

Logical operator

Bitwise operator

OR

||

a||b

&

OR

AND

&&

a&b

Not

!

! a
input 0000 0000 output
0000 0001

~

OR | 0010 0000

0000 1

OR

0010
0000

256
↑
↓

Hex

ASCII

char a = 'a';
printf("%d", a);

a
↓
b

— 91
— z, A B —

Z, 0 9

256

8-bit → 2^8 diff. value

0
1
2
⋮
255

Unicode:

16-bit — 32-bit

255

Normal form $\leftarrow 1.f \times 2^{\text{exp}}$

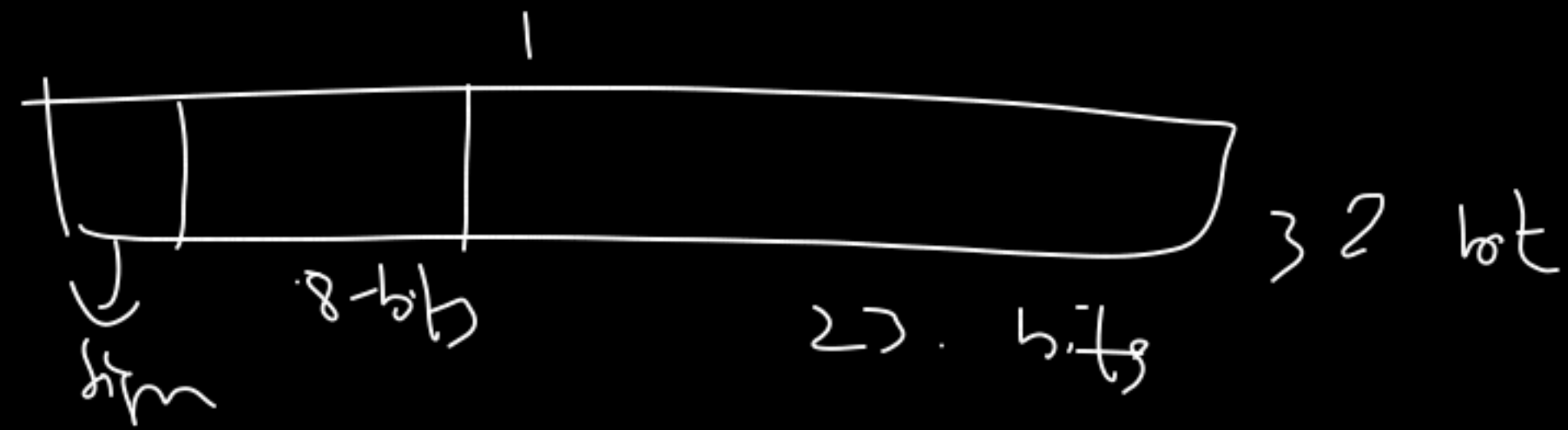
$f \rightarrow$ fraction

$1.f \rightarrow$ significant.

for normal form

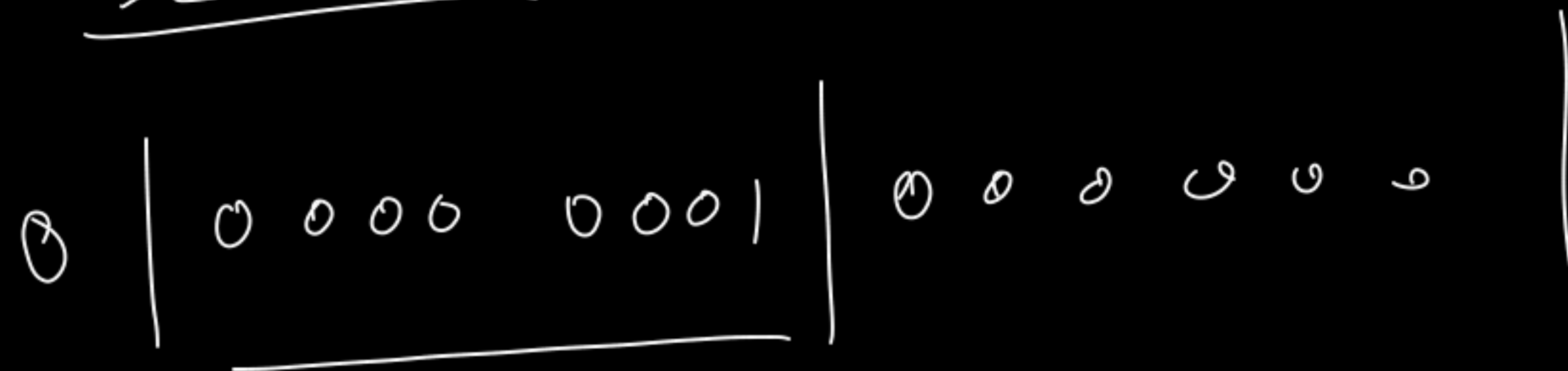
Subnormal form \leftarrow

$$\begin{array}{r} 1.\underline{1101} \times 2^{-16} \\ \hline 0.\underline{111101} \\ \hline 0.f \times 2^{\text{exp}} \end{array}$$

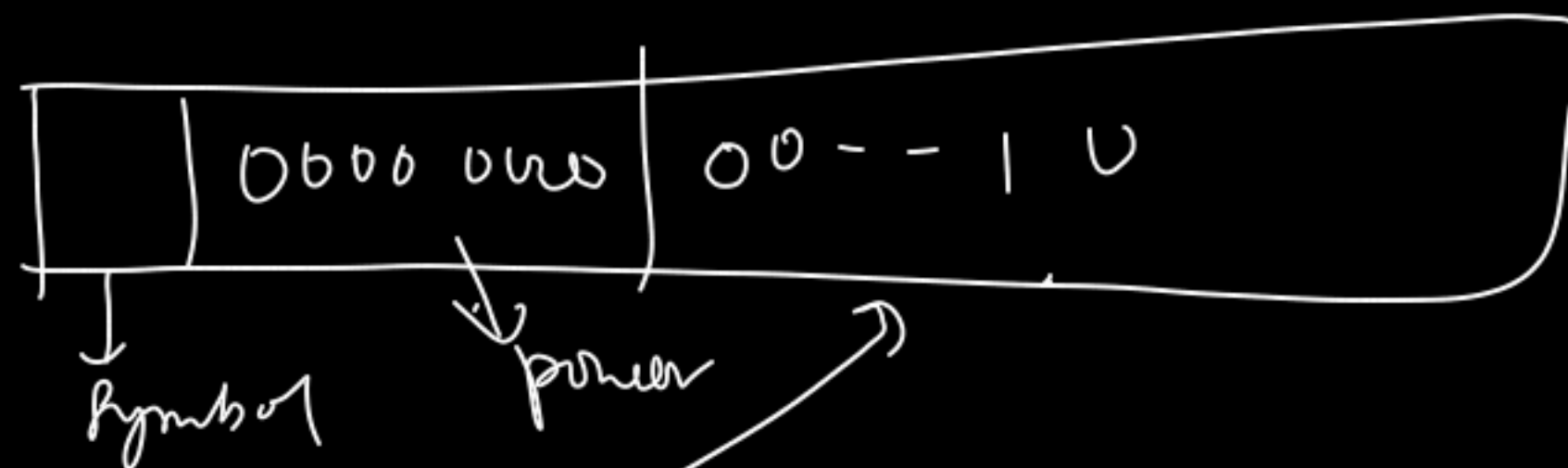


$\left(\frac{16}{-} \right)$ highest
 - 16 lowest
 - 4-bit

32-bit Normal



0 - f ^{exp} × 2

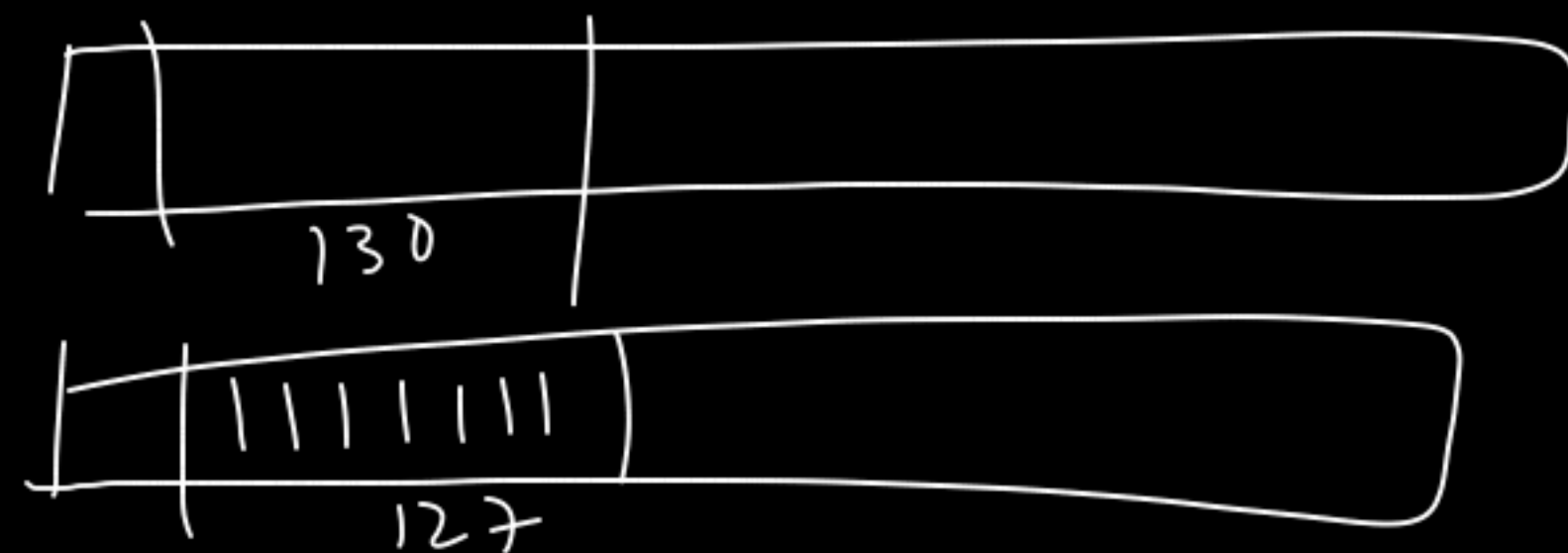


if $exp = 0$
 & $f \neq 0$, value $\neq 0 \cdot f \times 2^{exp}$

if $exp = 0$, $f = 0$, value $= 0$

1 Addition: of floats

$$\begin{array}{r}
 1.11 \times 2^3 \\
 + 0.0011 \times 2^3 \leftarrow |0.11 \times 2^1| \\
 \hline
 \end{array}$$



Step 1: Make exponents equal, make lower \rightarrow larger

Calculate diff, $d = |exp_1 - exp_2|$

Step 2: $right \gg d$

Step 3: Add $Sign_1 + Sign_2$ (1.1111)

4.59

Step 4: Round off

4.6

Step 5: Normalize \times power

Round-off
 \rightarrow Take closest possible.

$$\begin{array}{rclcl}
 \frac{1}{6} & 5.56 \rightarrow & 5.6 & 6 \\
 5 & 5.39 \rightarrow & 5.4 & 5 \\
 \swarrow & \underline{5.46} \rightarrow & 5.5 & 6
 \end{array}$$

In floating point ops

Guard bits

Floating point Multiplication

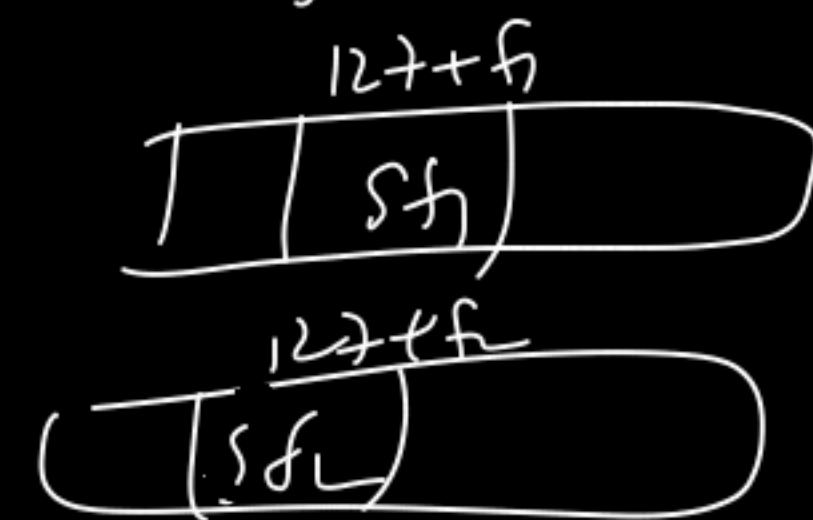
$$\begin{array}{r} 0.11 \\ 0.1 \geq 0.011 \end{array}$$

$$1.1$$

$$1.0$$

x

$$\begin{array}{l} 1.f_1 \times 2^{e_1} \\ 1.f_2 \times 2^{e_2} \end{array}$$



$$f = s_{f1} + s_{f2} - 127$$

$$\begin{array}{r} 1.10 \end{array}$$

Step 1 Add exponents $e_1 + e_2 = e$

Step 2: Multiply $f_{f1} \times f_{f2}$

Step 3 → Normalization (Shift Result & $e = e + \text{shift}$)

Circuit for Int Multiplication

x y
 $x_{n-1} \dots x_0$ $y_{n-1} \dots y_0$

\rightarrow
 $\begin{array}{r} x \cdot 0010 \\ 1101 \\ \hline \end{array}$

$s = 0$
 for $i = 1$ to 32
 if $y[i] = 1$
 $s = s + x$
 $y = y \gg 1$
 $x = x \ll 1$

