

If you do not have access to MATLAB, try the online examples such as:

[FFT-Based Time-Frequency Analysis - MATLAB & Simulink \(mathworks.com\)](https://www.mathworks.com/help/sptoolbox/fft-based-time-frequency-analysis.html)

**FFT-Based Time-Frequency Analysis** R2024a

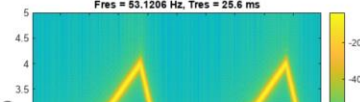
Signal Processing Toolbox™ provides functions that return the time-dependent Fourier transform of a sequence, or display this information as a spectrogram. The time-dependent Fourier transform is the discrete-time Fourier transform for a sequence, computed using a sliding window. This form of the Fourier transform, also known as the *short-time Fourier transform* (STFT), has numerous applications in speech, sonar, and radar processing. The spectrogram of a sequence is the magnitude squared of the time-dependent Fourier transform versus time.

For more information about the spectrogram, see [Spectrogram Computation with Signal Processing Toolbox](#). For an overview of other time-frequency representations of signals, see [Time-Frequency Gallery](#).

**Spectrogram Display**

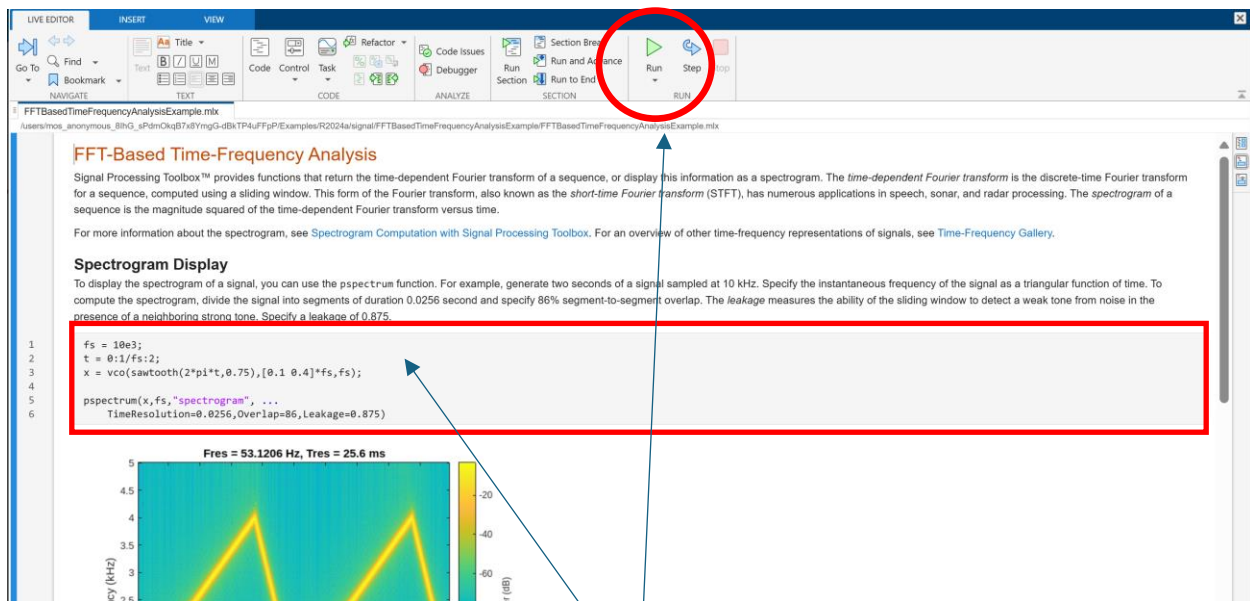
To display the spectrogram of a signal, you can use the `pspectrum` function. For example, generate two seconds of a signal sampled at 10 kHz. Specify the instantaneous frequency of the signal as a triangular function of time. To compute the spectrogram, divide the signal into segments of duration 0.0256 second and specify 86% segment-to-segment overlap. The leakage measures the ability of the sliding window to detect a weak tone from noise in the presence of a neighboring strong tone. Specify a leakage of 0.875.

```
fs = 10e3;  
t = 0:1/fs:2;  
x = vco(sawtooth(2*pi*t,0.75),[0.1 0.4]*fs,fs);  
  
pspectrum(x,fs,"spectrogram", ...  
    TimeResolution=0.0256,Overlap=86,Leakage=0.875)
```



Click on “Try this example”.

A “live” code window will open, that you can modify.



You can modify the code and then hit run.

You can also delete the extra text and live code windows if not needed, and type in the code you want to run to find the filter coefficients.

**FFT-Based Time-Frequency Analysis**

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**Spectrogram Display**

To display the spectrogram of a signal, you can use the `pspectrum` function. For example, generate two seconds of a signal sampled at 10 kHz. Specify the instantaneous frequency of the signal as a triangular function of time. To compute the spectrogram, divide the signal into segments of duration 0.0256 second and specify 86% segment-to-segment overlap. The *leakage* measures the ability of the sliding window to detect a weak tone from noise in the presence of a neighboring strong tone. Specify a leakage of 0.875.

```
1 fs = 10e3;  
2 t = 0:1/fs:2;  
3 x = vco(sawtooth(2*pi*t,0.75),[0.1 0.4]*fs,fs);  
4  
5 pspectrum(x,fs,"spectrogram", ...  
6           TimeResolution=0.0256,Overlap=86,Leakage=0.875)
```

Fres = 53.1206 Hz, Tres = 25.6 ms

delete

```
1 fs = 2000;  
2 fmax = fs/2;  
3 fc = 400;  
4 wn = fc/(fmax);  
5 order = 8;  
6 ceoff = fir1(order,wn,'low')
```

ceoff = 1×9  
-0.0061 -0.0136 0.0512 0.2657 0.4057 0.2657 0.0512 -0.0136 -0.0061

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Coefficients are displayed after running the code

You can also test your filter by adding the extra code for generating an input signal and passing it through the generated filter and then plotting the input and output signals. Then you hit 'run' to obtain the following results:

