This test is divided into two parts, a questionnaire with short questions (1-6), and a coding question (7). Please answer questions 1-6 with short answers, no need to write a proof of your answer. Question 7 should be answered with a C++ program that we should compile and run.

1) What is the complexity of the following two loops:

a)

```
for (i = 0; i < N; ++i)
    for (j = 0; j < N; ++j);

b)
for (i = 0; i < N; ++i)
    for (j = i; j < N; ++j);</pre>
```

- 2) Order the following operations from fast to slow:
  - a) disk read
  - b) register read
  - c) context switch
  - d) cache read
  - e) ram read
  - f) internet read
- 3) Read the following program:

```
int main() {
  int x = 1;
  static int y = 2;
  int *z = new int;
  z[0] = 3;
}
```

For each value below, is it stored in the stack? answer with "YES" or "NO":

- a) x
- b) y
- c) z
- d) z[0]

4) For each sort algorithm, write which scenario matches it best.

## Algorithms:

- a) Quick sort
- b) Bubble sort
- c) Counting sort

## Scenarios:

- d) Need to sort data you know nothing about.
- e) Need to sort data that are almost completely sorted.
- Need to sort data made out of integers with a low distance between min and max.
- 5) What are the average case complexities in the following data structures for searching an element data structures:
  - a) Array
  - b) sorted array
  - c) balanced binary tree (a.k.a. std::set)
  - d) hash table (a.k.a. std::unordered\_set)
- 6) Find a place and a reason why the program crashes:

```
struct A {
    char* str;
    A(): str(NULL) {}
    ~A() { delete[] str; }
}

void foo() {
    A a;
}

void bar(A a) {
    printf("%s", a.str);
}

int main() {
    foo();
    A a1;
    a1.str = new char[7];
```

```
strcpy(a1.str, "Jessie");
bar(a1);
return 0;
}
```

7) Note: in this coding question, we are **not interested in object oriented design**, so you don't have to design complicated classes. Usage of STL is encouraged but not required.

## Write a method that finds shared edges between triangles

A triangle is represented by 3 vertex IDs  $(v_0, v_1, v_2)$ , which implies the triangle edges:  $E_0 = (v_0, v_1)$ ,  $E_1 = (v_1, v_2)$ ,  $E_2 = (v_2, v_0)$ .

2 triangles share an edge if they share 2 vertex IDs, for example triangles (0, 2, 7) and (6, 2, 0) share the following edge (0, 2).

Your input is an array of vertex ids which will be interpreted 3 at a time, for example, 9 vertices "0,2,7,1,3,5,6,2,0" would represent 3 triangles with vertex IDs:  $T_1 = (0,2,7)$ ,  $T_2 = (1,3,5)$  and  $T_3 = (6,2,0)$  and 9 corresponding edges.

Lets define  $v_i$  as the vertex in index i in the input array and  $E_i$  as the edge defined by  $(v_i, v_{i+1})$  if  $v_i$  and  $v_{i+1}$  represent the same triangle else  $E_i$  is defined by  $(v_i, v_{i-2})$ 

Your output will be an array. Cell i in the array will be set to -1 if edge  $E_i$  is not shared with other triangles and to j if it is shared with edge  $E_j$ . You may assume that each edge is shared at most once.

For example, for input "0,2,7,1,3,5,6,2,0" only the edge  $E_0 = (0,2)$  and edge  $E_7 = (0,2)$  are shared between triangles, therefore the output array will be "7,-1,-1,-1,-1,-1,-1,-1,-1."