Example: Johnny plays little lengue Chance of getting a hit each at-bat = 0.2 Deal with ded: For each hit, Johnny gets \$2. How much should Johnny's ded expect to pry if Johnny Lets 2 times in a game? X = amount Johnny's ded pays out X P(X)D (0.8)2 = 0.64 2 (0.2)(0.8) + (0.8)(0.2) = 0.324 (0.2)2=0.04 E(X)=0.44(0)+0.32(2)+0.04(4)+0(6)

Example: Championship. 3 games, first to 2 wins What is the expected number and standard deviation of games played? X = # of games played a) Team A has 1.0 chance of winning each game B has O chance E(X) = Z(1)+3(0) = Z X | P(X)AA: (1)(1) = 1σ2(X)=1(2-2)+0(3-2)2 BB: (0)(0) = O 2 1 ABA: (1)(0)(1) =0 3 O = O = O BAA:

BAB:

ABB:

b) Team A D.5 chance of winning each game B 0.5 chance

$$\begin{array}{c|cccc} X & P(X) & E(X) = 0.S(2) + 0.S(3) \\ \hline Z & 0.5 & = 2.5 \\ \hline 3 & 0.5 & \sigma^2(X) = 0.S(2-2.5)^2 + 0.S(3-2.5)^2 \\ & = 0.S(0.2S) + 0.S(0.2S) \\ & = 0.2S \\ \hline \sigma(X) = 0.S \end{array}$$

X | P(X) 
$$E(X) = 0.52(2) + 0.48(3)$$
  
= 2.48  
3 | 0.48  
 $\sigma^{2}(X) = 0.52(2-2.48)^{2} + 0.48(3-2.48)$   
= 0.2496  
 $\sigma(X) = 0.499$