alı

C

Q1 Team Name

Cryptophilic

Q2 Commands

List the commands used in the game to reach the ciphertext

```
enter,
pluck.
back.
give,
hack
back,
thrnxxtzy
read
```

Q3 Analysis

Give a detailed analysis of how you figured out the password? (Explain in less than 500 words)

After using 'read' for the glass panel, there were equations related to multiplicative groups. Therefore, we used Modular arithmetics to proceed.

Given, p = 455470209427676832372575348833 is the prime modulo for the multiplicative group.

Let the password be K.

Given.

 $Kg^{429} = 431955503618234519808008749742 = A(modp) --->$ eq 1 $Kg^{1973} = 176325509039323911968355873643 = B(modp) ----> eq 2$ $Kg^{7596} = 98486971404861992487294722613 = C(modp) --->$ eq 3

 $\begin{array}{ll} \operatorname{eq} {\bf 2} \div \operatorname{eq} {\bf 1} \colon & g^{1544} = B*A^{-1} \\ \operatorname{eq} {\bf 3} \div \operatorname{eq} {\bf 2} \colon & g^{5623} = C*B^{-1} \\ \operatorname{eq} {\bf 3} \div \operatorname{eq} {\bf 1} \colon & g^{7167} = C*A^{-1} \end{array}$

Using the properties of multiplicative group, A and B are coprime to p. So, their modular inverse exists under modulo p.

Let $A^{-1}=a$ such that (A st a) % p = 1

Since it is given that p is prime, we can use Fermat's Little Theorem.

Therfore, $x^{p-1} = 1 \pmod{p}$

Multiply both sides of eqn. by $x^{-1}:=>x^{-1}=x^{p-2}(modp)$

Using this analysis with Euclidian algorithm :

 $g^{1544} = 1115909994894663139264552154672$

 $g^{5623} = 420413074251022028027270785553$

 $\begin{array}{l} g^{553} = 42041301420102202021210763535 \\ g^{5623} * g(-1544 * 3) = g^{991} = 161798558270556961732424822635 \\ g^{1544} * g(-991) = g^{553} = 55960264091503810362442197778 \\ g^{991} * g(-553) = g^{438} = 327597482298082119695568192760 \\ g^{553} * g(-438) = g^{115} = 212427760325417336316893638262 \\ g^{438} & 1129 & g^{33} & 31270160818444591259024926794 \\ g^{438} & 1129 & g^{33} & 3127016081844591259024926794 \\ \end{array}$

 $\begin{array}{ll} g^{48}*g(-436) = g & = 2124217032241733331033333226\\ g^{438}*g(-115) = g^{93} = 21370162515444521352934226724\\ g^{115}*g(-93) = g^{22} = 62875864560156876567783127811 \end{array}$

 $g^{93} * g(-22 * 4) = g^5 = 254662155980870723273334022569$

 $g^{22} * g(-5 * 4) = g^2 = 108044907665466013935627786069$

 $g^5 * g(-2 * 2) = g = 52565085417963311027694339$

which matches with the hints given.

Therefore, we use g to find the value of K = password = 134721542097659029845273957

(The values computed using python code)

Q4 Password

What was the final command used to clear this level?

134721542097659029845273957

Q5 Codes

Upload any code that you have used to solve this level

No files unloaded

Assignment 3

GRADED

10 / 10 pts

GROUP

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TOTAL POINTS 70 / 70 pts

QUESTION 1

o / 0 pts Team Name

QUESTION 2 Commands

QUESTION 3

Analysis **50** / 50 pts

QUESTION 4

10 / 10 pts

QUESTION 5

o / 0 pts Codes

Group Members

Next Question >

Select a question.