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Exercise 6

Finger Exercises due Aug 5, 2020 20:30 -03

Exercise 6

3/4 points (graded)

ESTIMATED TIME TO COMPLETE: 6 minutes

Consider the following Python procedures. For each one, specify its order of growth.

1.

```
# Assume n has been previously bound to some value
i = 0
while i < 5:
    n *= 2
    i += 1

print(n)
```



✓ Answer: $O(1)$

2.

```
def iterPower(a, b):
    result = 1
    while b > 0:
        result *= a
        b -= 1
    return result
```



✓ Answer: $O(b)$



3.

```
def recurPower(a, b):  
    print(a, b)  
    if b == 0:  
        return 1  
    else:  
        return a * recurPower(a, b-1)
```



✓ Answer: O(b)

4.

```
def recurPowerNew(a, b):  
    print(a, b)  
    if b == 0:  
        return 1  
    elif b%2 == 0:  
        return recurPowerNew(a*a, b/2)  
    else:  
        return a * recurPowerNew(a, b-1)
```



Answer: O(log(b))

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Exercise 6

Topic: Lecture 11 / Exercise 6

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Question 4

question posted about 11 hours ago by [mmesomaokafor22](#)

Anyone care to explain question 4?

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2 responses



paralogyx

about 10 hours ago



Just started to write, that I also didn't understand, and during that got it :)

If b is even, then $b\%2 == 0$ is true and we divide it by 2, so reduce amount of recursive calls in two times. That is for sure logarithmic. When b is odd, we call recursion with reducing in only by one - looks like linear, but not really: this call will be only once, as in next call b for sure will even again: (odd - 1 is always even). So, this part of algorithm is not dependent linearly of b

coleman85

about 8 hours ago



Thought maybe it was $n \log n$ but that wasn't an option :D but thinking about it now, there are no two odd numbers in a row, so at most let's assume you get odd, even, odd, even, then it is still a log function, halving every third call.

(odd even odd even not sure that can even happen, write some numbers out, it's more like odd, even, even, odd, even, even, even...)



Exactly correct, even calls will be of $O(\log(b))$ -- you cannot say better e.g. put $b=2^{**}n$. The worst case can be odd, even, odd, even, ... i.e. alternating parity of second argument in the function call so the calls of type `recurPowerNew(a, b-1)` will be at most equal to the number of calls of type `recurPowerNew(a*a, b/2)` and as a result are of $O(\log(b))$. So, the combination too is $O(\log(b))$

posted about 7 hours ago by [abhinav vikram](#)

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