

# LECTURE 5

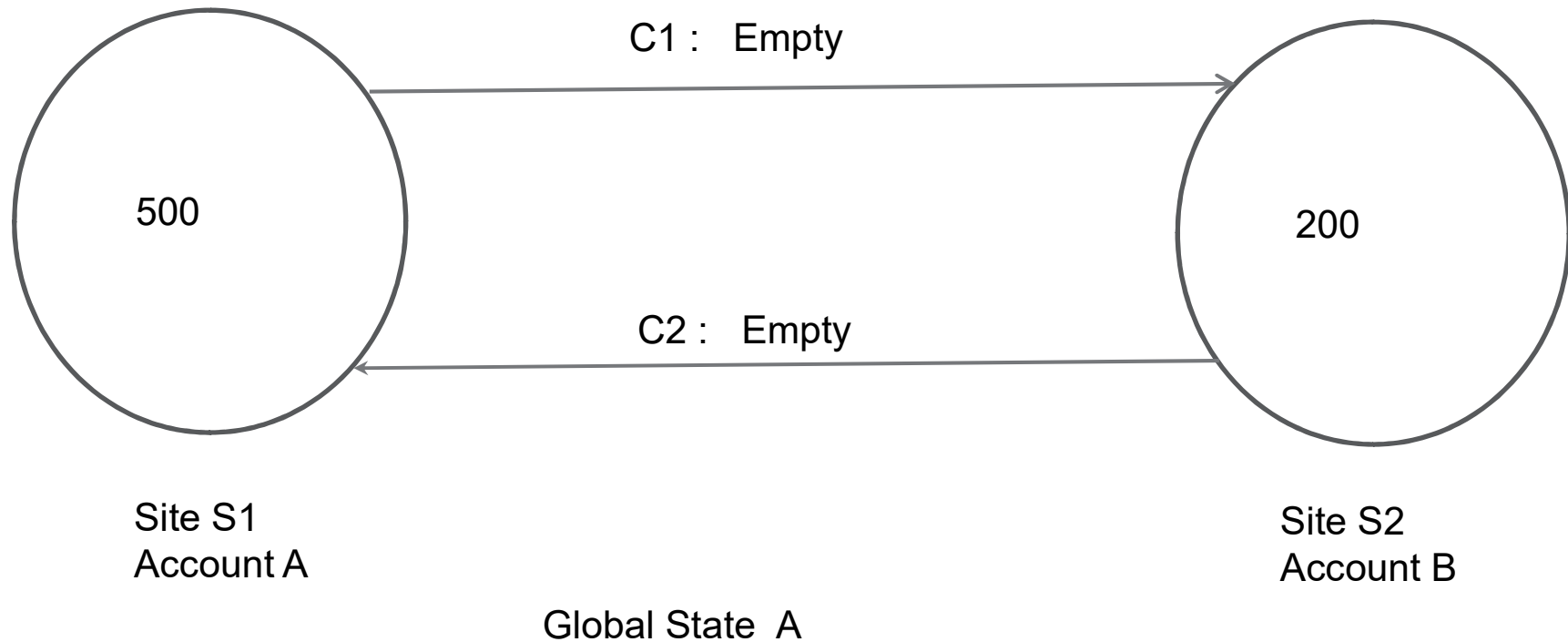
## GLOBAL STATE AND CHECKPOINTS

Prof. D. S. Yadav  
Department of Computer Science  
IET Lucknow

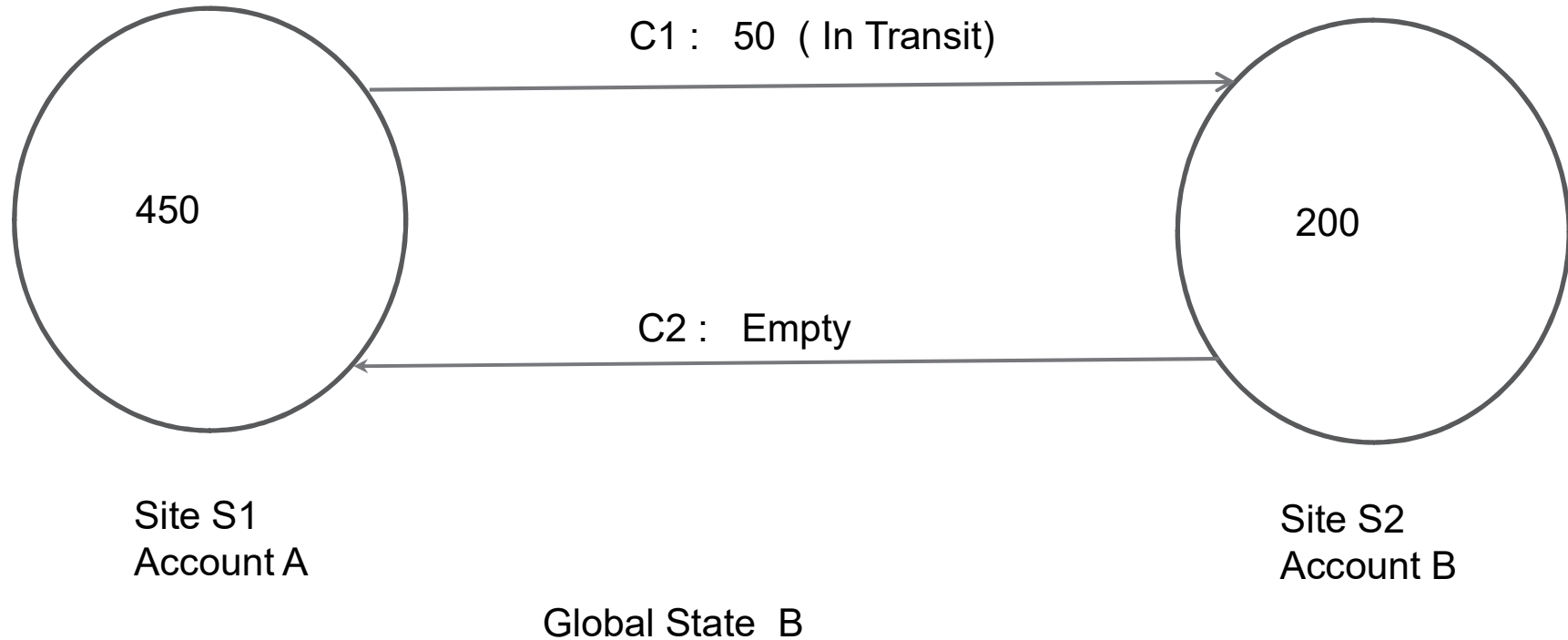
# INTRODUCTION

- ❑ Recording the global state of a distributed system on-the-fly is an important paradigm.
- ❑ The lack of globally shared memory, global clock and unpredictable message delays in a distributed system make this problem non-trivial.
- ❑ We first defines consistent global states and discusses issues to be addressed to compute consistent distributed snapshots.
- ❑ Then several algorithms to determine on-the-fly such snapshots are presented for several types of networks.

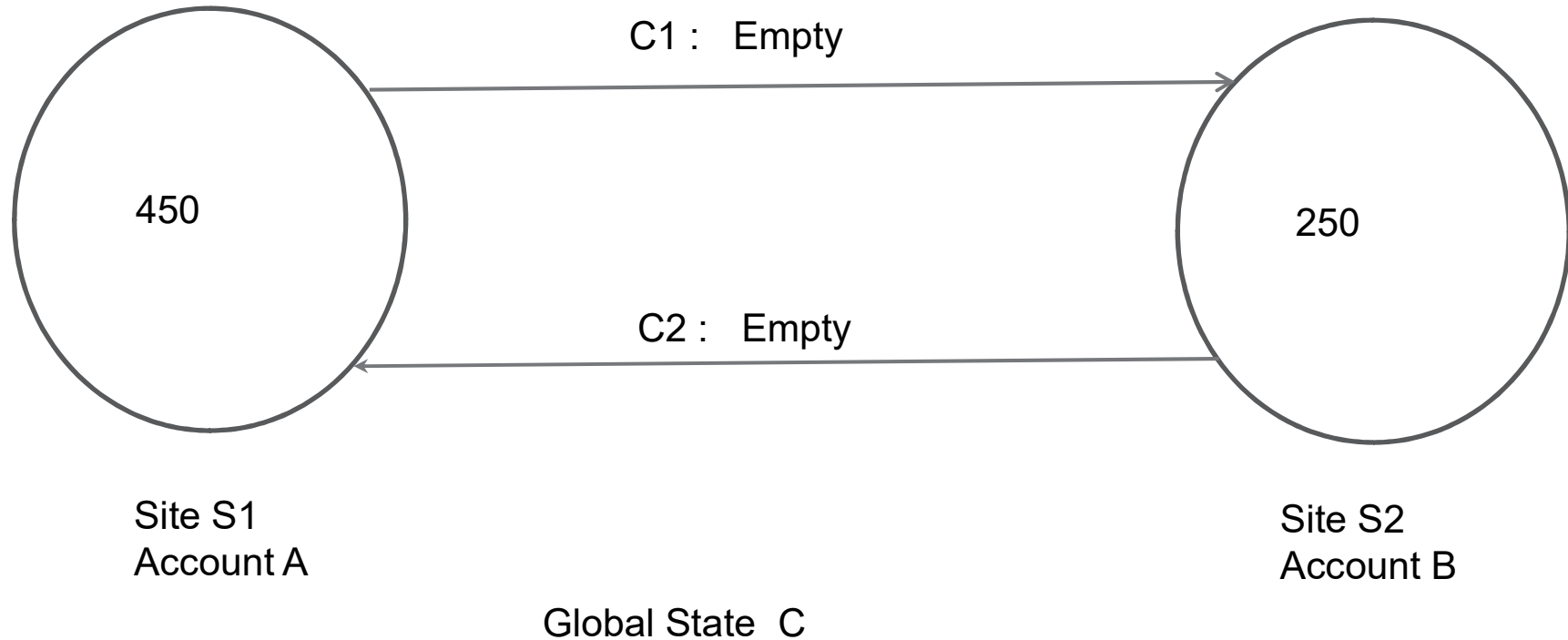
# BANKING EXAMPLE : FUND TRANSFER



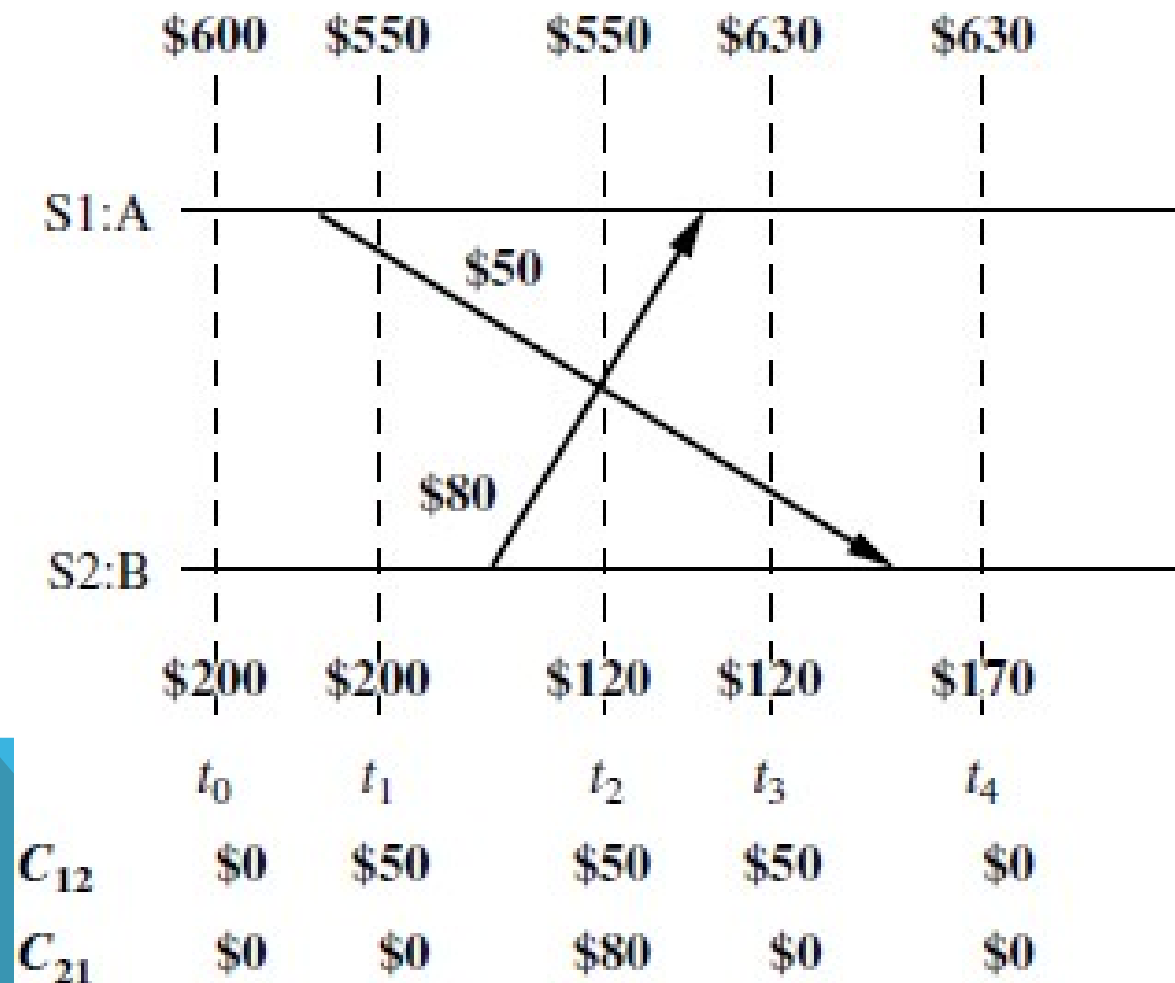
# BANKING EXAMPLE : FUND TRANSFER



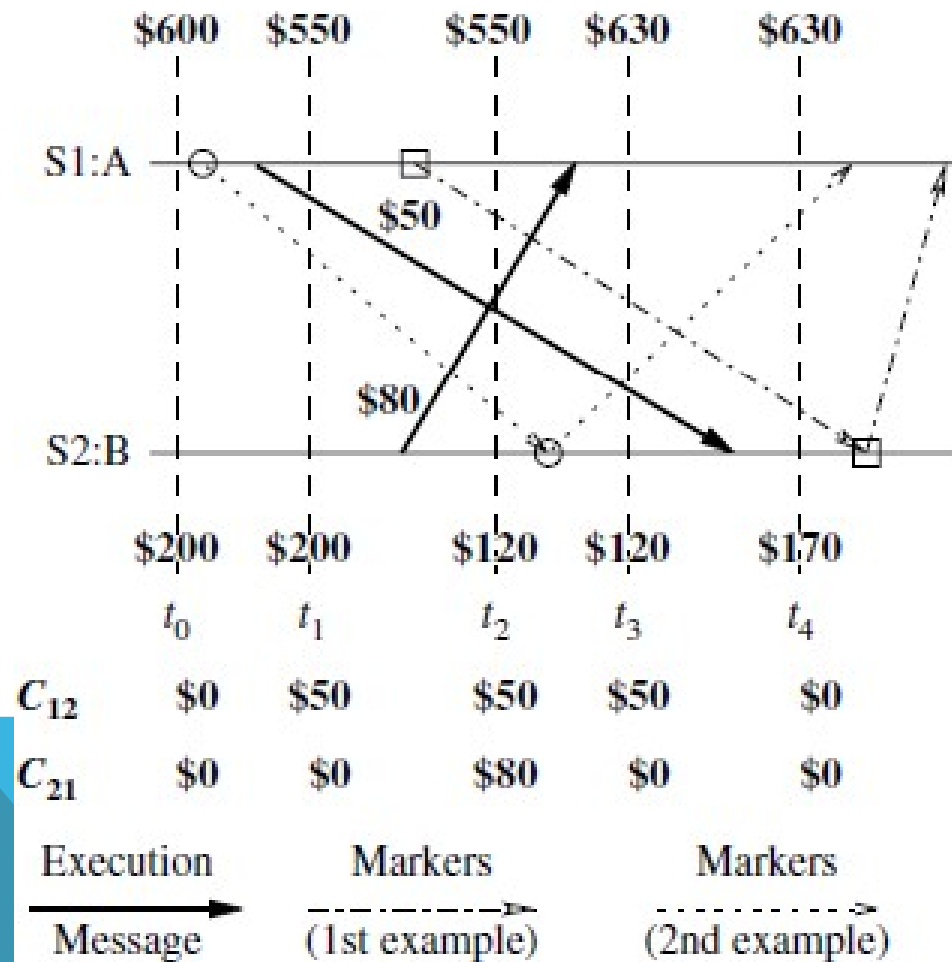
# BANKING EXAMPLE : FUND TRANSFER



# SNAPSHOT ALGORITHM: BANKING EXAMPLE



# SNAPSHOT ALGORITHM: BANKING EXAMPLE



# SYSTEM MODEL

- The system consists of a collection of  $n$  processes  $p_1, p_2, \dots, p_n$  that are connected by channels.
- There are no globally shared memory and physical global clock and processes communicate by passing messages through communication channels.
- $C_{ij}$  denotes the channel from process  $p_i$  to process  $p_j$  and its state is denoted by  $SC_{ij}$ .
- The actions performed by a process are modeled as three types of events: Internal events, the message send event and the message receive event.

For a message  $m_{ij}$  that is sent by process  $p_i$  to process  $p_j$ , let  $send(m_{ij})$  and  $rec(m_{ij})$  denote its send and receive events.



# SYSTEM MODEL

- At any instant, the state of process  $p_i$ , denoted by  $LS_i$ , is a result of the sequence of all the events executed by  $p_i$  till that instant.
- For an event  $e$  and a process state  $LS_i$ ,  $e \in LS_i$  iff  $e$  belongs to the sequence of events that have taken process  $p_i$  to state  $LS_i$ .
- For an event  $e$  and a process state  $LS_i$ ,  $e \notin LS_i$  iff  $e$  does not belong to the sequence of events that have taken process  $p_i$  to state  $LS_i$ .
- For a channel  $C_{ij}$ , the following set of messages can be defined based on the local states of the processes  $p_i$  and  $p_j$

Transit:  $transit(LS_i, LS_j) = \{m_{ij} \mid send(m_{ij}) \in LS_i \wedge rec(m_{ij}) \in LS_j\}$

# GLOBAL STATE COLLECTION

- Applications:
  - Checking “stable” properties, checkpoint & recovery
- Issues:
  - Need to capture both node and channel states
  - system cannot be stopped
  - no global clock

# NOTATIONS

Some notations:

- $LS_i$ : Local state of process  $i$
- $\text{send}(m_{ij})$  : Send event of message  $m_{ij}$  from process  $i$  to process  $j$
- $\text{rec}(m_{ij})$  : Similar, receive instead of send
- $\text{time}(x)$  : Time at which state  $x$  was recorded
- $\text{time}(\text{send}(m))$  : Time at which  $\text{send}(m)$  occurred

# DEFINITIONS

- $\text{send}(m_{ij}) \in \text{LS}_i$     iff  $\text{time}(\text{send}(m_{ij})) < \text{time}(\text{LS}_i)$
- $\text{rec}(m_{ij}) \in \text{LS}_j$     iff  $\text{time}(\text{rec}(m_{ij})) < \text{time}(\text{LS}_j)$
- $\text{transit}(\text{LS}_i, \text{LS}_j)$   
=  $\{ m_{ij} \mid \text{send}(m_{ij}) \in \text{LS}_i \text{ and } \text{rec}(m_{ij}) \notin \text{LS}_j \}$
- $\text{inconsistent}(\text{LS}_i, \text{LS}_j)$   
=  $\{ m_{ij} \mid \text{send}(m_{ij}) \notin \text{LS}_i \text{ and } \text{rec}(m_{ij}) \in \text{LS}_j \}$

# DEFINITIONS

- Global state: collection of local states

$$GS = \{LS_1, LS_2, \dots, LS_n\}$$

- GS is consistent iff

for all  $i, j, 1 \leq i, j \leq n$ ,

$$\text{inconsistent}(LS_i, LS_j) = \Phi$$

- GS is transitless iff

for all  $i, j, 1 \leq i, j \leq n$ ,

$$\text{transit}(LS_i, LS_j) = \Phi$$

- GS is strongly consistent if it is consistent and transitless.

# MODELS OF COMMUNICATION

- ❑ Recall, there are three models of communication: FIFO, non-FIFO, and CO.
- ❑ In FIFO model, each channel acts as a first-in first-out message queue and thus, message ordering is preserved by a channel.
- ❑ In non-FIFO model, a channel acts like a set in which the sender process adds messages and the receiver process removes messages from it in a random order.
- ❑ A system that supports causal delivery of messages satisfies the following property:

**“For any two messages  $m_{ij}$  and  $m_{kj}$ ,  
if  $send(m_{ij}) \rightarrow send(m_{kj})$ , then  $rec(m_{ij}) \rightarrow rec(m_{kj})$ ”.**

# CONSISTENT GLOBAL STATE

- The global state of a distributed system is a collection of the local states of the processes and the channels.
- Notationally, global state  $GS$  is defined as,

$$GS = \{ U_i \text{ } LS_i, U_{i,j} \text{ } SC_{ij} \}$$

- A global state  $GS$  is a *consistent global state* iff it satisfies the following two conditions :

$$C1: \text{send}(m_{ij}) \in LS_i \Rightarrow m_{ij} \in SC_{ij} \oplus \text{rec}(m_{ij}) \in LS_j.$$

( $\oplus$  is Ex-OR operator.)

$$C2: \text{send}(m_{ij}) \notin LS_i \Rightarrow m_{ij} \notin SC_{ij} \wedge \text{rec}(m_{ij}) \notin LS_j.$$

# INTERPRETATION IN TERMS OF CUTS

□ A cut in a space-time diagram is a line joining an arbitrary point on each process line that slices the space-time diagram into a PAST and a FUTURE.

□ A consistent global state corresponds to a cut in which every message received in the PAST of the cut was sent in the PAST of that cut.

□ Such a cut is known as a *consistent cut*.

□ For example, consider the space-time diagram for the computation illustrated in Figure 1.

□ Cut C1 is inconsistent because message m1 is flowing from the FUTURE to the PAST.

□ Cut C2 is consistent and message m4 must be captured in the state of channel  $C_{21}$ .



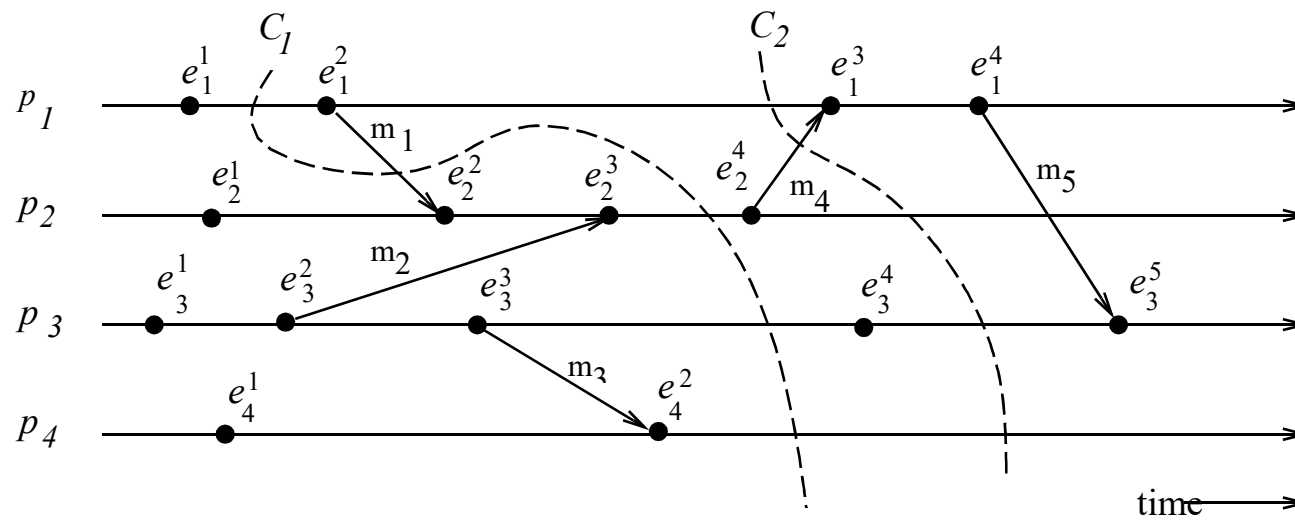


Figure 1: An Interpretation in Terms of a Cut.