

Training neural networks using Tensorflow

- Two parts today:
 - General part about neural networks and how to train them
 - Training neural networks using Tensorflow
- Keep your laptops ready!
- Follow along with Python notebooks:

https://github.com/larsmennen/intro_to_tensorflow

(most code adopted from Tensorflow tutorials - tensorflow.org)



Part I: Training neural networks



Supervised learning

• Today's focus: supervised learning

Given input pairs
$$D = \{(x_1, y_1), ..., (x_n, y_n)\}$$

where x_i comes from some input space X and y_i comes from some output space Y, we try to learn a function f such that:

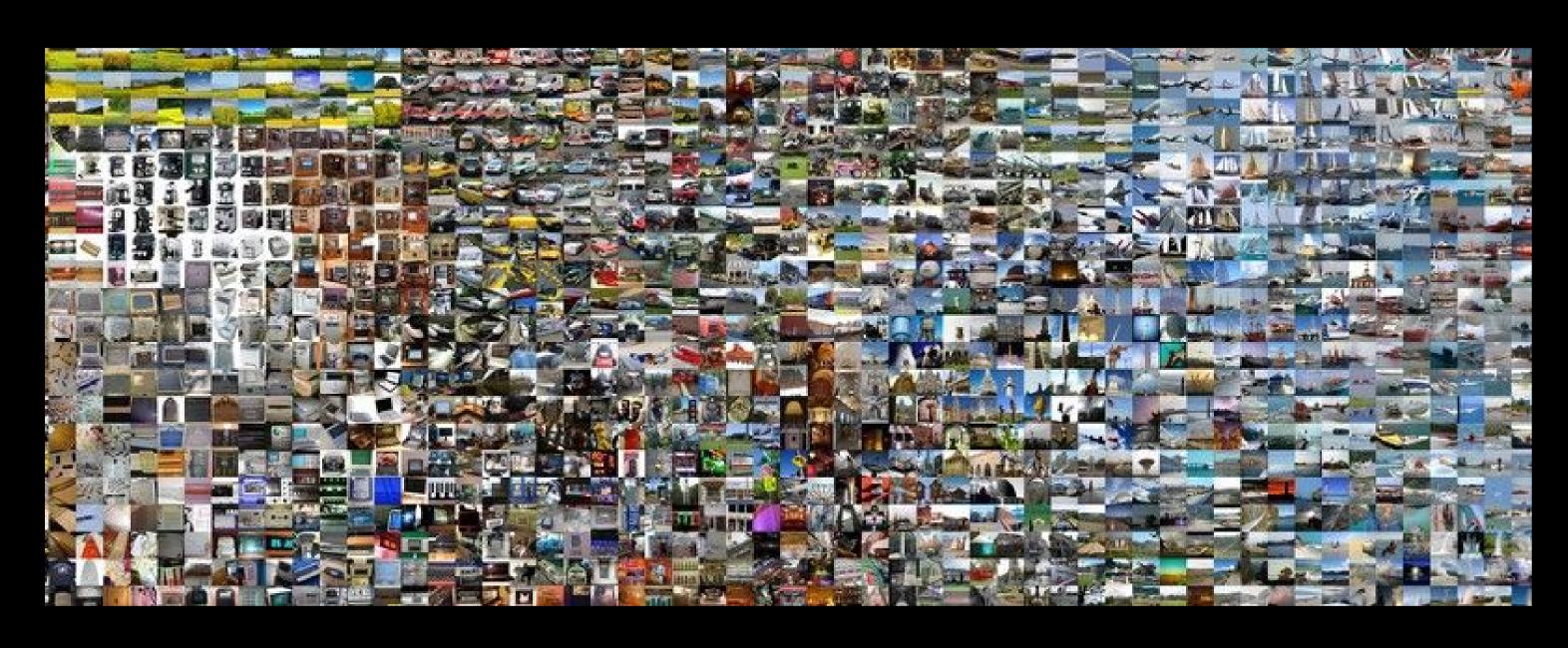
$$f(x') = y'$$

for some unseen pair (x', y') (but from the same spaces!)



Classifying images

• Basic example: image classification





Predict category for unseen image

Training data: 1.2M images + their categories (container ship, motor scooter, mushroom, ...)



2012 ImageNet classification challenge: only 16% top-5 error!

Source: ImageNet Large Scale Visual Recognition Competition 2012 (ILSVRC2012) - http://www.image-net.org/challenges/LSVRC/2012/

Supervised learning methods

- Various algorithms that attempt to solve this problem:
 - Nearest neighbour
 - Decision tree learning
 - Support vector machines
 - Neural Networks
 - 0 ...
- There are many approaches to supervised learning
- Neural networks are not always the answer

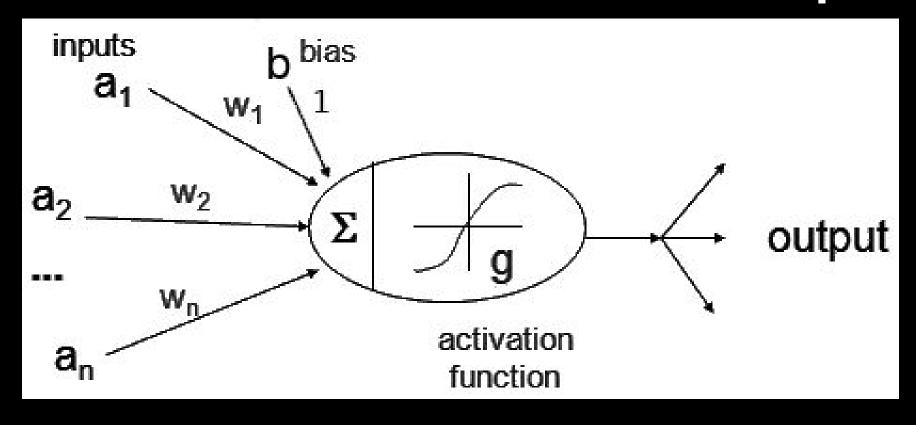


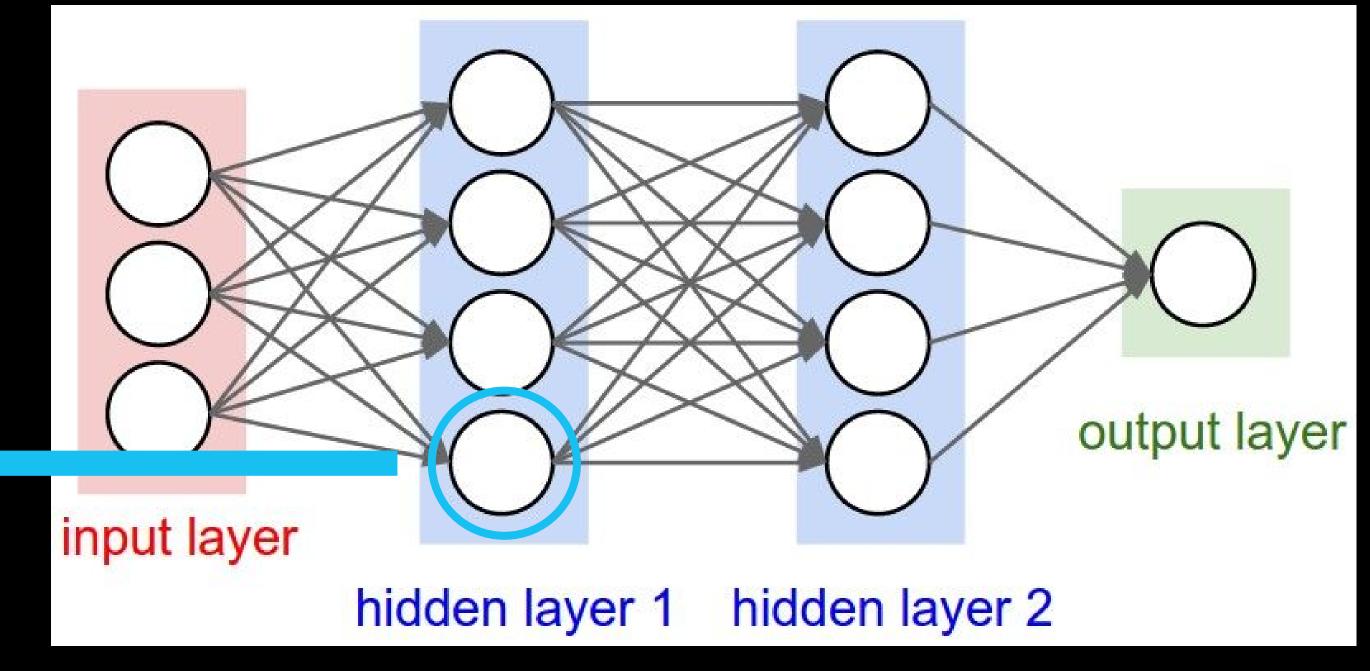
- Inspired by biological neurons
- Main structure:
 - Relatively simple neurons that compute a function given some inputs
 - Structured in ordered layers, where the neurons in each layer have as input a weighted sum of outputs of neurons in the previous layers.



So, we want to learn f(x) = y.
 Usually x and y are represented as vectors.

• We feed x to the input layer.





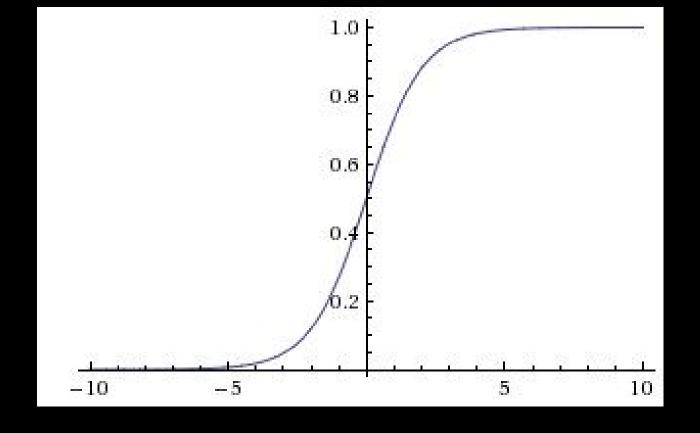


For each neuron: activation = g

activation =
$$g\left(\sum_{i=1}^{n} w_i a_i + b\right)$$

- Popular choices for activation function g:
 - o Sigmoid:

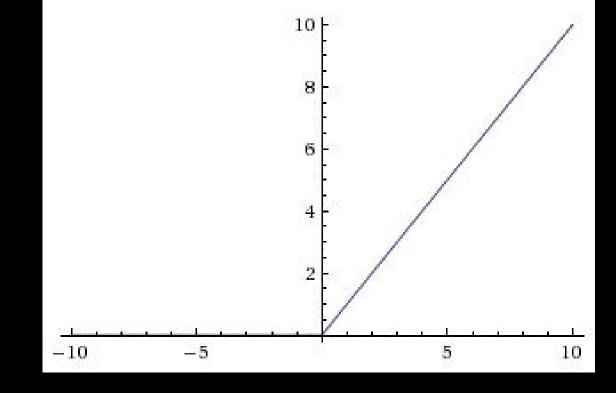
$$g(x) = \frac{1}{1 + e^{-x}}$$

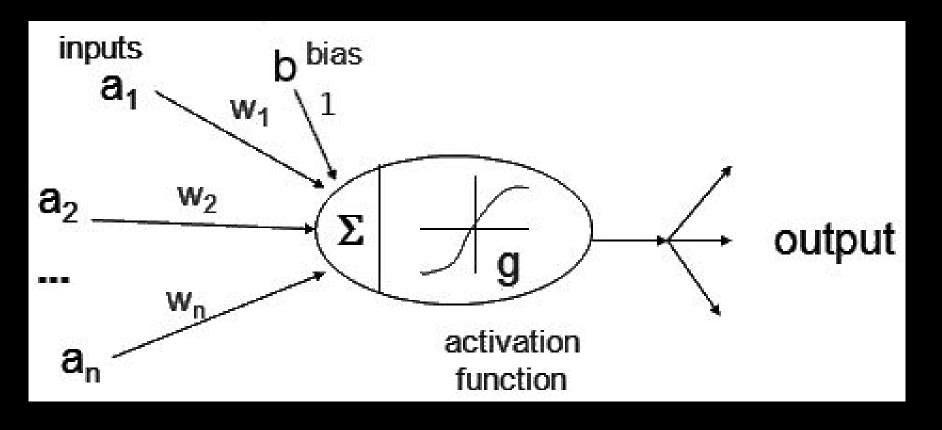


o ReLU (rectified linear unit):

$$g(x) = \max(0, x)$$



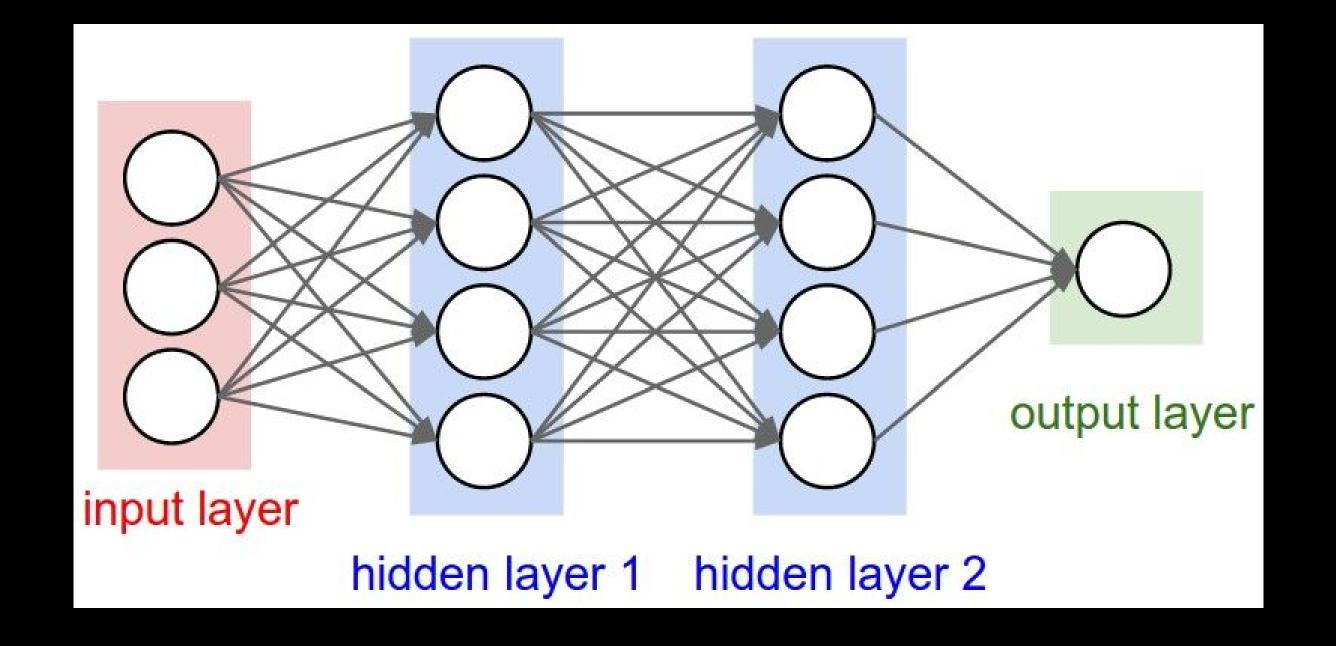




activation =
$$g\left(\sum_{i=1}^{n} w_i a_i + b\right)$$

Note that these are non-linear!

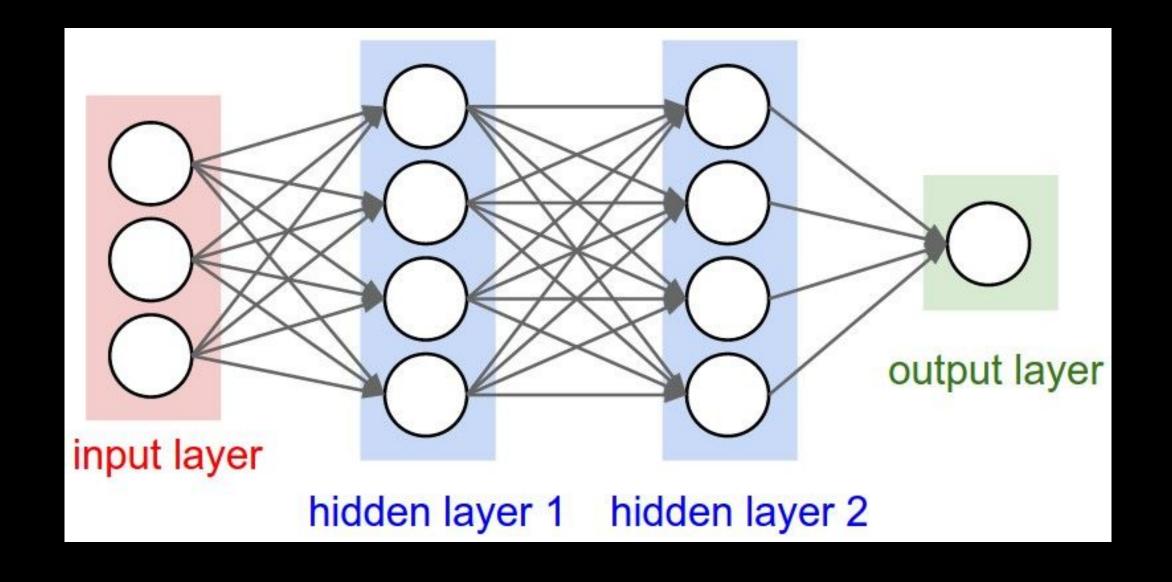
- Given a neural network as on the right, an input x and a function g we can now compute the value of the node(s) in the output layer!
- We want this value to correspond to the label y in the pair (x,y), as then the network is computing f(x) = y.



activation =
$$g\left(\sum_{i=1}^{n} w_i a_i + b\right)$$



- However, how do we know which:
 - Layer structure
 - Activation function g
 - Values for weights for each layer
- we need to pick so that this network computes the function *f* that we want?

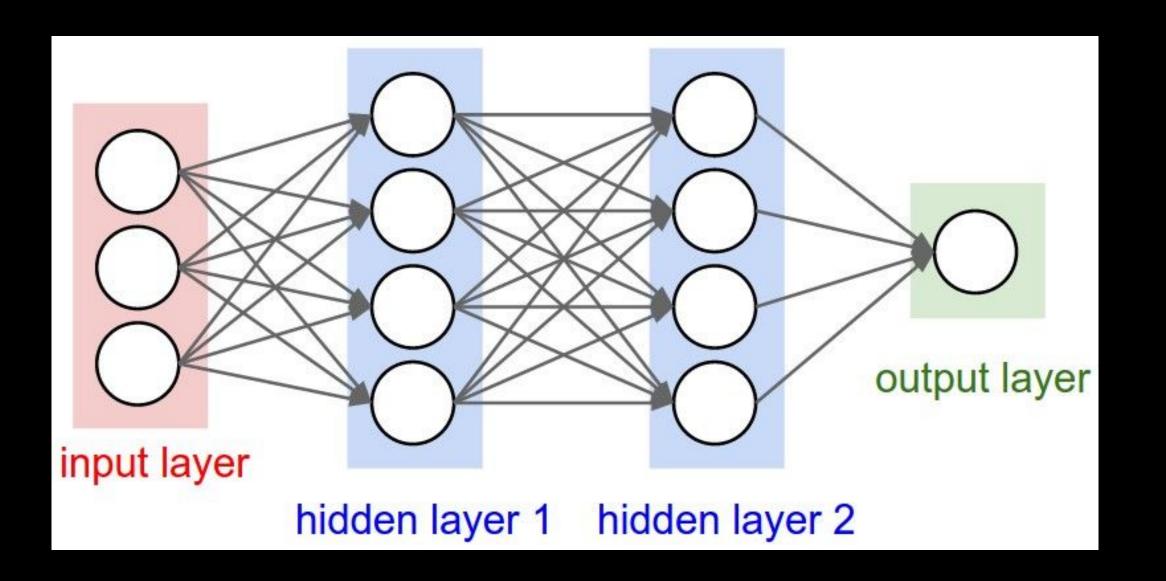


activation =
$$g\left(\sum_{i=1}^{n} w_i a_i + b\right)$$

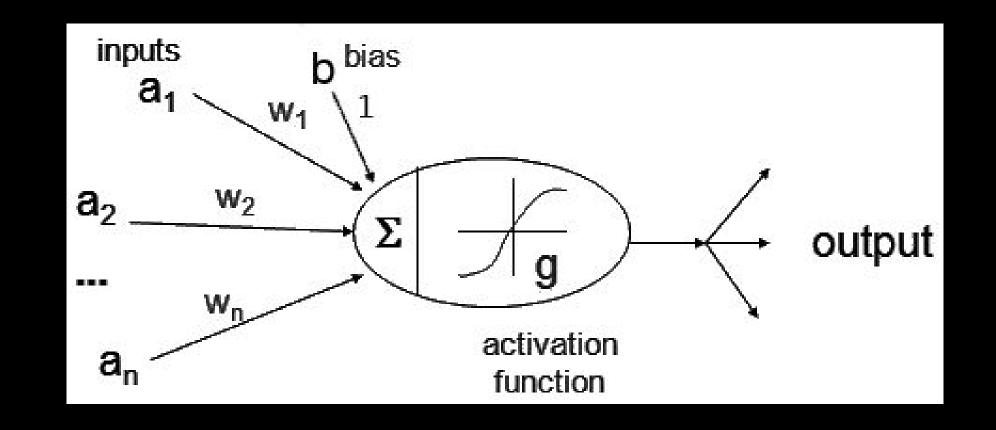


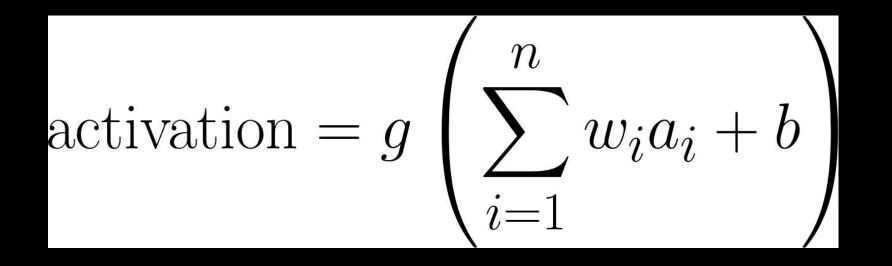
- Unfortunately, don't have learning algorithm to find layer structure for hidden layers and/or activation function g.
- Found by reasoning, experimentation and building on previous research.
- In this talk we assume the structure and activation function are given.





- We do have an algorithm to learn the weights:
 - Backpropagation
- The backpropagation algorithm, together with large amounts of data, powerful GPUs and convolutional neural networks (see later) is what makes modern NNs so popular and effective.







- We define a loss function:
 - Tells us "how far our prediction f(x) = y' is off" from the label y
 - E.g. if we have a training example (x, y), one possible loss function is:

$$L = \frac{1}{2}(y_i - f(x_i))^2$$

- We want to minimise L
- Parameter space is way too big to set derivatives equal to 0!



- So we do it iteratively.
- How do we know in which direction we have to change weights to minimize L?
 - Cook at the derivatives!
- Every single step in the neural network and the loss function are **differentiable**, which is key to the backpropagation algorithm.
- For every weight w_{ij} (from neuron i to neuron j in the next layer), we'd like to know: $\frac{\partial L}{\partial w_{ij}}$ as then we know in which direction we should move w_{ij} .



- I'll skip the exact maths here (great explanation on http://neuralnetworksanddeeplearning.com), but main idea:
- If you know all the intermediate activations (i.e. all outputs of the activation function g) for an input x_i , you can compute $\frac{\partial L}{\partial w_{ij}}$ for all weights using the **chain rule for derivatives**.
- We can express gradients in a layer in terms of gradients of the next layer.
- So if we start at the last layer, we can **backpropagate** to find gradients in previous layers.



- Given these expressions, we can use an optimisation method, e.g. gradient descent, to adjust the weights in a way that will minimise the loss L.
- Forward pass: compute all activations for a given input x_{r}
- Backward pass: compute gradients and change weights according to optimisation method



Main algorithm:

- 1. initialize all weights randomly
- 2. repeat until stopping criterion is met:
 - a. for (x_i,y_i) in dataset D:
 - i. Forward pass: compute f(x_i), store intermediate activations, and compute L
 - ii. Backward pass: compute gradients w.r.t. L and update weights according to optimisation method



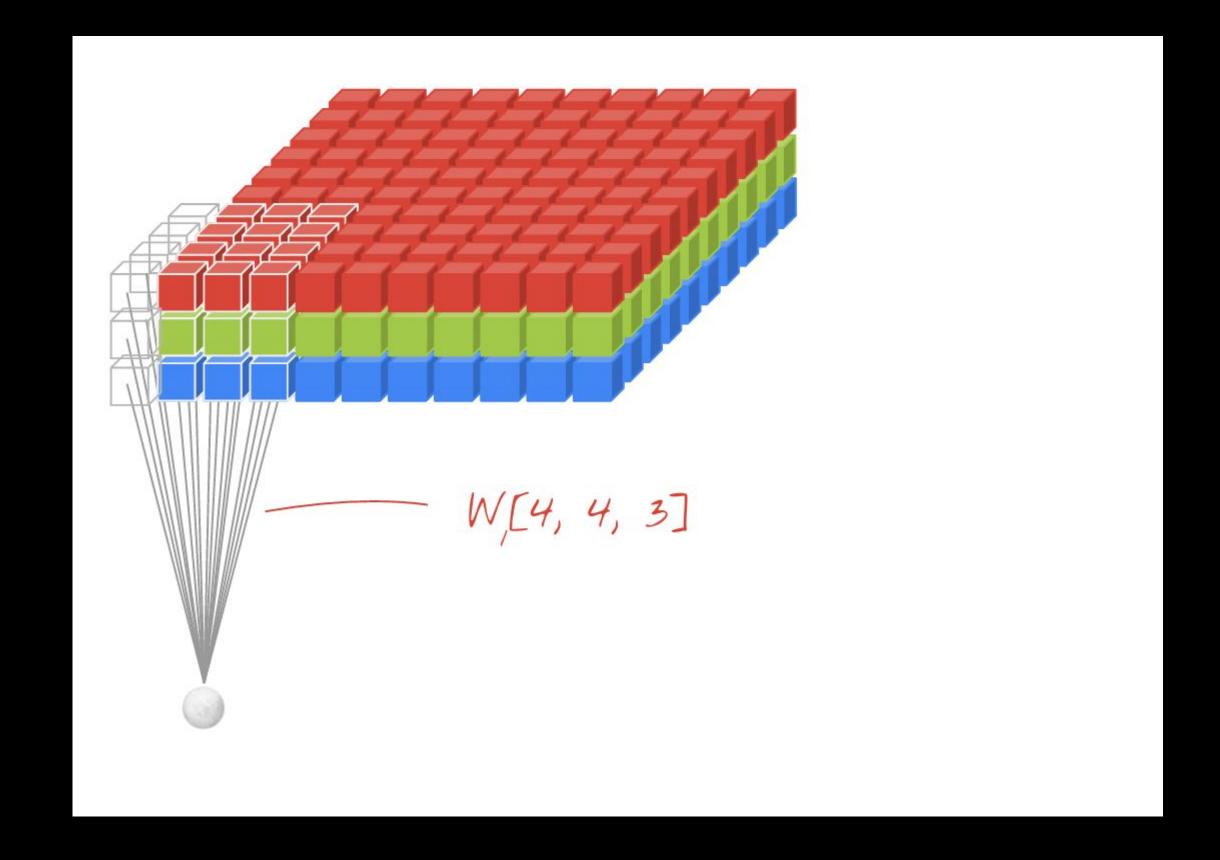
Note that updating the weights changes f!

- In practice, do forward pass for multiple training examples at once (batching):
 - More efficient
 - Less noisy gradients
- Which stopping criterion to use?
 - Loss doesn't drop anymore
 - O Better: look at loss on held-out validation set
 - Otherwise you might overfit on the particular training set, and hence fail to generalise to new examples.



Using convolutions

- Fully connected layers don't scale well to images
- Convolutional layers:
 - Convolve learned weights with input
 - Weights shared along spatial dimensions
 - k² x c_i x c_o weights for k x k
 kernel from c_i input channels to
 c_o output channels



Training neural networks

In summary:

- Given a supervised learning problem and a dataset D:
 - Define the structure of a neural net, an activation function and a loss function.
 - Learn the weights using the algorithm described before
 - You now have a function $f: X \rightarrow Y$ which you can use to compute f(x) on unseen x.



Part 2: Tensorflow



Google Tensorflow

What is Tensorflow?

- "TensorFlow™ is an open source software library for numerical computation using data flow graphs."
- Probably the most popular open-source framework for training neural nets (but it's more general than that!)
- Large community, easy to use Python interface
- Used extensively in industry and research
- Development moves extremely fast!



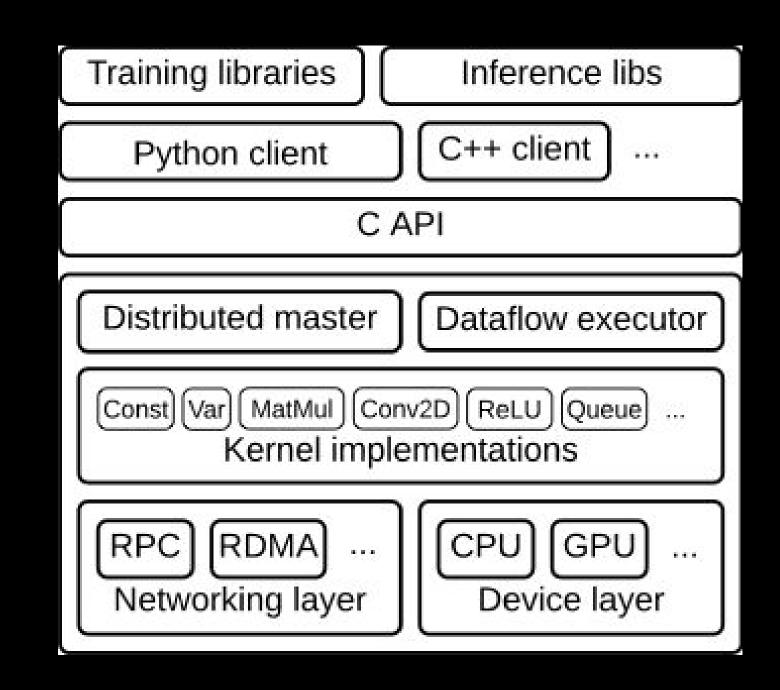
Tensorflow Overview

- Tensorflow allows you to define, train, evaluate and perform inference on neural networks.
- Lots of extra functionality:
 - o Tensorboard visualising neural networks and training
 - Serving serving models in production
 - Training on HPC clusters
 - Preprocessing data
 - Quantization of neural networks
 - O ...
- APIs for C++, Python, Java and Go



Tensorflow Architecture

- Main implementations in C(++)
- Every operation can have a CPU and/or GPU implementation
- Most GPU code uses NVIDIA CUDA (proprietary)
 - CuDNN for common neural net operations
 - Efforts to get OpenCL support
- Relies heavily on Eigen and Protobuf





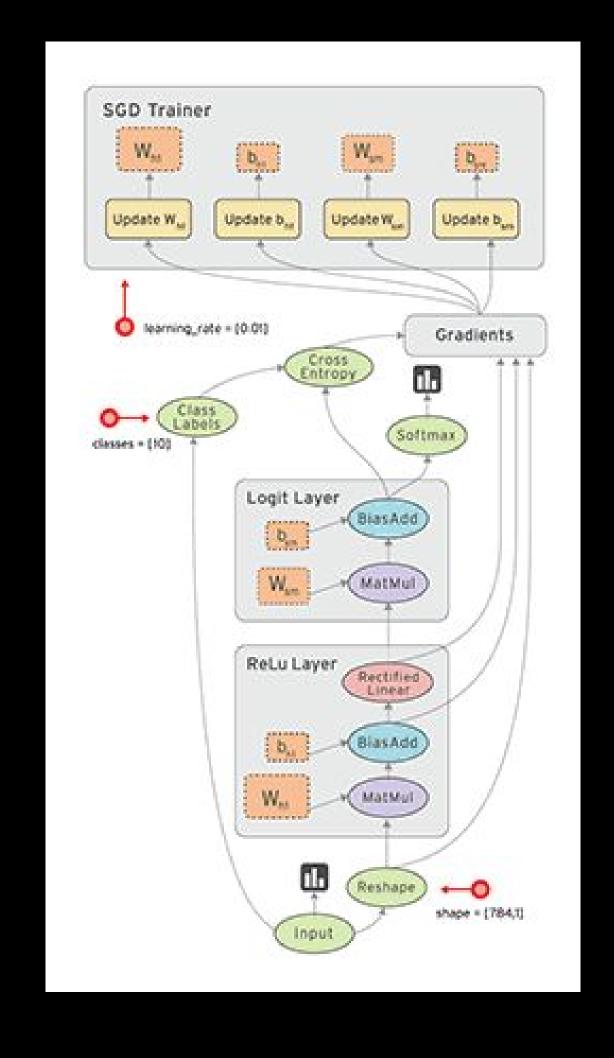
Concepts: Tensors

- Computations in Tensorflow are done on tensors
- Generalisation of matrices to higher dimensions
- E.g. a tensor of rank 4 of dimensions (10,2,2,5) would have
 10 * 2 * 2 * 5 = 200 elements
- Tensors have strong typing
- For input data, usually the first dimension is the batch size
 - E.g. feedforward pass for 4 images at once:
 (4, ...)



Concepts: Computation Graph

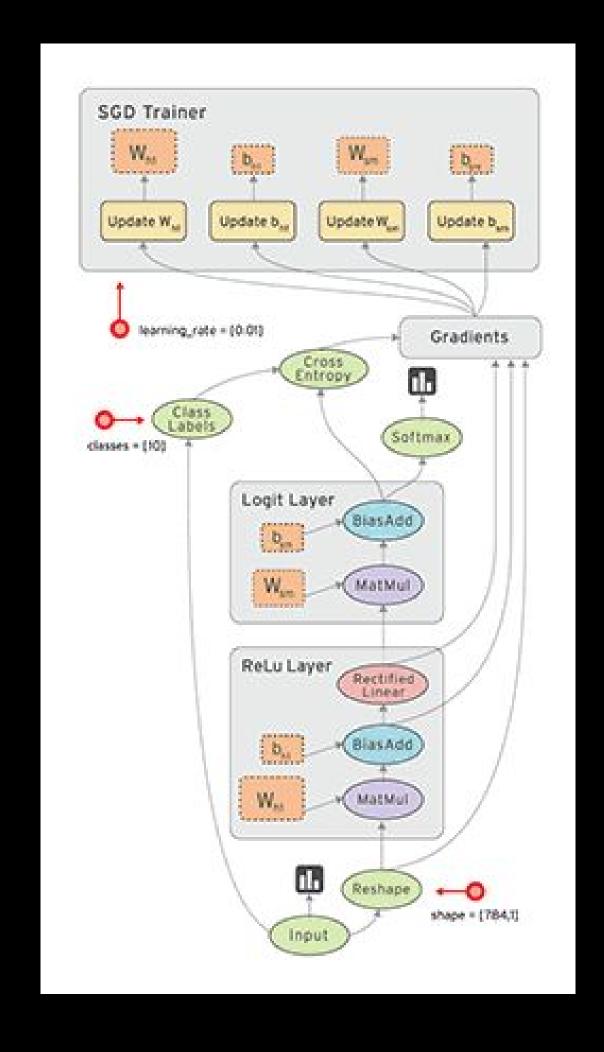
- All computations in Tensorflow are represented in the computation graph
 - O Neural network, optimiser, ...
- The majority of code you'll write in Python does not actually execute the network on data; it constructs the computation graph
- Graph consists of Operations whose inputs and outputs are Tensors.
- Input data is represented by placeholders





Concepts: Operations and Kernels

- Operations run kernels
- Operations:
 - Metadata
 - Shape and type inference
 - Can work with partially defined shapes
 - Central registry
- Kernels:
 - Actual implementations on CPU or GPU
 - Can work for only certain types
 - Often Eigen for CPU kernels, NVIDIA
 CUDA/CuDNN for GPU kernels





Concepts: Operations and Kernels

- Usually NN operations need gradient operations
- Tensorflow deduces which kernel to use and handles memory management for you
 - E.g. CPU-only operation after GPU-only operation
 - o Possible to force placement on a specific CPU or GPU
- You can implement your own operations.
 - O Python: as a combination of existing operations
 - C++: load at runtime as shared library



Concepts: Session

- Represents the connection between the client (Python) and the C(++) runtime
- Provides access to the CPU and GPU device(s), which may be remote
- Allows to evaluate (parts of) the graph on data



Time to code!



Installation



These instructions can be found on: https://github.com/larsmennen/intro_to_tensorflow

Vanilla Python or virtualenv (CPU only):

pip3 install tensorflow

Vanilla Python or virtualenv (GPU, CUDA and CuDNN present):

pip3 install tensorflow-gpu

Anaconda (NVIDIA GPU)

conda install tensorflow-gpu



Anaconda (no NVIDIA GPU)

conda install tensorflow

Recognising Handwritten Digits

- We'll follow the Tensorflow tutorial on MNIST, but more in-depth
- Recognising handwritten digits
- Classification problem, 10 classes
- Data: pairs (x,y) where x is a 28x28 pixel image (which we'll flatten to a 784-element vector) of a handwritten digit and y is a 10-element one-hot vector representing the label
- 55k training, 5k validation, 10k test



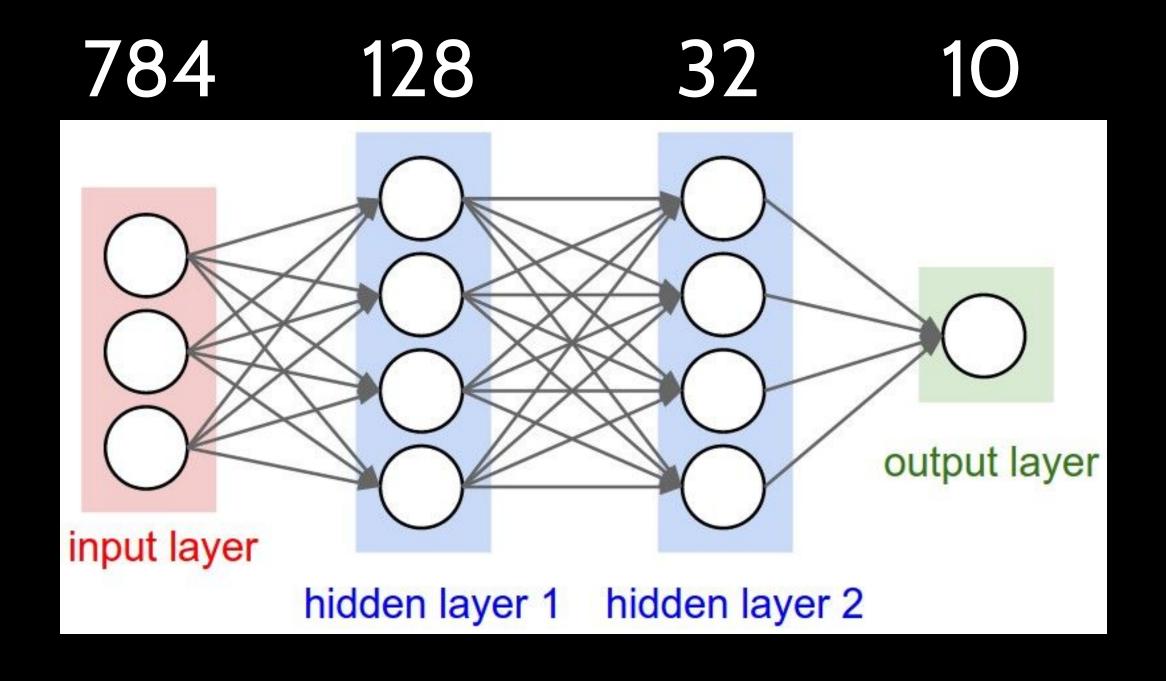
```
3421956218
8912500664
6701636370
3779466182
2934398725
1598365723
9319158084
5626858899
3770918543
7964706923
```

Network definition in Tensorflow

mnist.py and the inspecting_mnist notebook



Network definition in Tensorflow



Gives a total of: 784 * 128 + 128 * 32 + 32 * 10 = 104 768 weights we need to train



Let's train our network!



Network training in Tensorflow

training_mnist notebook



Higher level interfaces

- Using Tensorflow as we did today can get cumbersome
- There are higher level interfaces that make development easier and cleaner:
 - o tf.slim
 - tf.estimator
 - Keras
- Keras provides a clean, functional API and only uses Tensorflow as a backend (can also use Microsoft CNTK or Theano) https://keras.io/



More resources

- Explanation of (convolutional) neural networks: <u>http://neuralnetworksanddeeplearning.com</u> <u>http://cs231n.stanford.edu/</u>
- Tensorflow:
 https://www.tensorflow.org/
- OpenCL support for Tensorflow: https://github.com/tensorflow/tensorflow/issues/22





DevOps Engineer

Engineering Manager

Graduate Engineer

Internship

Machine Learning for Visual Scene Understanding

Machine Vision and Image Processing

Office Manager - Edinburgh

Research Engineer - Computer Vision and Deep Learning

Research Engineer - Robotics

Research Scientist

Research Scientist - Activity Understanding and Prediction

Research Scientist - Machine Learning for Driving Decisions

Research Scientist - Motion Prediction

Simulation Developer

Software Engineer - Machine Vision + Image Processing

Software Engineer - Platform

Questions?



Let's have a look under the hood. How is an operation actually

implemented?

Simple example: tf.sigmoid $g(x) = \frac{1}{1 + e^{-x}}$

```
tf.sigmoid
Aliases:
    tf.nn.sigmoid
    tf.sigmoid
 sigmoid(
     name=None
Defined in tensorflow/python/ops/math_ops.py.
See the guide: Neural Network > Activation Functions
Computes sigmoid of x element-wise.
Specifically, y = 1 / (1 + exp(-x)).
```



tensorflow/python/ops/math_ops.py

```
def sigmoid(x, name=None):
 """Computes sigmoid of `x` element-wise.
Specifically, \dot{y} = 1 / (1 + \exp(-x)).
Args:
  x: A Tensor with type `float32`, `float64`, `int32`,
`complex64`, `int64`,
     or `qint32`.
   name: A name for the operation (optional).
Returns:
  A Tensor with the same type as `x` if `x.dtype !=
qint32
     otherwise the return type is `quint8`.
 @compatibility(numpy)
 Equivalent to np.scipy.special.expit
 @end compatibility
 with ops.name scope(name, "Sigmoid", [x]) as name:
   x = ops.convert to tensor(x, name="x") -
   return gen math ops. sigmoid(x, name=name)
```

Namespacing

If x is not already a tensor, convert it to a tensor



tensorflow/python/ops/gen_math_ops.py

```
def _sigmoid(x, name=None):
    r"""Computes sigmoid of `x` element-wise.

Specifically, `y = 1 / (1 + exp(-x))`.

Args:
    x: A `Tensor`. Must be one of the following types:
`half`, `float32`, `float64`, `complex64`, `complex128`.
    name: A name for the operation (optional).

Returns:
    A `Tensor`. Has the same type as `x`.
"""

result = op def_lib.apply_op("Sigmoid", x=x, name=name)
    return result
```

Just invokes the "Sigmoid" operation from the *operation* registry on *x*

Which will bring us to C++, so in Python only some conversions and checks!



tensorflow/core/ops/math_ops.cc

```
REGISTER_OP("Sigmoid").UNARY_COMPLEX().Doc(R"doc(
Computes sigmoid of `x` element-wise.

Specifically, `y = 1 / (1 + exp(-x))`.
)doc");

REGISTER_OP("SigmoidGrad").UNARY_GRADIENT_COMPLEX().Doc(R"doc(
Computes the gradient of the sigmoid of `x` wrt its input.

Specifically, `grad = dy * y * (1 - y)`, where `y = sigmoid(x)`, and `dy` is the corresponding input gradient.
)doc");
```

```
#define UNARY_COMPLEX()
Input("x: T")
    .Output("y: T")
    .Attr("T: {half, float, double, complex64, complex128}") \
    .SetShapeFn(shape_inference::UnchangedShape)

#define UNARY_GRADIENT_COMPLEX()
Input("x: T")
    .Input("y: T")
    .Output("z: T")
    .Attr("T: {half, float, double, complex64, complex128}") \
    .SetShapeFn(shape_inference::UnchangedShape)
```



This registers the **Operation**, but **no kernels** yet. So this is just "metadata". Note both Sigmoid and SigmoidGrad.

tensorflow/core/kernels/cwise op sigmoid.cc

This registers the kernels. Separate for CPU and GPU, may have different supported features.

