

E12 Backpropagation

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The Horse Colic Dataset

- The UCI dataset (<http://archive.ics.uci.edu/ml/index.php>) is the most widely used dataset for machine learning. If you are interested in other datasets in other areas, you can refer to <https://www.zhihu.com/question/63383992/answer/222718972>.
- Colic in horses is defined as abdominal pain, but it is a clinical symptom rather than a diagnosis. Colic surgery is usually an expensive procedure as it is major abdominal surgery, often with intensive aftercare. Among domesticated horses, colic is the leading cause of premature death. So we want to predict whether a horse with colic will live or die in the Horse Colic Dataset.



Description

Dataset statistics

Data Set Characteristics:	Multivariate	Number of Instances:	368	Area:	Life
Attribute Characteristics:	Categorical, Integer, Real	Number of Attributes:	27	Date Donated	1989-08-06
Associated Tasks:	Classification	Missing Values?	Yes	Number of Web Hits:	179592

Domain information

horse-colic.names - 记事本

文件(F) 编辑(E) 格式(O) 查看(V) 帮助(H)

1: surgery?
 1 = Yes, it had surgery
 2 = It was treated without surgery

2: Age
 1 = Adult horse
 2 = Young (< 6 months)

3: Hospital Number
 - numeric id
 - the case number assigned to the horse
 (may not be unique if the horse is treated > 1 time)

4: rectal temperature
 - linear
 - in degrees celsius.
 - An elevated temp may occur due to infection.
 - temperature may be reduced when the animal is in late shock
 - normal temp is 37.8
 - this parameter will usually change as the problem progresses
 eg. may start out normal, then become elevated because of
 the lesion, passing back through the normal range as the
 horse goes into shock



Read the file "horse-colic.data" or "horse-colic.test"

```
301 def loadData(filename):
302
303     dataSet = []
304     with open(filename) as fr:
305         for i, line in enumerate(fr.readlines()):
306             cur_line = []
307             now_line = line.strip("\n").strip(" ").split(" ")
308             for j in range(len(now_line)):
309                 if now_line[j] == "?":
310                     now_line[j] = -1
311             result_line = list(map(float, now_line[23]))
312             now_line = list(map(float, now_line[:22]))
313             cur_line.append(now_line)
314             cur_line.append(result_line)
315         dataSet.append(cur_line)
316     return dataSet
```



Initialize parameters

```
16 class NeuralNetwork:
17     LEARNING_RATE = 0.5
18
19     def __init__(
20 ):
21
22
23
24
25
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37
38     def init_weights_from_inputs_to_hidden_layer_neurons(self, hidden_layer_weights):
39         index = 0
40         for h in range(len(self.hidden_layer.neurons)):
41             for i in range(self.num_inputs):
42                 if not hidden_layer_weights:
43                     self.hidden_layer.neurons[h].weights.append(random.random())
44                 else:
45                     self.hidden_layer.neurons[h].weights.append(
46                         hidden_layer_weights[index]
47                     )
48                 index += 1
49
50     def init_weights_from_hidden_layer_neurons_to_output_layer_neurons(
51         self, output_layer_weights
52     ):
53         index = 0
54         for o in range(len(self.output_layer.neurons)):
55             for h in range(len(self.hidden_layer.neurons)):
56                 if not output_layer_weights:
57                     self.output_layer.neurons[o].weights.append(random.random())
58                 else:
59                     self.output_layer.neurons[o].weights.append(
60                         output_layer_weights[index]
```



Visualization

```
161 def plotInfo(self, training_sets):
162     x = list(range(0, self.epochs))
163     plt.figure(1)
164
165     plt.xlabel("epochs")
166     plt.ylabel("loss")
167     loss_epochs = []
168     for i in range(self.epochs):
169         for k in range(len(training_sets)):
170             inputs, outputs = training_sets[k]
171             self.train(inputs, outputs)
172             loss = self.calculate_total_error(training_sets)
173             loss_epochs.append(loss / len(training_sets))
174     plt.plot(x, loss_epochs, color="red", linewidth=0.5)
175     # plt.show()
176
177     plt.figure(2)
178     plt.xlabel("epochs")
179     plt.ylabel("accuracy")
180
```



Training, testing and visualization framework

```
319 def main():
320     train_data = loadData("horse-colic.data")
321     test_data = loadData("horse-colic.test")
322
323     nn = NeuralNetwork(Len(train_data[0][0]), 5, Len(train_data[0][1]))
324     for i in range(100):
325         training_inputs, training_outputs = random.choice(train_data)
326         nn.train(training_inputs, training_outputs)
327
328     # print(nn.inspect())
329     accuracy = 0
330     for i in range(Len(test_data)):
331         training_inputs, training_outputs = test_data[i]
332         nn.train(training_inputs, training_outputs)
333         neuron_output = nn.feed_forward(training_inputs)
334         if abs(neuron_output[0] - training_outputs[0]) < 0.01:
335             accuracy += 1
336     accuracy_rate = accuracy / Len(test_data)
337     print("the accuracy rate is", accuracy_rate)
338
339     nn.plotInfo(test_data)
```



Forward calculation.

```
185 class Neuron:
186     def __init__(self, bias):
187
188     def calculate_output(self, inputs):
189
190     def calculate_total_net_input(self):
191
192     # Apply the logistic function to squash the output of the neuron
193     # The result is sometimes referred to as 'net' [2] or 'net' [1]
194     def squash(self, total_net_input):
195
196     # Determine how much the neuron's total input has to change to move closer to the expected output
197     #
198     # Now that we have the partial derivative of the error with respect to the output ( $\partial E / \partial y_j$ ) and
199     # the derivative of the output with respect to the total net input ( $dy_j / dz_j$ ) we can calculate
200     # the partial derivative of the error with respect to the total net input.
201     # This value is also known as the delta ( $\delta$ ) [1]
202     #  $\delta = \partial E / \partial z_j = \partial E / \partial y_j * dy_j / dz_j$ 
203     #
204     def calculate_pd_error_wrt_total_net_input(self, target_output):
205         return (
206             self.calculate_pd_error_wrt_output(target_output)
207             * self.calculate_pd_total_net_input_wrt_input()
208         )
209
210     # The error for each neuron is calculated by the Mean Square Error method:
211     def calculate_error(self, target_output):
212         return 0.5 * (target_output - self.output) ** 2
```



Please Finish the Backward Propagation.

```

80 # Once entire learning, ie updating the weights after each training case
81 def train(self, training_inputs, training_outputs):
82     self.feed_forward(training_inputs)
83
84     # 1. Output neuron deltas
85     # Your Code Here
86     #  $\partial E / \partial z_j$ 
87
88     # 2. Hidden neuron deltas
89     # We need to calculate the derivative of the error with respect to the output of each hidden layer neuron
90     #  $dE/dy_j = \sum \partial E / \partial z_j * \partial z_j / \partial y_j = \sum \partial E / \partial z_j * w_{ij}$ 
91     #  $\partial E / \partial z_j = dE/dy_j * \partial z_j / \partial$ 
92     # Your Code Here
93
94     # 3. Update output neuron weights
95     #  $\partial E_j / \partial w_{ij} = \partial E / \partial z_j * \partial z_j / \partial w_{ij}$ 
96     #  $\Delta w = \alpha * \partial E_j / \partial w_{ij}$ 
97     # Your Code Here
98
99     # 4. Update hidden neuron weights
100     #  $\partial E_j / \partial w_{ik} = \partial E / \partial z_j * \partial z_j / \partial w_{ik}$ 
101     #  $\Delta w = \alpha * \partial E_j / \partial w_{ik}$ 
102     # Your Code Here

```



Submission

pack your report `E12_YourNumber.pdf` and source code into zip file `E12_YourNumber.zip`, then send it to `ai_course2021@163.com`.



Convolutional Network and Cifar-10 Dataset

- So far we have worked with deep fully-connected networks and backward propagation. Fully-connected networks are a good testbed for experimentation because they are very computationally efficient, but in practice state-of-the-art results in Cifar-10 Dataset use convolutional networks instead.
- You can implement several layer types that are used in convolutional networks, then use these layers to train a convolutional network on the CIFAR-10 dataset.
- The CIFAR-10 dataset consists of 60000 32×32 colour images in 10 classes, with 6000 images per class. There are 50000 training images and 10000 test images. The target is to predict the class for unseen examples.
- I suggest you to refer to <https://github.com/maxis42/CS231n/blob/master/assignment2/Con>

The End

