## CECEN 651 HW5 Zhenlei Song = 1.010 x 23 single $\frac{3}{127+3} = \frac{3}{130} = \frac{10000010}{127+3} = \frac{130}{127} = \frac{10000010}{127}$ 0,10000010,0100000 0000 0000 0000000 (b) 10.5 = 1010.101= $1.010101 \times 2^3$ sign = 0 expon = 3 mart = 1010101 127+3=130=10000010 0, 1000 00 10, \$0101010 00 000000 00000000 $= 0.00011 = 1.100110011 \dots \times 2^{-4}$ sing sign = 0 expon = -4 mant = 1.100110011... 127-4=123=01111011 double (a) 1023 + 3 = 1026 = 100 0000 0010 0 W.0 = 0, 100 0000 0010, 010 --- 0 (b) 1023 + 3 = 1026 = 100 0000 0010 W.5 = 0, 100 0000 0010, 010101 0000...0 (C) = w23 - 4 = 1019 = 000 011 11111011, 1001100110011 - 001

52 = 0.1001  $e_2 = 0$ signs are different replase S2 as Sz = 1.0111 5= 5, + 52 : signs are different, ignore carry out & shift left till normallized S= 1.011 e=-1 result is 1.011 x 2-1

3. a suppose A is positive B is negative A+B = a-bA+B=a-b(2) at compleb) = 5 if x 5 has a carry out, in 5 is positive 5 has the same sign as a 1 S has the same sign as & A

S = a - b = A + B other wise 5 has the same sign as B S=-(b-a) = A+B in part a. we show that A and B have different signs, floating point addition can be performed within I adder. for A and B have the same sign. r and s bits can be obtained before addition. 11, If a roundup is indicated, S = atb + 112) If no roundup indicated 5 = a+b thus floating addition can be performed in one adder