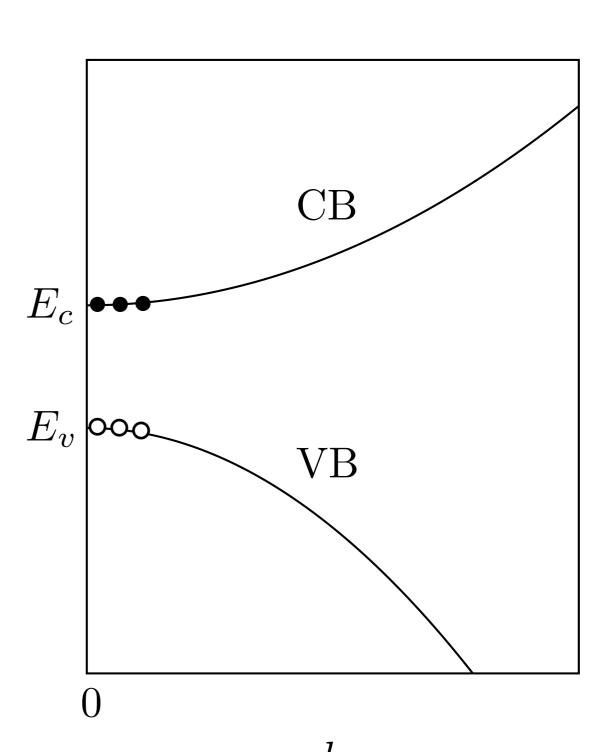
# Typical semiconductor bands

$$E(k) = E(0) + \frac{dE}{dk} \Big|_{k=0} k + \frac{1}{2} \frac{d^2 E}{dk^2} \Big|_{k=0} k^2 + \cdots$$

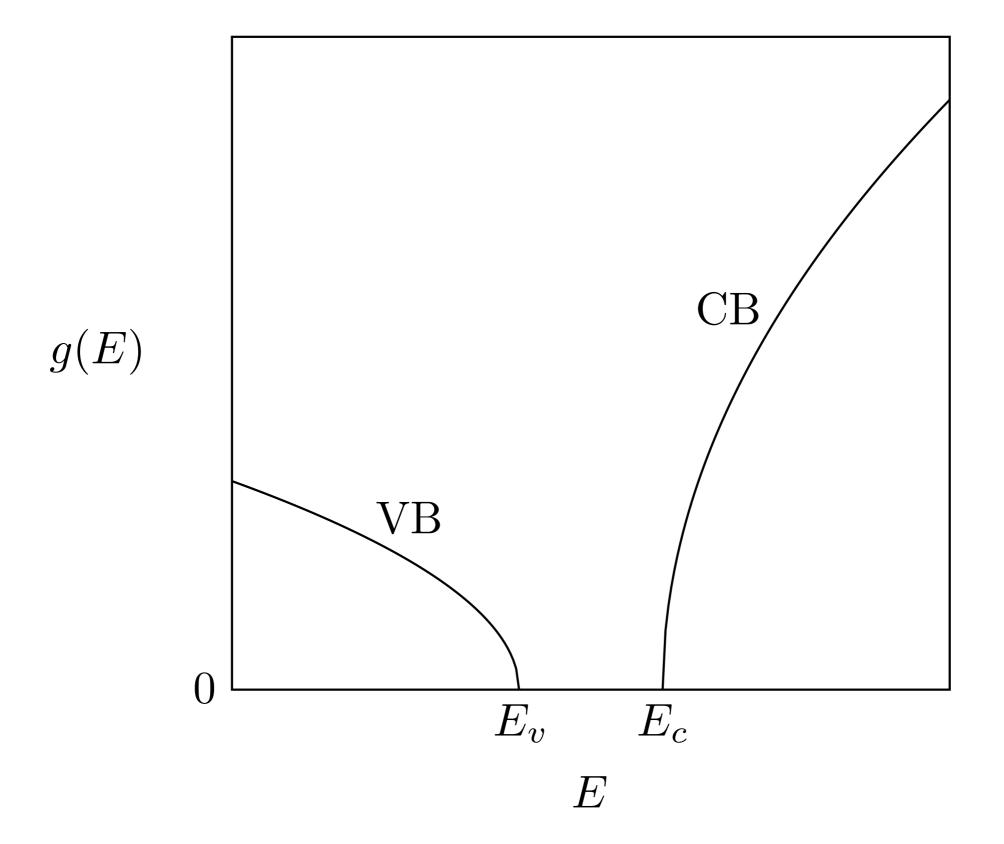
$$E = E_c + \frac{\hbar^2}{2m_n^*} k^2$$

$$E = E_v - \frac{\hbar^2}{2m_p^*} k^2$$



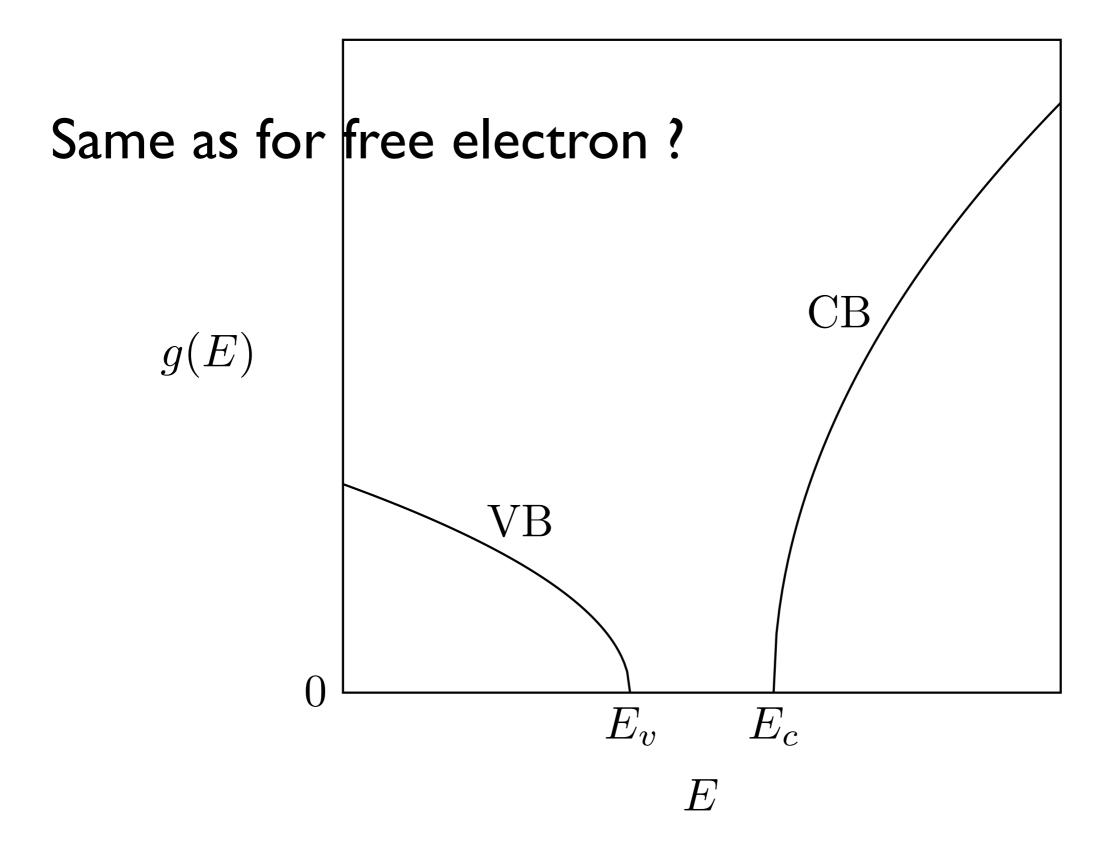


# Density of states



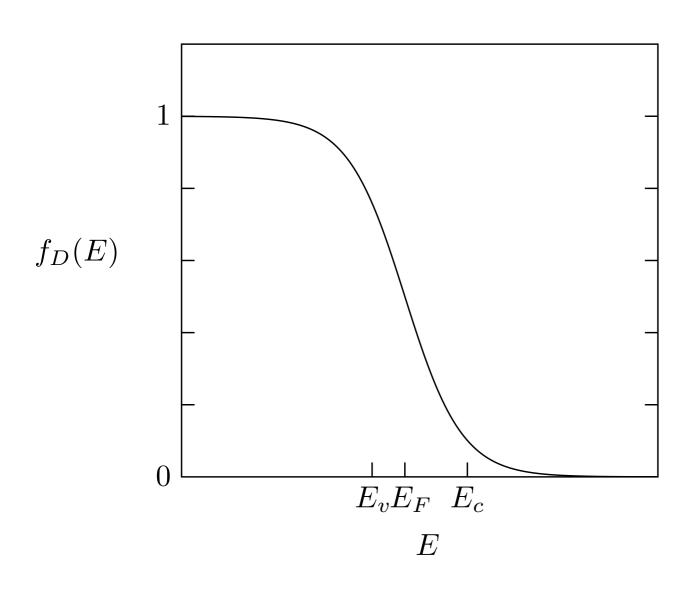


# Density of states



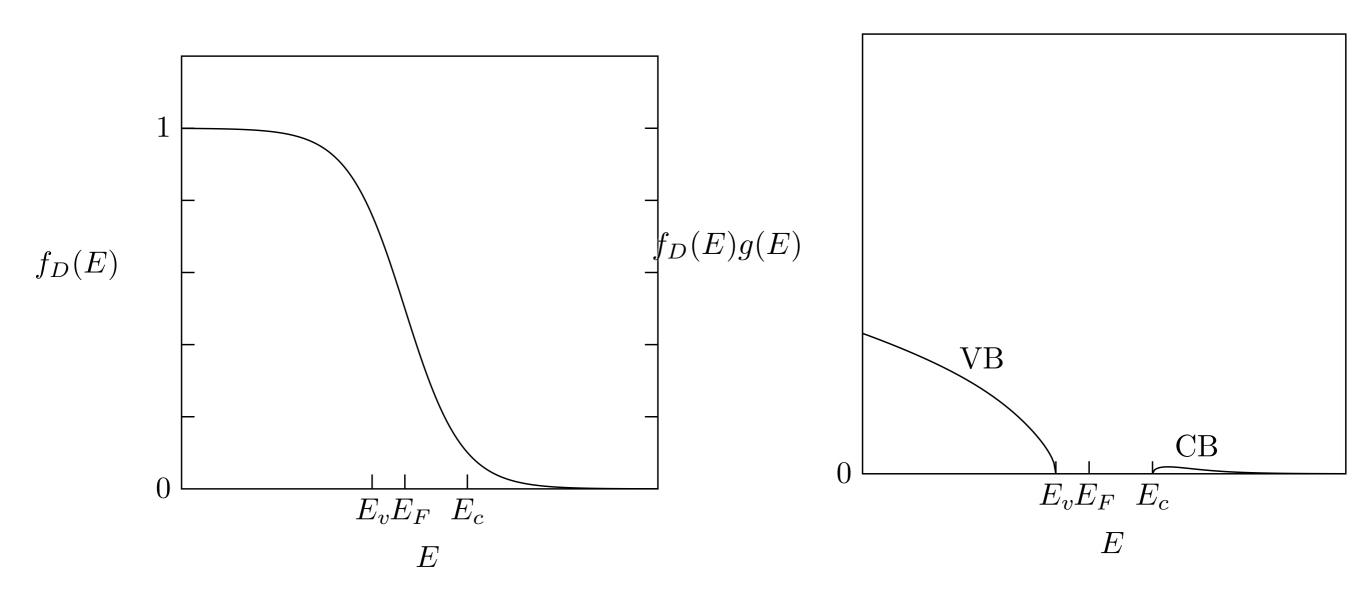


$$T \neq 0$$



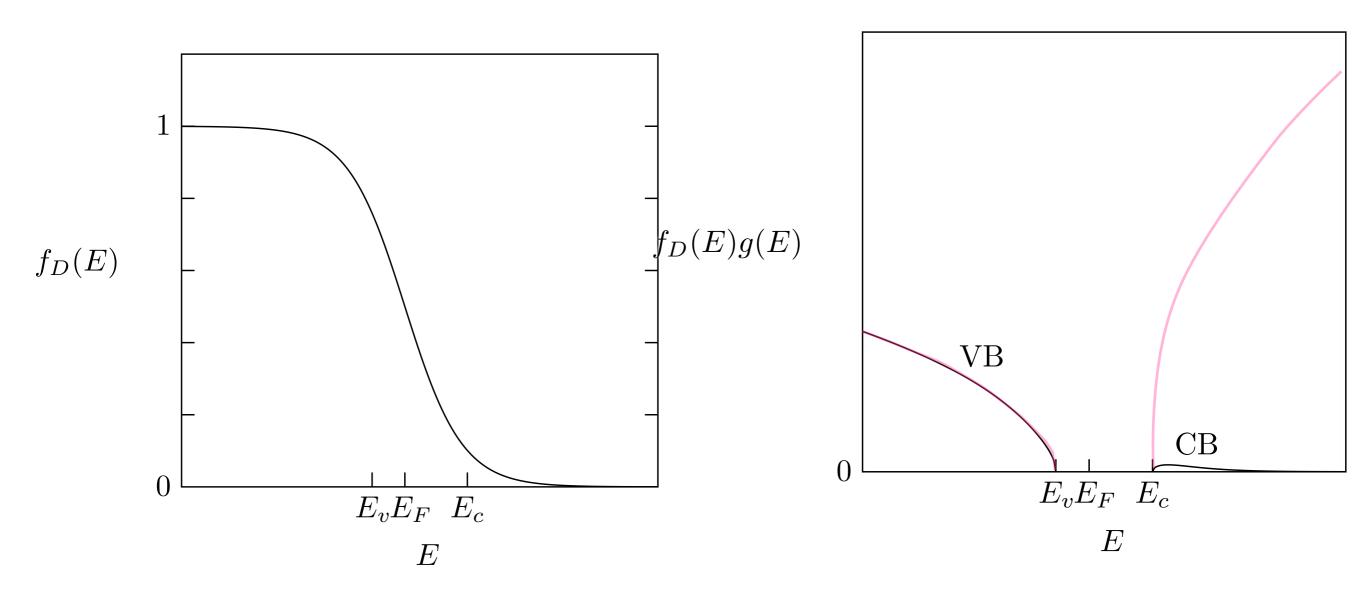


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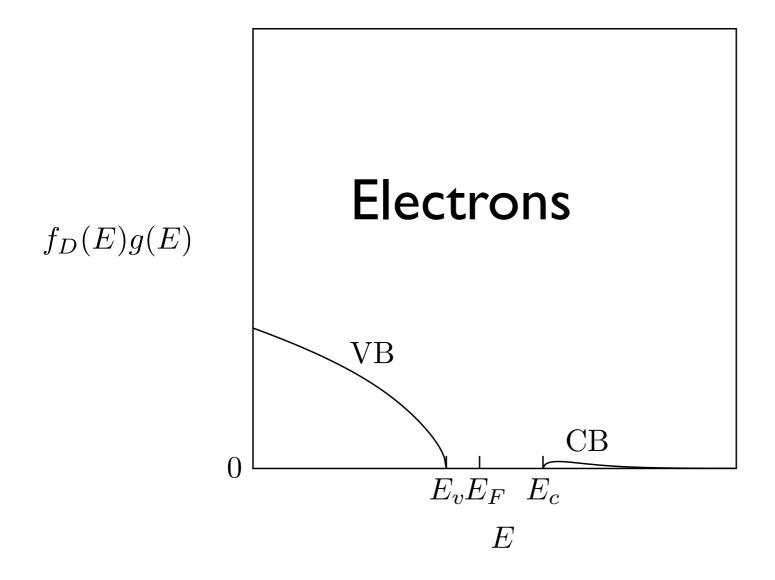


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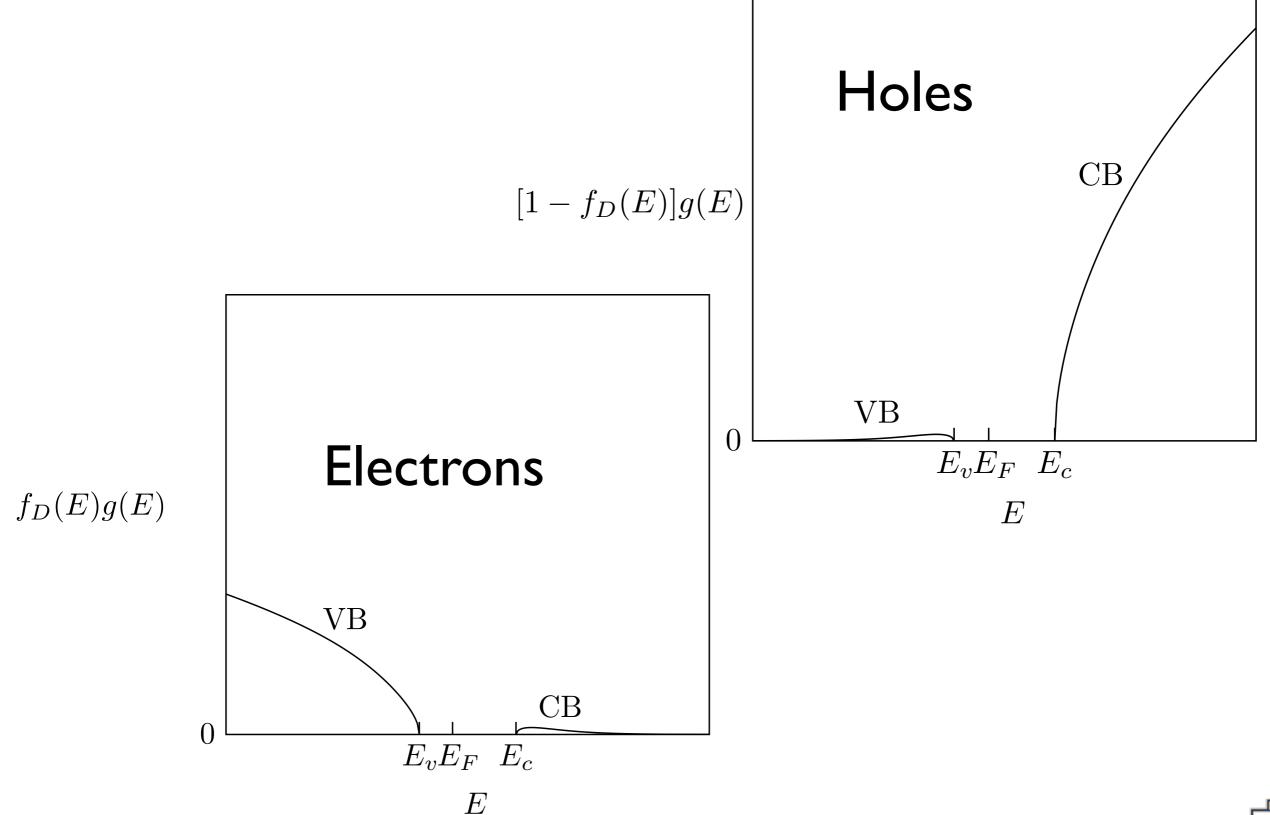


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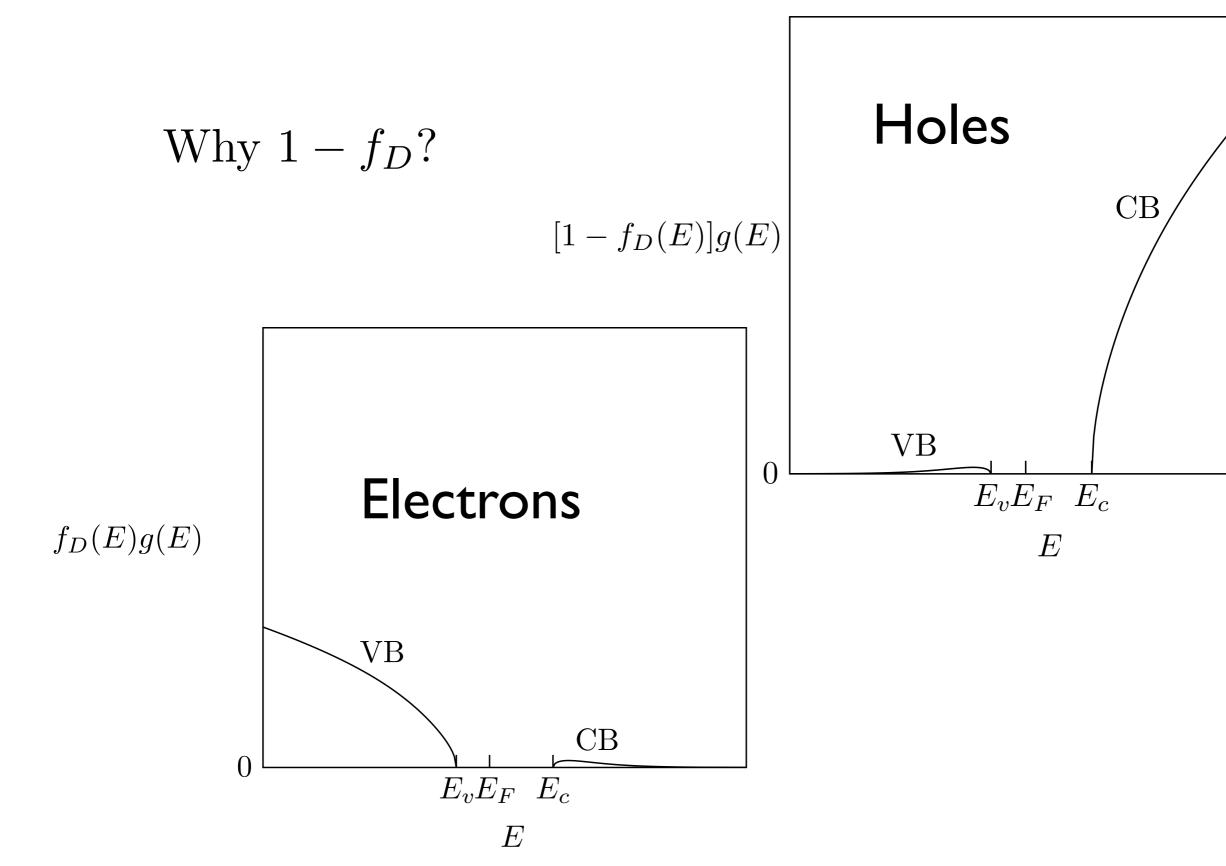


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$$n = \frac{1}{V} \int f_D(E)g(E)dE$$

$$= 2 \left(\frac{m_n^* k_B T}{2\pi\hbar^2}\right)^{3/2} \exp\left(-\frac{E_c - E_F}{k_B T}\right)$$

$$p = 2\left(\frac{m_p^* k_B T}{2\pi\hbar^2}\right)^{3/2} \exp\left(-\frac{E_F - E_v}{k_B T}\right)$$

$$E_f \approx \frac{1}{2} \left( E_c + E_v \right)$$

$$n_i = \sqrt{N_c N_v} \exp\left(-\frac{E_g}{2k_B T}\right)$$

#### At 300 K

$$n_i = 9.8 \times 10^{15}$$

#### At 373 K

$$n_i = 9.5 \times 10^{17}$$



$$n = \frac{1}{V} \int f_D(E)g(E)dE$$

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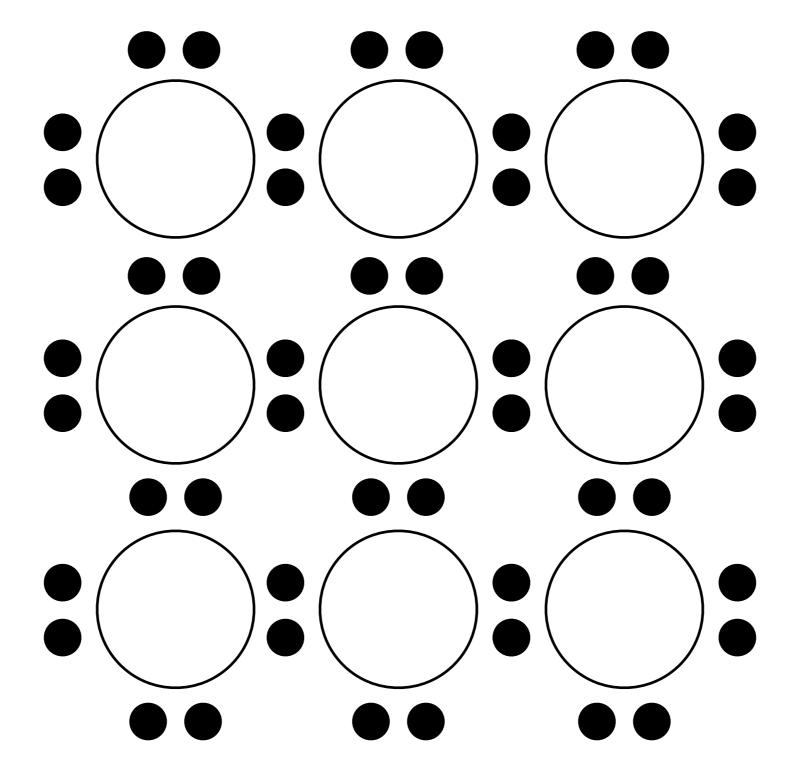
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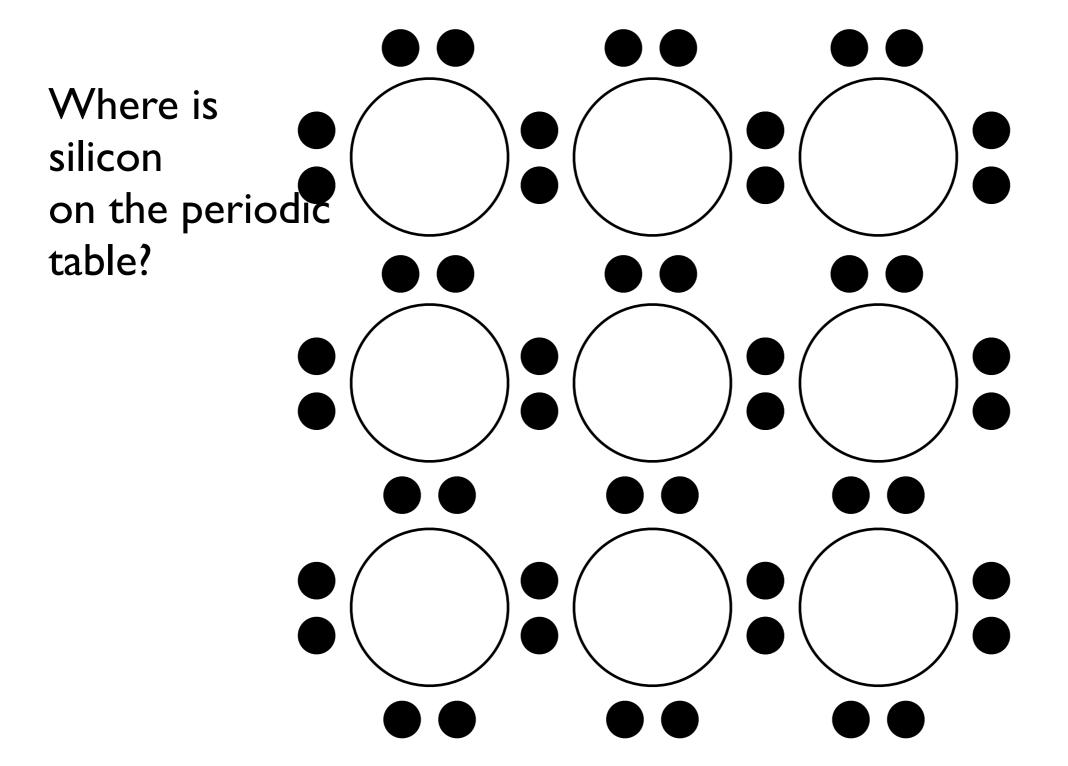
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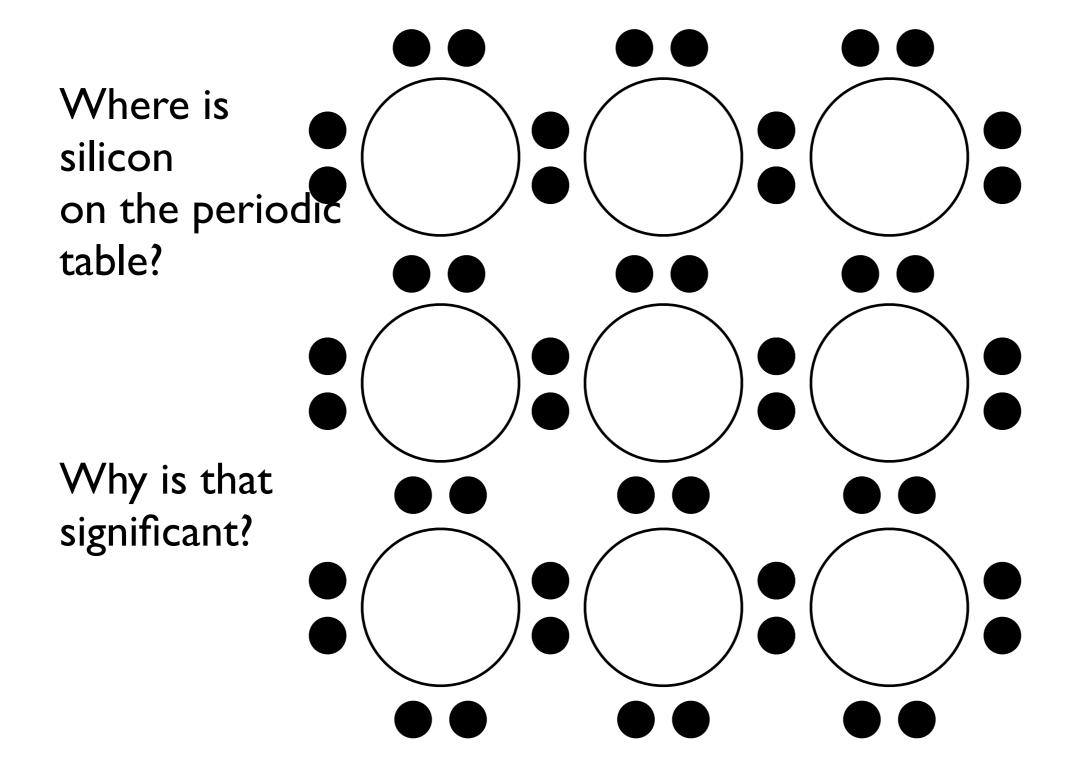




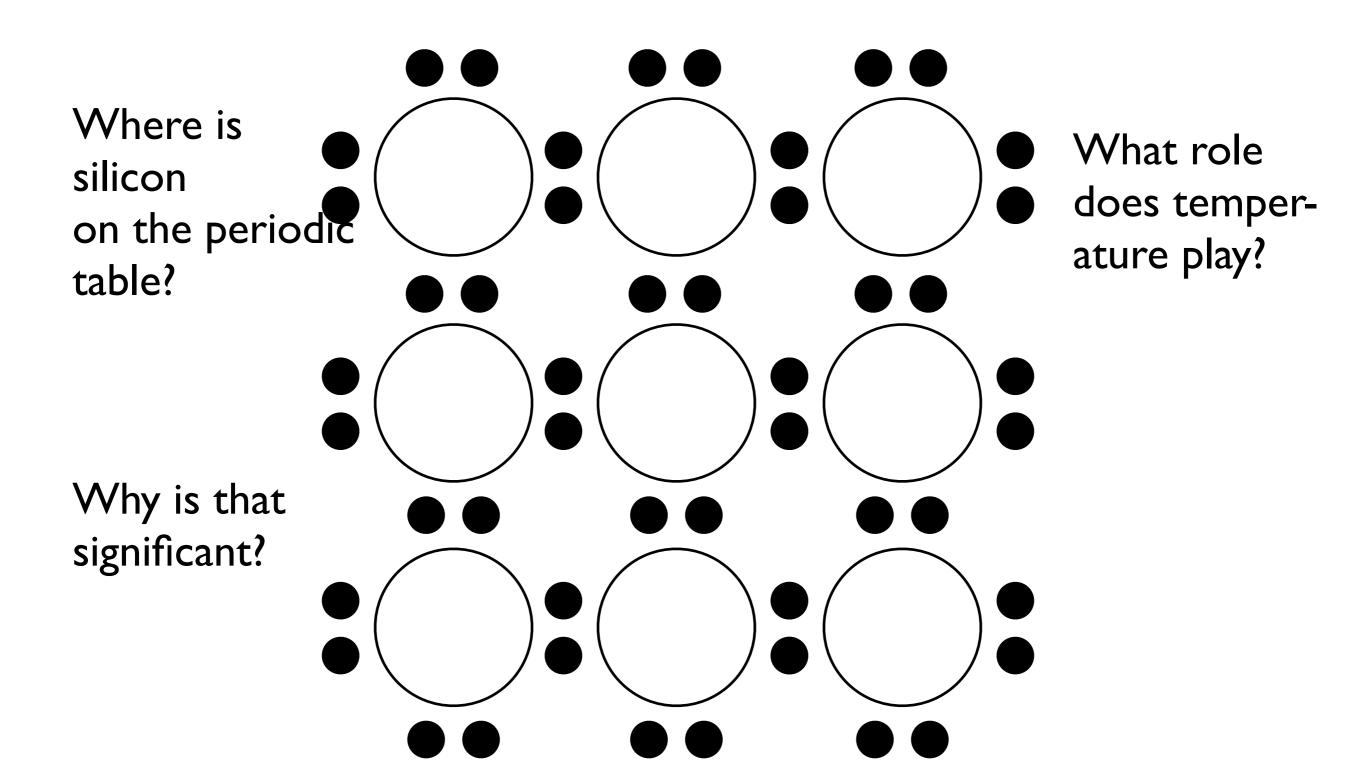




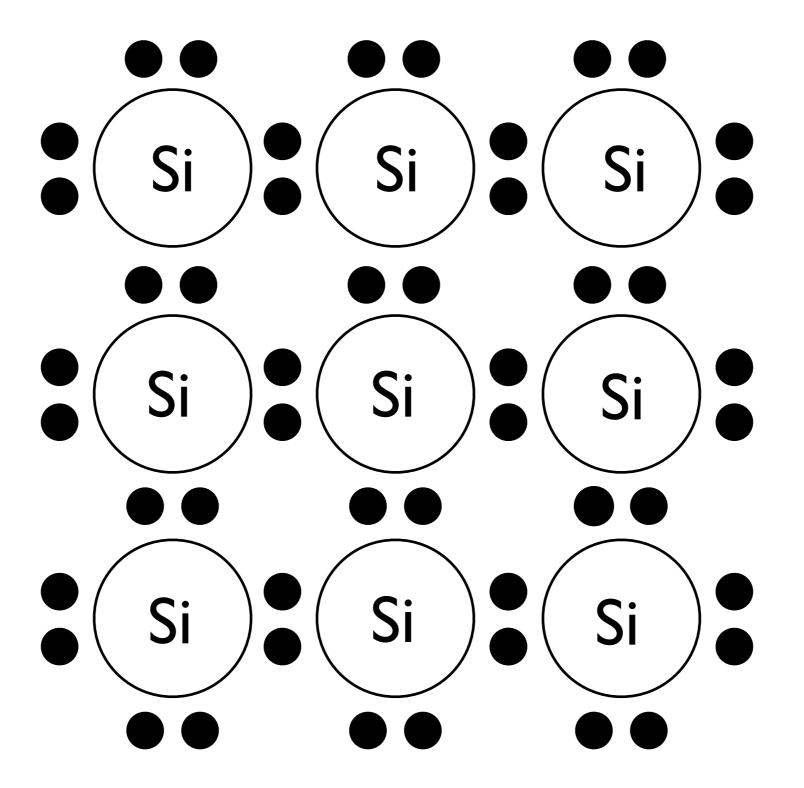




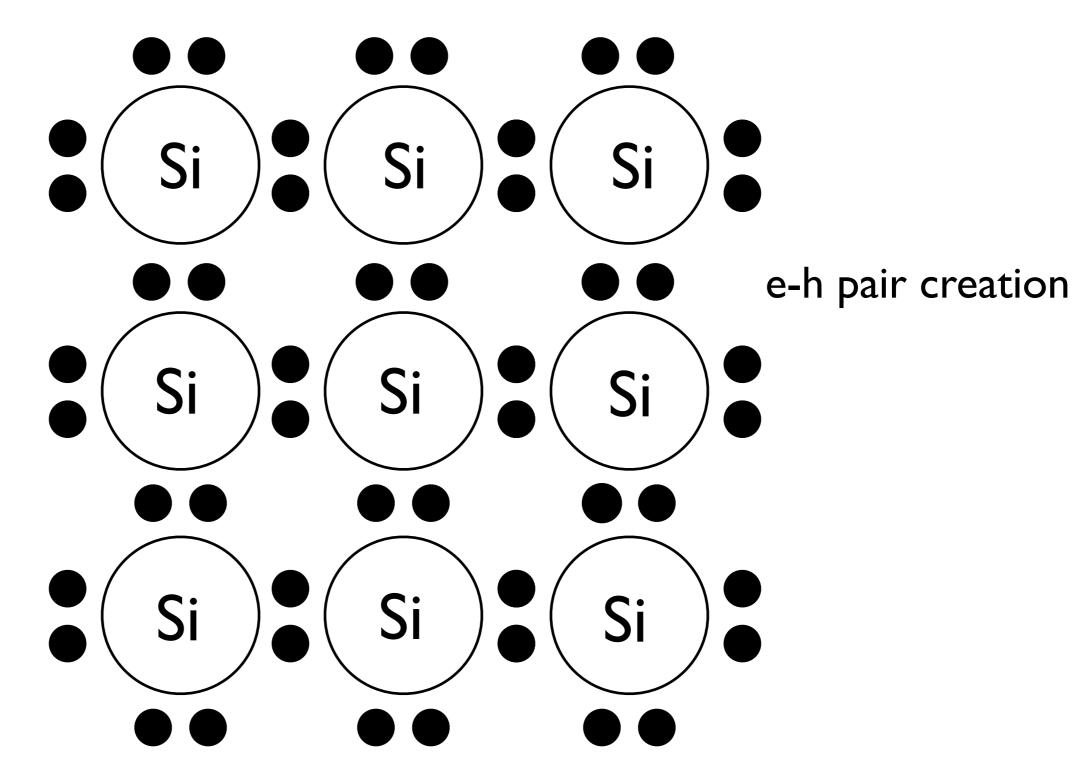




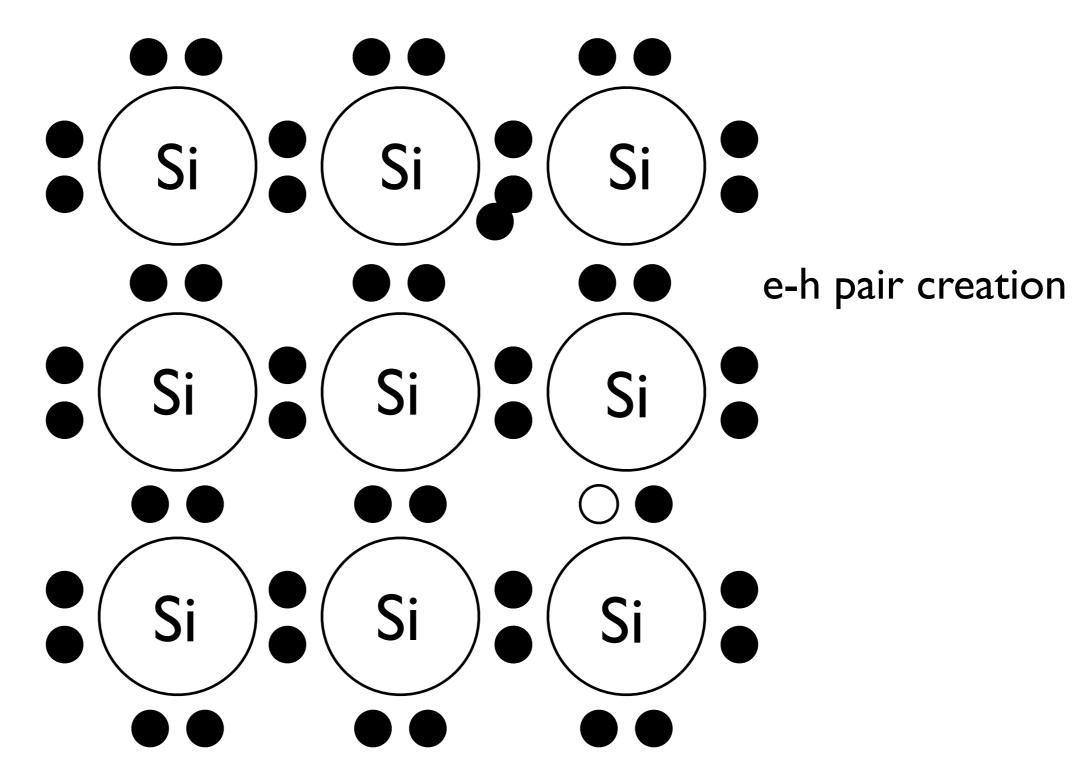




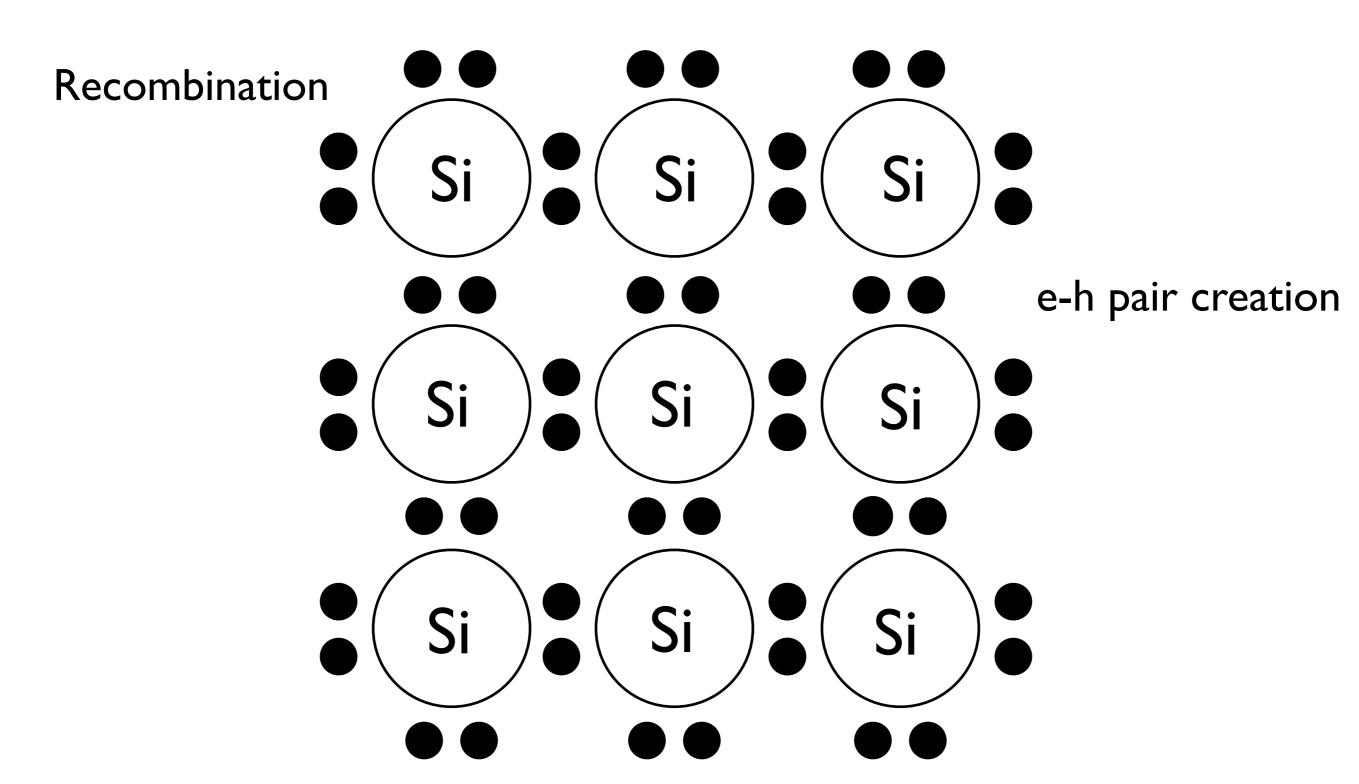






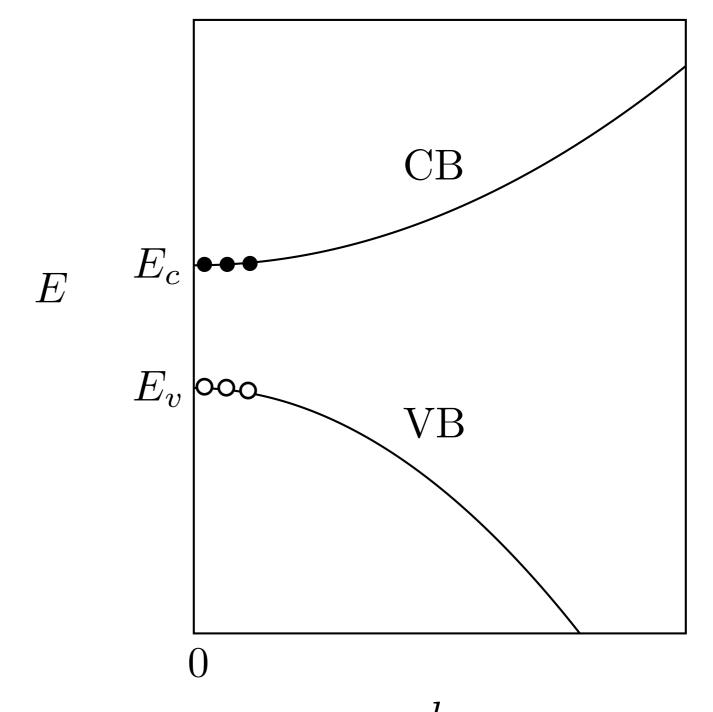








rate<sub>recomb</sub>=rate<sub>e-h</sub> creation

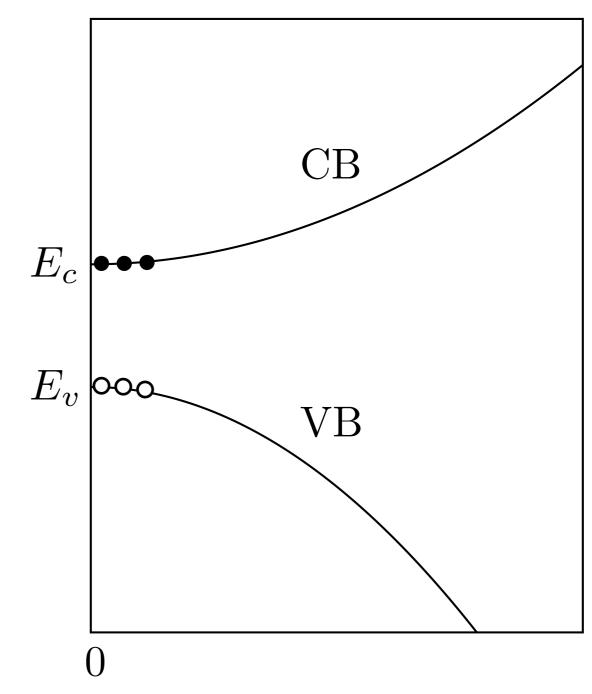




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E

Electrons tunnel into the neighboring hole

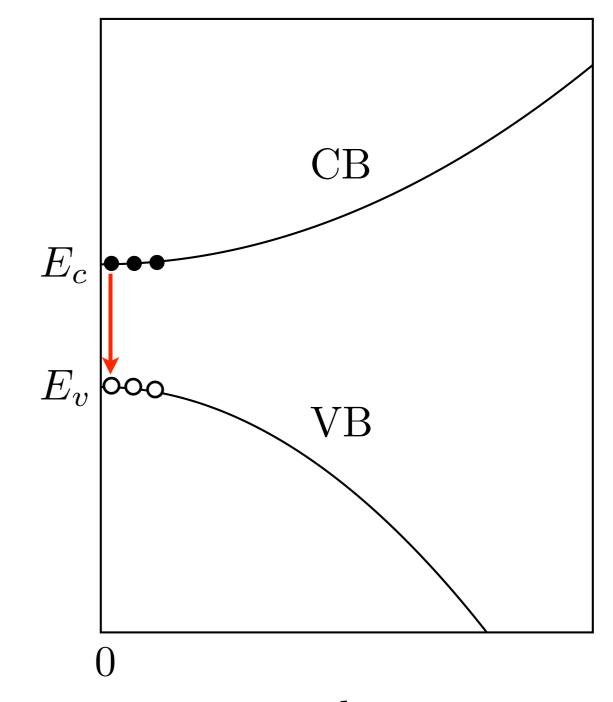




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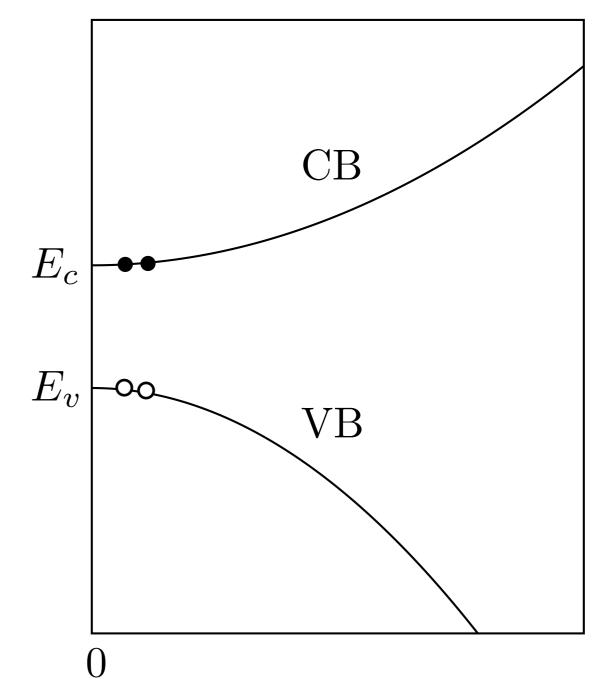




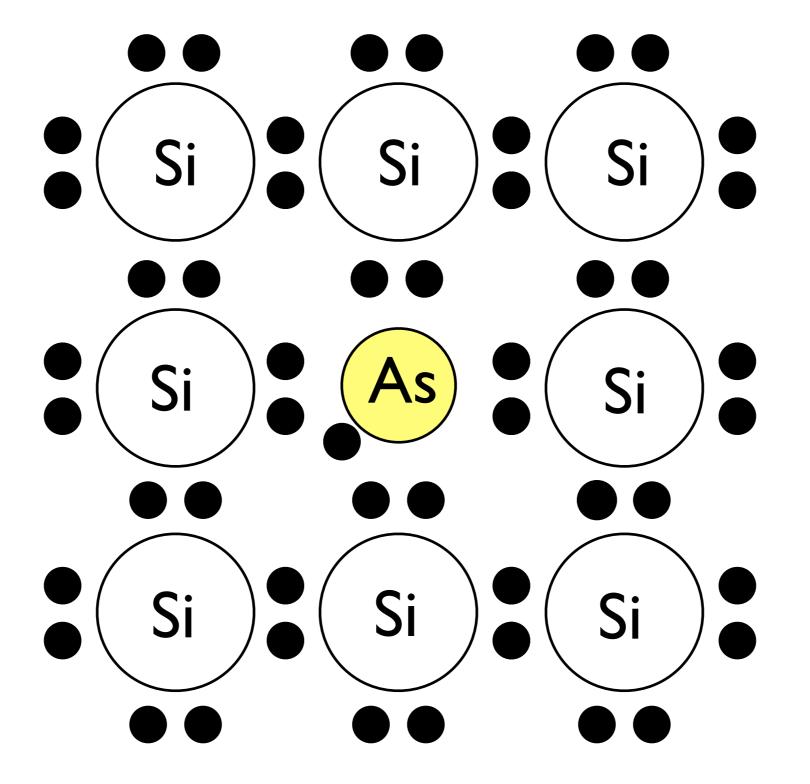
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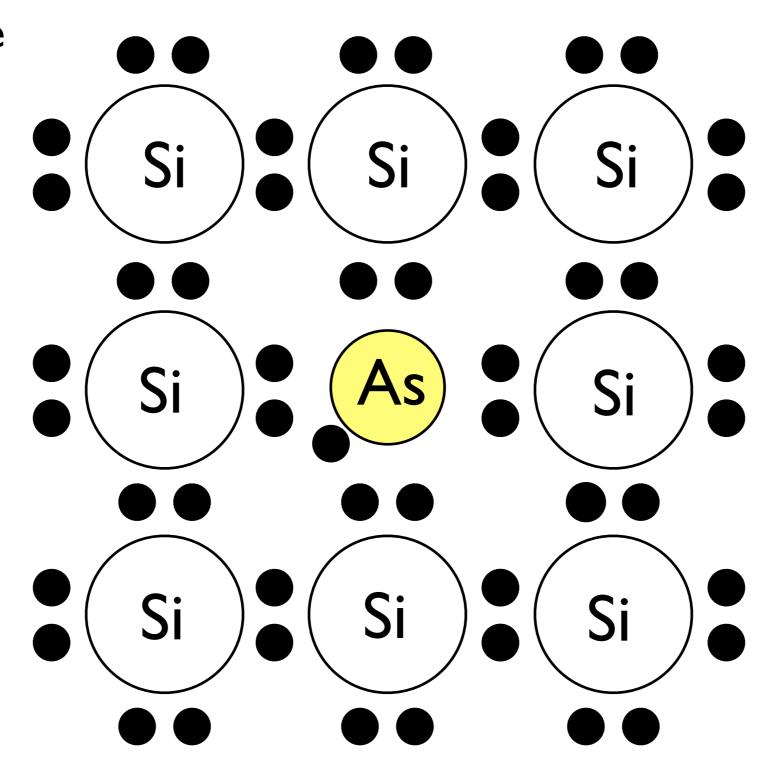








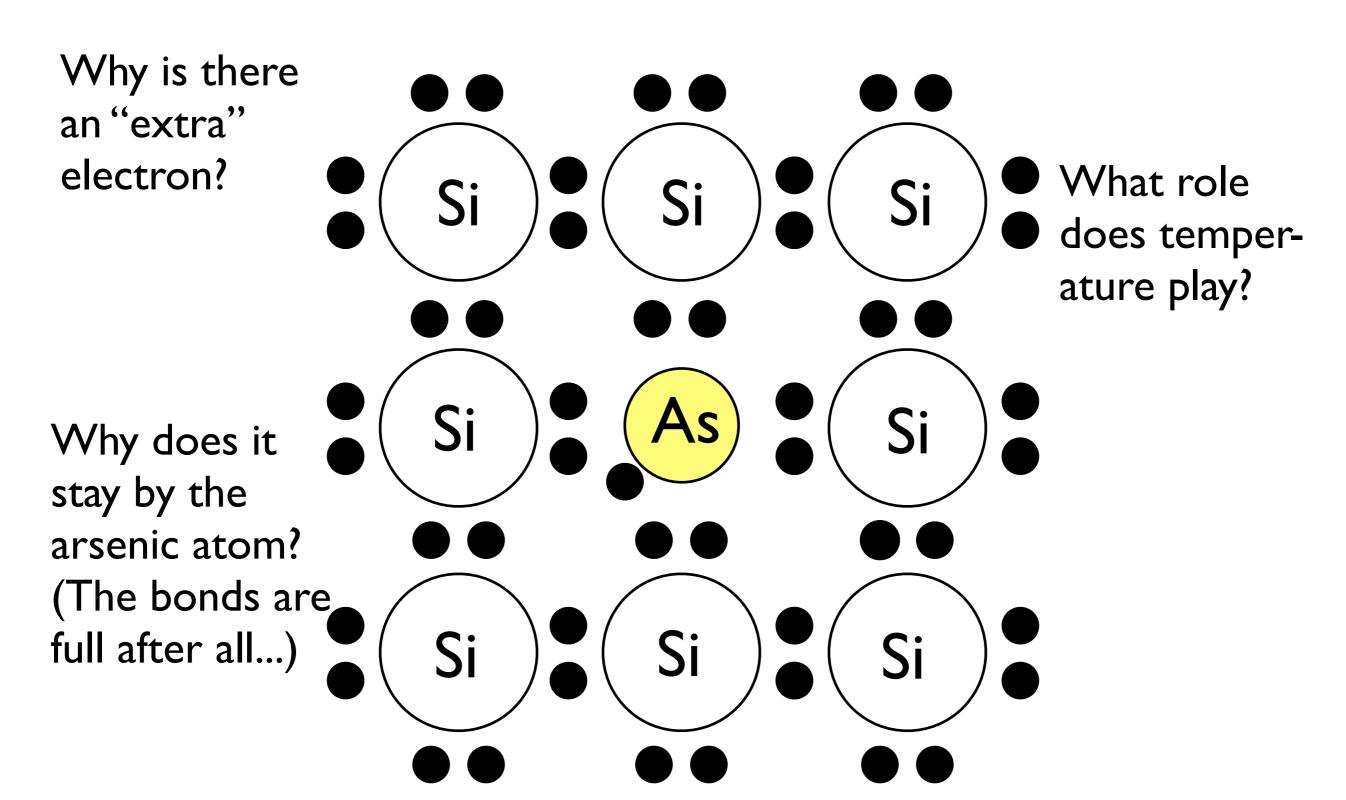
Why is there an "extra" electron?





Why is there an "extra" electron? Why does it stay by the arsenic atom? (The bonds are full after all...)







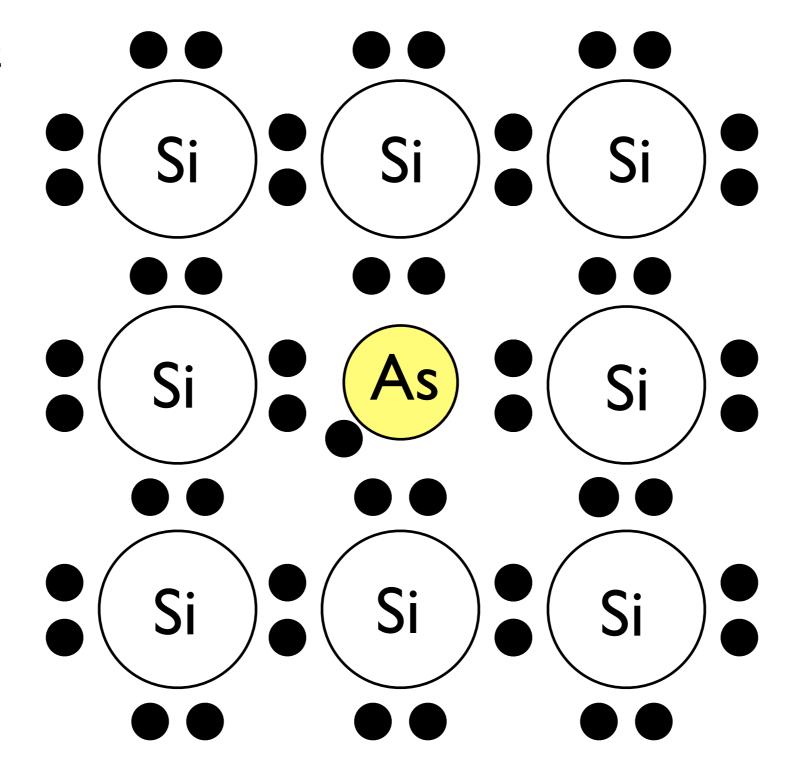
Why is there an "extra" electron? What role does temperature play? Si Why does it How is this stay by the different from arsenic atom? the case of (The bonds are pure silicon? full after all...)



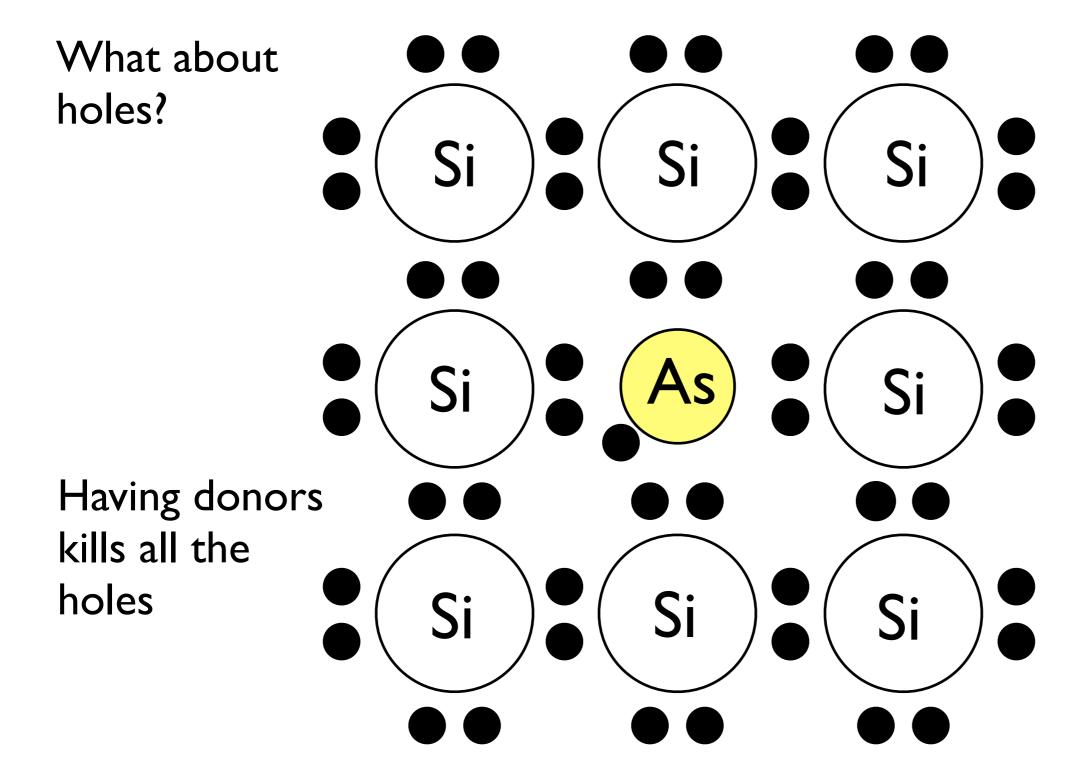
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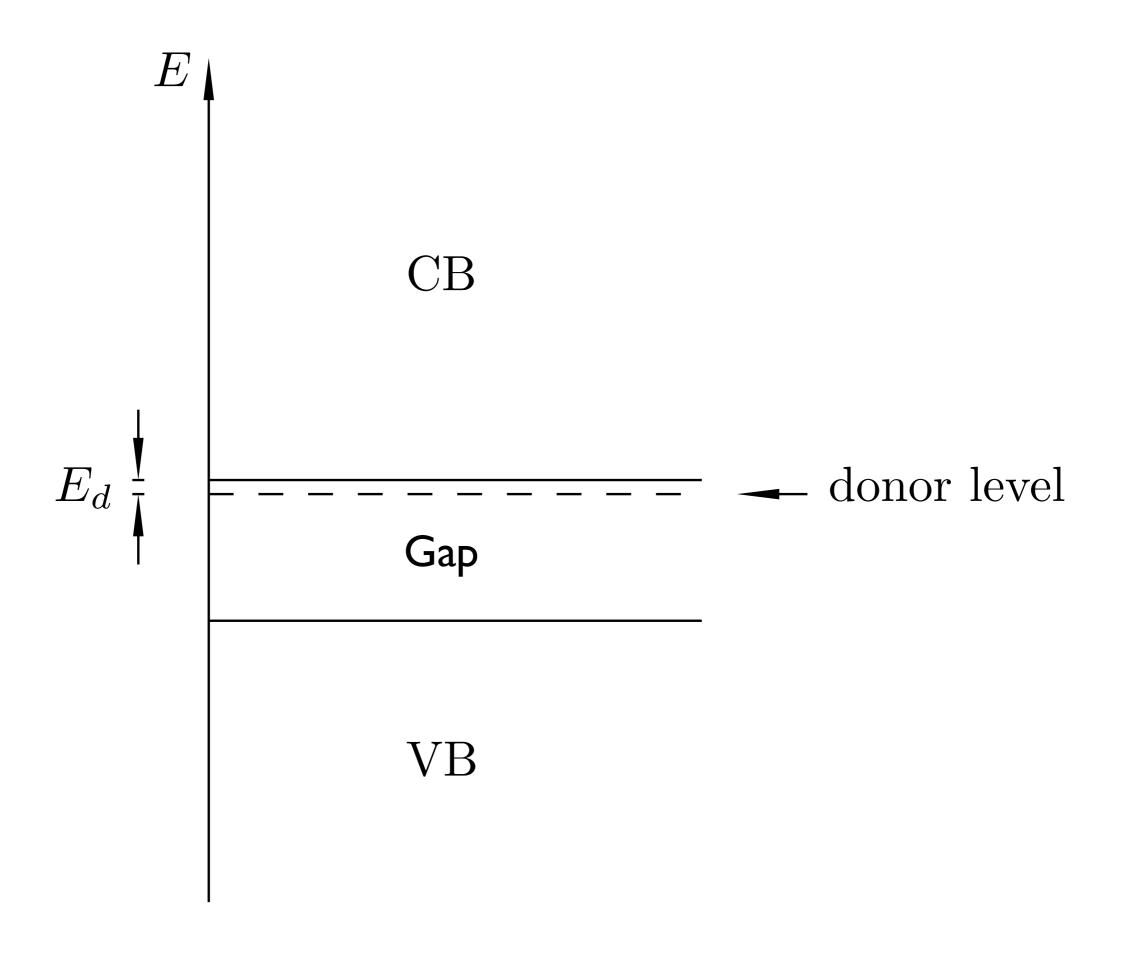
What about holes?



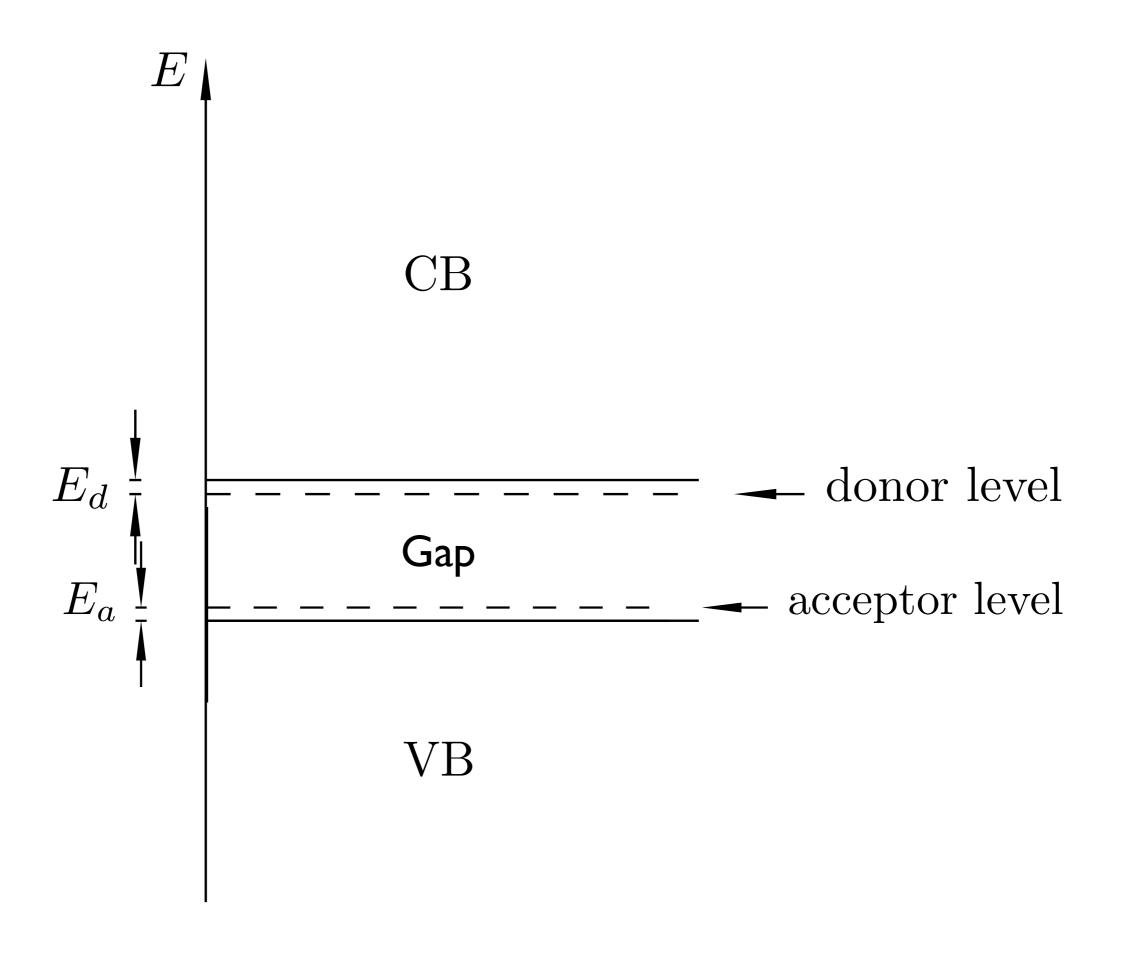




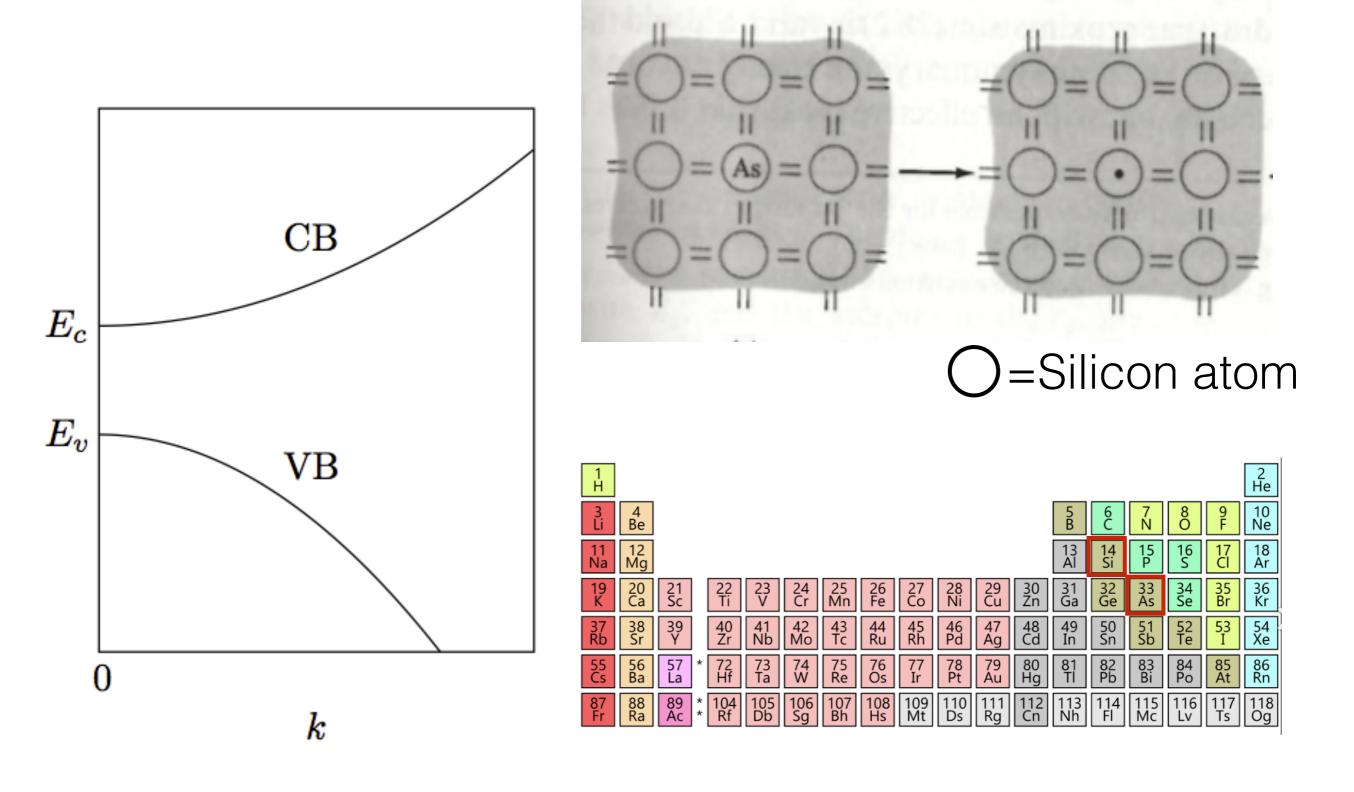




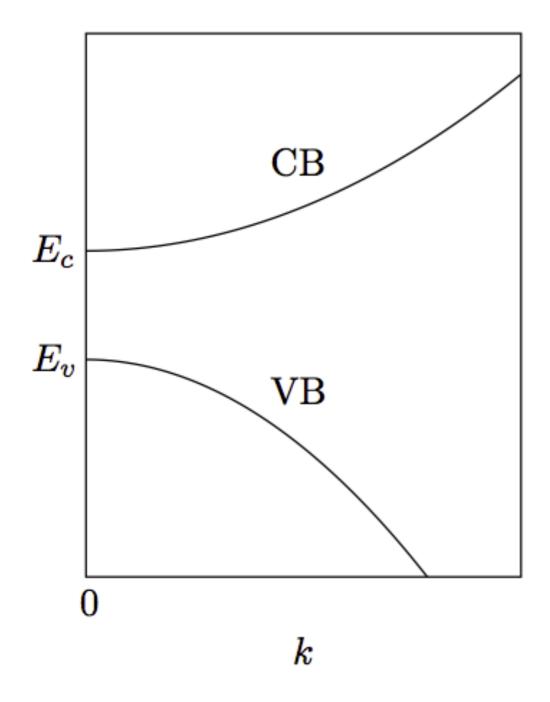


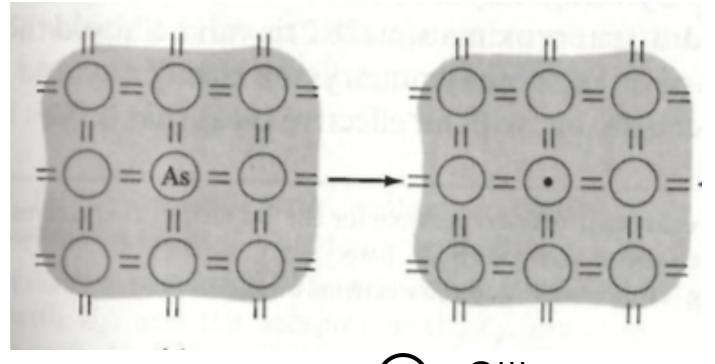






Now these aren't equal to each other!





O=Silicon atom

$$n = 2\left(\frac{m_n^* k_B T}{2\pi\hbar^2}\right)^{3/2} e^{-\frac{E_c - E_F}{k_B T}} \quad p = 2\left(\frac{m_p^* k_B T}{2\pi\hbar^2}\right)^{3/2} e^{-\frac{E_F - E_v}{k_B T}}$$

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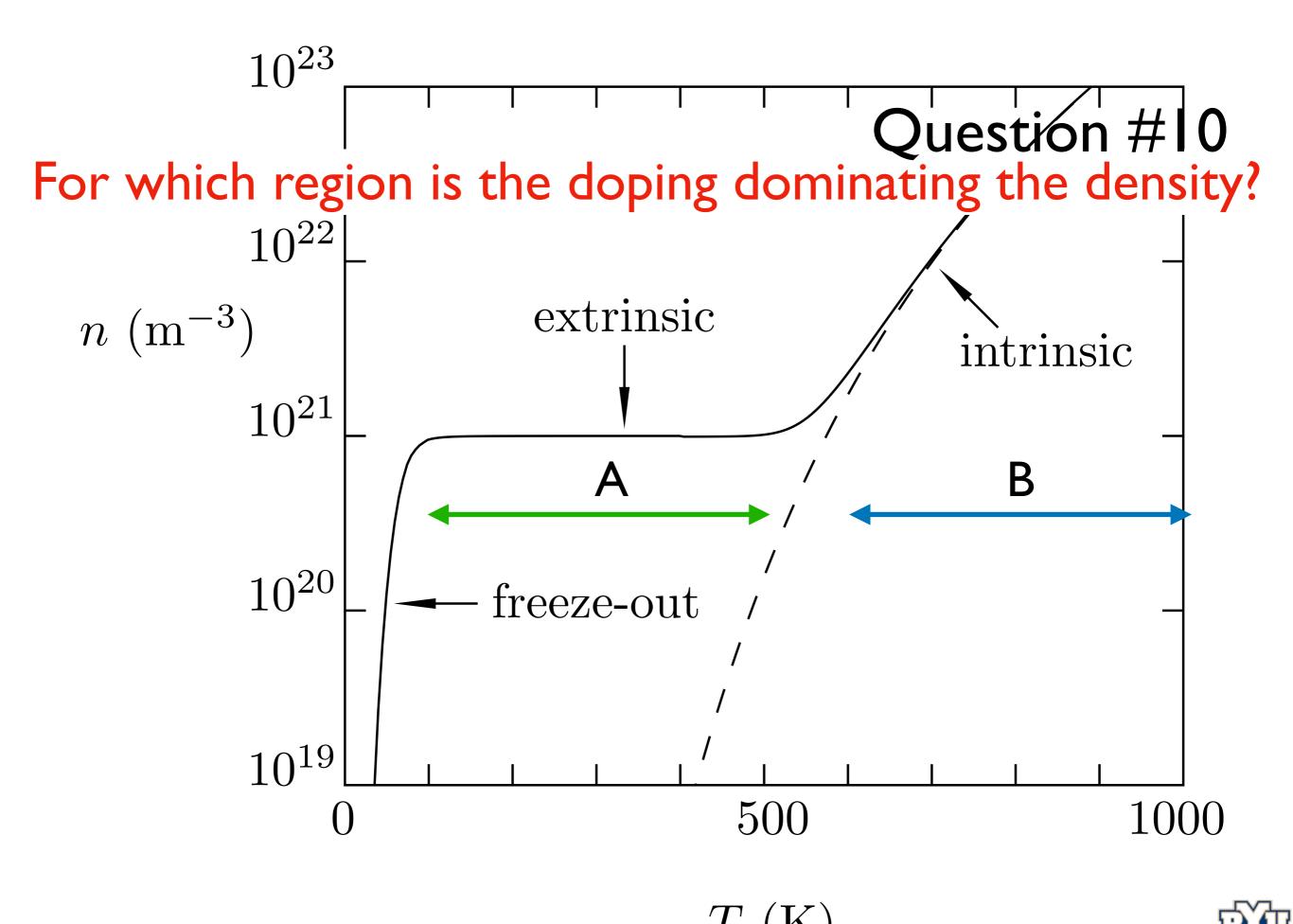
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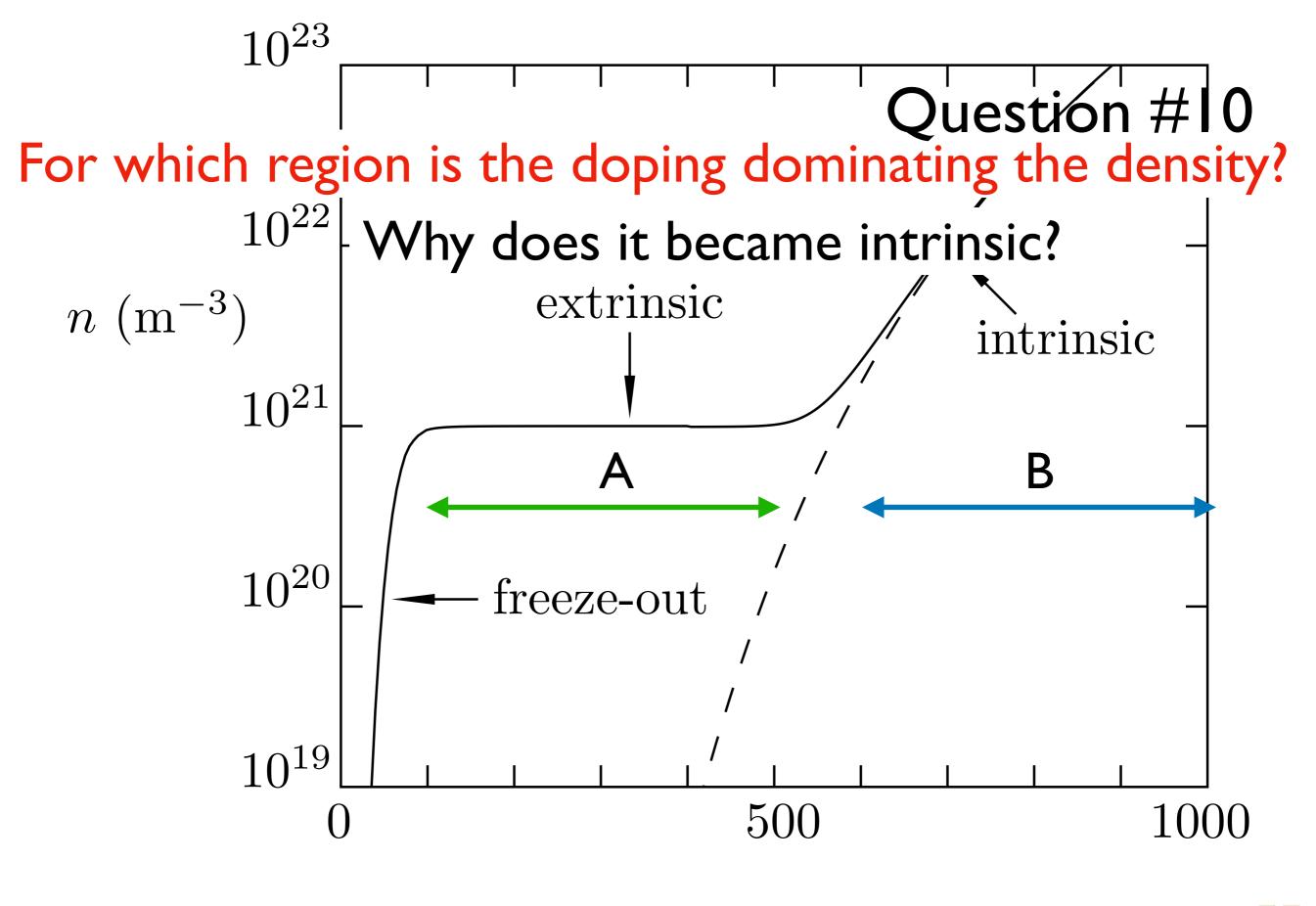
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$$np = N_c N_v e^{-\frac{E_g}{k_B T}}$$







### How big of an affect is it?

I atom in  $5 \times 10^7$ 

$$n_i = 10^{16} \text{ m}^{-3} \rightarrow$$



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I atom in  $5 \times 10^7$ 

$$n_i = 10^{16} \text{ m}^{-3} \rightarrow n \approx 10^{21} \text{ m}^{-3}$$



$$\frac{dq}{dt} = I = -eNv$$

$$\vec{J} = -en\vec{v} = \sigma \vec{\mathcal{E}} = \frac{ne^2\tau}{m^*} \vec{\mathcal{E}}$$

$$\vec{v}_d = -\frac{e\tau}{m^*} \vec{\mathcal{E}} \Rightarrow \mu_n = \frac{e\tau}{m^*}$$



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$$\sigma_n = ne\mu_n$$



## Which of the following are intrinsic semiconductors Question #12

- a) A cool doped semiconductor.
- b) A hot, doped semiconductor.
- c) A cool pure (undoped) semiconductor.
- d) A hot pure (undoped) semiconductor.
- e) b, c, and d.
- f) Both b and d.

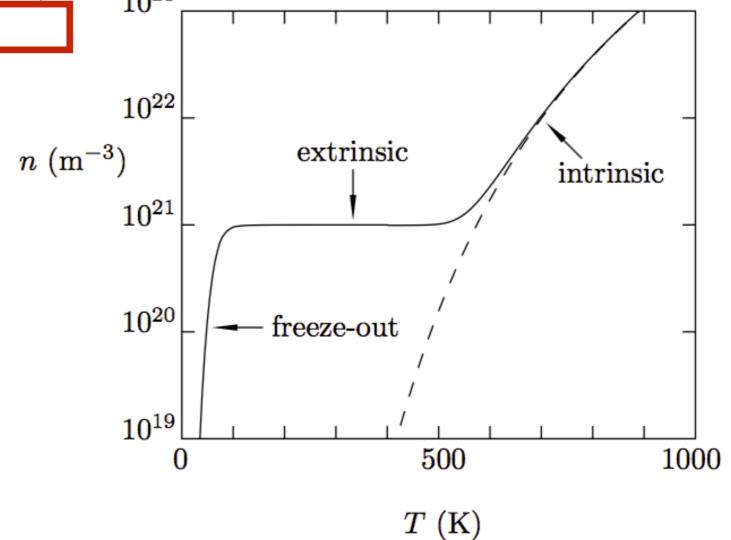
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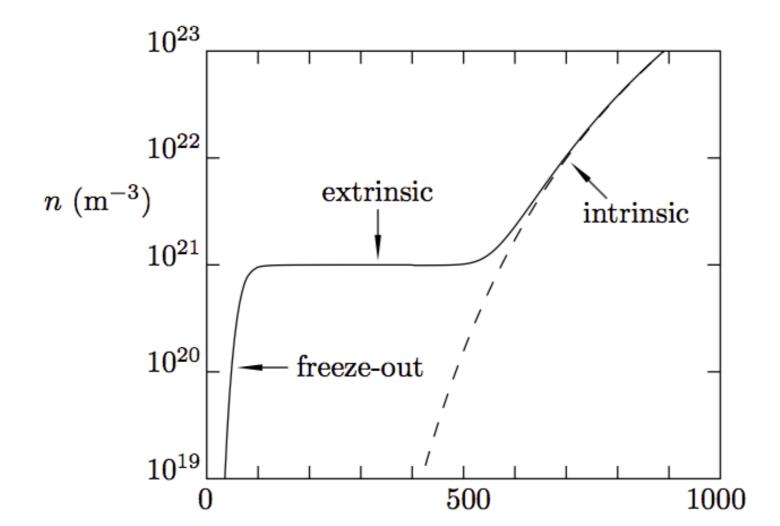


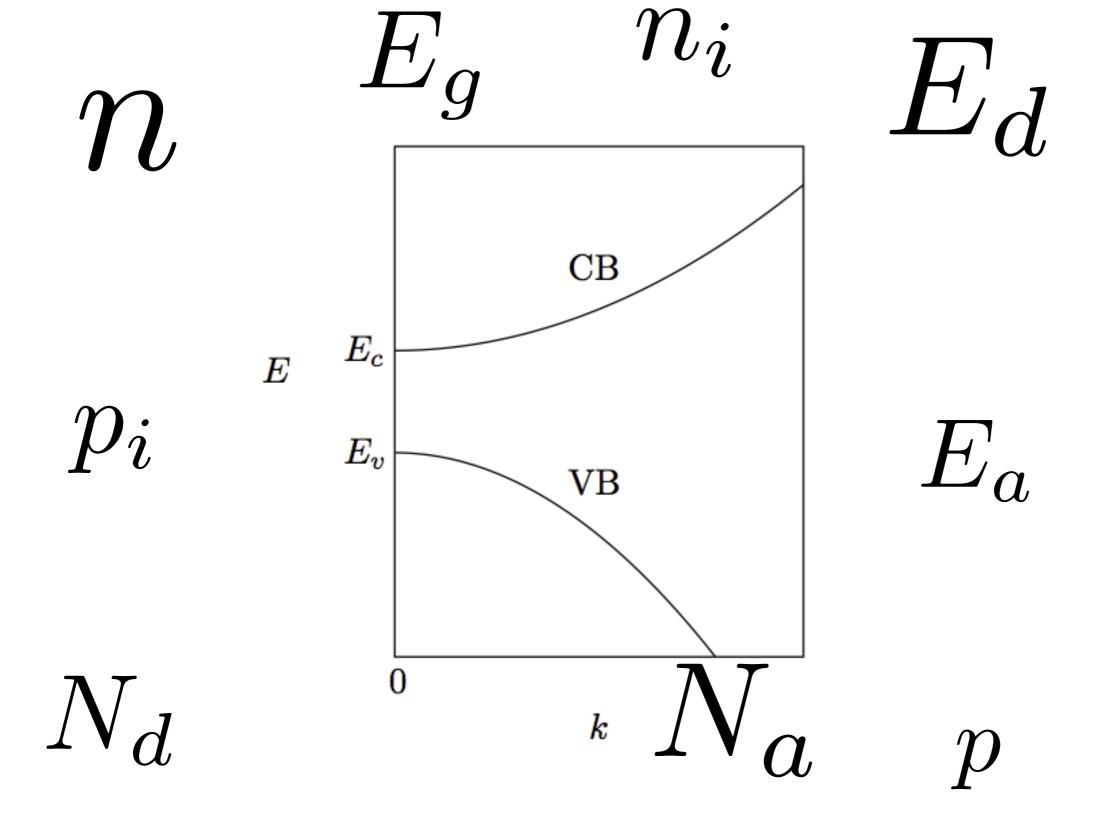
# At low temperature, what kind of semiconductor has a higher electrical conductivity? Question #13

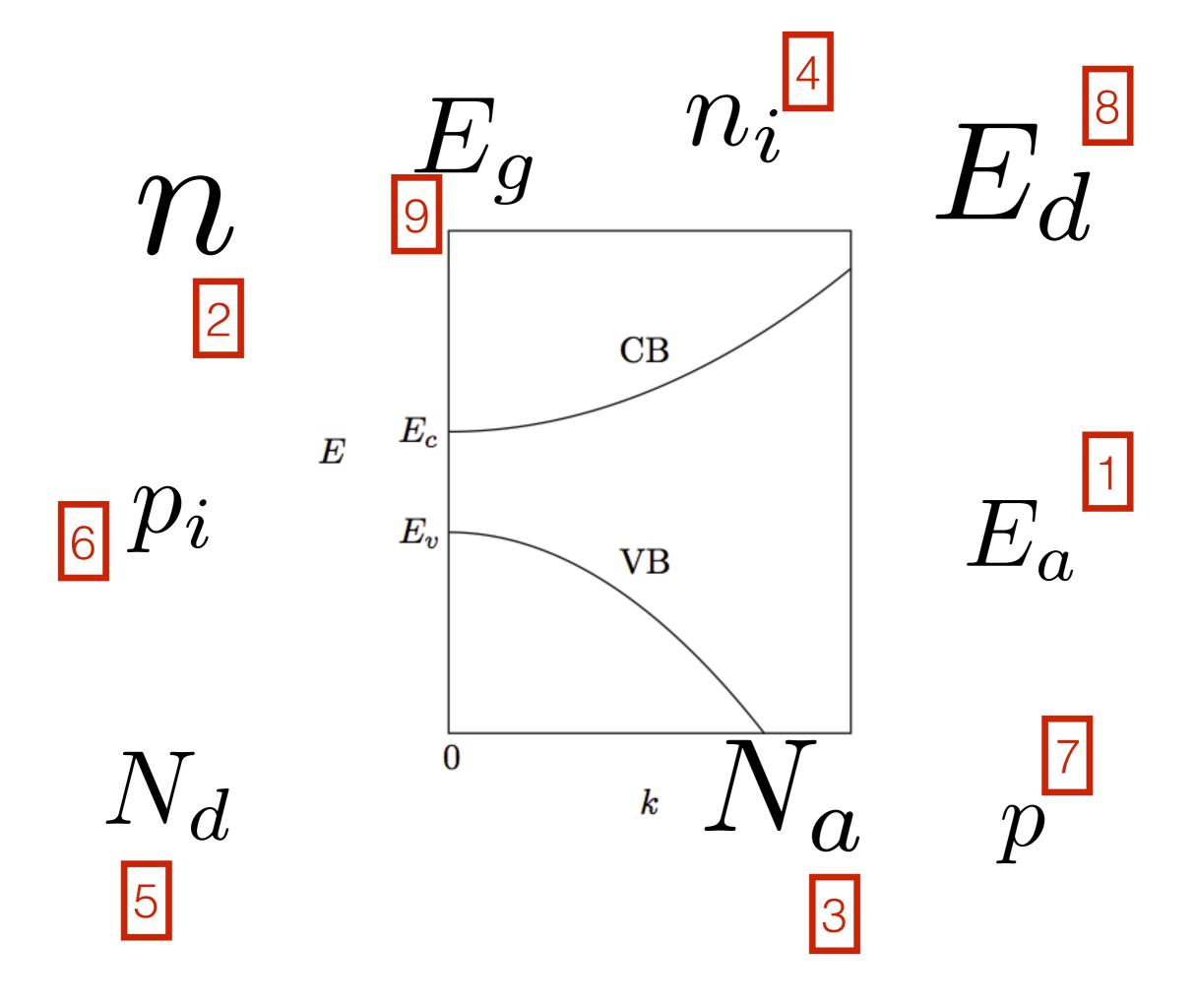
- a) Extrinsic because it has less charge carriers.
- b) Extrinsic because it has more charge carriers.
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- e) They will have the same electrical conductivity.

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Consider an n-type semiconductor at low temperature (with donor density N<sub>d</sub>), what will be the value of p?

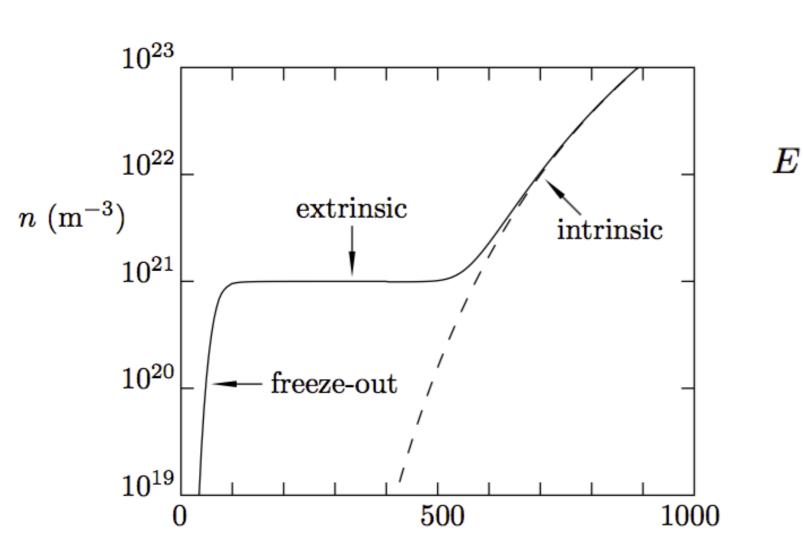
Question #14

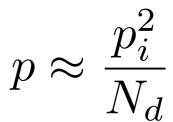
- d)  $p \approx 0$
- a)  $p \approx n_i$
- c)  $p \approx N_d$

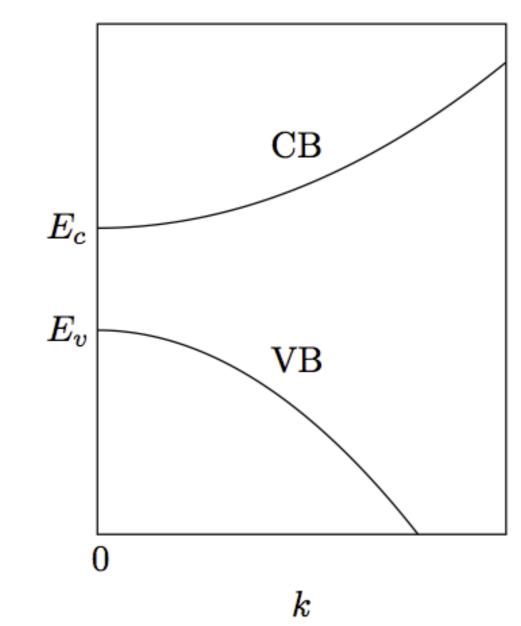
Consider an n-type semiconductor at low temperature (with donor density N<sub>d</sub>), what will be the value of p?

Question #14

- d) p pprox 0
- a)  $p \approx n_i$
- c)  $p \approx N_d$







Consider a p-type semiconductor at high temperature (with donor density Na), what will be the value of n? **Question #15** 

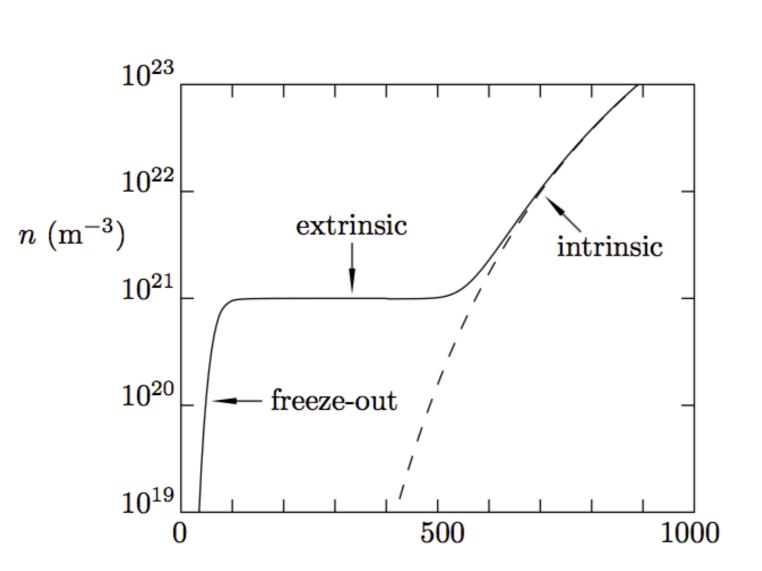
- c)  $n \approx 0$
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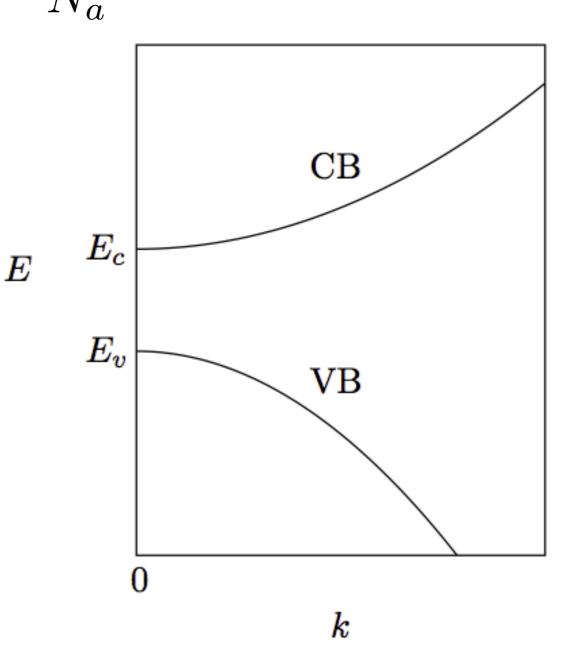
Consider a p-type semiconductor at high temperature (with donor density N<sub>a</sub>), what will be the value of n?

c)  $n \approx 0$ 

d)  $n \approx p_i$ 

e) 
$$n \approx N_a$$









- (A) Mobility of holes goes up; for electrons, goes down.
- (B) Mobility of holes goes down;
- for electrons, goes up.
- (C) both decrease.
- (D) both increase.
- (E) Nothing, unless the semiconductor is doped.





Answer: Mobility of both decreases

Why?





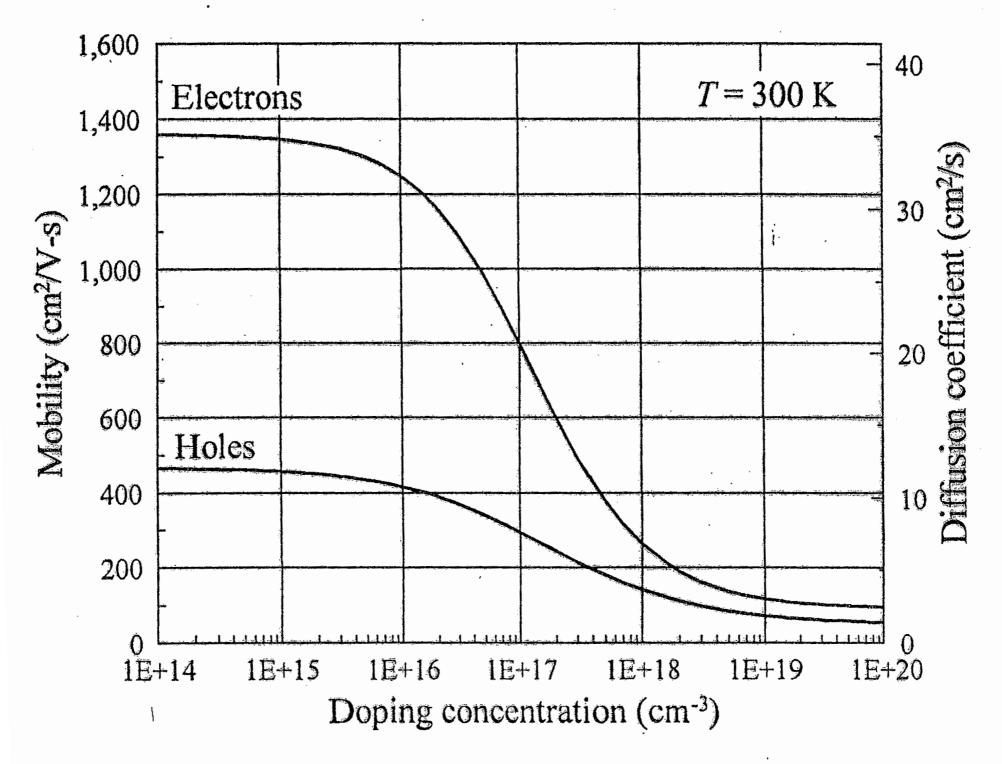
Consider an n-type semiconductor at room temperature. If we increase the density of donor atoms, the mobility of the electrons in the conduction band



Consider an n-type semiconductor at room temperature. If we increase the density of donor atoms, the mobility of the electrons in the conduction band

- (A) remains the same.
- (B) decreases.
- (C) increases.
- (D) is irrelevant—only the holes are moving.





**FIGURE 2.7.** Electron and hole mobilities in bulk silicon at 300 K as a function of doping concentration.





If we raise the temperature of an extrinsic semiconductor, what happens to its electrical conductivity? (Assume that the semiconductor remains extrinsic at the higher temperature.)

Question #18



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Question #18

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Question #18

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$$\mu_n = \frac{e\tau}{m^*} \qquad \sigma_n = ne\mu_n$$





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