

**3.5.** You are given:

(i)

$x$	$l_x$
60	99,999
61	88,888
62	77,777
63	66,666
64	55,555
65	44,444
66	33,333
67	22,222

(ii)  $a = {}_{3.4|2.5}q_{60}$  assuming a uniform distribution of deaths over each year of age.

(iii)  $b = {}_{3.4|2.5}q_{60}$  assuming a constant force of mortality over each year of age.

Calculate  $100,000(a - b)$ .

- (A) -24
- (B) 9
- (C) 42
- (D) 73
- (E) 106

[This was Question 25 on the Fall 2013 Multiple Choice exam.]

**7.30.** For two fully discrete whole life insurance policies on  $(x)$ , you are given:

(i)

	Death Benefit	Annual Net Premium	Variance of Loss at Issue
Policy 1	8	1.250	20.55
Policy 2	12	1.875	$W$

(ii)  $i = 0.06$

(iii) The two policies are priced using the same mortality table.

Calculate  $W$ .

- (A) 30.8
- (B) 38.5
- (C) 46.2
- (D) 53.9
- (E) 61.6

[This was Question 12 on the Spring 2016 Multiple Choice exam.]

**7.37.** For a fully continuous whole life insurance of 10,000 issued to (40) you are given the following information:

(i) Premiums are paid at a rate of 100 per year.

(ii)  $\delta = 0.05$

(iii)  $\mu_{70.5} = 0.038$

(iv) For  $t = 30.5$ ,  $\frac{d}{dt} {}_tV = 292$

Calculate  ${}_{30.5}V$ .

(A) 5000

(B) 5500

(C) 6000

(D) 6500

(E) 7000

[This was Question 10 on the Spring 2017 Multiple Choice exam.]

- 4.16.** You are given the following extract of ultimate mortality rates from a two-year select and ultimate mortality table:

$x$	$q_x$
50	0.045
51	0.050
52	0.055
53	0.060

The select mortality rates satisfy the following:

(i)  $q_{[x]} = 0.7q_x$

(ii)  $q_{[x]+1} = 0.8q_{x+1}$

You are also given that  $i = 0.04$ .

Calculate  $A^1_{[50]:\overline{3}|}$ .

- (A) 0.08  
(B) 0.09  
(C) 0.10  
(D) 0.11  
(E) 0.12

[This was Question 5 on the Fall 2016 Multiple Choice exam.]

**5.7.** You are given:

(i)  $A_{35} = 0.188$

(ii)  $A_{65} = 0.498$

(iii)  ${}_{30}p_{35} = 0.883$

(iv)  $i = 0.04$

Calculate  $1000 \ddot{a}_{35:\overline{30}|}^{(2)}$  using the two-term Woolhouse approximation.

(A) 17,060

(B) 17,310

(C) 17,380

(D) 17,490

(E) 17,530

[This was Question 7 on the Spring 2015 Multiple Choice exam.]

**7.39.** A warranty pays 2000 at the end of the year of the first failure if a washing machine fails within three years of purchase. The warranty is purchased with a single premium,  $G$ , paid at the time of purchase of the washing machine.

You are given:

- (i) 10% of the washing machines that are working at the start of each year fail by the end of that year.
- (ii)  $i = 0.08$
- (iii) The sales commission is 35% of  $G$ .
- (iv)  $G$  is calculated using the equivalence principle.

Calculate  $G$ .

- (A) 630
- (B) 660
- (C) 690
- (D) 720
- (E) 750

[This was Question 12 on the Spring 2017 Multiple Choice exam.]

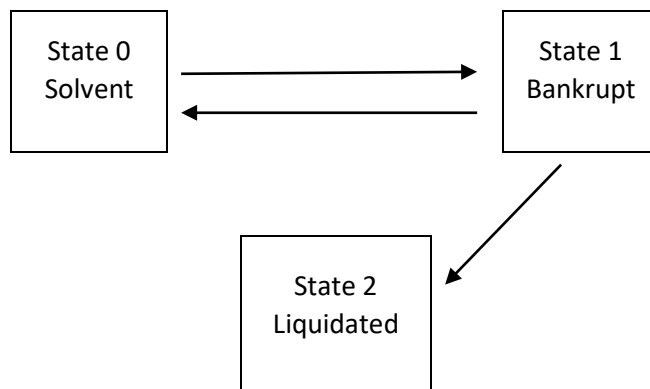
**1.1** Which of the following is not true with regard to underwriting?

- (A) Life insurance policies are typically underwritten to prevent adverse selection.
- (B) The distribution method affects the level of underwriting.
- (C) Single premium immediate annuities are typically underwritten to prevent adverse selection.
- (D) Underwriting may result in an insured life being classified as a rated life due to the insured's occupation or hobby.
- (E) A pure endowment does not need to be underwritten to prevent adverse selection.

**6.6.** Question 6.6 was misclassified and therefore was moved to Question 8.27.



- 8.2.** You are evaluating the financial strength of companies based on the following multiple state model:



For each company, you assume the following constant transition intensities:

(i)  $\mu^{01} = 0.02$

(ii)  $\mu^{10} = 0.06$

(iii)  $\mu^{12} = 0.10$

Using Kolmogorov's forward equations with step  $h = 1/2$ , calculate the probability that a company currently Bankrupt will be Solvent at the end of one year.

- (A) 0.048
- (B) 0.051
- (C) 0.054
- (D) 0.057
- (E) 0.060

[This was Question 16 on the Fall 2012 Multiple Choice exam.]

**LM.2.** In a study of 1,000 people with a particular illness, 200 died within one year of diagnosis. Calculate a 95% (linear) confidence interval for the one-year empirical survival function.

- (A) (0.745, 0.855)
- (B) (0.755, 0.845)
- (C) (0.765, 0.835)
- (D) (0.775, 0.825)
- (E) (0.785, 0.815)

**7.40.** For a fully discrete whole life insurance of 1000 on  $(x)$ , you are given:

- (i) For calculating gross premium reserves in year 8, the following assumptions are made:
  - $q_{x+7} = 0.03$
  - Annual expenses of 100, payable at the beginning of the year
  - $i = 0.07$
- (ii) Actual experience during year 8 for this policy is:
  - The policy is in force at the end of year 8.
  - The annual expenses are 75, paid at the beginning of the year.
  - The interest earned is 3%.
- (iii) Gain by source for year 8 is analyzed in the following order: mortality, expense, interest.

Calculate the gain from expense in policy year 8.

- (A) 25.00
- (B) 25.75
- (C) 26.75
- (D) 27.50
- (E) 28.50

[This was Question 16 on the Spring 2017 Multiple Choice exam.]