# Design overview:

As mentioned in the brief pseudo code in the previous document, We have built our complete pseudo code of implementation.

The coding is done in python with 2 sub-codes and 1 main code:

Connections.py(contains how to make connections as in grid as per constraints)

Graph.py(contains all nodes and their edges of representation)

Main.py(Contains graph coloring algorithm for solving sudoku)

We have to code and test the working of individual segments of all three parts.

## Graph.py:

We create 2 classes: a node class and a graph class.

#### Node class:

Contains three portions id, data, connected to

Initialize a node(self) using these 3 attributes

Id should be integer

Self.id = idx

Self.data = data

Self.connectedto = dict()

# Connected to is a variable dictionary which will store ids of nodes to which they are connected with

Inserting a neighbor to the node

neighbor= node object

Then we will add neighbour to the dictionary for checking with other elements

-> We define additional required functions such as getting elements data/info about the neighbor connected...

### **Graph class:**

This is a normal graph algorithm

We initialize all nodes as in the dictionary,

Function for adding node to the graph

node= Node(idx=idx)

self.allNodes[idx] = node

Then we increase the number of vertices in the graph

Function for adding edge in graph:

source=edge where it starts from(node id)

destiny=edge where it ends(node\_id)

Then we will add that connection to the dictionary

self.allNodes[source].addNeighbor(self.allNodes[destiny],wt)

self.allNodes[destiny].addNeighbor(self.allNodes[source],wt)

This makes the graph undirected

These are the primitive functions for graph algorithms. We can add other functions as print nodes/DFS for searching..

## Testing graph algorithm:

We need to check the working of the graph algorithm before coding the next portion. I have added BFS,DFS for checking whether the graph is traversing correctly/not.

```
Code:
def main():
  g = Graph()
  for i in range(6):
     g.addNode(i)
print("Vertices : ",g.getAllNodesIds())
  g.addEdge(src = 0, dst = 1, wt = 5)
  g.addEdge(0,5,2)
  g.addEdge(1,2,4)
  g.addEdge(2,3,9)
  g.addEdge(3,4,7)
  g.addEdge(3,5,3)
  g.addEdge(4,0,1)
  g.addEdge(5,4,8)
  g.addEdge(5,2,1)
  g.printEdges()
  print("DFS : (starting with 0)")
  g.DFS(0)
  print()
  print("BFS : (starting with 0)")
  g.BFS(0)
  print()
```

Results: Code has produced correct output

# Connections.py:

The graph.py we have created is a normal graph algorithm but we have to deduce the algorithm to our requirement

```
We have to initialize the graph with grid conditions:
Self.graph = Graph()
```

```
self.rows=9
 self.column=9
 self.blocks=81
for idx in range(1, self.total blocks+1):
       _ = self.graph.addNode(idx)
#we have 3 constraints which are:
1. Connecting Each Node to every other node in the same row
   for c in range(cols+1, 9):
       row.append(matrix[rows][c])
   connections["rows"] = row
2. Connecting Each Node to every other node in the same column
   for r in range(rows+1, 9):
       col.append(matrix[r][cols])
   connections["cols"] = co
3. Connecting Each Node to every other node in the same sub grid(3*3 block)
   Since we have already appended some of the edges in the 1,2. We will use if,else
conditions for removing intersecting conditions
   if rows\%3 == 0:
       if cols\%3 == 0:
         block.append(matrix[rows+1][cols+1])
         block.append(matrix[rows+1][cols+2])
         block.append(matrix[rows+2][cols+1])
         block.append(matrix[rows+2][cols+2])
       elif cols%3 == 1:
         block.append(matrix[rows+1][cols-1])
         block.append(matrix[rows+1][cols+1])
         block.append(matrix[rows+2][cols-1])
         block.append(matrix[rows+2][cols+1])
       elif cols\%3 == 2:
         block.append(matrix[rows+1][cols-2])
         block.append(matrix[rows+1][cols-1])
         block.append(matrix[rows+2][cols-2])
         block.append(matrix[rows+2][cols-1])
This for rows 3,6,9 we have to writes this for other rows using similar logic,
At last.
   connections["blocks"] = block
```

### **Testing connections.py:**

For testing, we use the following code:

```
def test_connections():
    sudoku = SudokuConnections()
    sudoku.connectEdges()
    print("All node lds : ")
    print(sudoku.graph.getAllNodesIds())
    print()
    for idx in sudoku.graph.getAllNodesIds():
        print(idx, "Connected to->", sudoku.graph.allNodes[idx].getConnections())
test_connections()
```

**Results:**The code is giving correct results.

So till now, we have created the structure of Graph Class and then connected all the nodes.

## **Creating Main.py:**

Then we write graph coloring algorithm for solving sudoku

We have to create a recursive function which takes input as graph then assigns colors to the graph. We will check whether the assigned configuration is true or not then we return true or false accordingly

```
return color, given
Function for checking configuration:
  if v in given and color[v] == c:
       return True
     elif v in given:
       return False
     for i in range(1, self.sudokuGraph.graph.totalV+1):
       if color[i] == c and self.sudokuGraph.graph.isNeighbour(v, i):
          return False
     return True
Testing:
For testing,I have used the code:
 s = SudokuBoard()
  print("BEFORE SOLVING ...")
  print("\n\n")
  s.printBoard()
  print("\nSolving ...")
  print("\n\nAFTER SOLVING ...")
  print("\n\n")
  s.solveGraphColoring(m=9)
  s.printBoard()
```

By this way,I have implemented backtracking for solving sudoku problem