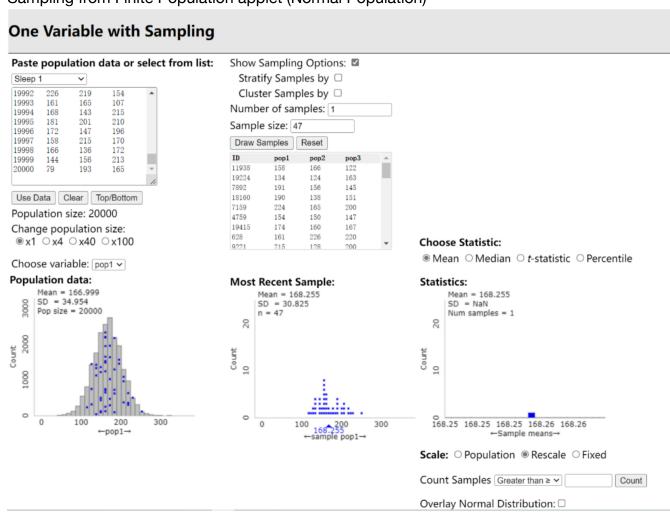
Chapter 2 Summary

Tina Wang, Paul Luo, Jackson Cong

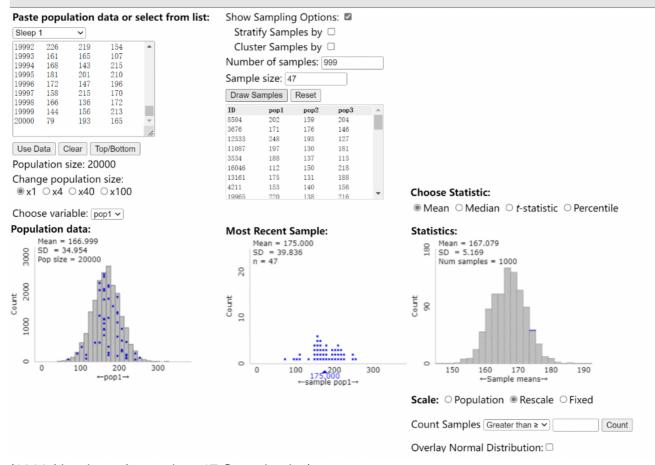
Investigation 2.4: Population Mean

• Sampling from Finite Population applet (Normal Population)



(1 Number of samples, 47 Sample size)

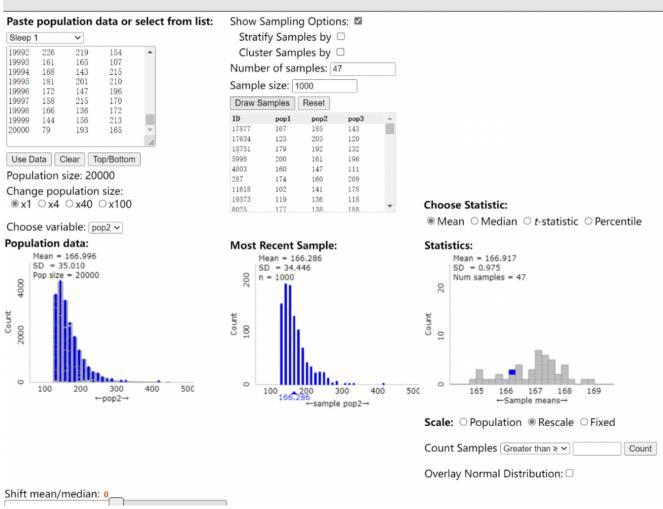
One Variable with Sampling



(1000 Number of samples, 47 Sample size)

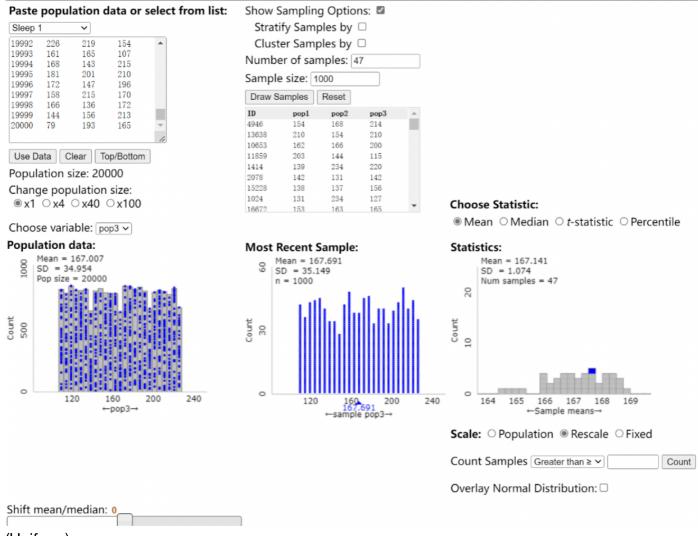
· Non-normal Population

One Variable with Sampling



(Skewed to right)

One Variable with Sampling

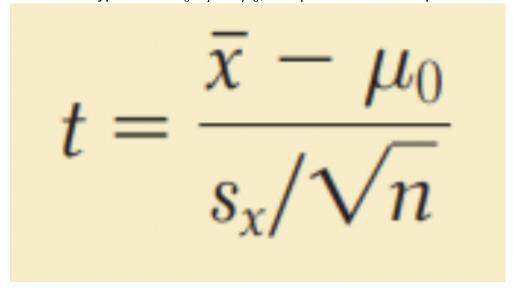


- (Uniform)
 - The sample data come from a well-designed random population or randomized experiment of size n with mean μ and standard deviation.
 - The mean will be equal to μ .
 - The standard deviation is equal to $\frac{\sigma}{\sqrt{n}}$ (we can call this SD (\bar{x})).
 - **Central Limit Theorem**: The population has a normal distribution or the sample size is large ($n \ge 30$), the shape will be normal. If the population distribution has unknown shape and n < 30, use a graph of the sample data to assess the Normality of the population. Do not use t procedures if the graph shows strong skewness or outliers.

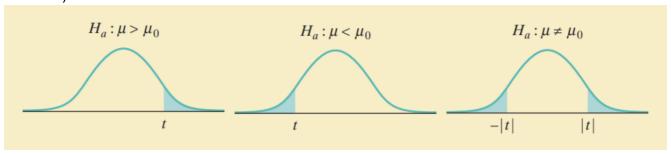
Investigation 2.5: t-test

• Standard deviation of statistic: $SE(\bar{x}) = \frac{s}{\sqrt{n}}$

• To test the hypothesis $H_0: \mu = \mu_0$, compute the one-sample t statistic.



• Then find the P-value by calculating the probability of getting a t statistic this large or larger in the direction specified by the alternative hypothesis H_a in a t distribution with df (degrees of freedom) = n - 1:



- **P-Value**: The P-value is based on a t-distribution with n 1 degrees of freedom. This value can be estimated in R.
- In R:

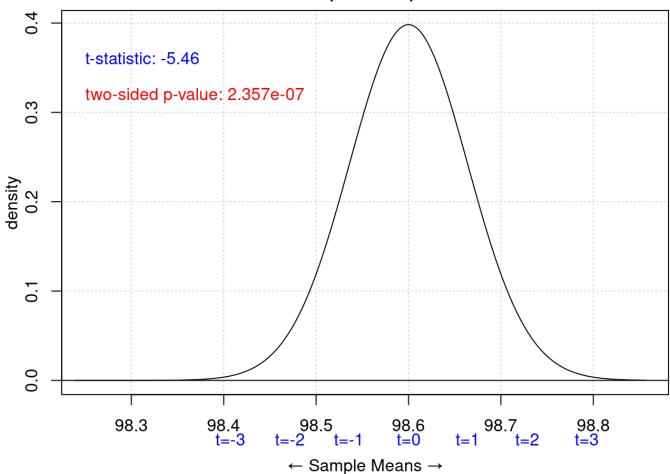
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- t.test(x, mu = μ_0 , alternative = "two.sided", conf.level = .95)
- iscamonesamplet(xbar, sample standard deviation(s), n, hypothesized, alternative, conf.level)

```
iscamonesamplet(xbar = 98.249, sd = .733, n = 130, hypothesized = 98.6, alter native = "two.sided", conf.level = .95)
```

```
##
## One Sample t test
##
## mean = 98.249, sd = 0.733, sample size = 130
## Null hypothesis : mu = 98.6
## Alternative hypothesis: mu <> 98.6
## t-statistic: -5.46
```

t (df= 129)



95 % Confidence interval for mu: (98.1218 , 98.3762)
p-value: 2.35666e-07

- If $P < \alpha$, then Reject the H_0 , otherwise Fail to Reject H_0 .
- Confidence Interval for μ . (Check the percentage of confidence interval to corresponding t-value)

$$\circ \ \bar{x} \pm t_{n-1}^* \times (\frac{s}{\sqrt{n}})$$