

# Pandas and Dataset Inspection

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# An Example Problem

Let's assume we want to estimate real-estate prices in Taiwan



# The Data File

**Data for this problem is available (in csv format) from the `data` folder**

On Linux/OS X or on the Windows Powershell check it by running this:

```
In [33]: !ls data  
  
real_estate.csv
```

On a classic Windows command prompt you can run instead:

```
In [34]: !dir data  
  
real_estate.csv
```

- csv stand for "Comma Separated Values"
- It's a simple text-based data format

# Pandas

## You can read csv files

- Using notepad or any text editor
- Using excel (which imports them into worksheets)
- ...Or using Python

## In particular, we will rely on the pandas package

`pandas` is a python data-analysis library

- It can be used to load, inspect, and manipulate data
- With a focus on **tables** (called "dataframes" and series)

`pandas` is imported with:

```
In [35]: import pandas as pd
```

# Loading the Data

We can then load a csv file with `read_csv`

```
In [36]: import os
fname = os.path.join('data', 'real_estate.csv')
data = pd.read_csv(fname, sep=',')
data.head()
```

Out[36]:

	house age	dist to MRT	#stores	latitude	longitude	price per area
0	14.8	393.2606	6	24.96172	121.53812	7.6
1	17.4	6488.0210	1	24.95719	121.47353	11.2
2	16.0	4066.5870	0	24.94297	121.50342	11.6
3	30.9	6396.2830	1	24.94375	121.47883	12.2
4	16.5	4082.0150	0	24.94155	121.50381	12.8

- We use `os.path.join` to obtain a path that works on both Win and \*nix
- `read_csv` returns a `DataFrame` object
- The `head` methods returns a `DataFrame` with the first 5 rows
- Dataframes are displayed as html tables by Jupyter

# Indexing a Dataframe

The indexing operator for `DataFrame` objects is heavily overloaded

We can access a whole column by its `name`:

```
In [37]: data['house age']
```

```
Out[37]: 0      14.8  
         1      17.4  
         2      16.0  
         3      30.9  
         4      16.5  
         ...  
        409      0.0  
        410      0.0  
        411      35.4  
        412      37.2  
        413      10.8  
        Name: house age, Length: 414, dtype: float64
```

- Every column in a `DataFrame` is an object of the `series` class

# Indexing a Dataframe

Every `DataFrame` and `series` has a special field called an **index**

In the visualization, it's the first column (in bold font, with no name)

```
In [38]: data.head()
```

```
Out[38]:
```

	house age	dist to MRT	#stores	latitude	longitude	price per area
<b>0</b>	14.8	393.2606	6	24.96172	121.53812	7.6
<b>1</b>	17.4	6488.0210	1	24.95719	121.47353	11.2
<b>2</b>	16.0	4066.5870	0	24.94297	121.50342	11.6
<b>3</b>	30.9	6396.2830	1	24.94375	121.47883	12.2
<b>4</b>	16.5	4082.0150	0	24.94155	121.50381	12.8

It is analogous to a primary key in a database

- Every rows has an unique index value
- ...Which is used to identify and quickly access to the row

# Indexing a Dataframe

We can access the index with the `index` attribute

```
In [39]: data.index
```

```
Out[39]: RangeIndex(start=0, stop=414, step=1)
```

- Our DataFrame has a numeric index

We can access a row by its index value using the `loc` property

```
In [40]: data.loc[3]
```

```
Out[40]: house age      30.90000
dist to MRT    6396.28300
#stores        1.00000
latitude       24.94375
longitude      121.47883
price per area  12.20000
Name: 3, dtype: float64
```

- The results is once again a `series` object



# Indexing a Dataframe

**For a series that corresponds to a row**

...The index is the sequence of column names

```
In [41]: data.loc[3].loc['house age']
```

```
Out[41]: 30.9
```

- Therefore, we can use `loc` to retrieve a given column value
- We can even do both operations at once, by passing a tuple to `loc`

```
In [42]: data.loc[3, 'house age']
```

```
Out[42]: 30.9
```

# Indexing a Dataframe

Pandas supports also **positional** access

To see this, let's consider again the `series` for row 3

```
In [43]: r3 = data.loc[3]
r3
```

```
Out[43]: house age      30.90000
dist to MRT    6396.28300
#stores        1.00000
latitude       24.94375
longitude      121.47883
price per area  12.20000
Name: 3, dtype: float64
```

We can access an element by its position using the `iloc` property

```
In [44]: r3.iloc[1] # this is dist to MRT
```

```
Out[44]: 6396.283
```

# Indexing a Dataframe

## Positional access might be useful

...Since the "normal" index is attached to a row **even if it moves around**

- For example, if we reorder the rows in a `DataFrame`
- The index values **move together** with the rows:

```
In [45]: first_rows = data.loc[[2, 1, 5, 3, 4]]  
first_rows
```

Out[45]:

	house age	dist to MRT	#stores	latitude	longitude	price per area
<b>2</b>	16.0	4066.587	0	24.94297	121.50342	11.6
<b>1</b>	17.4	6488.021	1	24.95719	121.47353	11.2
<b>5</b>	32.0	1156.777	0	24.94935	121.53046	12.8
<b>3</b>	30.9	6396.283	1	24.94375	121.47883	12.2
<b>4</b>	16.5	4082.015	0	24.94155	121.50381	12.8

- In most cases, index access is more convenient
- For some algorithms the sequence matters and we need positional access

# Indexing a Dataframe

**We can use just the `[]` operator (without `loc` or `iloc`)**

...Pandas tries to understand which of the two we need:

```
In [46]: print(r3[3])  
         print(r3['latitude'])
```

```
24.94375  
24.94375
```

If there is an ambiguity, we get an error:

```
In [47]: data[3]
```

```
-----  
KeyError                                Traceback (most recent call last)  
File /opt/conda/lib/python3.10/site-packages/pandas/core/indexes/base.py:3802, in Index.get_loc  
c(self, key, method, tolerance)  
    3801 try:  
-> 3802     return self._engine.get_loc(casted_key)  
    3803 except KeyError as err:  
  
File /opt/conda/lib/python3.10/site-packages/pandas/_libs/index.pyx:138, in pandas._libs.index.IndexEngine.get_loc()
```

# A Possible Problem Statement

Now that we know better about `pandas`, let's look again at the data

```
In [48]: data.head()
```

```
Out[48]:
```

	house age	dist to MRT	#stores	latitude	longitude	price per area
0	14.8	393.2606	6	24.96172	121.53812	7.6
1	17.4	6488.0210	1	24.95719	121.47353	11.2
2	16.0	4066.5870	0	24.94297	121.50342	11.6
3	30.9	6396.2830	1	24.94375	121.47883	12.2
4	16.5	4082.0150	0	24.94155	121.50381	12.8

- The first four columns contain quantities that easy to estimate
- ...But that's not true for the last one!

**Obtaining price information requires actual houses to be sold and bought**

- Therefore, it might be useful to **learn a machine model**
- ...That can **estimate the price** based on the easily available information

# Using Histograms

Since our goal is roughly defined, it's **a good idea to inspect the dataset**

We will start by using **histograms**, i.e. plots with:

- On the x-axis: values for one attribute
- On the y-axis: occurrence count in the dataset

They are useful to display the **distribution** of each column

## Some comments:

- Continuous attributes are typically discretized (i.e. binned) first
- The counts can be normalized to obtain frequencies

## Histograms can be built directly from **pandas**

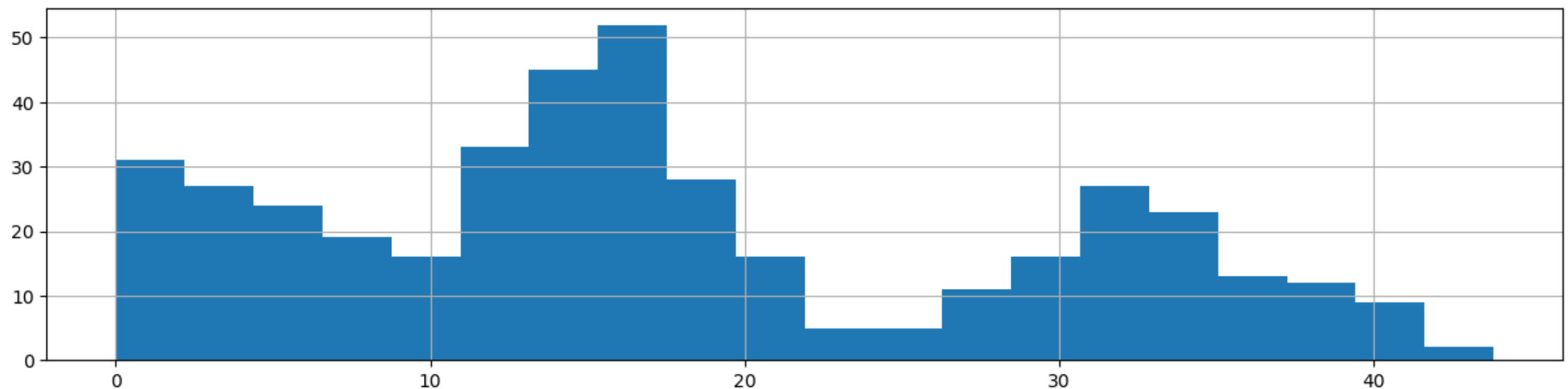
...By using the hist method.

- `matplotlib` is used behind the scenes and can be employed to add details
- ...Or as an alternative, if we need a more complex plot

# Dataset Inspection via Histograms

Let's inspect the "house age" attribute

```
In [50]: data['house age'].hist(figsize=figsize, bins=20);
```

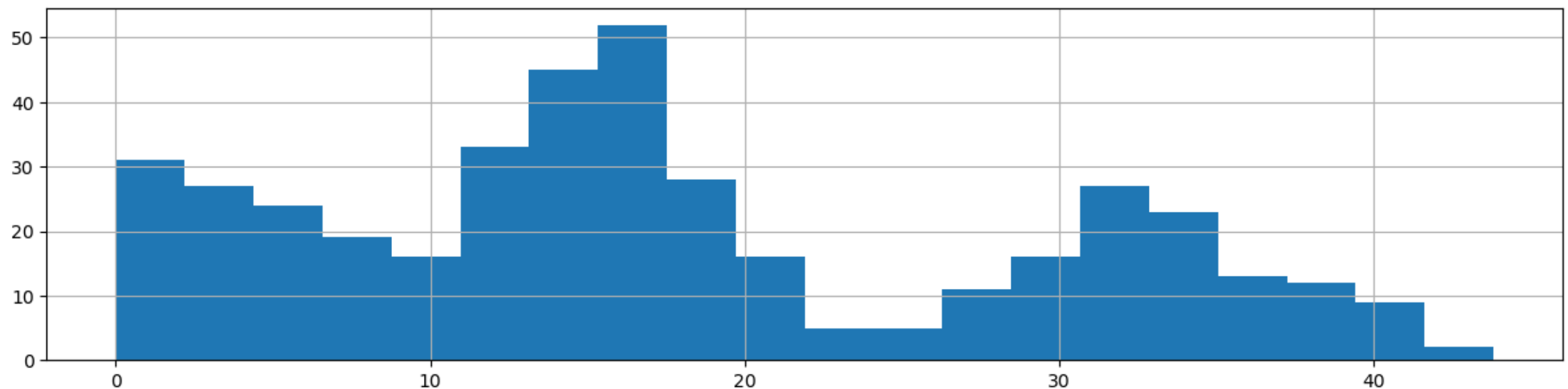


What can you say about that?

# Using Histograms

Let's inspect the "house age" attribute

```
In [51]: data['house age'].hist(figsize=figsize, bins=20);
```



- There seems to be two main clusters, roughly normally distributed
- Lower age values are roughly uniformly likely

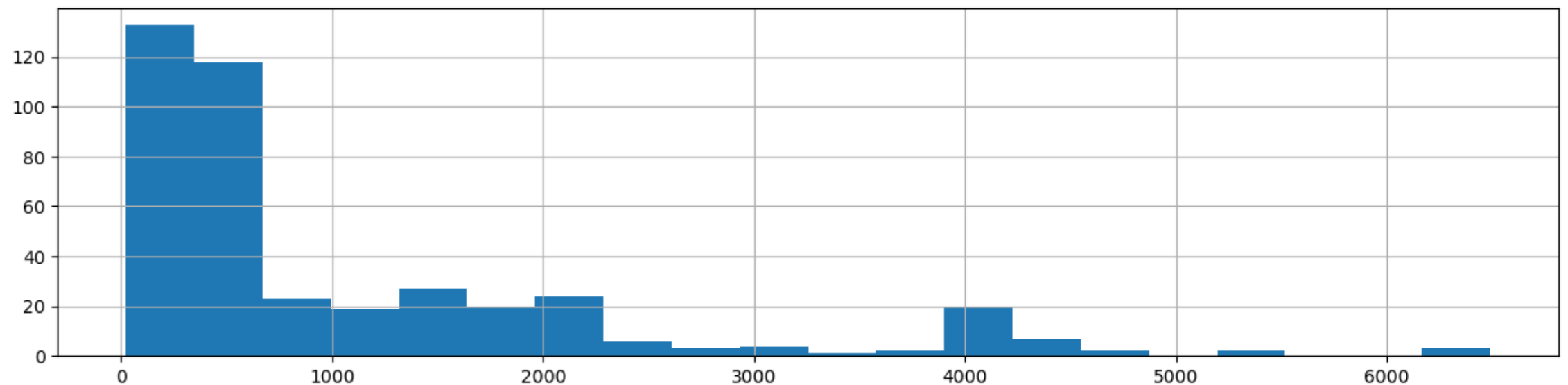
**Now, try building histograms for the other columns**



# Exercise: Using Histograms

Let's inspect the "dist to MRT" attribute

```
In [53]: data['dist to MRT'].hist(figsize=figsize, bins=20);
```

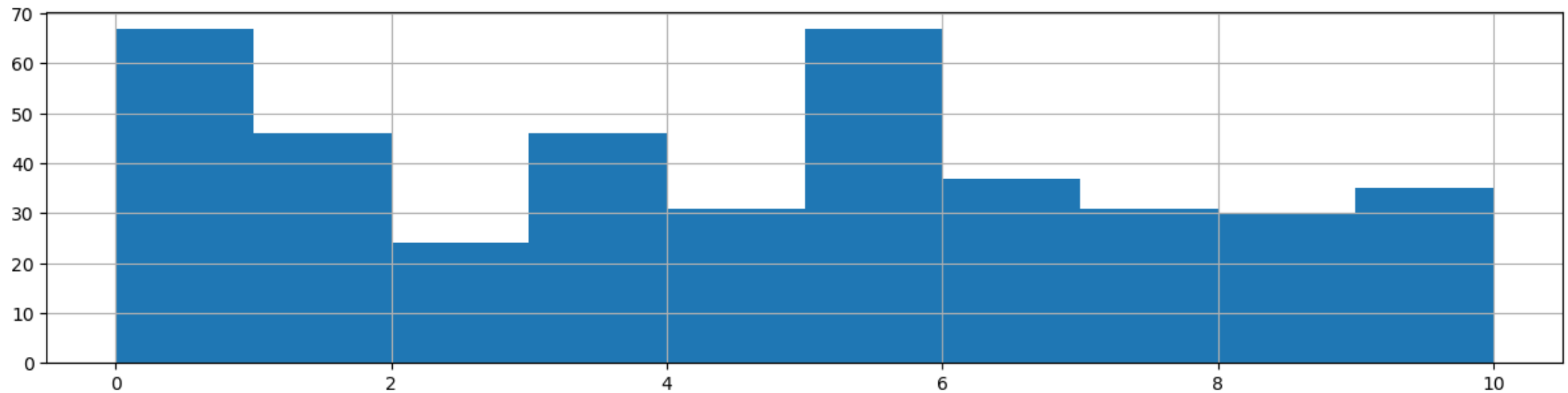


- This attribute has a large range and low values are much more prevalent

# Exercise: Using Histograms

Let's inspect the "#stores" attribute

```
In [54]: data['#stores'].hist(figsize=figsize, bins=10);
```

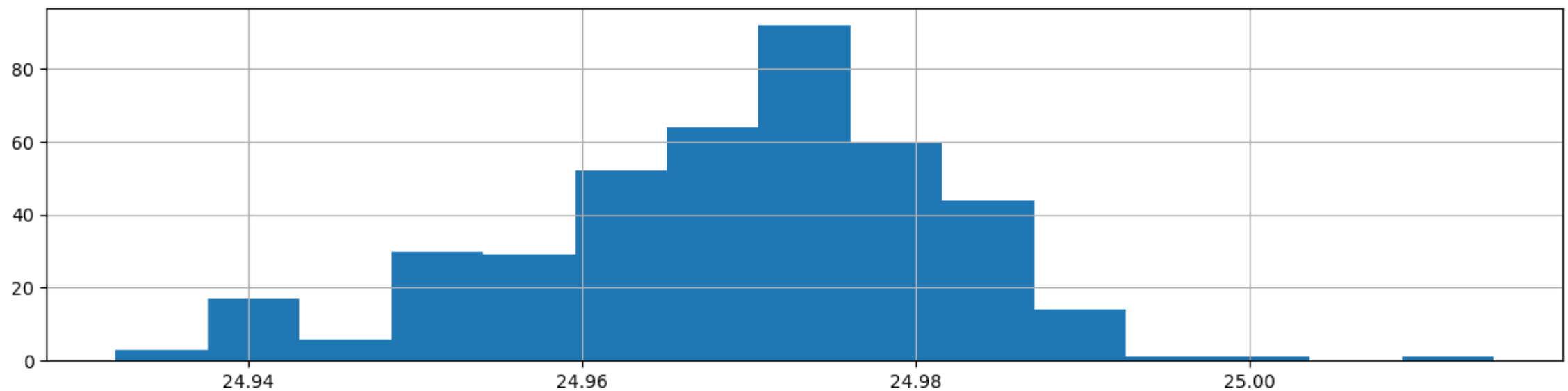


- The dataset covers rather uniformly the range for this attribute

# Exercise: Using Histograms

Let's inspect the "latitude" attribute

```
In [55]: data['latitude'].hist(figsize=figsize, bins=15);
```

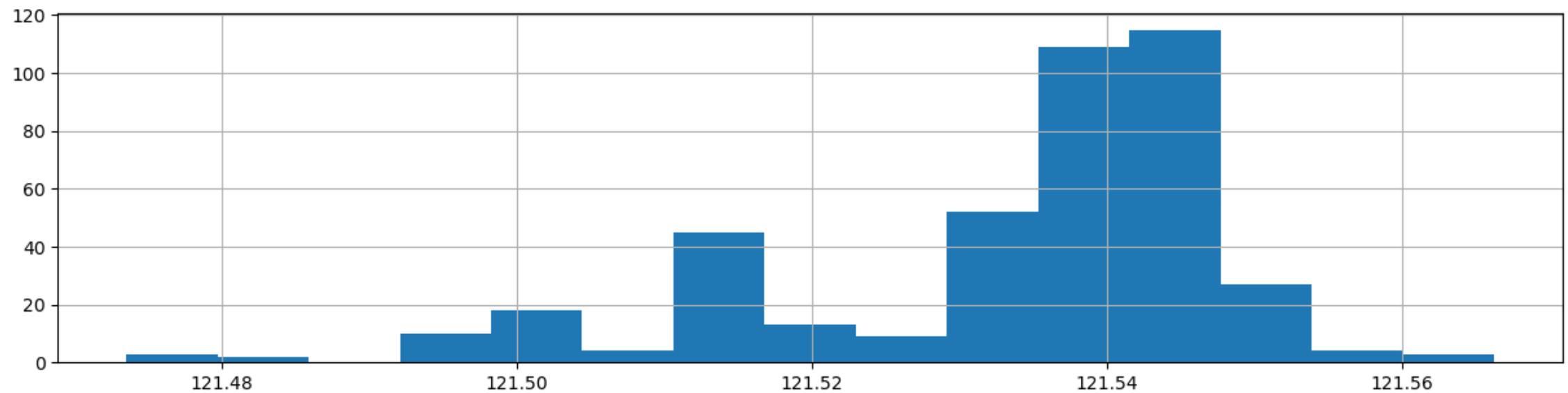


- There is a central cluster w.r.t. this attribute

# Exercise: Using Histograms

Let's inspect the "longitude" attribute

```
In [56]: data['longitude'].hist(figsize=figsize, bins=15);
```

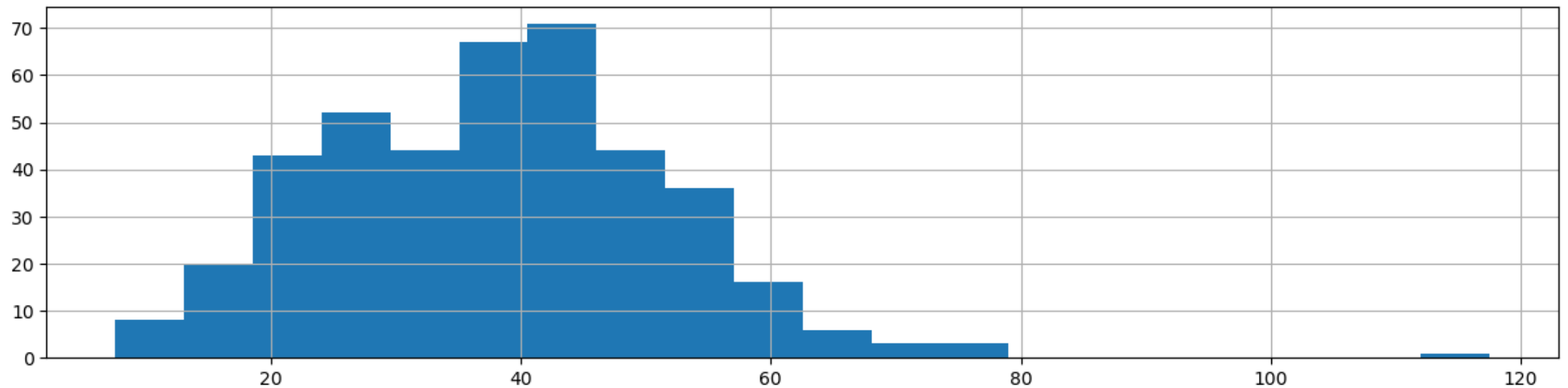


- The dataset is a bit less uniformly distributed w.r.t. longitude

# Exercise: Using Histograms

Let's inspect the target (i.e. "price per area")

```
In [57]: data['price per area'].hist(figsize=figsize, bins=20);
```



- There are a few significant outliers here

# Dataset Inspection via Cartesian Plots

We can obtain information about the distribution of each column

...By using statistics. For example we can call:

```
In [58]: data.describe()
```

Out[58]:

	house age	dist to MRT	#stores	latitude	longitude	price per area
count	414.000000	414.000000	414.000000	414.000000	414.000000	414.000000
mean	17.712560	1083.885689	4.094203	24.969030	121.533361	37.980193
std	11.392485	1262.109595	2.945562	0.012410	0.015347	13.606488
min	0.000000	23.382840	0.000000	24.932070	121.473530	7.600000
25%	9.025000	289.324800	1.000000	24.963000	121.528085	27.700000
50%	16.100000	492.231300	4.000000	24.971100	121.538630	38.450000
75%	28.150000	1454.279000	6.000000	24.977455	121.543305	46.600000
max	43.800000	6488.021000	10.000000	25.014590	121.566270	117.500000

- Statistics are a very compact way to convey information
- ...But they are also less rich than using a histogram

# Dataset Inspection via Cartesian Plots

## The third tool we'll use for dataset inspection

...Is given by Cartesian plots, which have:

- On the x-axis: the index value
- On the y-axis: the value of one attribute
- Consecutive points are connected by a line

## A few comments

- Cartesian plot are extremely useful with time series
- ...Where the index represents time, or a sequence number

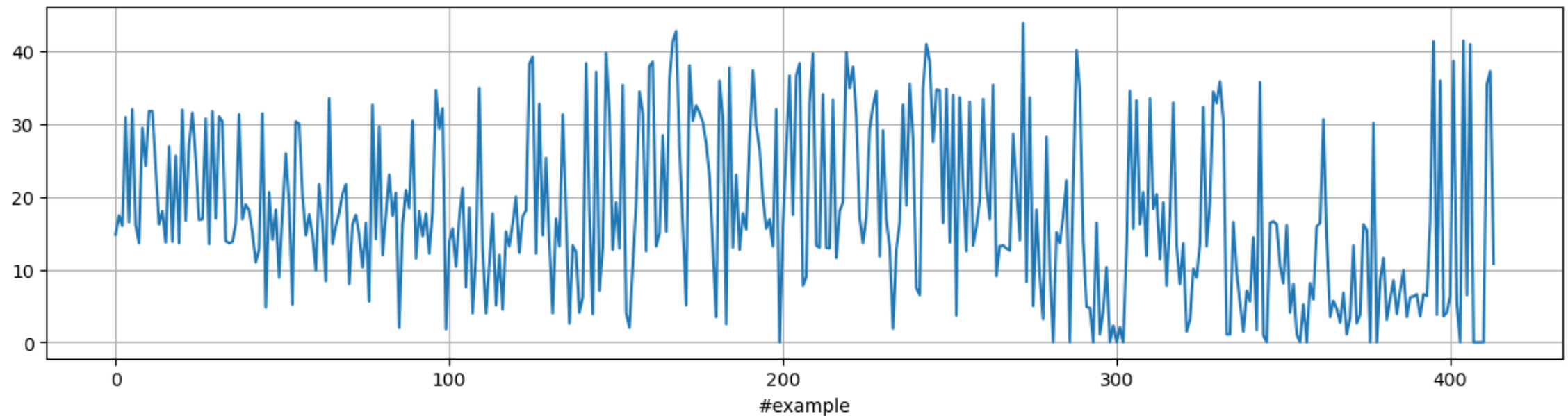
They are far less useful with non-sequential data

**That said, we are going to use them all the same**

# Using Cartesian Plots

Let's inspect the "house age" attribute

```
In [59]: data['house age'].plot(xlabel='#example', grid=':', figsize=figsize);
```



■ As expected, there is no significant pattern

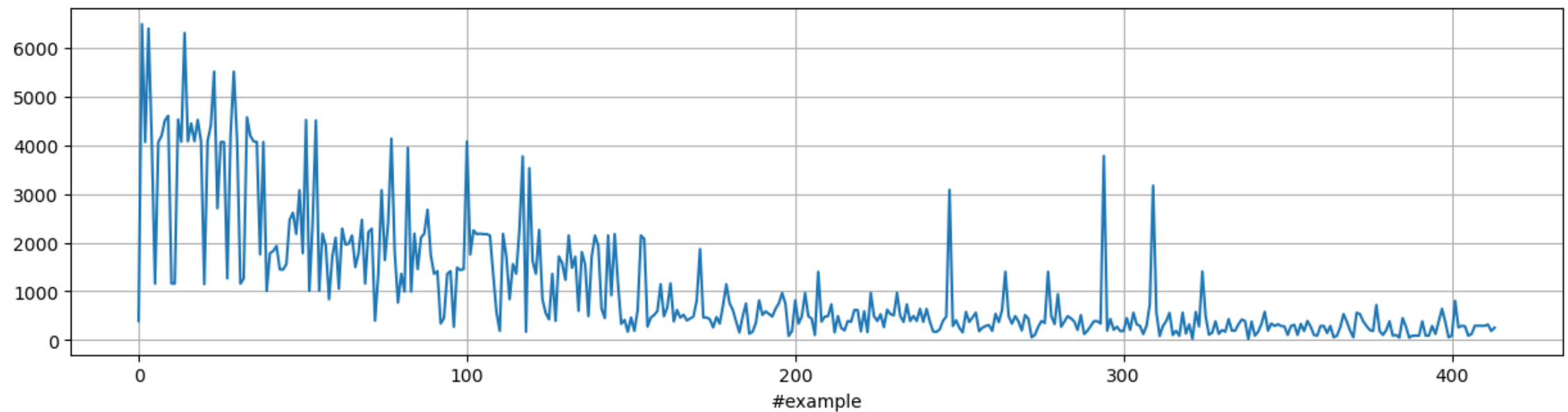
**Try making Cartesian plots for all attributes**



# Exercise: Using Cartesian Plots

Let's inspect the "dist to MRT" attribute

```
In [60]: data['dist to MRT'].plot(xlabel='#example', grid=':', figsize=figsize);
```

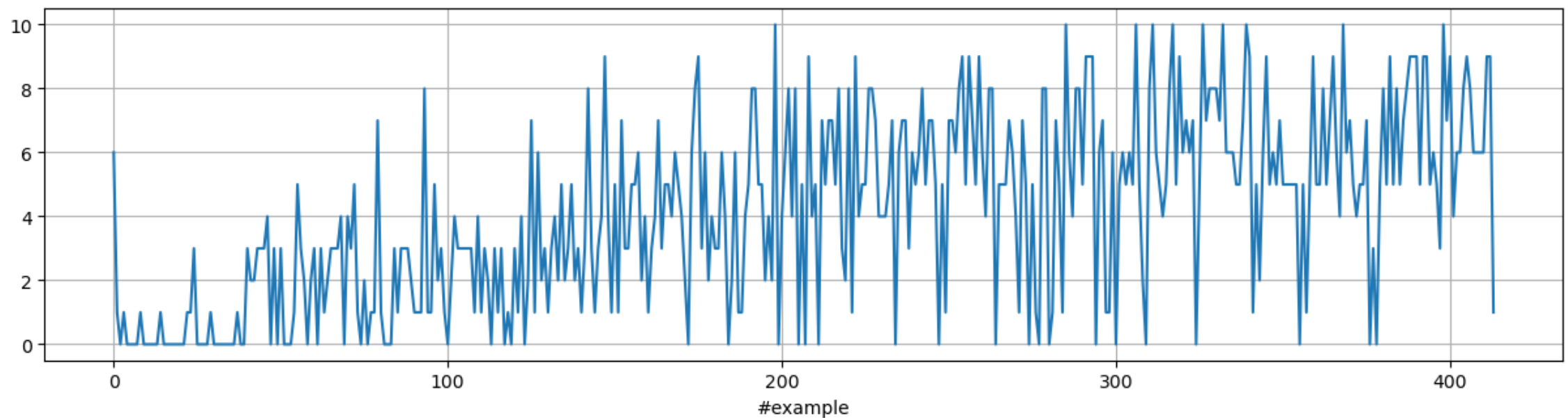


- This attribute roughly decreases along the table

# Exercise: Using Cartesian Plots

Let's inspect the "#stores" attribute

```
In [62]: data['#stores'].plot(xlabel='#example', grid=':', figsize=figsize);
```

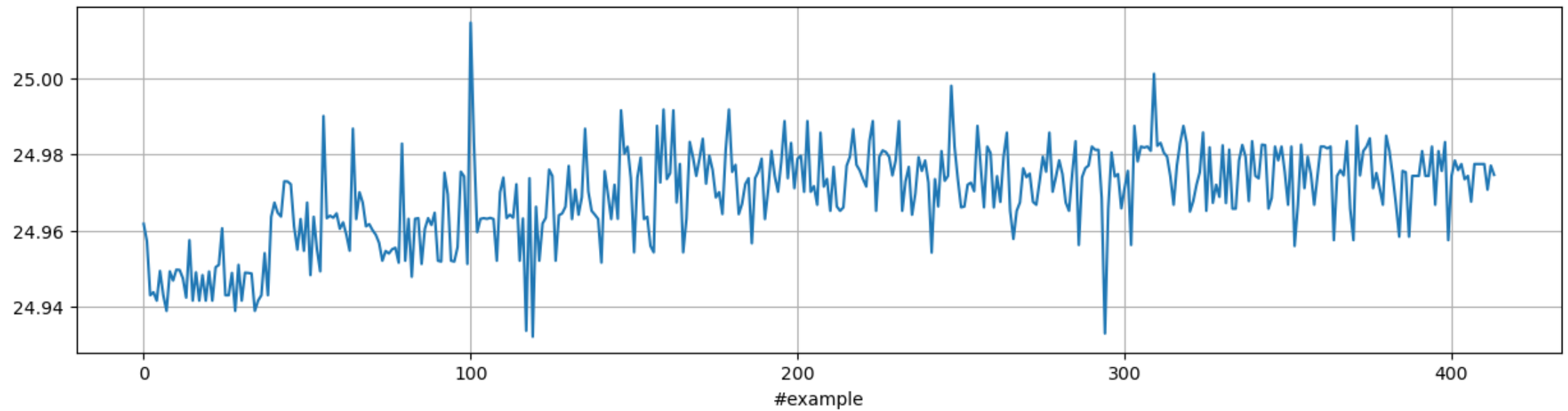


- This attribute roughly increases along the table

# Exercise: Using Cartesian Plots

Let's inspect the "latitude" attribute

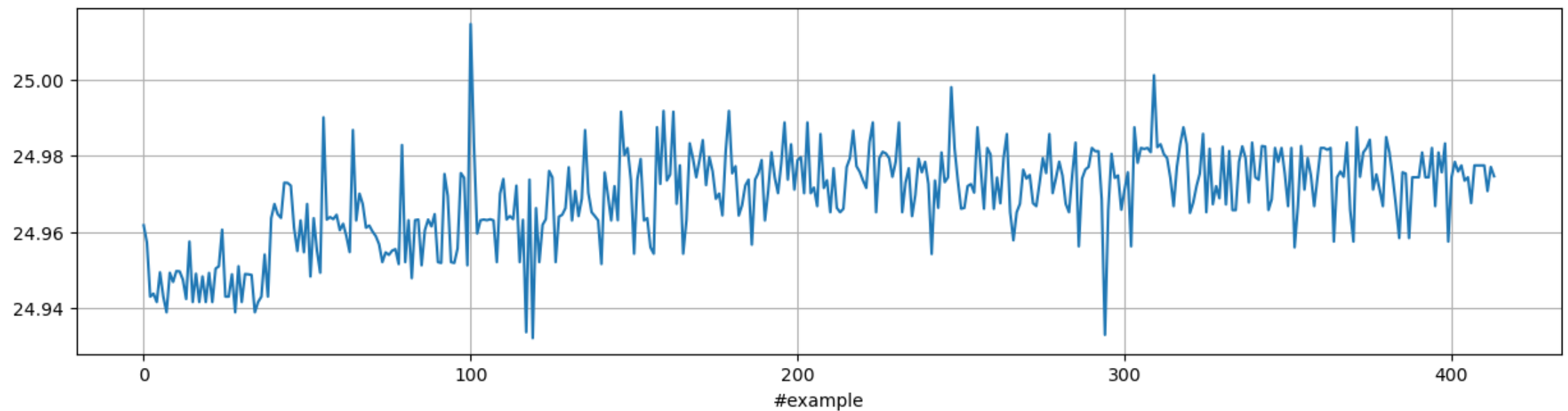
```
In [63]: data['latitude'].plot(xlabel='#example', grid=':', figsize=figsize);
```



# Exercise: Using Cartesian Plots

Let's inspect the "latitude" attribute

```
In [63]: data['latitude'].plot(xlabel='#example', grid=':', figsize=figsize);
```

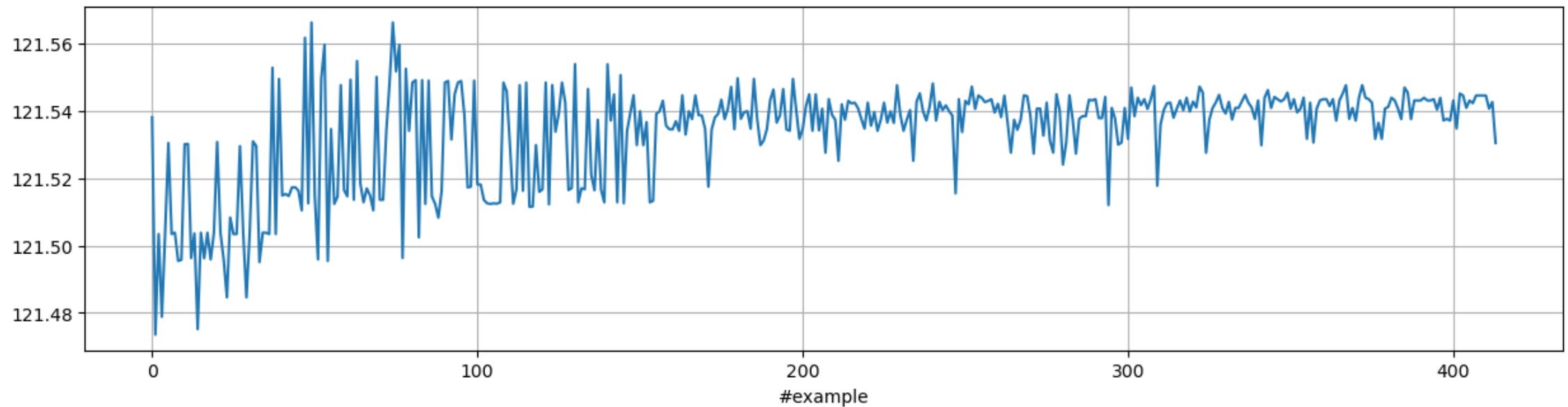


- This attribute roughly increases along the table

# Exercise: Using Cartesian Plots

Let's inspect the "longitude" attribute

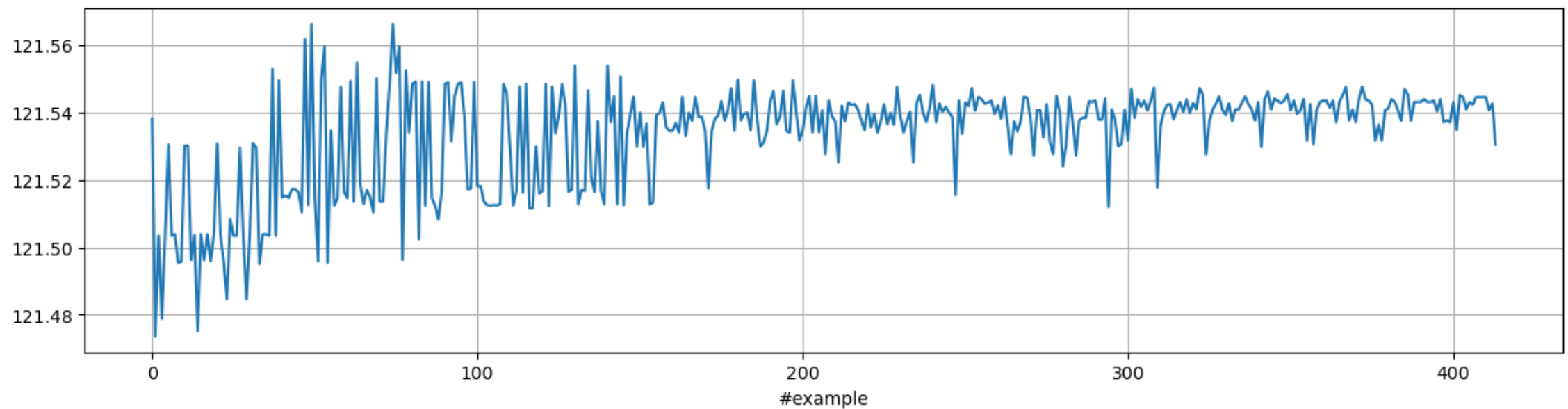
```
In [64]: data['longitude'].plot(xlabel='#example', grid=':', figsize=figsize);
```



# Exercise: Using Cartesian Plots

Let's inspect the "longitude" attribute

```
In [64]: data['longitude'].plot(xlabel='#example', grid=':', figsize=figsize);
```

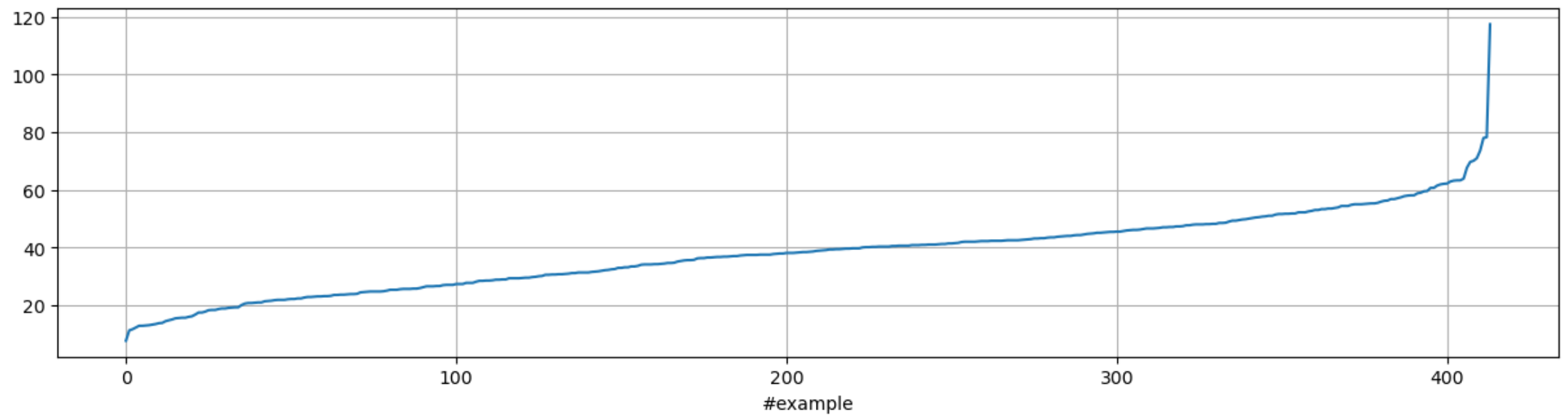


- This attribute roughly increases along the table

# Exercise: Using Cartesian Plots

Let's inspect the target (i.e. "price per area")

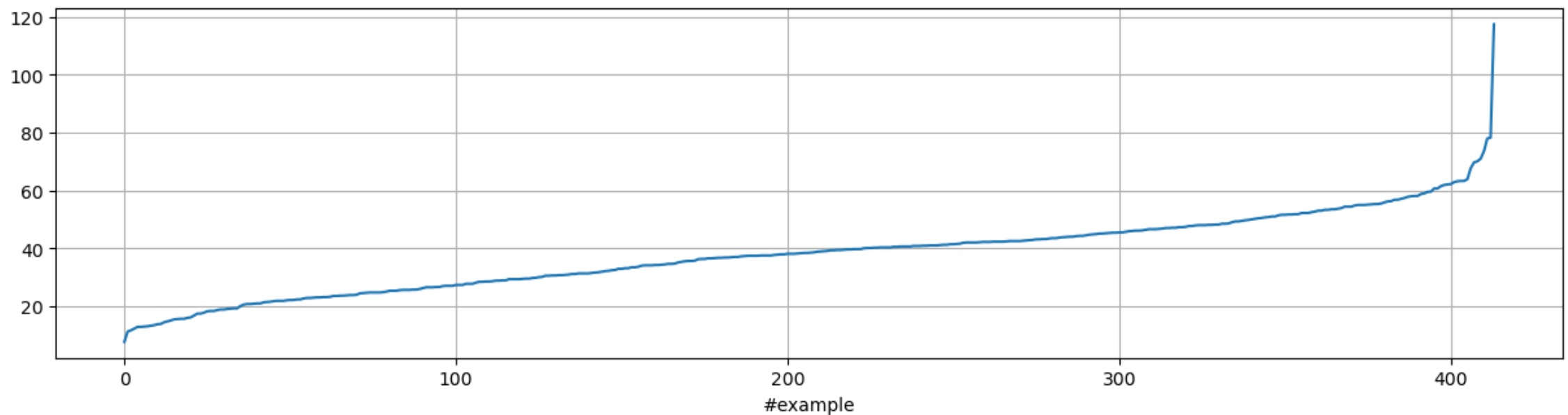
```
In [65]: data['price per area'].plot(xlabel='#example', grid=':', figsize=figsize);
```



# Exercise: Using Cartesian Plots

Let's inspect the target (i.e. "price per area")

```
In [65]: data['price per area'].plot(xlabel='#example', grid=':', figsize=figsize);
```



- The dataset is **sorted** according to this attribute!
- ...Which explains also the other observed patterns



# Dataset Inspection via Scatter Plots

## The fourth tool we'll use for dataset inspection

...Is given by scatter plots, which have:

- On the x-axis: the values for one attribute
- On the y-axis: the values for another attribute (usually the target)
- Points in scatter plot are **not** connected by a line

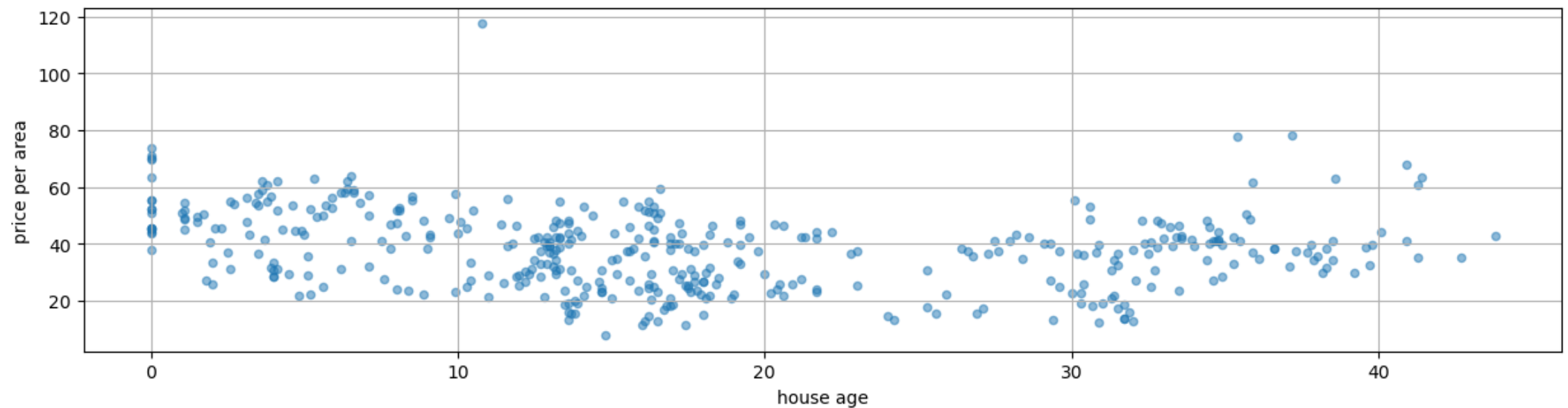
### Some comments:

- These are great for the visual identification of correlations
- By looking at the shape of the "cloud of points"
- ...It is possible to get insight on **how** the attributes are connected

# Using Scatter Plots

Let's inspect how "house age" and the target are linked

```
In [79]: data.plot.scatter(x='house age', y='price per area', figsize=figsize, grid=':', alpha=0.5);
```



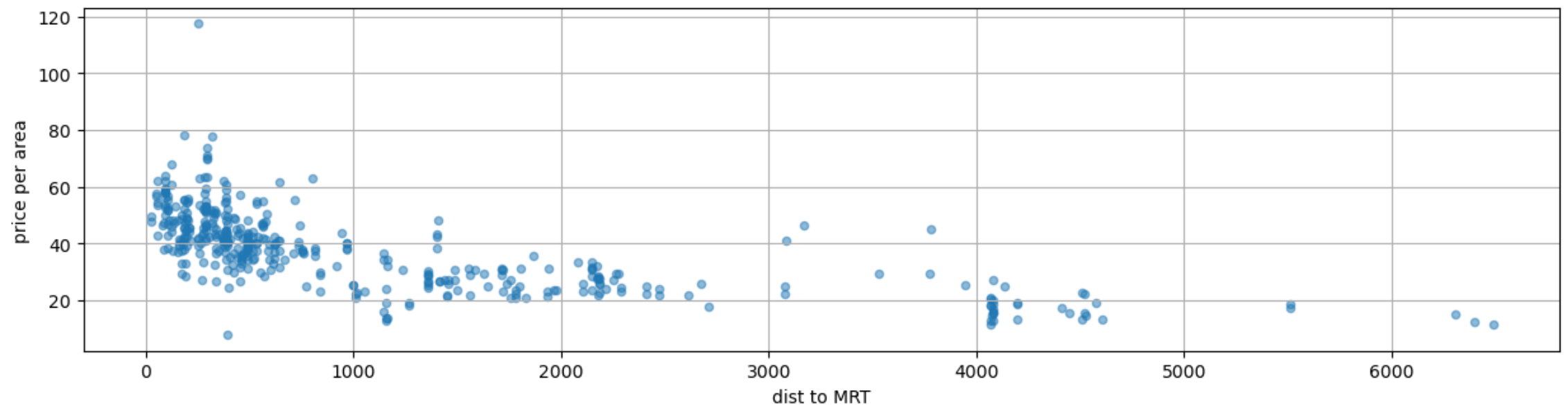
■ There does not seem to be a strong correlation here

**Try building some scatter plots w.r.t. the target**

# Exercise: Using Cartesian Plots

Let's inspect how "dist to MRT" and the target are linked

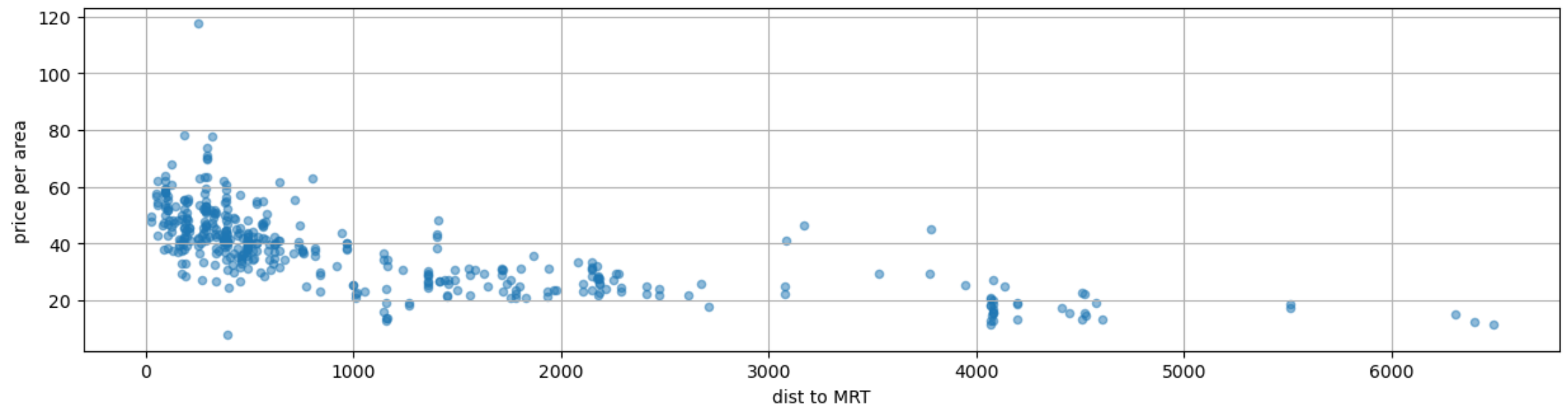
```
In [80]: data.plot.scatter(x='dist to MRT', y='price per area', figsize=figsize, grid=':', alpha=0.5);
```



# Exercise: Using Cartesian Plots

Let's inspect how "dist to MRT" and the target are linked

```
In [80]: data.plot.scatter(x='dist to MRT', y='price per area', figsize=figsize, grid=':', alpha=0.5);
```

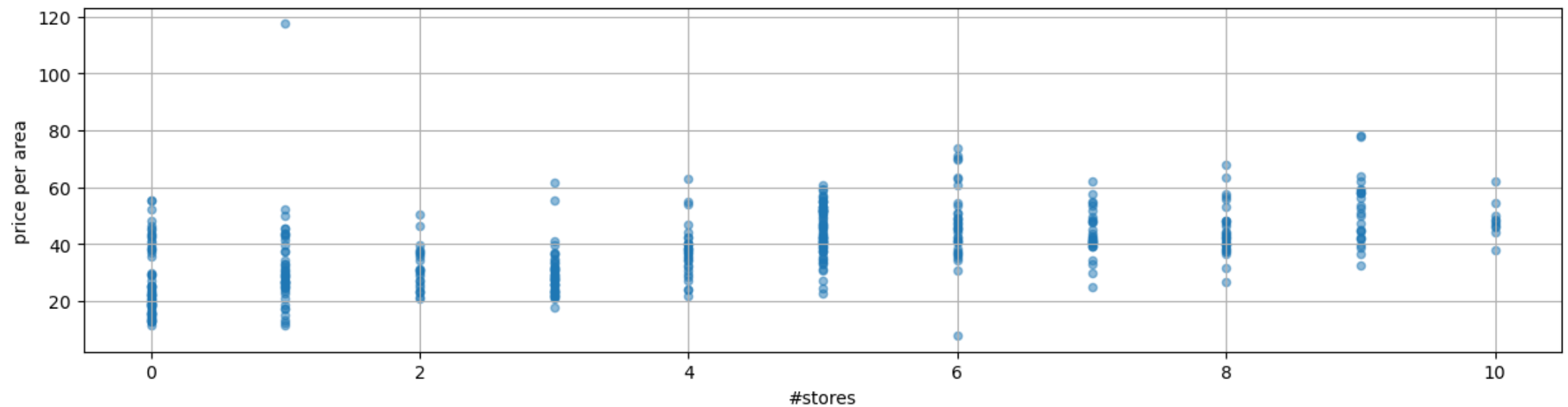


- The correlation is a bit stronger here

# Exercise: Using Cartesian Plots

Let's inspect how "#stores" and the target are linked

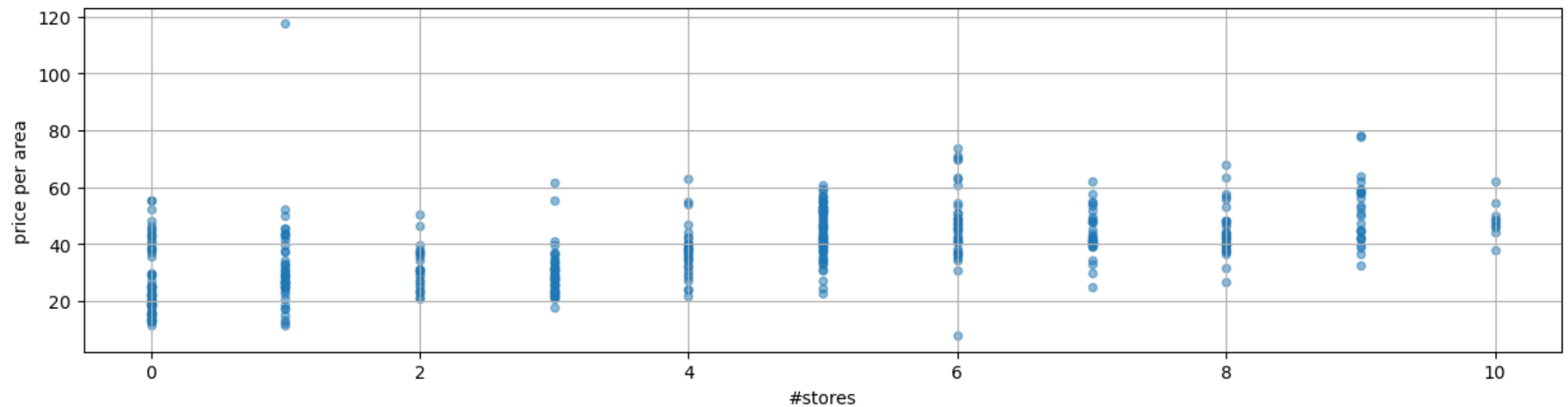
```
In [81]: data.plot.scatter(x='#stores', y='price per area', figsize=figsize, grid=':', alpha=0.5);
```



# Exercise: Using Cartesian Plots

Let's inspect how "#stores" and the target are linked

```
In [81]: data.plot.scatter(x='#stores', y='price per area', figsize=figsize, grid=':', alpha=0.5);
```

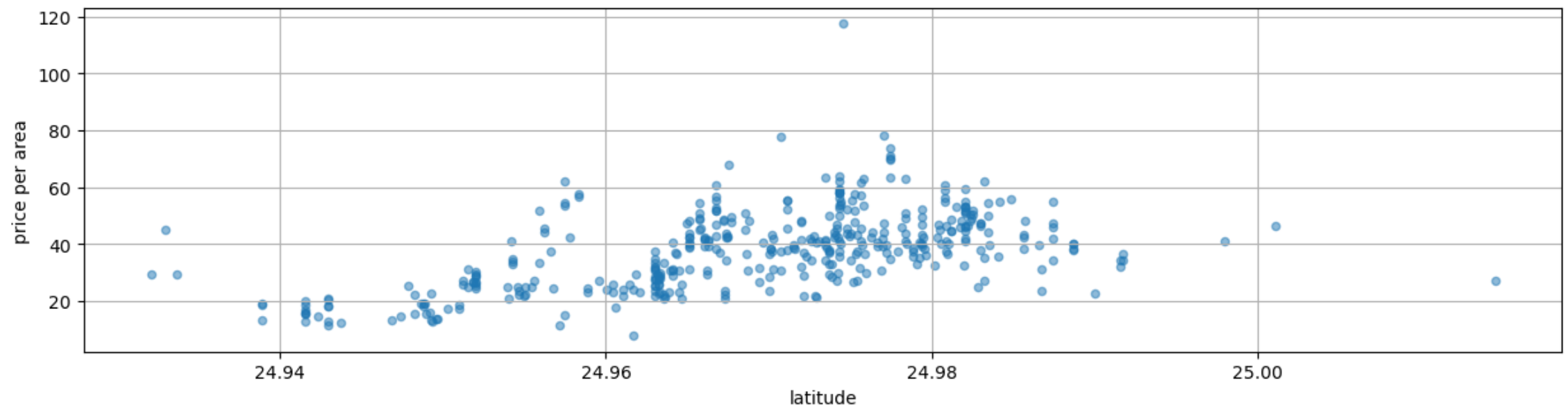


■ A slightly positive correlation here

# Exercise: Using Cartesian Plots

Let's inspect how "latitude" and the target are linked

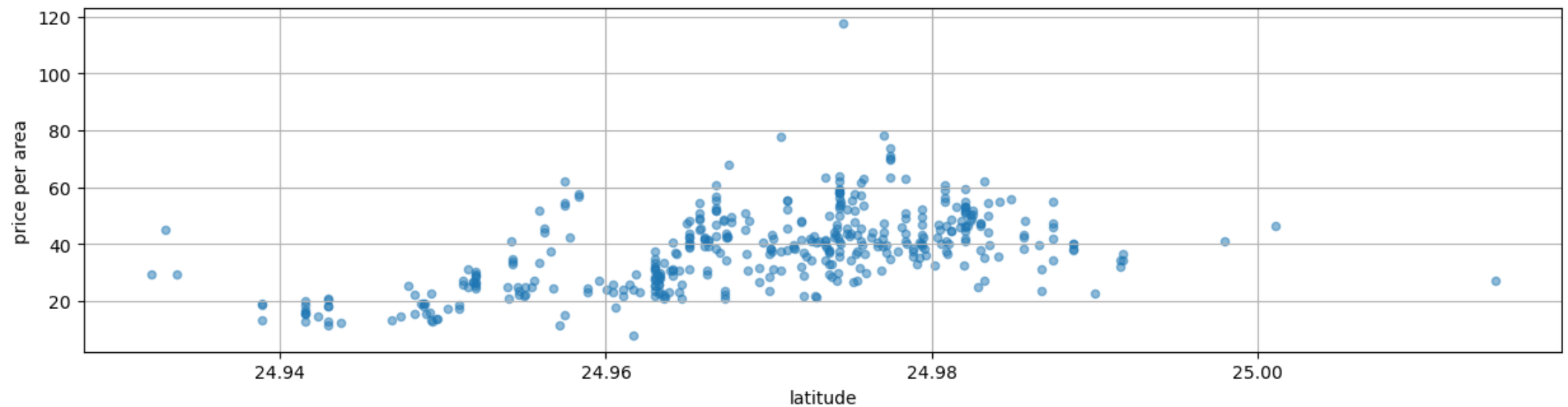
```
In [82]: data.plot.scatter(x='latitude', y='price per area', figsize=figsize, grid=':', alpha=0.5);
```



# Exercise: Using Cartesian Plots

Let's inspect how "latitude" and the target are linked

```
In [82]: data.plot.scatter(x='latitude', y='price per area', figsize=figsize, grid=':', alpha=0.5);
```



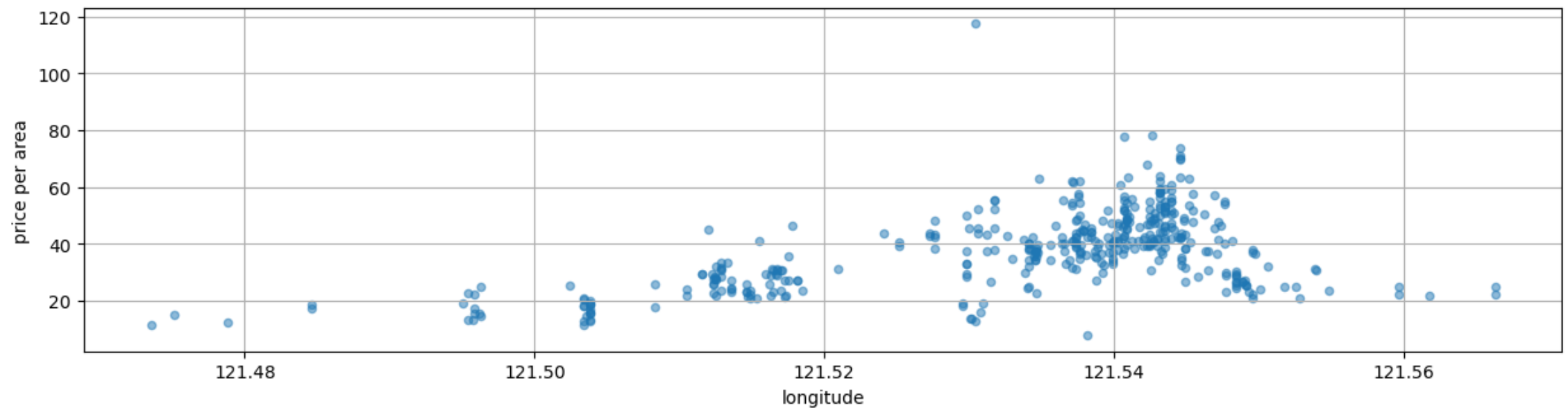
■ A somewhat complicated relation



# Exercise: Using Cartesian Plots

Let's inspect how "longitude" and the target are linked

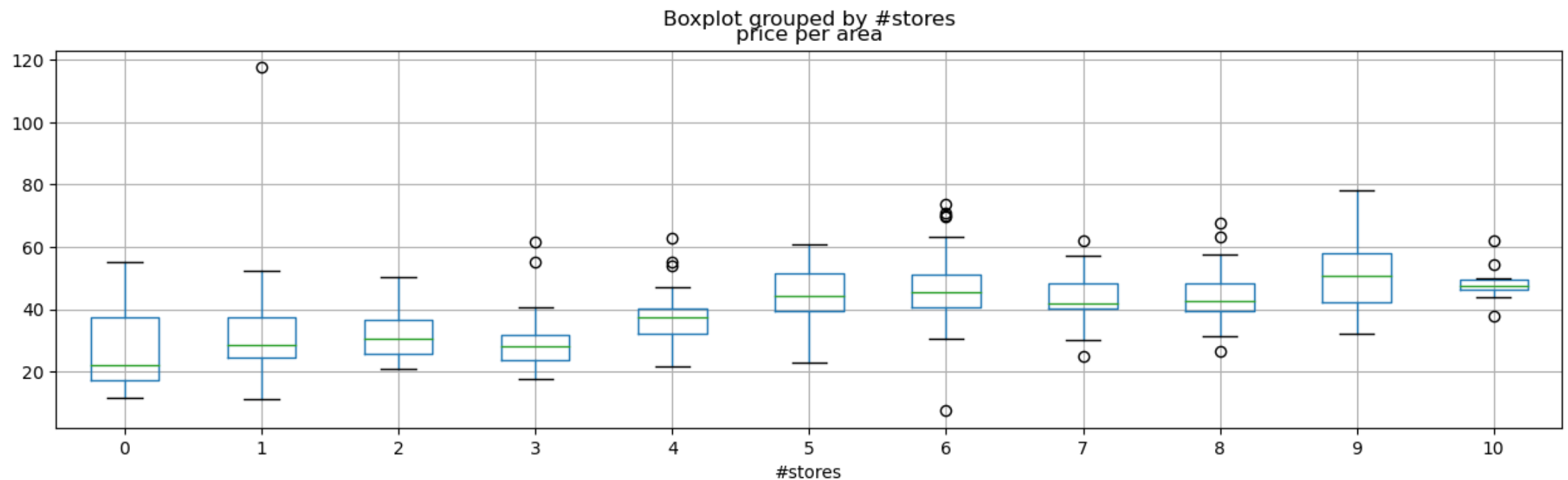
```
In [83]: data.plot.scatter(x='longitude', y='price per area', figsize=figsize, grid=':', alpha=0.5);
```



# Addendum: Using Boxplots

For categorical attributes, a box plot may be more appropriate

```
In [91]: data.boxplot(by='#stores', column='price per area', figsize=(15, 4));
```

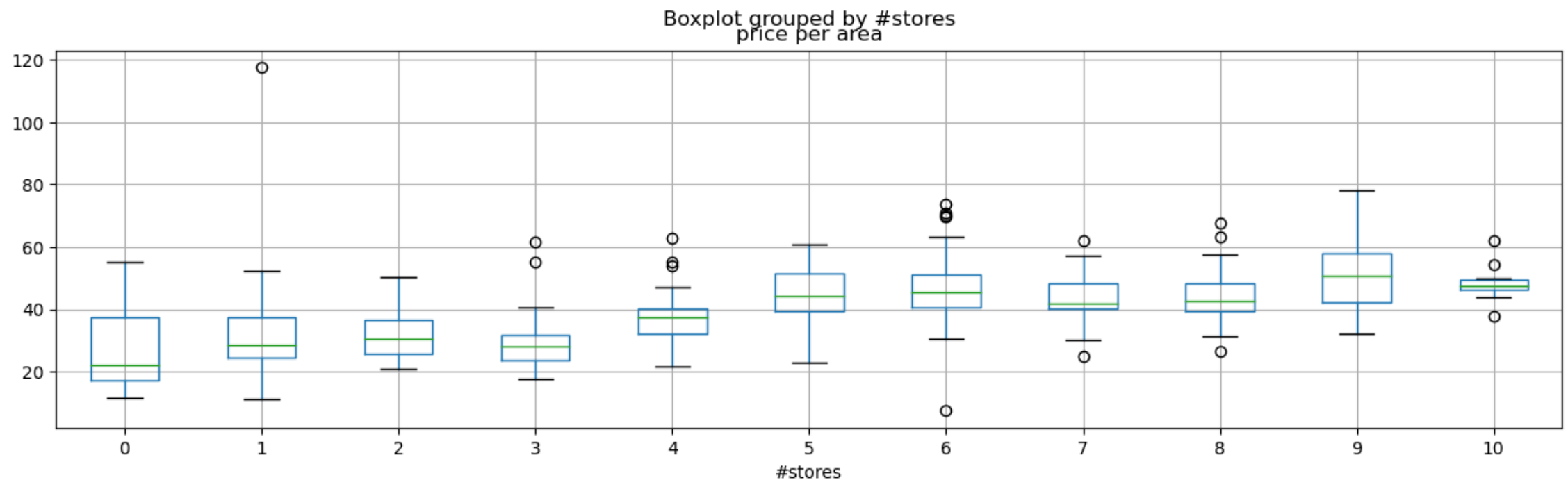


- We have one box per value of an attribute
- On the **y** axis, we have a second attribute (usually the target)

# Addendum: Using Boxplots

For categorical attributes, a box plot may be more appropriate

```
In [91]: data.boxplot(by='#stores', column='price per area', figsize=(15, 4));
```

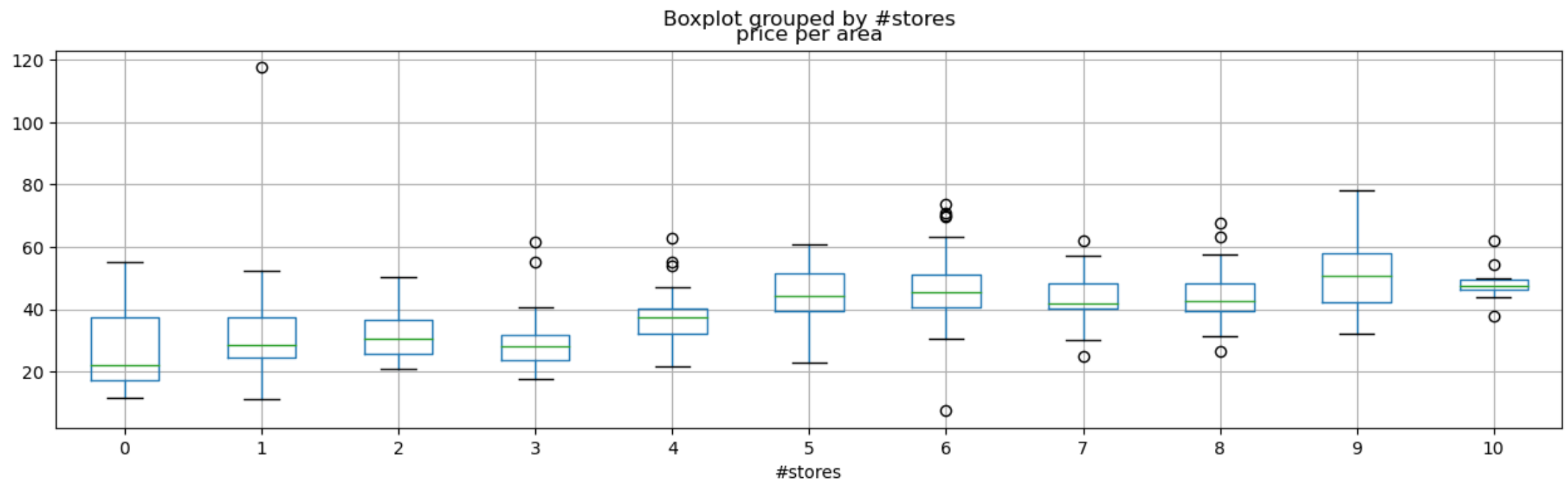


- The box boundaries are the 1st and 3rd quartile
- The green line represents the mean

# Addendum: Using Boxplots

For categorical attributes, a box plot may be more appropriate

```
In [91]: data.boxplot(by='#stores', column='price per area', figsize=(15, 4));
```

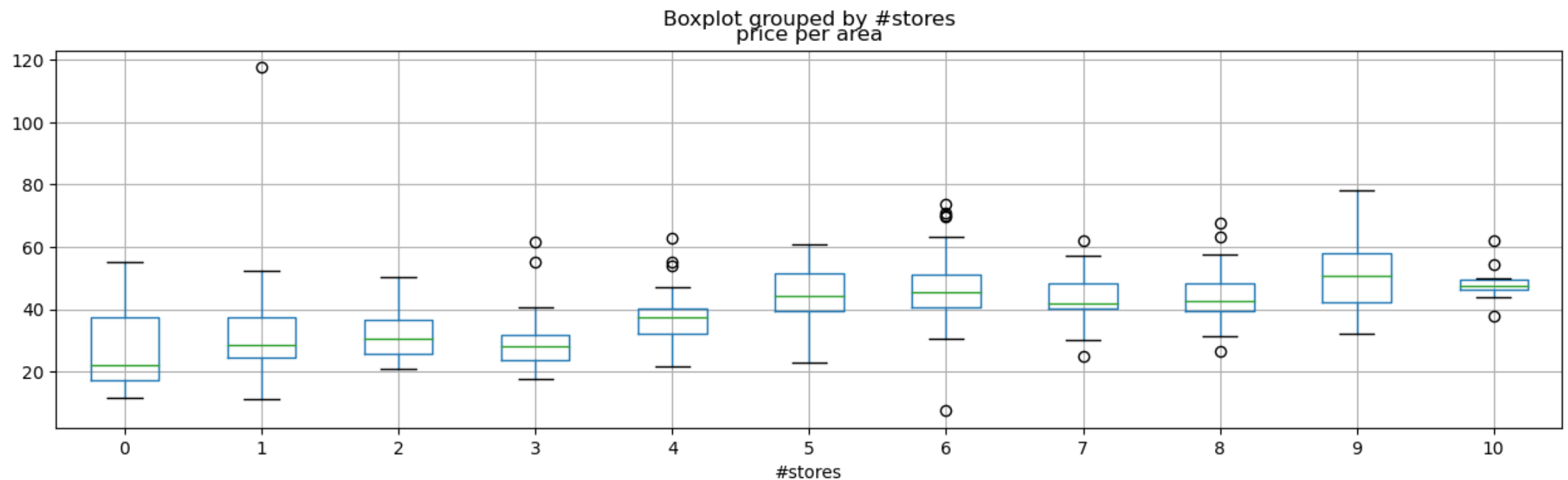


- The "whiskers" extend for 1.5 the inter-quartile range
- Values outside the whiskers are plotted directly

# Addendum: Using Boxplots

For categorical attributes, a box plot may be more appropriate

```
In [91]: data.boxplot(by='#stores', column='price per area', figsize=(15, 4));
```



- Box plots are great to see how the **distribution** of a **y** depends on **x**
- They can be used with continuous attributes, if we first discretize them

# Conclusions and Take-Home Messages

## Inspecting a new dataset is **very** important

- We can get a sense of the dataset
- We can spot the main challenges we will have to face
- ...Including potentially some critical issues (inadequate data)
- It may prevent us from making some mistakes later
- ...And it will allow us some sanity check over the results

## **Of course, these benefits depend a lot on your experience**

- Perhaps some of you already got idea by looking at the plots
- ...But for now the important thing is just to keep them in mind