

Lecture 3 Algorithms:-



Algorithm

Sorting : `sort(arr, arr+n)` // sorts [start index, end index)
`sort(v.begin(), v.end())` // sorts [start iterator, end it)
 $O(n \log n)$ time complexity

Algorithm

Reverse :- `reverse(arr, arr+n);`
`reverse(v.begin(), v.end());`
 $O(n)$ time complexity

Algorithm

Maximum / Minimum

`int el = *max_element(arr, arr+n);`
`int el = *max_element(v.begin(), v.end());`
`int el = *min_element(arr, arr+n);`
`int el = *min_element(v.begin(), v.end());`

$O(n)$ time complexity

Algorithm

Accumulate

`int sum = accumulate(arr, arr+n, 0);` ↖ initial sum
`int sum = accumulate(v.begin(), v.end(), 0);` ↑
 $O(n)$ time complexity

Algorithm

Count

`int cnt = count(arr, arr+n, x)` ↖ find freq. of x
`int cnt = count(v.begin(), v.end(), x)`
 $O(n)$ time complexity

Algorithm

find : returns iterator to first occurrence of an element.
Unsorted array.
`auto it = find(arr, arr+n, x);` (Points to end() if x does not exist)
`index = it - arr;`

auto it = find(v.begin(), v.end(), x);

index = it - v.begin();

$O(n)$ Time complexity

Algorithm Binary Search $O(\log n)$; return true/false
works only on sorted array

bool res = binary_search(arr, arr+n, x);

bool res = binary_search(v.begin(), v.end(), x);

Algorithm Lower bound $O(\log n)$; return iterator

works only on sorted array

auto it = lower_bound(arr, arr+n, x);

index = it - arr;

auto it = lower_bound(v.begin(), v.end(), x);

index = it - v.begin();

Returns: Iterator to the first element that is not lesser than x (or) first element greater than or equal to x . \emptyset

If all elements are lesser than x \rightarrow returns $v.end()$.

Algorithm Upper Bound: $O(\log n)$; return iterator

works only on sorted array

auto it = upper_bound(arr, arr+n, x);

index = it - arr;

auto it = upper_bound(v.begin(), v.end(), x);

index = it - v.begin();

Returns: Iterator to the first element that is just greater than x .

If all elements are lesser or equal to x , returns $v.end()$.

Algorithm

Next Permutation: Gives permutations in lexicographical manner.

$O(n)$ time complexity

string str = "abc"

bool res = next-permutation(s.begin(), s.end());

→ true; if there is any next permutation possible
↘ arrange string in next permutation.

false; if there is no next permutation possible
: Don't change the string

Printing all permutations: for a string of length n , $n!$ permutations exist.

Given string str, print all permutations.

⇒ sort(str.begin(), str.end()); $O(n \log n)$

do

{

cout << str << "\n";

while (next-permutation(str.begin(), str.end()));

time complexity :- loop runs $n!$ times and each time $O(n)$ time for next permutation.

∴ time complexity: ~~$O(n \times n!)$~~ ~~huge~~

$O(n \log n) + O(n \times n!) = O(n \times n!)$

Algorithm :- Previous Permutation :-

bool res = prev-permutation(s.begin(), s.end());

$O(n)$

Just figure out - what all conditions are true ~~are~~ According to our need.

Comparator

'sort(arr, arr + n, comp);

↳ Comparator function:

```
bool comp(int ele1, int ele2) // to sort in decreasing order
{
    if (ele1 >= ele2) return true; // do not swap
    else return false; // swap
}
```

~~Sort (arr, arr + n, greater<int>);~~ inbuilt comparators to sort
order.

~~Sort (arr, arr + n, greater<int>);~~

~~Sort (arr, arr + n, greater<int>);~~

⇒ greater<int>() } inbuilt comparators for
⇒ greater<pair<int, int>>() } sorting in decreasing order

Imp:-

Comparators can only be used for linear data structures
eg. String, array, vector.

$$(N \times N)O = (N + N)O + (N \times N)O$$