

91: Decode Ways

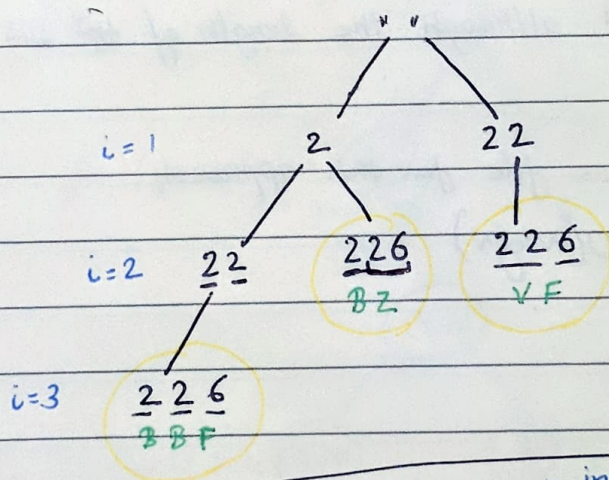
A \rightarrow 1, B \rightarrow 2 ... Z \rightarrow 26

Given the string $s = "226"$ for example, return the total number of ways in which it can be decoded.

226 \rightarrow 2 2 6 - B B F
 \rightarrow 2 26 - V F
22 6 - B Z

Brute force solution

At any position we can choose either one ~~at~~ character or two character (if two characters less than "26").



\rightarrow We can see the answer is number of leaves

\rightarrow We can recursively sum the number of leaves on left subtree and right subtree to get the answer.

index \rightarrow

```
def func(pos):
    if pos == length(s): return 1
    if s[pos] == '0':
        count = 0
    count += func(pos+1)
    if int(s[pos:pos+2]) > 10 &lt;= 26:
        count += func(pos+2)
    return count
```

Pruning \rightarrow

The below algorithm can be improved with memorization.
space & time $\rightarrow O(n)$

(2) Iterative approach:-

recurrence relation:

if decoded one way only

$$dp[i] = dp[i-1] \Rightarrow \forall s[i] \neq '0'$$

if decoded two way only

$$dp[i] = dp[i-2] \rightarrow \forall s[i-1:i+1] == 'x0'$$

where $x = 1, 2$

if decoded both ways

$$dp[i] = dp[i-1] + dp[i-2]$$

$$\forall s[i-1:i+1] \geq 10 \text{ \& } \leq 26$$

2 6 1 1 0

dp =

1	1	2	2	4	2
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↑
answer.

Check-code simple to understand

time & space = $O(n)$

(3) In previous approach we see we are only using last two values of dp to calculate the answer.

\therefore instead of keeping the whole array we only keep the last two $dp[i-1]$ and $dp[i-2]$ and keep updating them.

space complexity = $O(1)$ Time = $O(n)$