

D22.1

Always Valid Timing: Each clock cycle there's a valid value. Even when the window changes to $1/2$ or double the frequency

D22.2

Periodically Valid Timing: The signal is valid once every n cycle.
(n , represent the period of the signal)

D22.3

Flow-Control Timing: Uses explicit sequencing signals to sequence the transfer of data over an interface.

D22.1

3 example of "always valid timing"

- 1) Heart beat monitor
- 2) Video Card to monitor signal
- 3) ipod music output to your headphone or amplifier

D22.2

3 example of "periodically valid timing"

- 1) VPN Tunnel that is encrypted and the authentication key is changing and only valid for a small interval of time.
- 2) An IBM cryptographic random number generator card. Periodically polls environment variables and comes up with non repeating results
- 3) Software that allows users to check passwords. And hardware which generates char that are valid only a short time frame.

D22.3

3 Examples of flow-control

- 1) sending data over network using TCP
- 2) using half-duplex between two modems sending data
- 3) Sending jobs to a printer.

CH 23

23.1

$$T = T_m + T_{reg}$$

$$\text{Latency} = T = 20.5 \text{ ns}$$

$$\text{Throughput} = \Theta = \frac{1}{20.5} = .0487 = 49 \text{ mops}$$

23.2

$$\text{Latency} = T = 20 \text{ ns} + .500 \text{ ns} = 20.5 \text{ ns}$$

$$\text{Throughput} = \Theta = \frac{n}{T} = \frac{5}{20.5} = .2439 = 244 \text{ mops}$$

23.3

$$\text{Latency} = T = 20 \text{ ns} + 5(.500 \text{ ns}) = 22.5 \text{ ns}$$

$$\text{Throughput} = \Theta = \frac{5}{22.5} = 222 \text{ mops}$$

23.4

$$T = T_m + n T_{reg} \quad \Theta = \frac{1}{\frac{T_m}{n} + T_{reg}}$$

$$\text{Latency} = T = 20 \text{ ns} + 4(.500 \text{ ns})$$

$$T = 20 \text{ ns} + 2 \text{ ns} = \boxed{22 \text{ ns}}$$

$$\text{Throughput} = \Theta = \frac{1}{\frac{20}{5} + 2} = 37 \text{ mops}$$