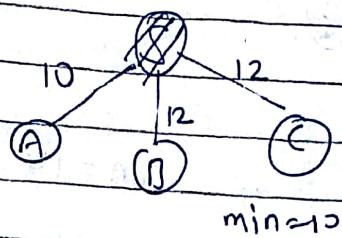


Artificial Intelligence
Written Assignment - 1

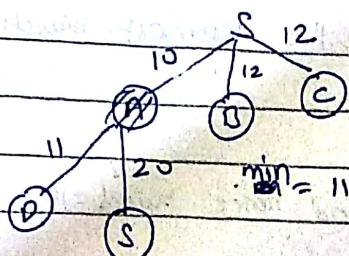
(2)

Initial bound = 0. $\therefore \min = 0$ 

S	0
A	0
B	4
C	3
D	0
G	0

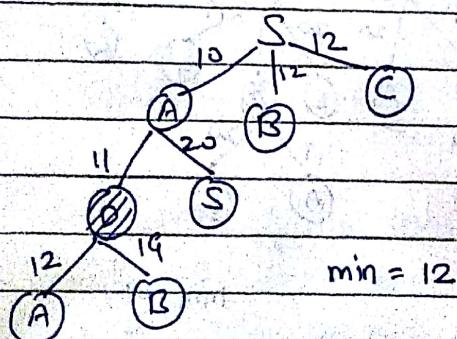
 $\Rightarrow \text{bound} = 10$

* At each step, edge weight is the $f = g + h$ of that node.

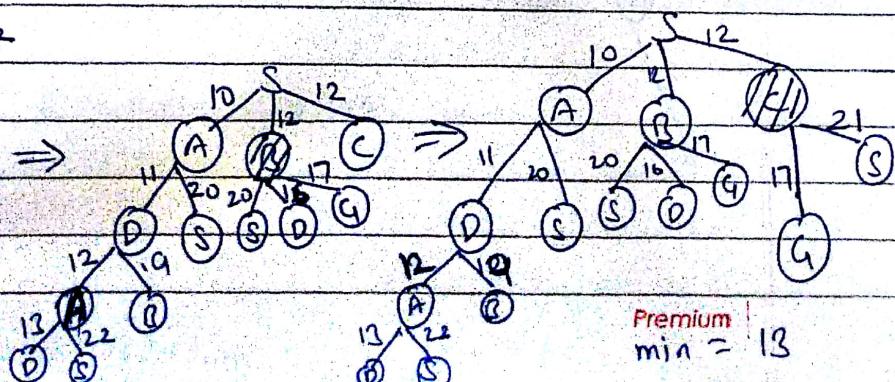


* highlighted node is the current node.

bound = 11

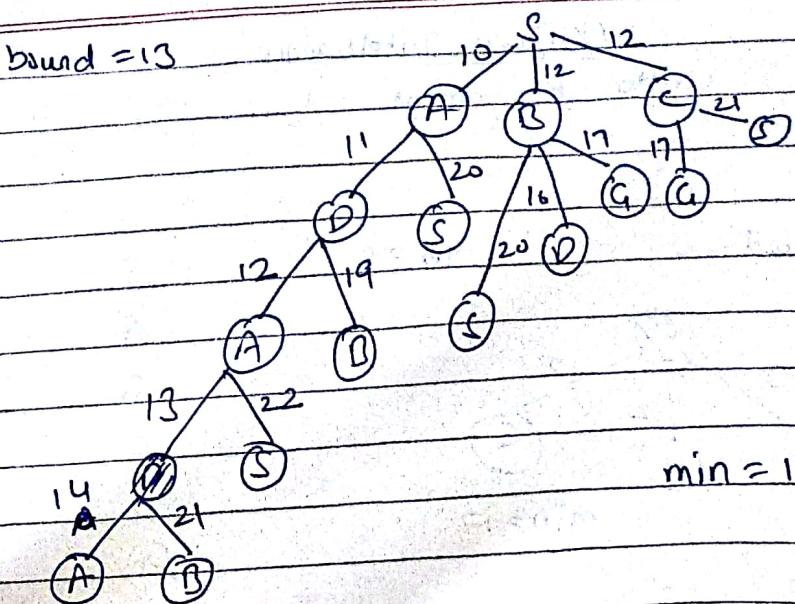


Bound = 12

prev. tree \Rightarrow 

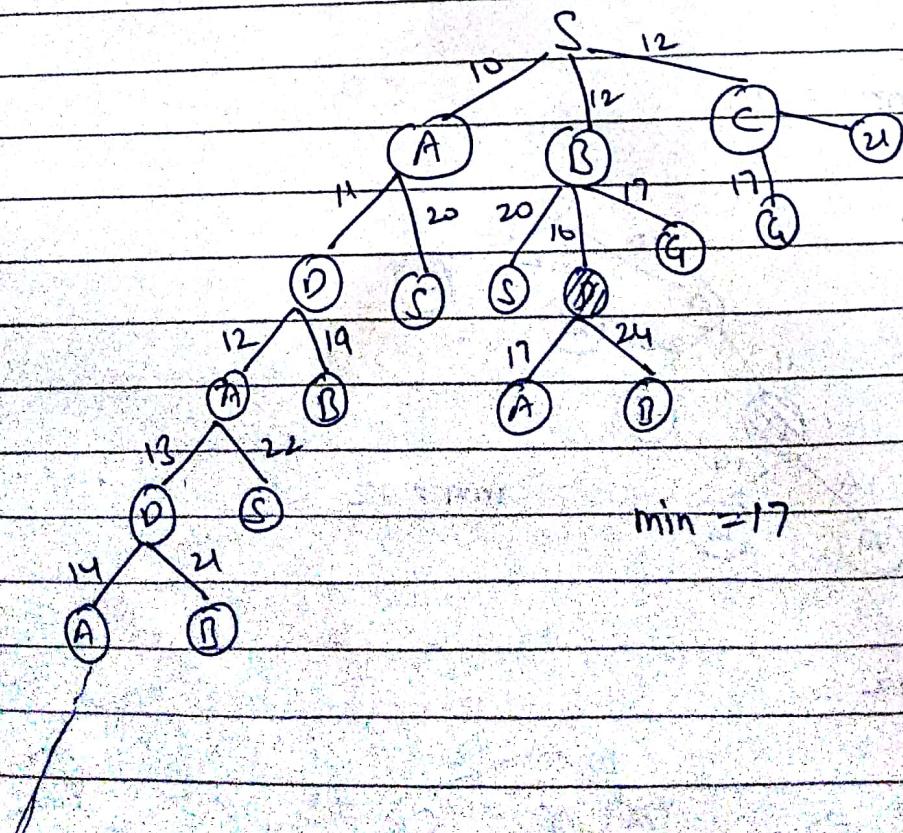
Premium

min = 13

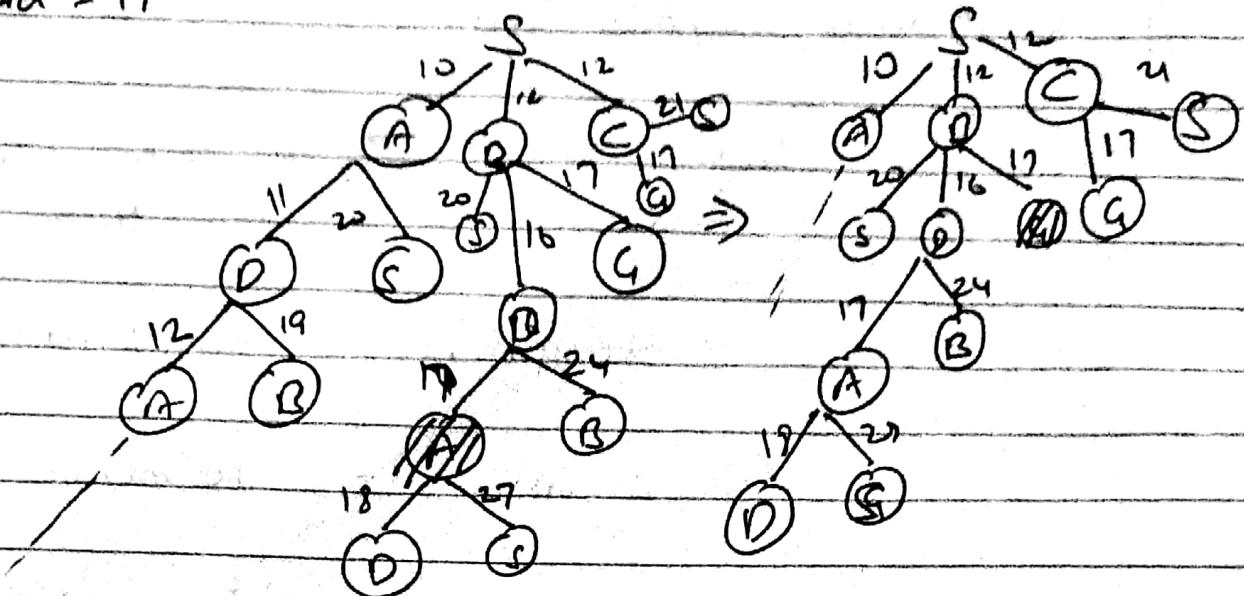


for bound = 14, and 15, the leftmost branch in the above DFS tree will be evaluated.

for when min = 16 and hence bound = 16.



bound = 17



Hence path is $S \rightarrow B \rightarrow G$ with cost 17.

③

$$p_1 = 17$$

binary
10001

$$p_2 = 21$$

10101

$$p_3 = 4$$

00100

$$p_4 = 28$$

11100

optimal solution = 10 01010

Since none of the chromosomes have 1 in their second bit from the right ~~as~~, which is required for the optimal solution. Hence, ~~as~~ any number of ^{one point} crossovers can't obtain the optimal solution of 10. Therefore, the probability is 0.

At least 1 mutation is required.

(4) a) Medical Diagnosis System.

Performance Measure = Accuracy diagnostic.
cost, treatment measure.

Environment = hospital, staff (assuming the hospital to be the diagnostic area)

Actuators = The machine displaying result.

Sensors. = Reports, initial patient's replies to questions about issues,

b) Refinery Controller

Performance measure = purity of oil, output

Environment = factory, workers.

Actuators = ~~refining machines~~, ^{value} heaters, displays.

Sensors = quantity sensor, pressure sensor, quality sensor, temp ".

c) Amazon Go

P = accuracy of the products picked, accurate pricing, correct name of person on bill.

B = shop, staff, products

A = billing machine, computer systems transfer bill to correct person.

S = RFID, cameras, Premium

- ⑥ Construct two graphs, one for each key. In each graph, connect each node(city) to a city 2 hops ahead and a city 5 hops ahead, and terminate the branch at the destination city.

Apply BFS to both graphs, terminating the BFS whenever the destination city node is encountered. If the height of both branches is same, each branch is the sequence of transfers and since BFS will find the destination node in min. ^{height} steps, the height is the min. no. of transfers required.

If height If not, delete the branch with lesser height and start BFS again from scratch. If all nodes are deleted, in any of the trees, no solution exists.

Let \tilde{g}_1 , \tilde{g}_2 be the graphs.

process ($\exists g_1, g_2$) }

$y(g_1.size == 0 \text{ || } g_2.size == 0); \text{return } -1;$

$h_i = BFS(g_i)$ // terminated when dest. city is found

$$h_2 = \text{BFS}(g_2) \quad // \quad \text{---} \quad \text{---} \quad \text{---} \quad \text{---} \quad \text{---}$$

If ($h_1 = \pm h_2$)

print(^{seg} obtained to dest. city is \$)

```
print(n,  
      return;
```

else :

If ($h_1 < h_2$):

delete(the path in g_i that returned h_i)

else :

delete (-- " g, " -- h,)

process(q_1, q_2)

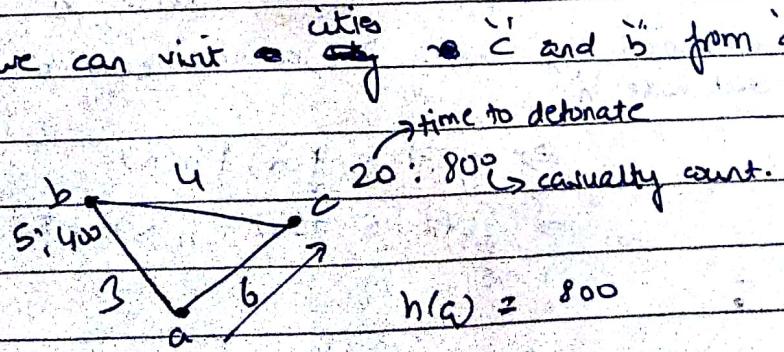
① The graph is constructed as follows: edge weight b/w any two cities is the distance + the time taken to defuse a bomb. We will assume that unit distance takes unit time to travel. All cities are connected to all cities i.e., it is a complete graph.

In an A* search algo, $f(n) = g(n) + h(n)$. In this we question, we will take $g(n)$ to be the number of people saved if a city n is visited. So, if the time taken to reach city n + diffusion time exceeds time for that bomb, $g(n) \approx \infty$.

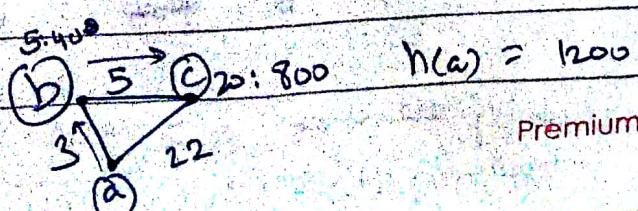
hew is defined as follows: - It is the estimated max no. of max people saved for the rest of the cities. So, from n , it will visit a city y where which has the maximum casualty count (it will visit y only if the bomb at y can be diffused, else it will visit the city with next highest casualty count.). From y , it will follow the same routine as above and move to a city z with ~~new~~ highest casualty count. Hence hew will calculate the estimated max. casualties that can be saved for the remaining unvisited cities.

So the city "n" with max value of $g(n) + h(n)$ will be visited and the rest of the $f(n)$ values will be stored in priority queue.

So suppose we can visit ~~a city~~^{cities} c and b from a



but suppose this graph is



The given heuristic is admissible because the heuristic calculates at each step the estimated maximum no. casualties that can be saved. The optimal solution that exists will never calculate greater than or equal to the number of casualties estimated by the heuristic. Hence the heuristic is never overestimating.

Since at every step we are taking the city with max ~~no. of~~^{value of} $f(n) = g(n) + h(n)$, we are sure to find a path which will save ~~more~~ ^{optimal} maximum no. of casualties.

Space complexity = $O(\text{no. of nodes})$

Time complexity = $O(1^2 + n + n)$. (\because for each city we have to calculate heuristic).

(5)

$$\text{Given } h(n) = h^*(n) + \varepsilon$$

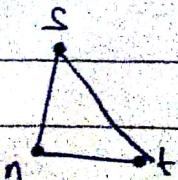
Since $h(n)$ overestimates the optimal admissible heuristic, it will give a path ~~at most~~ ε times more than the optimal path.

Now there is a node t in the path obtained by using h^* as the heuristic, which is not in the path obtained by using h as the heuristic, such that

$f(t) \leq f(n)$, else n would have been in the path obtained by using $h(\cdot)$ as the heuristic. We will take the 1st such node t .

$$\Rightarrow g(t) \leq g(n) + h(n) \quad (\because h(t) = 0)$$

$$\Rightarrow g(t) \leq g(n) + h^*(n) + \varepsilon \quad \text{--- (1)}$$



From the \triangle on the left, it can be noted that

$$\Rightarrow h^*(s) \leq g(n) + h^*(n)$$

$$\Rightarrow h^*(s) + \varepsilon \leq g(n) + h^*(n) + \varepsilon \quad \text{--- (2)}$$

Assuming ~~so that~~ $\varepsilon \geq g(t) - h^*(s)$. --- (3) Premium

Combining (1), (2), (3), $\boxed{g(t) \leq h^*(s) + \varepsilon}$.