# Untitled

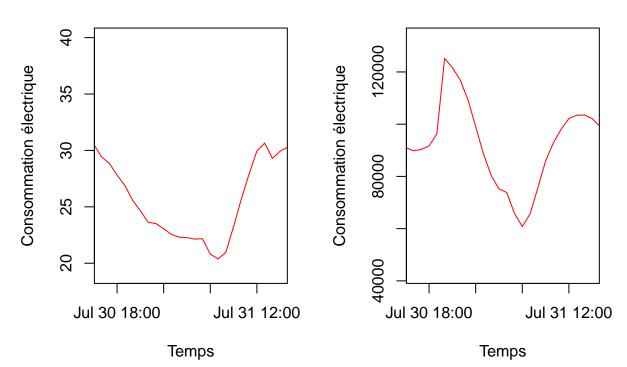
#### 2025-02-05

```
library(dplyr)
##
## Attaching package: 'dplyr'
## The following objects are masked from 'package:stats':
##
##
       filter, lag
## The following objects are masked from 'package:base':
##
##
       intersect, setdiff, setequal, union
library(lubridate)
##
## Attaching package: 'lubridate'
## The following objects are masked from 'package:base':
##
##
       date, intersect, setdiff, union
library(readr)
library(hms)
##
## Attaching package: 'hms'
## The following object is masked from 'package:lubridate':
##
##
library(zoo)
##
## Attaching package: 'zoo'
## The following objects are masked from 'package:base':
##
##
       as.Date, as.Date.numeric
library(forecast)
## Registered S3 method overwritten by 'quantmod':
     method
                       from
##
     as.zoo.data.frame zoo
library(tseries)
```

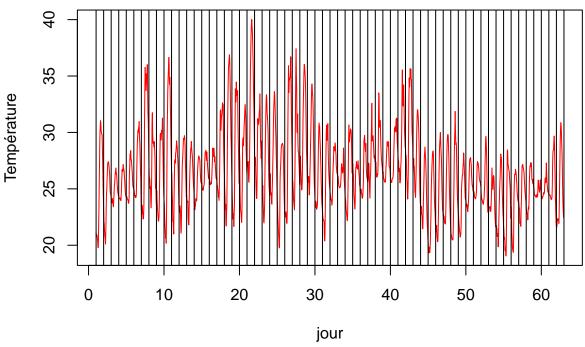
```
# Importation des données
data <- read.csv("~/github/projet electricite temperature/data/powerconsumption.csv", header=T)
# Rassemblement des données des 3 centrales en une variable "conso"
data$conso =
  data$PowerConsumption_Zone1+
  data$PowerConsumption_Zone2+
  data$PowerConsumption_Zone3
# Suppression des variables inutiles
data = data %>%
  select(-PowerConsumption_Zone1, -PowerConsumption_Zone2, -PowerConsumption_Zone3, -Humidity, -WindSpe
# Modification du format de date pour faciliter la manipulation
data$Datetime <- as.POSIXct(data$Datetime, format="%m/%d/%Y %H:%M")
#Pour aout
# Creation d'une df pour le mois d'Aout (20 premiers jours)
data ete <- data %>%
  filter(month(Datetime) == 7 | month(Datetime) == 8) %>%
  filter(minute((Datetime)) == 0) %>%
 filter(day(Datetime) <= 31)</pre>
# Convertir les limites en objets POSIXct
xlim_start <- as.POSIXct("2017-07-30 16:00:00")</pre>
xlim_end <- as.POSIXct("2017-07-31 15:00:00")</pre>
par(mfrow = c(1, 2))
# Tracer le graphique avec xlim correctement défini
plot(data_ete$Datetime, data_ete$Temperature, col = "red", type = "1",
     xlim = c(xlim_start, xlim_end),
     xlab = "Temps", ylab = "Consommation électrique",
     main = "Temperature")
plot(data ete$Datetime, data ete$conso, col = "red", type = "l",
     xlim = c(xlim_start, xlim_end),
     xlab = "Temps", ylab = "Consommation électrique",
     main = "Consommation électrique")
```

# **Temperature**

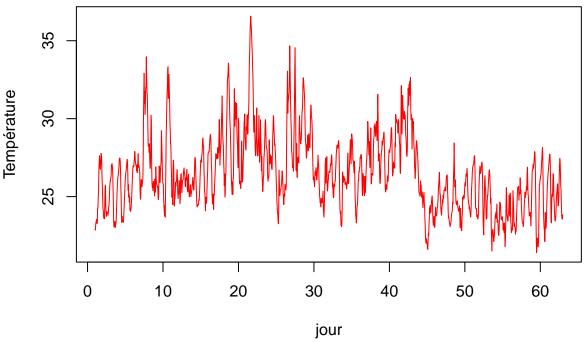
# Consommation électrique



# Température pour la période juillet-aout



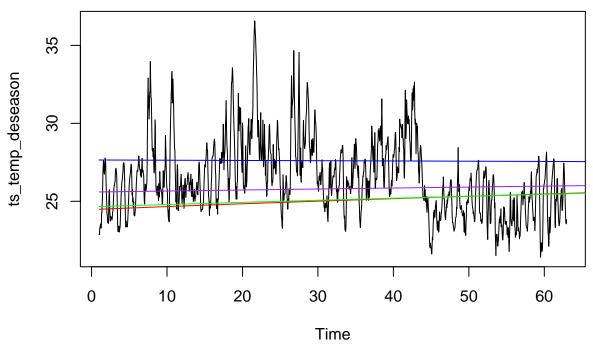
## Serie temporelle soustraite de season



```
t<-1:1488
t1<-ts(t,start=c(1,1),freq=24)
t2 < -ts(t^2, start = c(1,1), freq = 24)
t3 \leftarrow ts(t^3, start = c(1,1), freq = 24)
t4<-ts(t^4, start=c(1,1), freq=24)
t5<-ts(t^5, start=c(1,1), freq=24)
t6<-ts(t^6, start=c(1,1), freq=24)
t7 \leftarrow ts(t^6, start = c(1,1), freq = 24)
t8 < -ts(t^6, start = c(1,1), freq = 24)
t9 < -ts(t^6, start = c(1,1), freq = 24)
t10<-ts(t^6, start=c(1,1), freq=24)
lm1 = lm(ts_temp_deseason~t1)
lm2 = lm(ts_temp_deseason~t1+t2)
lm3 = lm(ts_temp_deseason~t1+t2+t3)
lm4 = lm(ts_temp_deseason~t1+t2+t3+t4)
lm5 = lm(ts_temp_deseason~t1+t2+t3+t4+t5)
lm6 = lm(ts_temp_deseason~t1+t2+t3+t4+t5+t6)
lm7 = lm(ts_temp_deseason~t1+t2+t3+t4+t5+t6+t7)
lm8 = lm(ts_temp_deseason~t1+t2+t3+t4+t5+t6+t7+t8)
lm9 = lm(ts_temp_deseason~t1+t2+t3+t4+t5+t6+t7+t8+t9)
lm10 = lm(ts_temp_deseason~t1+t2+t3+t4+t5+t6+t7+t8+t9+t10)
temp_rsq = as.vector(c(summary(lm1)$adj.r.squared,
        summary(lm2)$adj.r.squared,
        summary(lm3)$adj.r.squared,
        summary(lm4)$adj.r.squared,
        summary(lm5)$adj.r.squared,
        summary(lm6)$adj.r.squared,
        summary(lm7)$adj.r.squared,
```

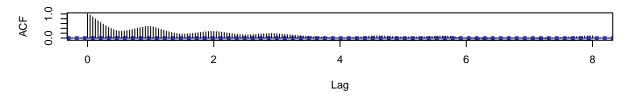
```
summary(lm8)$adj.r.squared,
         summary(lm9)$adj.r.squared,
         summary(lm10)$adj.r.squared))
par(mfrow = c(1,2))
plot(temp_rsq, type = "s", col = "blue", ylim = c(0, 1), xlim = c(1,10), xlab = "models", ylab = "R2-ad
plot(temp_rsq, type = "s", col = "blue", ylim = c(0.2723, 0.2726), xlim = c(4.5,6.5), xlab = "models", ylim = c(4.5,6.5)
                                                         0.27260
      0.8
                                                         0.27240 0.27250
R2-adjusted
                                                  R2-adjusted
      9.0
      0.4
      0.2
                                                         0.27230
      0.0
               2
                                   8
                                                              4.5
                                                                            5.5
                                         10
                                                                     5.0
                      4
                            6
                                                                                    6.0
                                                                                           6.5
                       models
                                                                          models
par(mfrow=c(1,1))
plot.ts(ts_temp_deseason)
lines(predict(lm1), col = "blue", )
lines(predict(lm2), col = "purple")
lines(predict(lm5), col = "red")
```

lines(predict(lm6), col = "green")

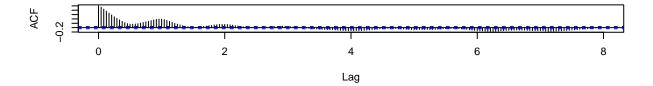


```
par(mfrow=c(3,1))
acf(ts_temp_deseason - lm1$fitted.values, main="serie1 csv - lm1", lag.max = 192)
acf(ts_temp_deseason - lm2$fitted.values, main="serie1 csv - lm2", lag.max = 192)
acf(ts_temp_deseason - lm5$fitted.values, main="serie1 csv - lm5", lag.max = 192)
```

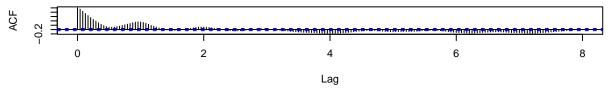
#### serie1 csv - lm1



#### serie1 csv - Im2



#### serie1 csv - Im5



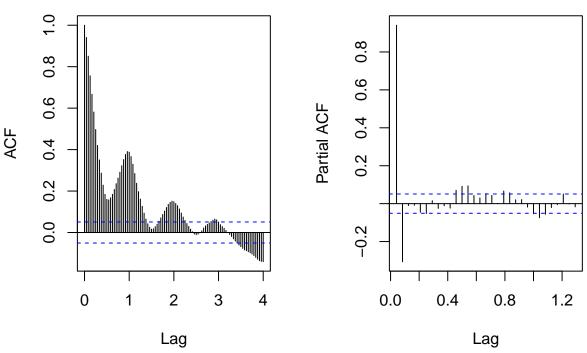
#### # Calcul de la série résiduelle :

```
res_ts_temp = ts_temp_deseason - lm2$fitted.values
pvalBox = Box.test(res_ts_temp, type="Ljung")
par(mfrow=c(1,2))
acf(res_ts_temp, main="serie1 csv - est. tend.", lag.max = 96)
pacf(res_ts_temp)
```

## serie1 csv - est. tend.

## Series res\_ts\_temp

A par-



tir de l'ACF, on voit bien que la décroissance est lente, ce qui nous pousse à modéliser par MA(q) sans savoir la valeur exacte du paramètre. De plus, la forme sinusoidale de l'ACF montrerait une saissonalité avec une périodicité de 24h (le même pattern se reitère à chaque lag). Ainsi, nous choisirons aussi des termes MA saissoniers (Q). A partir du PACF, nous voyons que le premier lag est significatif. Ainsi, nous allons modéliser par AR(p=1).

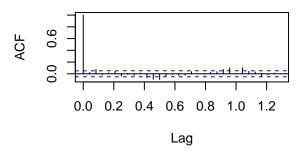
```
adf.test(res_ts_temp)
## Warning in adf.test(res_ts_temp): p-value smaller than printed p-value
##
##
   Augmented Dickey-Fuller Test
##
## data: res_ts_temp
## Dickey-Fuller = -6.9611, Lag order = 11, p-value = 0.01
## alternative hypothesis: stationary
kpss.test(res_ts_temp)
## Warning in kpss.test(res_ts_temp): p-value greater than printed p-value
##
   KPSS Test for Level Stationarity
##
##
## data: res_ts_temp
## KPSS Level = 0.19815, Truncation lag parameter = 7, p-value = 0.1
```

La série est stationnaire donc on ne fera pas de différenciation dans notre modèle.

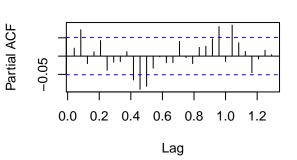
```
ar_model_1 = arima(res_ts_temp, order = c(1, 0, 1), seasonal = list(order = c(0, 0, 1), period = 24))
ar_model_2 = arima(res_ts_temp, order = c(1, 0, 2), seasonal = list(order = c(0, 0, 2), period = 24))

par(mfrow=c(2,2))
acf(ar_model_1$residuals)
pacf(ar_model_1$residuals)
acf(ar_model_2$residuals)
pacf(ar_model_2$residuals)
```

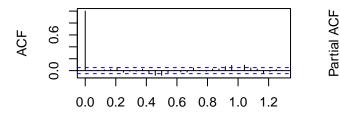
#### Series ar\_model\_1\$residuals



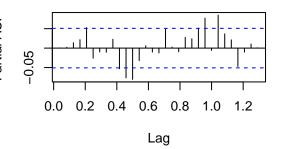
## Series ar\_model\_1\$residuals



## Series ar\_model\_2\$residuals



# Series ar\_model\_2\$residuals



```
Box.test(ar_model_1$residuals, type="Ljung")
```

Lag

```
##
## Box-Ljung test
##
## data: ar_model_1$residuals
## X-squared = 0.70799, df = 1, p-value = 0.4001
Box.test(ar_model_2$residuals, type="Ljung")
```

```
##
## Box-Ljung test
##
## data: ar_model_2$residuals
## X-squared = 0.00048985, df = 1, p-value = 0.9823
```