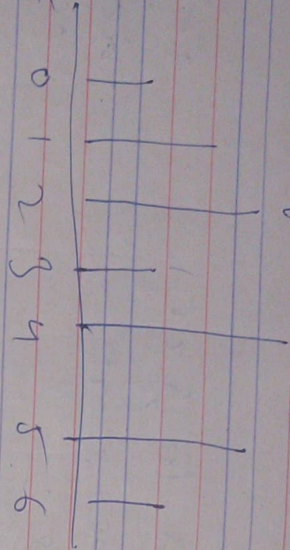


1. Container with Most water

Brute force



pseudocode: $max_cnt = 0$
 for (int i = 0 → n) {

for (int j = i + 1 → n) {

width = j - i

height = min(height[i], height[j])

maxCnt = max(maxCnt, height * width);

}
 return maxCnt;

∴ TC: $O(n^2)$ which is bad

time complexity $O(n^2)$ coz height length = 10

so $n = 10^5 \Rightarrow O(10^{10}) \rightarrow$ which will give a TLE.

SC: $O(1)$ constant

optimal soln

Two-pointer approach ~~to~~ to
 This will reduce TC to $O(n)$
 which is optimal soln.

height[] = [1, 8, 6, 2, 5, 4, 8, 3, 7]

width $\Rightarrow j - i$ (same)

pseudocode:

maxCnt $\rightarrow 0$
 i $\rightarrow 0$
 j \rightarrow height size - 1

while (i < j) {

width $\rightarrow j - i$

height \rightarrow min(height[i], height[j])

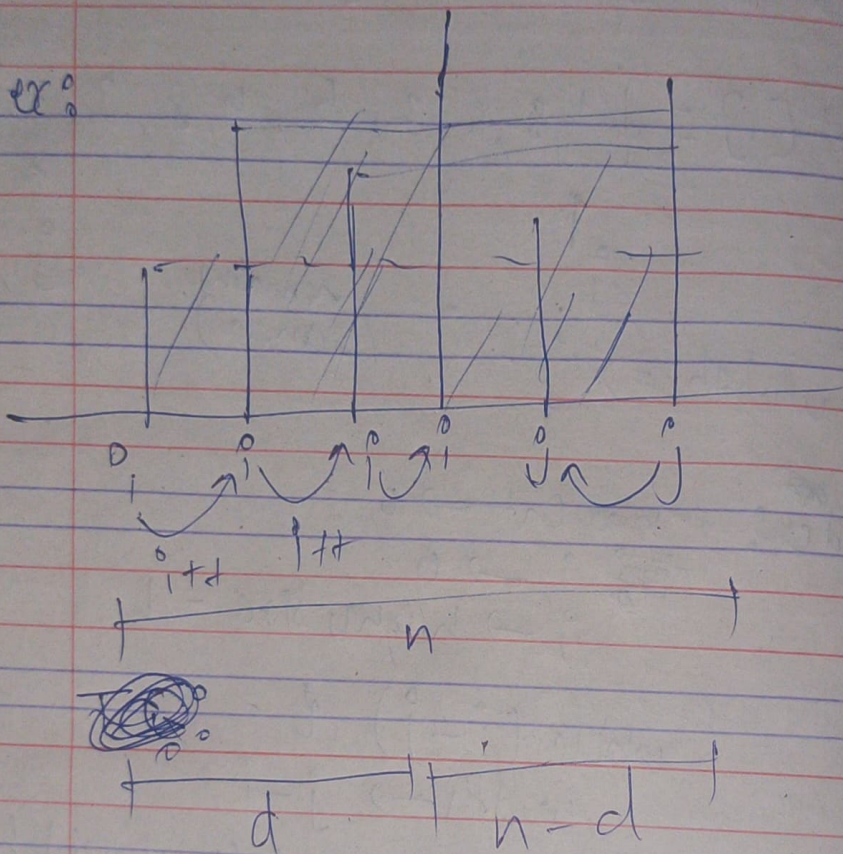
maxCnt = max(maxCnt, height * width);

height[i] < height[j] ? i++ : j--

}
 return maxCnt;

The two pointers placed at both end will only move forward and backward according to height of container.

Deciding factor of container will be minimum height of an edge.



i moves d distance

j moves $n-d$ distance

$$\text{so } n-d + d = n$$

so loop runs n times.

$$TC : O(n) ; SC : O(1)$$