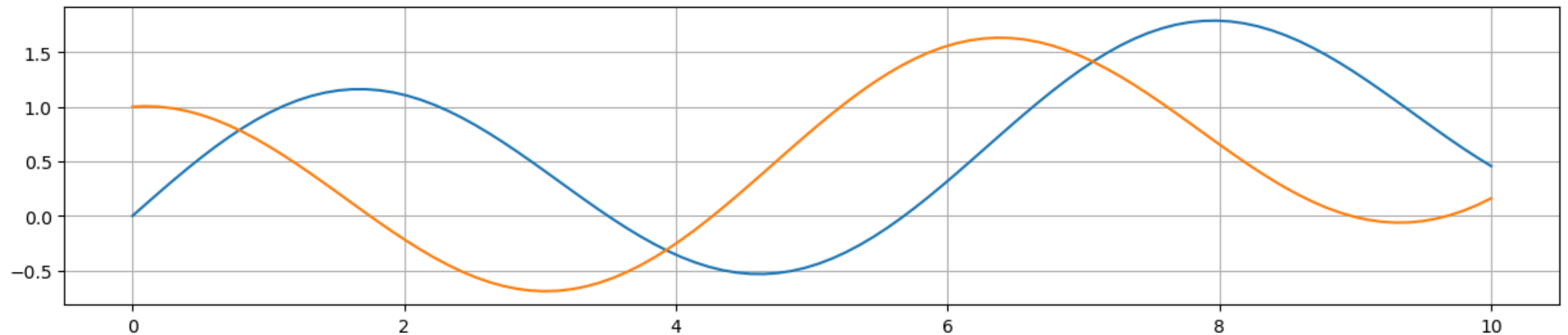


# The `plot` Function

We can also draw multiple curves on the same plot

```
In [7]: x = np.linspace(0, 10, 100)
y = np.sin(x) + 0.1 * x
y2 = np.cos(x) + 0.1 * x

plt.figure(figsize=(15, 3))
plt.plot(x, y)
plt.plot(x, y2) # Disegno la seconda curva
plt.grid()
plt.show()
```



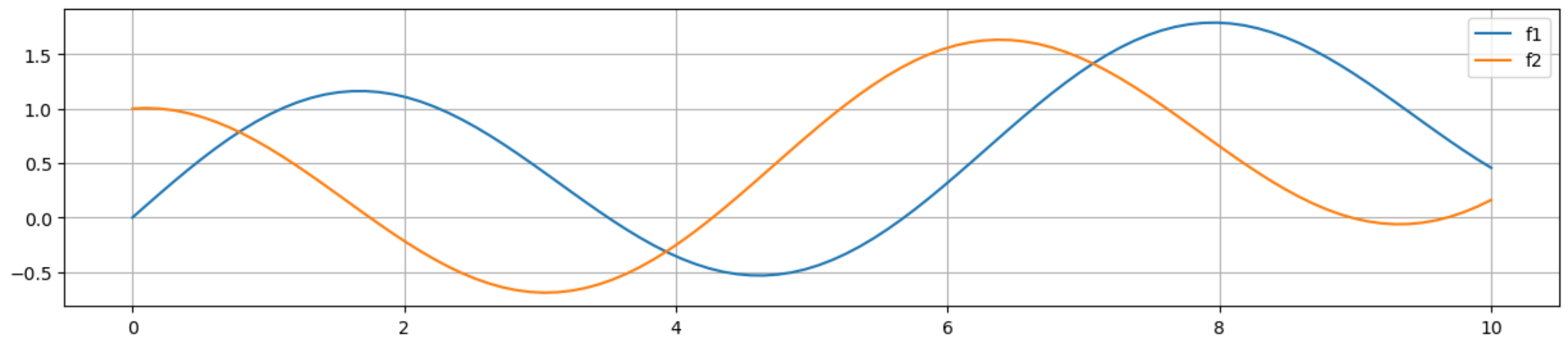


# The `plot` Function

We can assign a label to each curve, then call `draw a legend with legend`

```
In [8]: x = np.linspace(0, 10, 100)
y = np.sin(x) + 0.1 * x
y2 = np.cos(x) + 0.1 * x

plt.figure(figsize=(15, 3))
plt.plot(x, y, label='f1')
plt.plot(x, y2, label='f2')
plt.grid()
plt.legend()
plt.show()
```



# Exercise

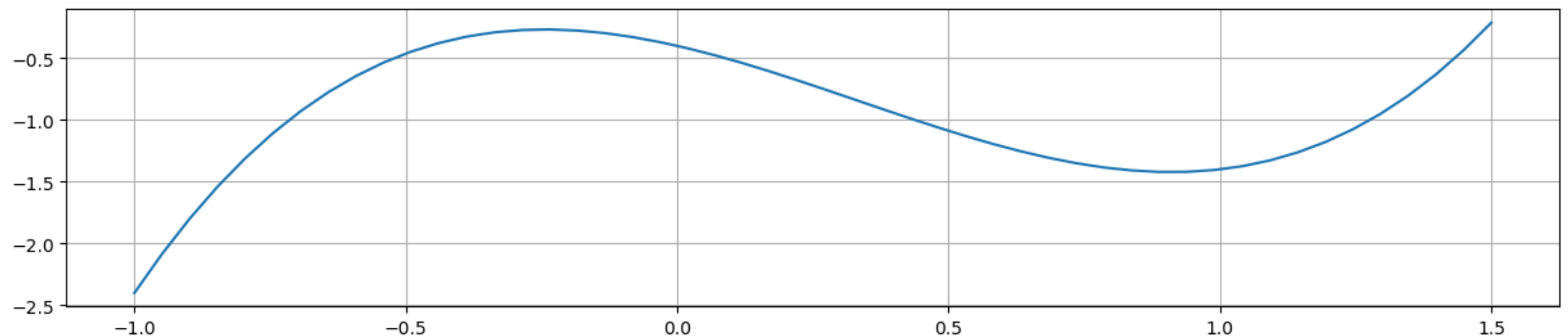
Consider the function  $1.5x^3 - 1.5x^2 - x - 0.4$

- Draw it on the interval  $[-1, 1.5]$ , by using a different number of points

```
In [10]: import numpy as np
from matplotlib import pyplot as plt

x = np.linspace(-1, 1.5)
y = 1.5*x**3 - 1.5 * x**2 - x - 0.4

plt.figure(figsize=(15, 3))
plt.plot(x, y)
plt.grid()
plt.show()
```



# Exercise

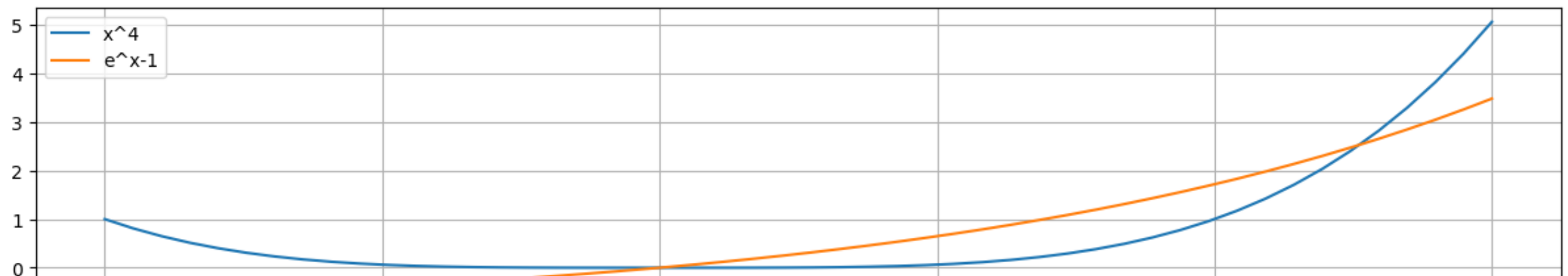
## Compare on the $[0, 10]$ interval

...The functions  $x^4$  and  $e^x - 1$

```
In [11]: import numpy as np
from matplotlib import pyplot as plt

x = np.linspace(-1, 1.5)
y1 = x**4
y2 = np.exp(x) - 1

plt.figure(figsize=(15, 3))
plt.plot(x, y1, label='x^4')
plt.plot(x, y2, label='e^x-1')
plt.grid()
plt.legend()
plt.show()
```



## Exercise

Visuallmente determinare per quali  $x$  valori la seguente funzione è 0

$$\sin(x) - \frac{1}{2}(e^x - 1)$$

- Procedere disegnando la curva e verificando dove attraversa l' $x$ -*axis*

```
In [12]: import numpy as np
         from matplotlib import pyplot as plt

         x = np.linspace(-1, 1.5)
         y = np.sin(x) - 0.5 * (np.exp(x) - 1)

         plt.figure(figsize=(15, 3))
         plt.plot(x, y)
         plt.grid()
         plt.show()
```

