Speech Analysis: What are we borning for?

So fat: STFT (Spectrogram)

LP Analysis

Next, me ansider a method to separate convolved components of a signal.

The "cepstum" of a signal x(n) is:

$$\langle (n) \rangle = \hat{\chi}(n) = \frac{1}{2\pi} \int_{-\pi}^{\pi} log |\chi(e^{j\omega})| e^{j\omega n}$$

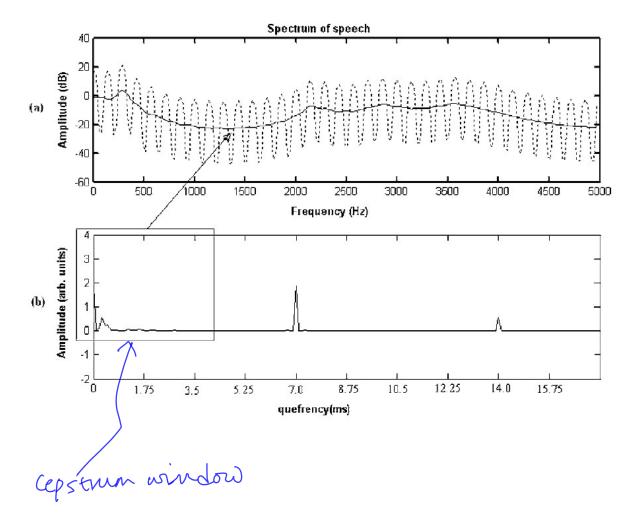
Now, s[n] = u[n] * h[n]

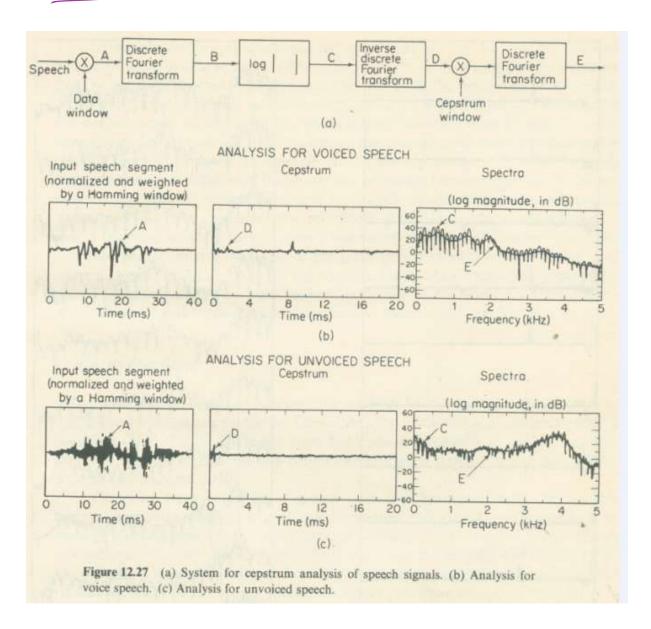
$$=>$$
 $5(e^{j\omega}) = U(e^{j\omega}) \cdot H(e^{j\omega})$

=> log | s(eiv) | = log | u(eiv) | + log | H(eiv) |

$$\Rightarrow \hat{s}[h] = \hat{u}[h] + \hat{h}[h]$$

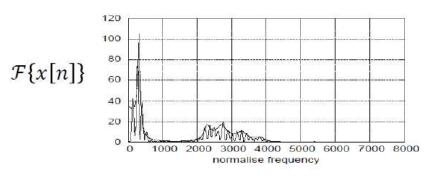
Figure 2



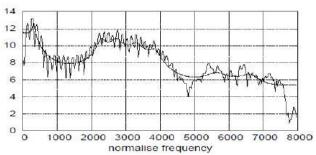


$$2(n)$$
 $\rightarrow (x)$ $\rightarrow (x)$

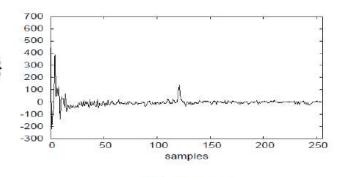
Figure 1



 $\log |\mathcal{F}\{x[n]\}|$



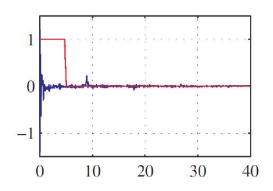
 $\mathcal{F}^{-1}\{\log|\mathcal{F}\{x[n]\}|\}$

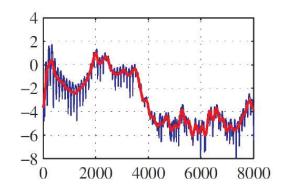


[Taylor, 2009]

Figure 4

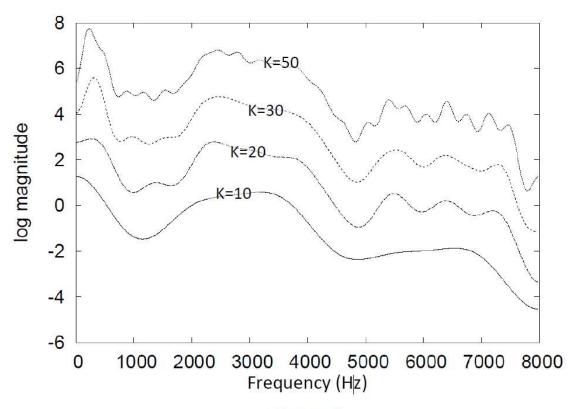
Liftering in the cepstral domain





[Rabiner & Schafer, 2007]

Changing cepstrum window length



[Taylor, 2009]

Applications

"Spectral Distance" Measure:

L2 Spectral worm is widely used in Speech

$$d_2^2 = \frac{1}{2\pi} \int [lg | s_1(e^{j\omega})| - log | s_2(e^{j\omega})]^2 d\omega$$

By Parseval's than, we have:

$$d_2^2 = \sum_{m=-\infty}^{\infty} (c_1[m] - c_2[m])^2$$

Can restrict to spec env.

Formant tracking (& pitch detection)

