

# Abstract

The physical processes that creates electrical signals in neurons are well understood, but how the signals are processed into actions and thoughts has yet to receive a scientifically robust answer Cell type classification is of high importance because the function of different neurons is still largely a mystery.



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# Introduction

Early investigators first suggested that interneurons, with high spontaneous firing rates, had “thin” action potentials of short duration and could be distinguished from pyramidal cells with longer action potentials and lower, regular spiking pattern of discharge (Mountcastle et al., 1969). These differences were subsequently confirmed by detailed intracellular studies in brain slices from rodents (Connors et al., 1982; McCormick et al., 1985; Contreras, 2004).

There are several types of neurons and it was early noticed that the discharge waveform had different shapes for different types of neurons.

The behaviour of neuronal circuits is heavily affected by the kinds of neurons it has. Investigating the different kinds of is therefore of major importance. The majority of studies that use extracellular recordings ignore neuronal types, while some studies have attempted to classify neurons based on signal waveforms and spike patterns.

Intracellular recordings in slice preparations have demonstrated that  $\gamma$ -aminobutyric acid (GABA)-containing, inhibitory interneurons produce action potentials of a much shorter duration than excitatory, pyramidal neurons (McCormick et al., 1985).

Based on this finding, some extracellular recording studies distinguished neuronal types based mainly on the differences in spike width (Wilson et al., 1994; Constantinidis & Goldman-Rakic, 2002; Mitchell et al., 2007; Cohen et al., 2009). However, the identification of neuronal types by their spike width alone has several problems. First, in extracellular recording conditions, the measurement of spike width is often disturbed by background noise near the baseline and the filtering parameters used in the experiment. Second, it has become clear that not all short-duration action potentials are generated by fast spiking (FS) interneurons. Intracellular studies have documented short-duration action potentials in a number of neurons that were subsequently labeled and shown to have a pyramidal morphology (Nowak et al., 2003).

In addition measurements from some pyramidal axons has been shown to give shorter duration action potentials (Robbins 2013).

In the hippocampus, the combination of several extracellular features, such as spike duration, firing rate, and pattern and spike waveform, reliably separates pyramidal cells from interneurons (Csicsvari et al. 1999). The validity of neuron classification on the basis of extracellular features has been supported by in vivo intra- and juxtacellular labeling as well as simultaneous extra- and intracellular recordings from the same neurons (Henze et al. 2000; Klausberger et al. 2003; Sik et al. 1995). Similar classification criteria are not available in the neocortex. Mountcastle et al. (1969) have noted that the occasionally recorded “thin spikes” in the somatosensory cortex had different response properties than the majority of units and suspected that they were interneurons. Other observations indicated that fast-spiking neurons have receptive and evoked response properties different from the majority of slower, more

regular firing cells (Constantinidis and Goldman-Rakic 2002; Simons 1978; Swadlow 2003; Swadlow and Gusev 2002; Swadlow and Lukatela 1996; Swadlow et al. 1998). Intracellular recordings and labeling in cortical slices showed numerous classes of interneurons on the basis of the firing rates, spike morphology, and spike dynamics (Connors et al. 1982; Gupta et al. 2000; Kawaguchi and Kubota 1993; Somogyi et al. 1998). However, the information gathered in intracellular experiments in vitro cannot be directly applied to extracellularly recorded spikes in the intact brain. Furthermore, intra- and juxtacellular studies carried out in vivo do not directly support the suggestion that fast firing neurons unequivocally identify interneurons (Azouz et al. 1997; Degenetais et al. 2002; Douglas et al. 1995; Gray and McCormick 1996; Steriade et al. 1998).

Another popular approach is classifying based on discharge patterns, such as bursting behaviour and inter spike interval (ISI). Classification based on inter spike bursting behavior and ISI has gained more traction than solely using spike waveform.

These classifications are often based on the response of a current pulse which makes them difficult to apply on recordings from in vivo measurements. (Kang & Kayano, 1994; Gray & McCormick, 1996; Nowak et al., 2003; González-Burgos et al., 2004, 2005a,b).

Modern types of classification use genotype?, the structure of the neuron and the electric signal.

While doing single cell recordings on alive subjects the researchers are recording in the dark.

In this article we show that interneurons can be separated from pyramidal neurons based on data and models from the Blue Brain project. The program makes an easy way to do the same analysis on future models as long as the models can be loaded with LFPy.

# Theory

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## The Neuron

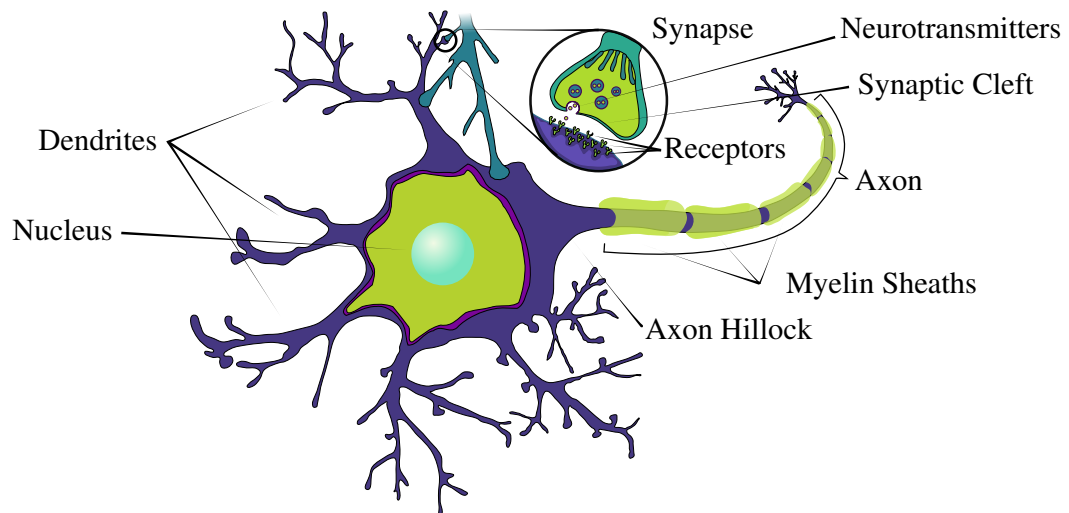


Figure 2.1

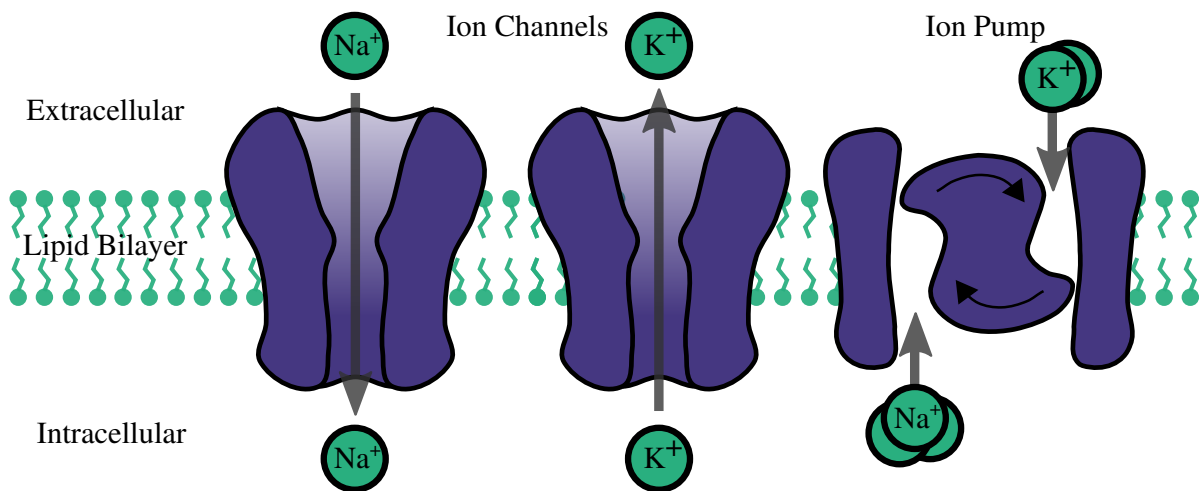
Neurons are electrically excitable cells that are a fundamental part of all brain functions. Other names include nerve cells, neurone or more colloquially brain cells. Neurons form in big networks which process information, and in the human brain there is an estimated  $10^{11}$  neurons.

Special proteins in the cell membrane enables the neuron to fire action potentials when it is electrically excited. These action potentials are sharp voltage changes that propagates through the full structure of the neuron. The same properties that makes the neuron able to fire makes the action potential regenerative, meaning it will propagate without decay.

The body of the neuron, the soma, has dendrites and the axon attached to it. The dendrites and the axon are very thin branching structures with a width usually in the order of  $1\text{ }\mu\text{m}$ . While neurons often have many dendrites directly attached to the soma there is only one axon attached to the soma at the axon hillock. The axon can branch several times before it ends and usually connects to the dendrites of other neurons via synapses.

The synapses are electrically sensitive which allows information to pass between neurons. Though the majority of all synapses are axo-dendritic (axon to dendrite), other junctions are also possible. Other junctions include but are not limited to, dendrite to dendrite, axon to axon and axon to blood vessel. When an action potential reaches a synapse it will activate the synapse and pass information to the connect neuron. The information that is passed along depends on the type of synapse, and if it is of a chemical or electrical type.

## The Cell Membrane



**Figure 2.2:** Common portrayal of ion channels and pumps in the neuron cell membrane. They are responsible for creating a potential gradient across the membrane. Ion channels have selective permeability of ions. Ion pumps actively transport ions through the membrane, often against the potential gradient. Image modified from [Sterratt et al. \[24\]](#).

The potential difference between the inside and outside the neurons are caused by different concentrations of ions in the extracellular and intracellular medium. The ions cannot pass through the cell membrane as it consists of a  $5\text{ nm}$  lipid bilayer which is mostly impenetrable to ions.

In the membrane sits ion channels and ion pumps which can have selective permeability to ions. Collectively they are referred to as ion transporters. These are created by proteins in complicated shapes. There are over 200 kinds of electrically sensitive ion channels. Together they create a potential gradient across the membrane. The most significant ions in this process are Sodium ( $\text{Na}^+$ ), Potassium ( $\text{K}^+$ ), Calcium ( $\text{Ca}^{2+}$ ), Magnesium ( $\text{Mg}^{2+}$ ) and Chloride ( $\text{Cl}^-$ ). Ion channels are divided between passive channels and active channels where the active channels can change permeability under certain conditions while passive channels have a constant permeability. [Figure 2.2](#) shows a common portrayal of ion channels and pumps.



The ion pumps differ from the channels by actively transporting certain ions through the membrane. For instance, the Sodium-Potassium exchanger pushes two  $K^+$  ions out of the cell for every three  $Na^+$  it pushes into the cell. Doing this creates a net loss of charge inside the cell and the pump is therefore electrogenic. Not all pumps are electrogenic, the Sodium-Hydrogen exchanger transports  $H^+$  and  $Na^+$  without effecting the net charge. For each  $H^+$  ion out of the cell the pump pushes one  $Na^+$  into the cell.

To understand the electrical activity of neurons it is useful to view the neuron as an electronic circuit where the ion channels, ion pumps and the membrane serve as different electronic components. Figure 2.3 shows the electronic circuit used by hudgkin and huxley in their original description of a neuron membrane.

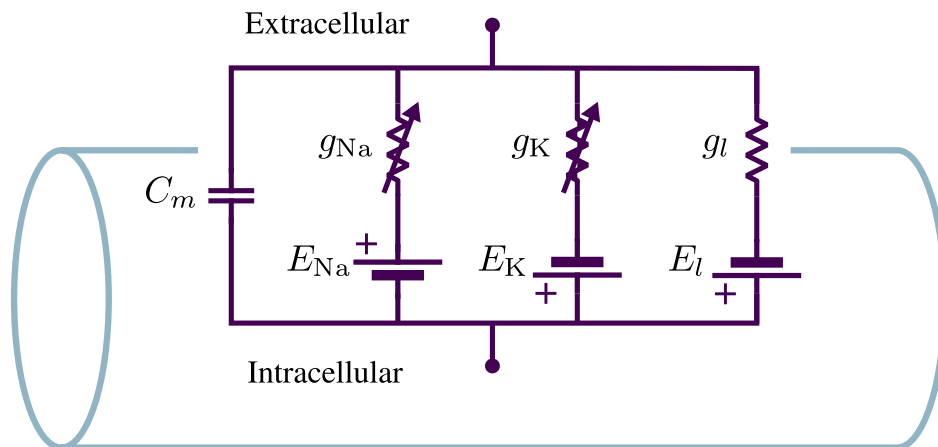


Figure 2.3: The compartment.

Hodgkin & Huxley [15], Connor & Stevens [5], and Sterratt et al. [24]

## Circuit Model

Hodgkin and Huxley originally tried to understand the electrical properties of neuron by studying squid axons. Given very specific functions for the active conductances  $g_{Na}$  and  $g_K$ , this circuit is enough to describe an important feature of neurons, called action potentials. The model was developed by recording the activity of each type channel in the membrane. The model of each channel was then constructed by fitting the data to functions. The final model of the cell membrane was then constructed by incorporating each channel model.

## Action Potential

Action potentials are sharp increases in the membrane potential followed by a less sharp decrease towards the resting potential. In the the depolarization phase the potential rises towards the peak magnitude, while in the repolarization phase the potential decreases towards the cells resting potential. When the potential is below the resting potential it reaches the afterhyperpolarization phase before it returns to its resting potential.

## Compartmental Models

There are multiple models for neurons, some of the main groups are point models and compartmental models. List many models? Multi-compartmental models can be useful to understand the processing of neurons with complex morphological structures

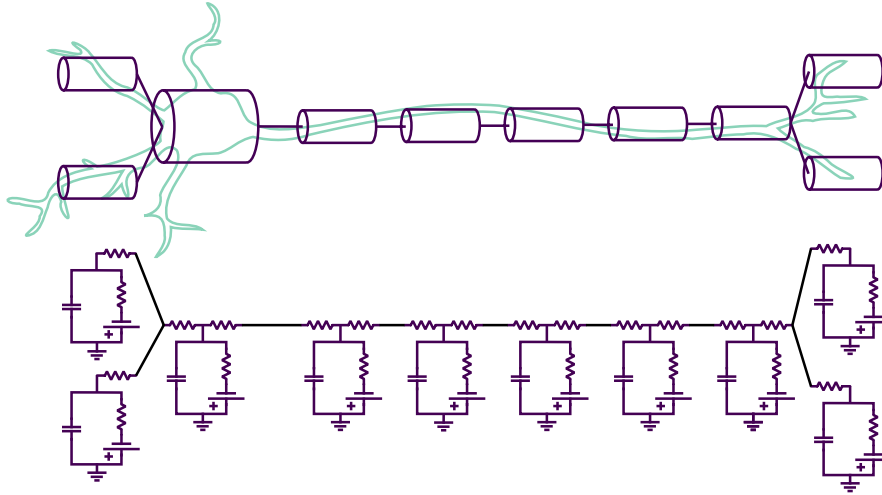


Figure 2.4: Compartmental model.

## Electrodes

### Calculating Extracellular Potential

The extracellular potential is the electric potential generated from the transmembrane currents in the neurons. When a neuron fires this can be seen from the extracellular potential which will have a spike which is similar to the intracellular spike.

By modelling the neuron as compartments and approximating each compartment as a spherical volume current source at position  $\mathbf{r}_0$ , the potential at position  $\mathbf{r}$  at time  $t$  will be,

$$\mathbf{E}(\mathbf{r}, t) = \frac{1}{4\pi\sigma} \frac{I_0(t)}{|\mathbf{r} - \mathbf{r}_0|} \quad (2.1)$$

$$\mathbf{E}(\mathbf{r}, t) = \sum_{n=1}^N \frac{1}{4\pi\sigma} \frac{I_n(t)}{|\mathbf{r} - \mathbf{r}_0|} \quad (2.2)$$

Potential from compartments modelled as line sources.

$$\mathbf{E}(\mathbf{r}, t) = \frac{1}{4\pi\sigma} \sum_{n=1}^N I_n(t) \frac{d\mathbf{r}_n}{|\mathbf{r} - \mathbf{r}_0|} \quad (2.3)$$

$$= \frac{1}{4\pi\sigma} \sum_{n=1}^N I_n(t) \frac{1}{\Delta s_n} \log \left| \frac{\sqrt{h_n^2 + \rho_n^2} - h_n}{\sqrt{l_n^2 + \rho_n^2} - l_n} \right| \quad (2.4)$$

Taken from [Lindén et al. \[17\]](#)

This equation rests on two assumptions,

1. The permeability  $\mu$  of the extracellular medium is the same as that of vacuum  $\mu_0$ .
2. The quasistatic approximation which lets the time derivatives,  $\partial E/\partial t$ , be ignored as source terms. See ??

The extracellular potential can be calculated using Maxwell's equations and the continuity equation if the spatial distribution (morphology) of transmembrane currents and the extracellular conductivity is known.

In the quasistatic approximation, since  $\nabla \times \mathbf{E} = 0$ , the electric field can be expressed with a scalar potential.

Forward problem = calculate the potential from the current source, inverse problem is used in magnetoencephalography (important). The amplitude of a spike in the extracellular potential is usually in the magnitude of  $< 200\mu\text{V}$ . The noise of electrodes vary, but can be as much as  $20\mu\text{V}$ . This limits the range electrodes can record from.

The currents sum to zero, while the spike is very visible, there are many small currents in the dendrites with opposite current. ([13])

The extracellular spike width tend to increase with distance from soma because of the neuronal morphology. This article used a passive neuron model with different morphologies to show that the spike width increases with distance to soma. The spike amplitude also decreases with distance to soma and seems to follow a power law. ([22]).

The shape of extracellular spikes are mainly dependent on the membrane currents and the morphology of the cell. Some of the effects from the morphology of the cell are increased spike width and decreased amplitude from distance to soma.

Many things here from around page 245. When the conductivity  $\sigma$  and the current generators are known, Maxwell's equations and the continuity equation can be used to calculate the electric field  $E$  and magnetic field  $B$ . (TODO: Copied text) ([13])

## Background

Recording is usually done using electrodes, this makes recording the membrane potential more challenging than recording from the extracellular medium as the electrode has to be very close or inside the cell. At the time of writing, recording the membrane potential of a conscious subject is nearly impossible, this makes understanding extracellular potentials vital for current research.

Early calculations was done by Rall 1962 investigating the interaction between action potentials and synapses using cylinders as the current source. (TODO: Read article, make more

understandable.) Holt and Koch 1999 added compartmental models to reconstruct pyramidal neurons.

The information about the transmembrane current is usually difficult to obtain, as well as the morphology.

## Neuron & LFPy

LFPy is a Python module that uses Neuron and the mentioned methods to calculate the electric field outside the neuron. [17]

## Background

### Cell Type Classification

It was early observed that the shape of action potentials are different for individual neurons. Mountcastle et al. [20] discovered what they called regular spiking and fast spiking.

[20]. Results are based on spike width and amplitude. The basis for all spike shapes are the types and concentrations of ion channels. This is the central factor that decides if the neuron has short or long action potentials. A number things has been observed that can change spike spike width. Factors that change action potentials width: \* Firing frequency. \* Input current. Higher current gives higher frequency. \* Number of previous spikes. \* Bursting behavior. \* Backpropagating action potentials.

# Methods

Methods mentioned here have been developed spesifically for this research.

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## Spike Width Measurement

Most extracellular spikes has a minimum value greater than the maximum value, but this is not always the case when measuring far away from soma.

**Peak-to-peak Width:** Referred to as type I spike width in the code. The width is measured as the time from the minimum potential to the maximum. This is a rough measure of the time from the polarization phase to the afterhyperpolarization phase.

The definition can be implemented by measuring the width from minimum to maximum value, but in cases where the spike is flipped the definition must also change. As such the implementation was done by defining the positive axis along the maximum absolute value and calculate the time from the maximum value to the preceding minimum value.

Width Type II - Width at Half Amplitude:

Width is measured as the duration the spike is below half amplitude of the signal measured from the baseline at the start of the signal.

Width Type II - Width at Half Amplitude:

Width is measured as the duration the spike is below half amplitude of the signal measured from the baseline at the start of the signal.

## Spike Amplitude Measurement

Amplitude is easier to calculate than the width of a spike, but there are still different ways to define the amplitude. In most cases the amplitude is defined as the distance from a baseline, in a similar manner as a sinusoid. The baseline is not always well define with spikes shapes. For the intracellular potential the baseline can for instance be set at the firing threshold, but for extracellular spikes this is not possible. Maybe more common is to set the baseline as the value during quiescence. For modelling purposes this is can provide difficulties.

## Similarity Measure

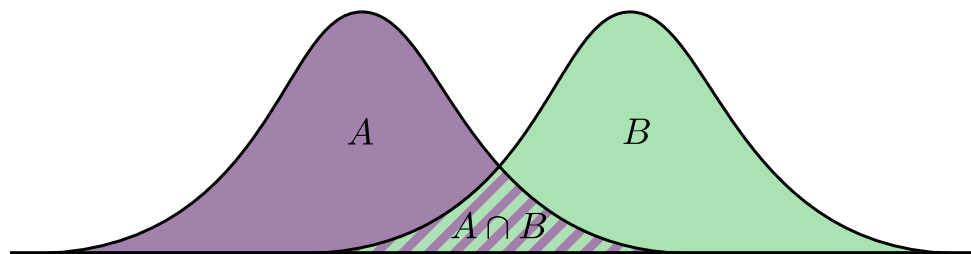


Figure 3.1: Nothing.

## LFPyUtil

### About

LFPyUtil is a python package that was created for this project with the purpose to simplify the simulation pipeline for multiple neurons and creating an easy to use interface when developing new simulations. LFPyUtil extends and uses the package LFPy to accomplish this. Simulations can be run in parallel and data from simulations can automatically be saved and loaded to avoid unnecessary processing time.

LFPy is a Python package created to calculate extracellular potentials. Another major feature is wrapping the cell model and electrodes from the NEURON simulation environment into Python objects, such as the `LFPy.Cell` and `LFPy.StimIntElectrode` classes. This makes working with NEURON more pythonic as it can be argued that NEURON is state-based. That is, even though the Python interface of NEURON uses objects, the objects are bound to

the state system. In practical terms this means that all functions and variables with NEURON are global static.

While NEURON has support for parallel processing of single simulations it does not have any inherent support for running multiple independent simulations. For "embarrassingly parallel" situations like this, users have had to resort to creating their own methods to start each simulation independently. For instance, one solution would be to use a Python script to run other scripts through the command line, effectively starting new processes. In addition there is no function to reset the simulation environment which can make previous simulations affect later ones.

LFPyUtil uses Python's multiprocessing package to run independent simulations and thus overcomes some of the shortcomings of NEURON and LFPy.

## Minimal Working Examples

These examples show how to create a new custom simulation from scratch and how to use them with LFPyUtil. A basic understanding of object-oriented programming and Python is required.

To run a simulation LFPyUtil must first have a `LFPy.Cell` object it can use to interact with the model. The cell object gives access to functions such as `Cell.simulate()` which starts the NEURON simulation. A template of such a function can be seen in [listing 1](#). A fully working example of such a function can be seen in the appendix (??).

Listing 1: `load_model_simple.py`

```
1 import LFPy
2
3 def get_cell(neuron_name):
4     """
5     Load a specific model based on the input string and return
6     a LFPy Cell object
7
8     :param string neuron_name:
9         String to identify the neuron model that will be loaded.
10    :returns:
11        Cell object from LFPy.
12    """
13
14    cell = LFPy.Cell( some cell parameters ... )
15
16    return cell
```

LFPyUtil use subclasses of the class `LFPyUtil.sims.Simulation`. to organize simulations. [Listing 2](#) shows a very minimal example of such a subclass. If the functions `simulate`, `process_data` and `plot` are not overridden, a `NotImplementedError` will be raised.

## Listing 2: new\_simulation\_class\_simple.py

```
1 from LFPy_util.sims import Simulation
2
3 class CustomSimulation(Simulation):
4     def __init__(self):
5         # Inherit the LFPyUtil simulation class.
6         Simulation.__init__(self)
7         # These values are used by the super class to save and load data.
8         self.set_name("custom_sim")
9
10    def simulate(self, cell):
11        pass
12
13    def process_data(self):
14        pass
15
16    def plot(self, dir_plot):
17        pass
```

The LFPyUtil simulation class has been created to reflect four parts of a typical neuron simulation. (1) Initialization, (2) simulation/gather data, (3) processing data and (4) plotting the data. These four parts are retained in the initialization of the object, the `__init__()` function, a simulation function `simulate(cell)`, a process function `process_data()` and a plotting function `plot()`. Run parameters, plot parameters and data are stored in dictionaries in the simulation class and the variables are named `run_param`, `plot_param` and `data` respectively. The LFPyUtil simulation class has additional properties that among other things enable saving and loading data and naming those files. Because of this a new simulation class should inherit LFPyUtil's simulation class.

Listing 3 defines a simulation class that inherits the LFPyUtil simulation class, but adds some more functionality. The function `simulate` inserts a stimulus electrode and applies a current to soma with parameters defined in `__init__`. The membrane potential is then stored in the data dictionary. The function `process_data` creates a normalized version of the membrane potential and saves it. The function `plot` plots the membrane potential. To exemplify the use of `plot_param`, a conditional statement is used to decide whether or not to plot the normalized version.



Listing 3: new\_simulation\_class.py

```

1 import LFPy
2 import LFPy_util
3 import matplotlib.pyplot as plt
4 from LFPy_util.sims import Simulation
5
6 class CustomSimulation(Simulation):
7     def __init__(self):
8         """
9         Typical initialization function, called when a new instance
10         is created.
11         """
12         # Inherit the LFPyUtil simulation class.
13         Simulation.__init__(self)
14         # These values are used by the super class to save and load data.
15         self.set_name("custom_sim")
16
17         # Create some parameters that are used by the simulate method.
18         self.run_param['delay'] = 100 # ms.
19         self.run_param['duration'] = 300 # ms.
20         self.run_param['amp'] = 1.0 # nA.
21
22         # Create a parameters used by the plotting function.
23         self.plot_param['plot_norm'] = True
24
25     def simulate(self, cell):
26         """
27         Setup and starts a simulation, then gathers data.
28         """
29         :param LFPy.Cell cell:
30             Cell object from LFPy.
31         """
32         # Create an electrode with LFPy.
33         soma_clamp_params = {
34             'idx': cell.somaidx,
35             'amp': self.run_param['amp'],
36             'dur': self.run_param['duration'],
37             'delay': self.run_param['delay'],
38             'pptype': 'IClamp'
39         }
40         stim = LFPy.StimIntElectrode(cell, **soma_clamp_params)
41         cell.simulate()
42
43         # Store the data.
44         self.data['soma_v'] = cell.somav
45         self.data['soma_t'] = cell.tvec
46
47     def process_data(self):
48         """
49         Process data from the simulate function, usually to prepare
50         the data for plotting. This function creates a normalized
51         version of the membrane potential.
52         """
53         soma_v_norm = self.data['soma_v'].copy()
54         soma_v_norm -= soma_v_norm[0]
55         soma_v_norm /= soma_v_norm.max()
56         self.data['soma_v_norm'] = soma_v_norm
57
58     def plot(self, dir_plot):
59         """
60         Plot data from the simulate and process_data function.
61         This functions plots the membrane potential and the
62         normalized version.
63         """
64         :param string dir_plot:
65             Path to the directory where plots should be saved.
66         """
67         plt.plot(self.data['soma_t'], self.data['soma_v'])
68         # Save the plot to input directory with the name "custom_sim_mem".
69         LFPy_util.plot.save_plt(plt, "custom_sim_mem", dir_plot)
70         # plot_param can be used to affect the plotting.
71         if self.plot_param['plot_norm']:
72             plt.plot(self.data['soma_t'], self.data['soma_v_norm'])
73             # Save the plot to input directory.
74             LFPy_util.plot.save_plt(plt, "custom_sim_mem_norm", dir_plot)
75

```

The newly created simulation class can now be used to run a complete simulation as seen in [listing 4](#).

**Listing 4:** first\_simulation.py

```
1 # Import the get_cell function defined previously.
2 from load_model import get_cell
3
4 # Import the newly defined simulation class.
5 from new_simulation_class import CustomSimulation
6
7 # Load the model, using a string to identify which model will be returned.
8 cell = get_cell("pyramidal_1")
9
10 # Create an instance of the custom simulation class.
11 sim_custom = CustomSimulation()
12
13 sim_custom.simulate(cell)
14 sim_custom.process_data()
15 # Plots are stored in a folder called first_simulation.
16 sim_custom.plot("first_simulation")
```

If one attempted to run the simulation function in [listing 3](#) more than once in the same program, we would experience that subsequent simulations would be affected by previous simulations. This is because a new electrode will be applied once for each call to the simulation function. With NEURON or LFPy there are no easy way to reset the environment to prevent this. One workaround is to use Python's multiprocessing package to create multiple independent processes. Doing this for every simulation will require excessive amounts of code. LFPyUtil can simplify this with tools that requires less code and are compatible with classes like the one defined in [listing 3](#).

The class `LFPyUtil.Simulator` accepts one or more objects that inherit LFPyUtil's simulation class and can run them either in serial or parallel and either in a new independent processes or in the same process. [Listing 5](#) shows how the newly created simulation class can be used with `LFPyUtil.Simulator` to run multiple simulations in parallel and in independent processes.

**Listing 5:** multiple\_simulations.py

```
1 import LFPy_util
2 from load_model import get_cell
3 from new_simulation_class import CustomSimulation
4
5 sim = LFPy_util.Simulator()
6 sim.set_cell_load_func(get_cell)
7 # The string is passed to the get_cell function.
8 sim.set_neuron_name("pyramidal_1")
9
10 sim_custom_1 = CustomSimulation()
11 sim_custom_1.run_param['amp'] = 1.25 # nA
12
13 sim_custom_2 = CustomSimulation()
14 sim_custom_2.run_param['amp'] = 0.75 # nA
15 # Avoid sim_custom_2 overwriting the data from sim_custom_1.
16 sim_custom_2.set_name("custom_sim_2")
17
18 # Add the simulations to a list we want to run.
19 sim.push(sim_custom_1)
20 sim.push(sim_custom_2)
21
22 sim.simulate()
23 sim.plot()
```

The function `Simulator.push` adds the simulation objects to a list. When the function `Simulator.simulate()` is ran, the `simulate()` function of those objects will be

called in parallel and in independent processes. The `Simulator.plot()` function will call `process_data()` and `plot(dir_plot)` functions of those objects, and the parameter `dir_plot` will be created based on the name of the simulation class and the name of the neuron name. In this case the plots are stored in the directories `./pyramidal_1/plot/custom_sim/` and `./pyramidal_1/plot/custom_sim_2/`.

The `Simulator` class utilizes save and load features of the simulation class when the `Simulator.simulate()` function is called. This makes the dictionaries `data` and `run_param` be saved to file. If `Simulator.plot()` is ran without `Simulator.simulate()` being called first, the program will notice that the simulations are missing the `data` dictionary. It will then attempt to load the `data` and `run_param` from file. After [listing 5](#) has been run once line 22 can thus be commented out and the data will be loaded instead of running the simulation.

LFPyUtil comes with some predefined simulations that have been used for results in this article. [Listing 6](#) shows an example of how to use the predefined simulations.

[Listing 6](#): predefined\_simulations.py

```
1 import LFPy_util
2 from load_model import get_cell
3
4 sim = LFPy_util.Simulator()
5 sim.set_cell_load_func(get_cell)
6 sim.set_output_dir("predefined_simulations")
7
8 sim.set_neuron_name("pyramidal_1")
9
10 sim_electrode = LFPy_util.sims.MultiSpike()
11 sim_electrode.run_param['spikes'] = 3
12
13 sim_intra = LFPy_util.sims.Intracellular()
14
15 # Add the simulations to a list we want to run.
16 sim.push(sim_electrode, False)
17 sim.push(sim_intra)
18
19 sim.simulate()
20 sim.plot()
```

The class `MultiSpike` searches for the input current that will result in 3 spikes and then applies that electrode. It also plots some figures, like the input current and the spikes. `Intracellular` simulates and plots statistics about some intracellular recordings. The details of the predefined simulations can be found in [section 3.4.3 List of Simulations](#).

Note the extra condition, `False`, in line 16. This tells the simulator that this simulation should not be run in an independent process. When the `MultiSpike` simulation is finished, the electrode it used to generate 3 spikes is still loaded in NEURON. When the simulation function of `Intracellular` runs, the electrode will excite the neuron and generate 3 spikes. This feature can be used to link simulations and makes the simulations modular.

The previous examples use only one neuron model. To be able to run many different models it is useful to define a function such as the one in [listing 7](#).

### Listing 7: simulator.py

```
1 import LFPy_util
2 from load_model import get_cell
3
4 def get_simulator(neuron_name):
5     sim = LFPy_util.Simulator()
6     sim.set_cell_load_func(get_cell)
7     sim.set_output_dir("multiple_neurons")
8     sim.set_neuron_name(neuron_name)
9
10    sim_electrode = LFPy_util.sims.MultiSpike()
11    sim_electrode.run_param['spikes'] = 3
12
13    sim_intra = LFPy_util.sims.Intracellular()
14
15    sim.push(sim_electrode, False)
16    sim.push(sim_intra)
17
18    return sim
```

To do the same simulation as in [listing 6](#), one could write:

### Listing 8: run\_simulator.py

```
1 from simulator import get_simulator
2
3 sim = get_simulator("pyramidal_1")
4 sim.simulate()
5 sim.plot()
```

[Listing 9](#) runs the two predefined simulations with two different neuron models. The class `LFPyUtil.SimulatorManager` takes a list of neuron names and passes them to the `get_simulator(neuron_name)` function in [listing 7](#). The parameter `neuron_name` are the elements of the list of neuron names. After running the code once, `simm.simulate()` can be commented out and the simulations will load data instead of running the simulations.

The final simulation uses three files: [listing 1](#), [listing 7](#) and [listing 9](#) and 2 predefined simulation classes.

### Listing 9: multiple\_neurons.py

```
1 from simulator import get_simulator
2
3 neurons = ["pyramidal_1", "pyramidal_2"]
4
5 simm = LFPy_util.SimulatorManager()
6 # Number of LFPy_util.Simulator objects that will run in parallel.
7 simm.concurrent_neurons = 8
8 simm.set_neuron_names(neurons)
9 simm.set_sim_load_func(get_simulator)
10
11 simm.simulate()
12 simm.plot()
```

## List of Simulations

**SphereRand:** SphereRand places electrodes placed in uniformly distributed locations around the soma within a default radius of 50  $\mu\text{m}$ . Spike timing is detected by thresholding the soma membrane potential. That timing is applied to all electrodes such that all electrodes measure the same part of the simulation. If the signal has several spikes the spike index must be supplied, the default setting uses the first spike.

## Blue Brain

The Blue Brain project released XXX models based upon neurons from the hind-limb somatosensory cortex from 2-week-old Wistar Han rats.

The neuron models are based on the classification criteria set by the Blue Brain team there is only 2 classes of pyramidal neurons available in L5, while the diversity in interneuron models are much greater. The number of available models were based on the variability of neurons depending on their morphological type and electrophysiological response to stimuli. As most of the encountered pyramidal neurons had a similar morphological structure and response to stimuli the team choose to only recognize two morphological types and one electrophysiological type, referred to as m-type and e-type.



# Results

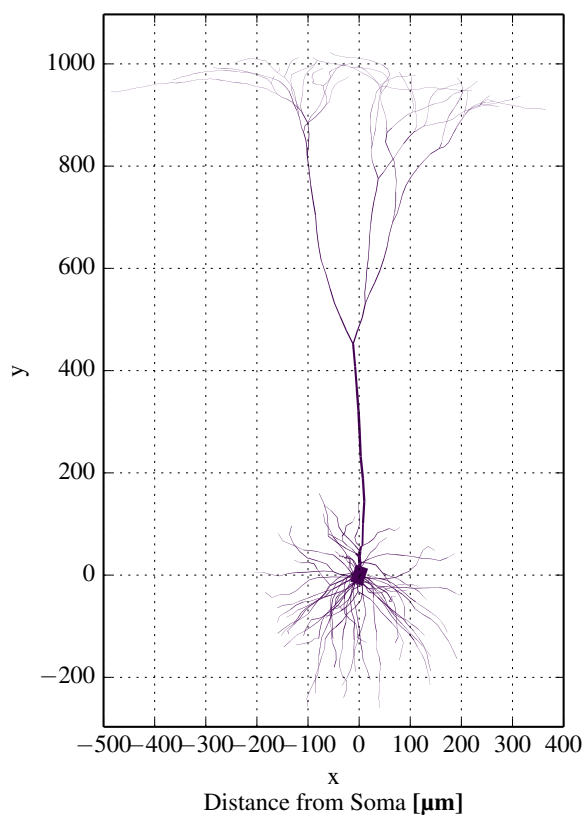
4.1	Pettersen & Einevoll (2008) Reproduction . . . . .	23
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## Pettersen & Einevoll (2008) Reproduction

To verify that the simulation environment could be trusted some results from [Pettersen & Einevoll \[22\]](#) was replicated. Specifically the spike width and amplitude dependency in relation to the distance from soma was compared to current results.

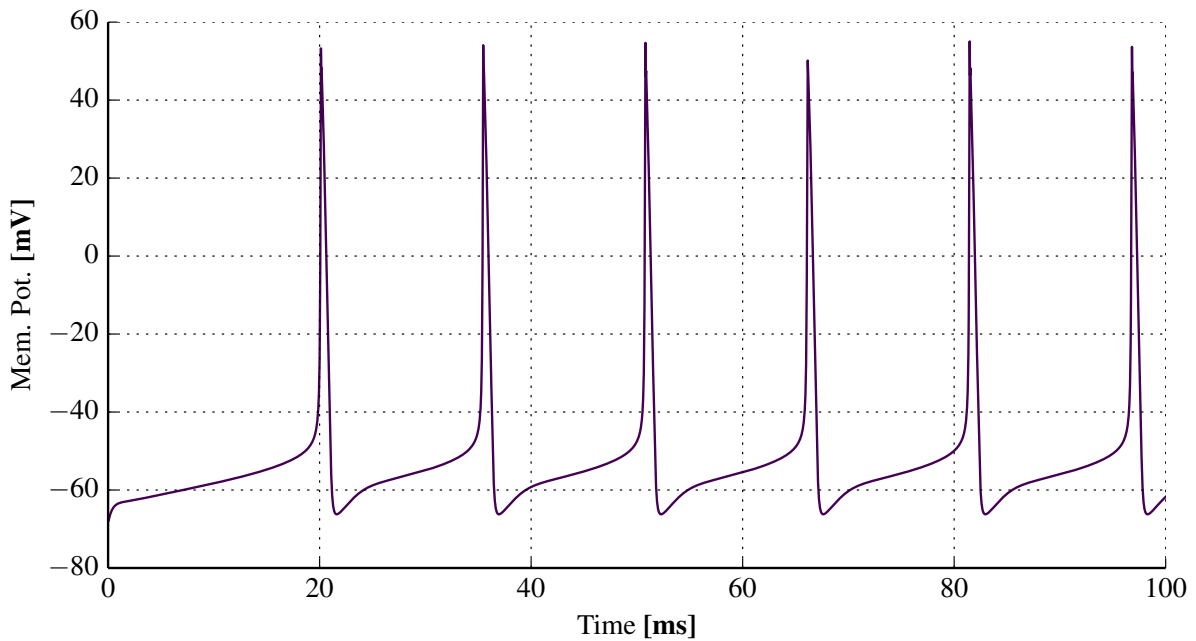
### Simulation

**Cell:** The [Mainen & Sejnowski \[18\]](#) morphology was used with a passive model, which is the same model used in [Pettersen & Einevoll \[22\]](#). The cell was rotated using PCA (principal component analysis) on the compartment positions. This calculates three orthogonal vectors such that the positions of the compartments has the greatest variance along the first principal component, second highest along the second and third most along the third. The first principal component was made parallel to the y-axis which puts the apical dendrites along this axis



**Figure 4.1:** Morphology of [Mainen & Sejnowski \[18\]](#) cell. The apical dendrites are located along the y-axis after rotation with PCA.

(fig. 4.1).



**Figure 4.2:** Simulation of the Connor-Stevens model using parameters from [Dayan & Abbott \[9\]](#). A similar graph is shown in fig. 6.1 (B) in their book.

**Spike Generation:** To recreate the action potential used in [Pettersen & Einevoll \[22\]](#) a spike was generated using the Connor-Stevens model ([Connor & Stevens \[5\]](#) and [Connor et al. \[6\]](#)) using the same parameters as [Dayan & Abbott \[9\]](#) and [Pettersen & Einevoll \[22\]](#). In fig. 4.2 the Connor-Stevens simulation is shown where the second spike was used for further analysis. This spike had an amplitude of 119.49 mV from baseline. The baseline was estimated to  $-53.26$  mV and the peak at  $53.26$  mV. These values matches [Dayan & Abbott \[9\]](#), but not the spike used in [Pettersen & Einevoll \[22\]](#) which had an amplitude of 83 mV from baseline. [Pettersen & Einevoll \[22\]](#) does not go into further detail about the creation of the action potential other than stating the action potential were similar to [Dayan & Abbott \[9\]](#). The difference might be explained by the fact that action potentials from pyramidal neurons often peaks at 20 mV, and that this was achieved by scaling the original signal from the Connor-Stevens model. To compensate for the difference the action potential used in further simulations were scaled to 83 mV (fig. 4.3).

The input current was set to  $12.6 \mu\text{A cm}^{-2}$ . and was very carefully adjusted to make the magnitude spectrum (fig. 4.5) similar to [Pettersen & Einevoll \[22\]](#) figure 3. Without adjustment the magnitude spectrum tended to have a different initial value, from 6 to 8 mV, and was not as smooth.

**Parameters:** Parameters for the Neuron simulation were the same as [Pettersen & Einevoll \[22\]](#) and the aforementioned action potential was used as a boundary condition in soma. This was accomplished by setting the membrane potential equal to the action potential in all soma sections using the `.play` vector function in Neuron. This "excites" the neuron even though there are no ion channels in the model.



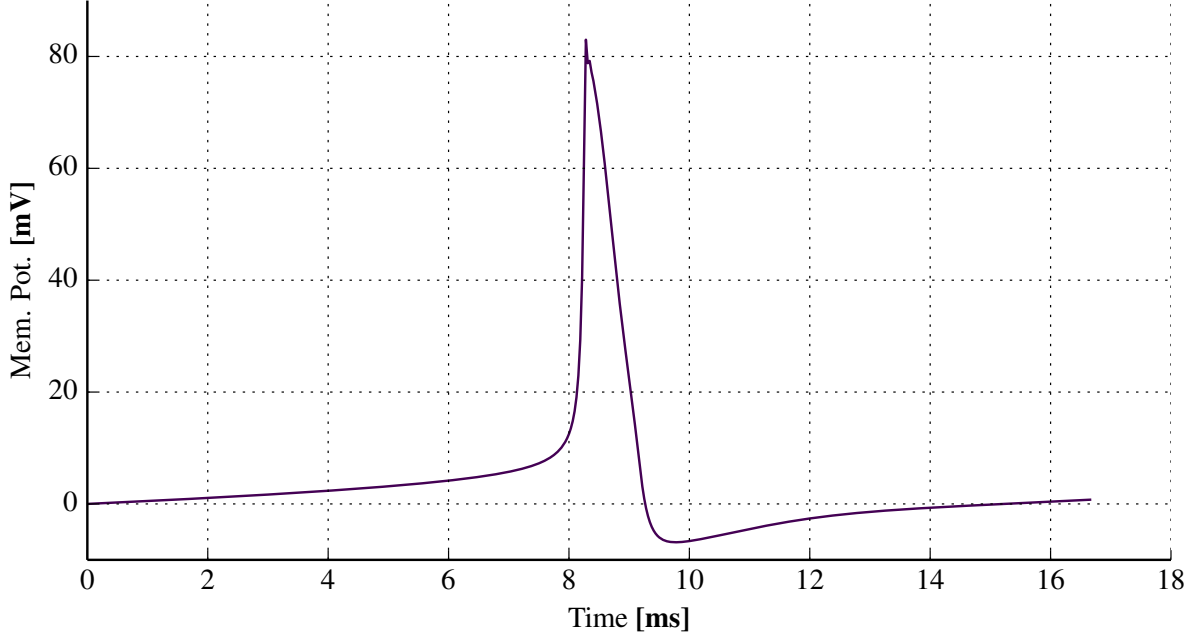


Figure 4.3: The second spike in fig. 4.2 scaled to 83 mV to match the action potential used in Pettersen & Einevoll [22].

Membrane resistance  $R_m = 30 \text{ k}\Omega \text{ cm}^{-2}$ , membrane capacitance  $C_m = 1 \text{ }\mu\text{F cm}^{-2}$ , axial resistance  $R_a = 150 \text{ }\Omega \text{ cm}^{-2}$ , time resolution  $dt = 2^{-5} \text{ ms}$ . The reversal potential was set to zero.

**Electrode Positions:** Recording sites were placed in the xz-plane at 11 linearly spaced positions along 36 lines with equal angular spacing (fig. 4.4). Pettersen & Einevoll [22] states the recording positions were in the plane perpendicular to the apical dendrites, this is ensured by the rotation done with PCA and putting the electrodes in the xz-plane.

**Spike Width & Amplitude:** A baseline was set as the value at the start of the signal. Amplitude was calculated as the difference between the maximum value and the baseline. The spike width was calculated as the width at half maximum value.

At  $dt = 2^{-5} \text{ ms}$ , the spike width from the Connor-Stevens model was 0.5625 ms. This is similar to the reported spike width from Pettersen & Einevoll [22] which was 0.55 ms. Because the  $dt$  used in their simulations

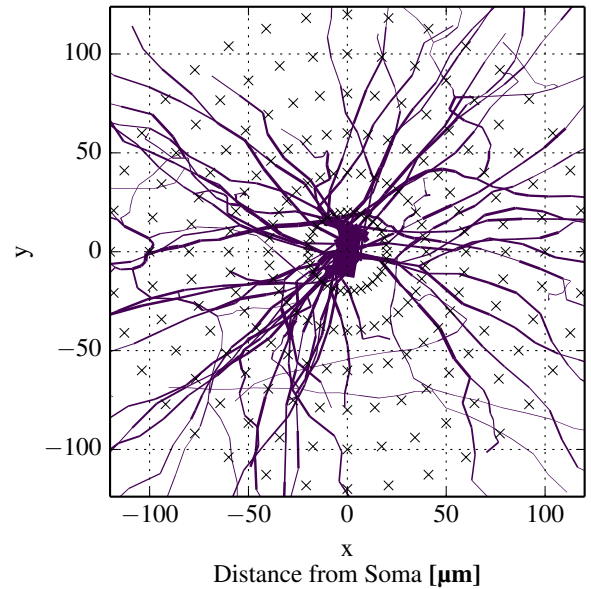
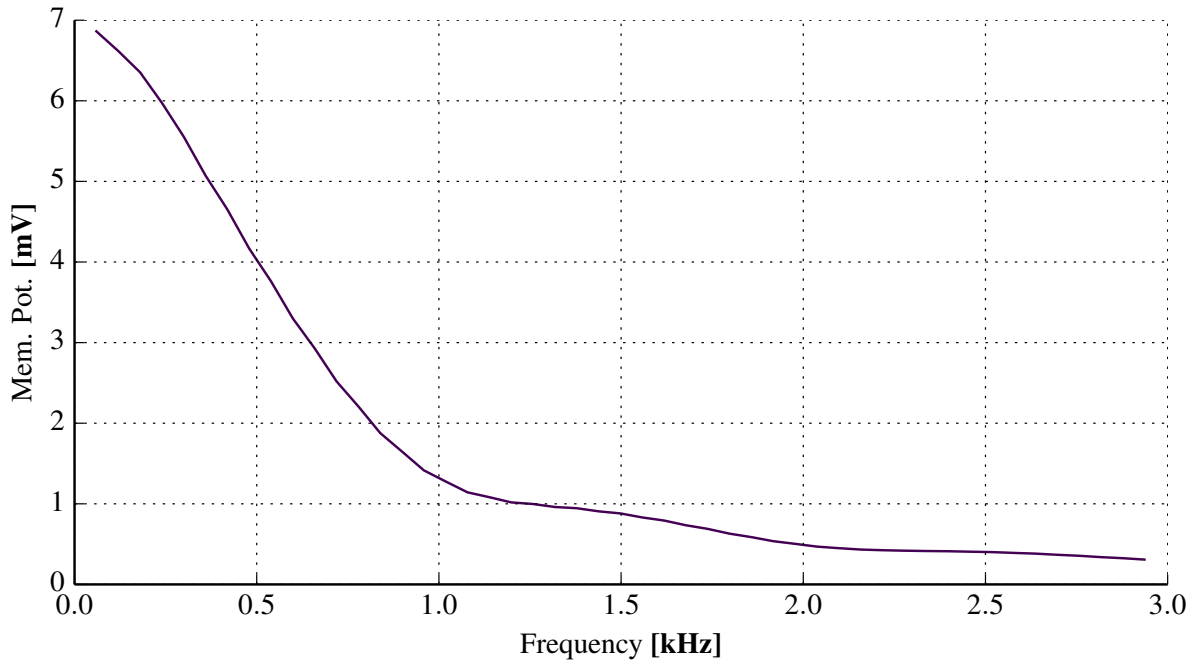


Figure 4.4: Electrode positions placed in a plane around soma perpendicular to the axis along the apical dendrites.

was  $dt = 2^{-5} \text{ ms} = 0.03125 \text{ ms}$ , their resulting spike width must have been rounded to the nearest  $0.05 \text{ ms}$ .

## Results

The action potential that was used in [Pettersen & Einevoll \[22\]](#) is similar to the one used here. The amplitude of the fourier transform is displayed in [fig. 4.5](#), which is in close resemblance to the action potential in [fig. 3](#) in the paper.



[Figure 4.5](#): Magnitude specter of simulated somatic membrane potential.

The spike width increases with the distance from soma as seen in [fig. 4.6](#). These results are lower than the widths reported in [Pettersen & Einevoll \[22\]](#).

Sudden changes in spike width was experienced with increased distance from soma. Above  $200 \mu V$  the most of the spikes shapes are not well defined. This was also reported in [Pettersen & Einevoll \[22\]](#).

[Figure 4.7](#) shows the spike amplitude with logarithmic axes. The exact results from [Pettersen & Einevoll \[22\]](#) are not available but the approximate value can be seen from their plots and the exponential decay  $1/r^n$  was reported as  $n \sim 2$  at  $20 \mu m$  and  $n \sim 2.5$  at  $120 \mu m$ . Current results are not identical to those findings and have an exponent of  $n = 2$  at  $20 \mu m$  and  $n = 2.8$  at  $120 \mu m$ . The value of the amplitude was about  $350 \mu V$  in [Pettersen & Einevoll \[22\]](#), but the current model only gives an amplitude of  $120 \mu V$  at  $20 \mu m$ . How can I explain this discrepancy?

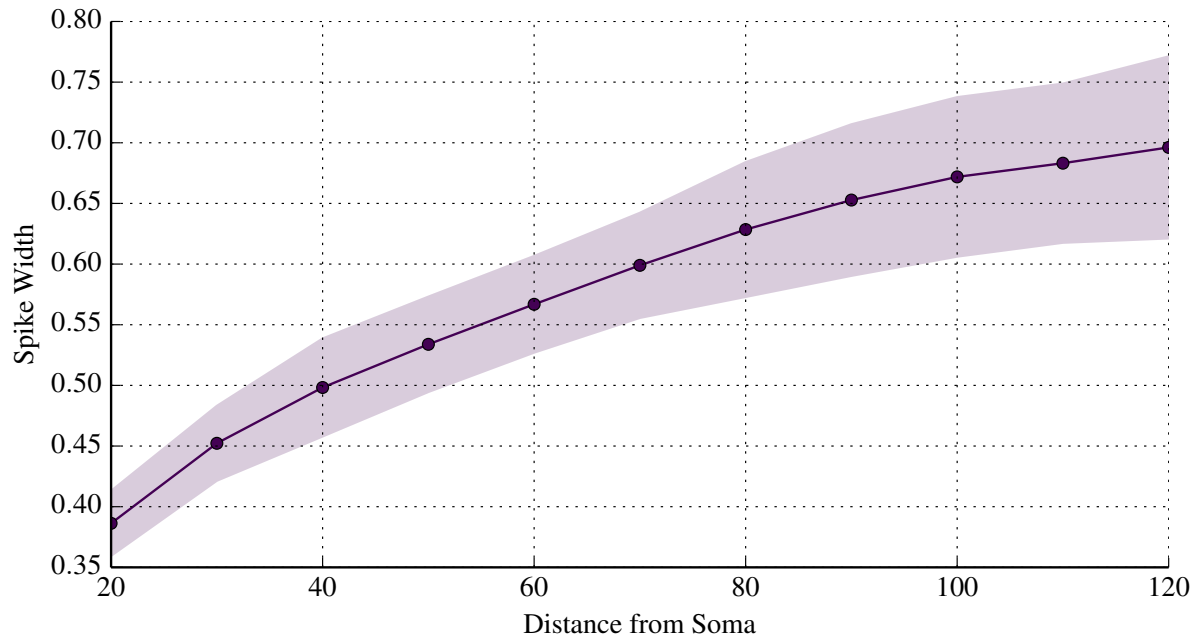


Figure 4.6: Spike width over distance. Mean +/- 1 std.

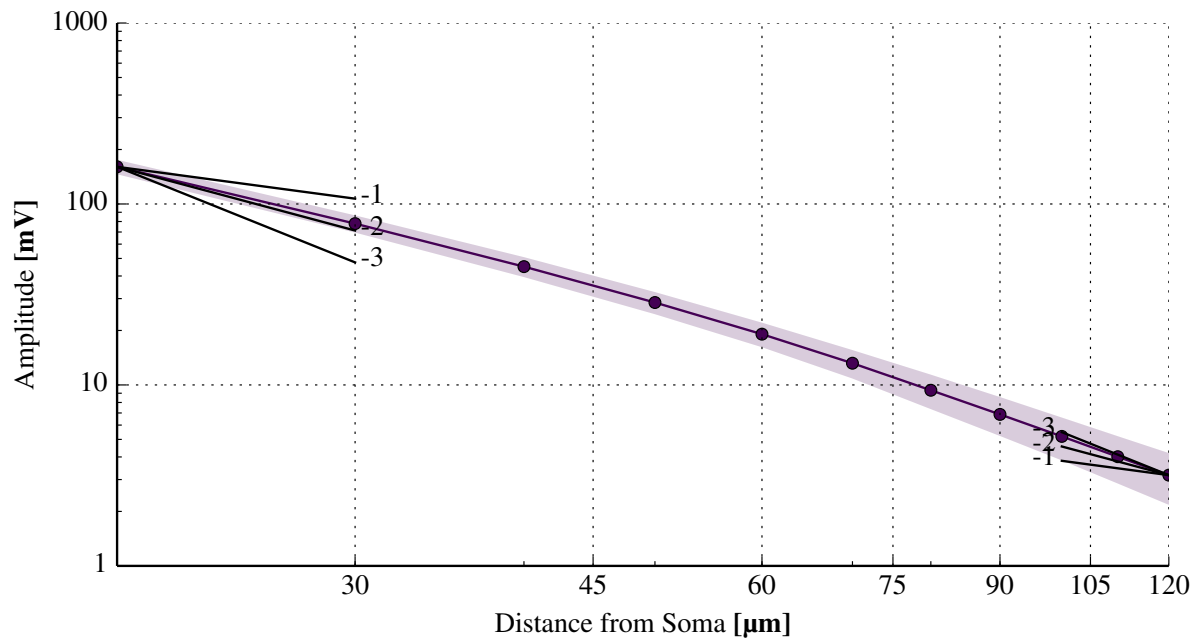


Figure 4.7: Spike amplitude over distance. Mean +/- 1 std. The power law decays  $1/r$ ,  $1/r^2$  and  $1/r^3$  are shown at the leftmost and rightmost data points.

## Optimal Width Definition

Many different definitions of spike width has been used to differentiate neurons. Of the most common ones are the spike width measured at half amplitude (Bean 2007) and the peak-to-peak width.

Some investigation has gone into which features of the action potential are best suited for classifying neurons. Notably Bartho 2004 concluded that of the spike features investigated, the spike duration most reliably gave the best separation between pyramidal neurons and interneurons in the somatosensory cortex and prefrontal cortex for both the anesthetized and drug-free animals. Moreover they suggested that the peak-to-peak width definition of the unfiltered trace reliably gave the better bimodal distributions

Based on the spike definitions seen in the literature two width definitions were used for further investigation. The peak-to-peak spike definition and width at half amplitude. These two are respectively referred to as Type I and Type II (fig. 4.8).

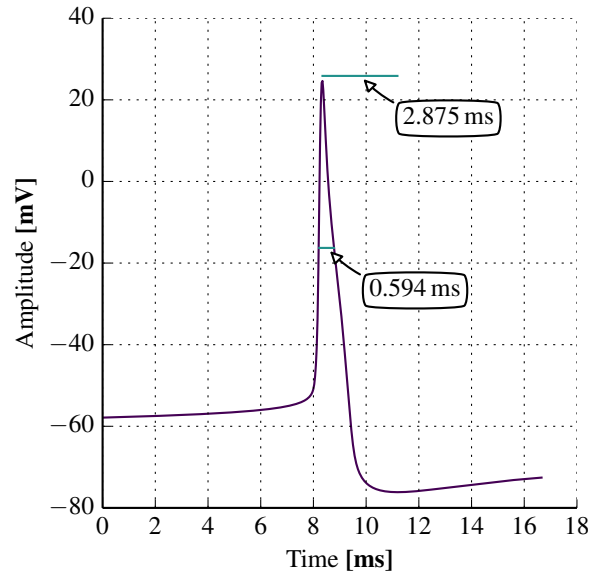


Figure 4.8: Width types.

**Models:** To investigate which of the two width definitions is more optimal for differentiating interneurons from pyramidal neurons, three classes of the most abundant neurons were selected from the blue brain models. Two classes of interneurons and one class of pyramidal neurons. There were two classes of pyramidal models available but as the one class had identical dendrites it was not analyzed. The number of inhibitory neuron classes were much greater, the two classes were selected by being the most abundant inhibitory neurons in the L5 area. In addition to these classes, one additional group was analyzed named "All Inter." which included all available interneuron models in L5. In this group many of the classes represent only a very small portion of the number of neurons in L5. The findings from Markram et al. [19] suggest that overall the ratio between excitatory and inhibitory neurons is around  $87\% \pm 1\%$ . Of these, 50% were classified as basket cells (LBC and NBC). The interneurons from L5 were separated into 9 m-types (morphological) and 10 e-types (electrophysiological) which gave a total number of 48 unique models. As such some small classes of interneurons are overrepresented in the grouped called "All Inter."

The classes of neurons were Thick Tufted Pyramidal Cell with an early bifurcating apical tuft (TTPC2), Large Basket Cell (LBC) and Nest Basket Cell (NBC). Each of the three class had 5 separate models where each model had different m-type but identical e-type. The e-type of TTPC2 class was continuous adapting (cAD), LBC was delayed stuttering (dSTUT) and NBC was continuous non-accommodating (cNAC) (Markram et al. [19, p. 463]). Simulations were ran using the SphereRand (section 3.4.3) simulation.

**Seperation:** A good width definition is recognized by having a better separation between inhibitory and excitatory neurons. To compare the width definitions simulations were done with 1000 electrodes around the soma of each model withing a radius of 60  $\mu\text{m}$ . The distance from the soma is usually unknown in most extracellular recording experiments so the electrodes were placed randomly, using the SphereRand simulation (Methods section ??).

The extracellular spike width was recorded from each of the electrodes and binned by according to the spike width. The resulting histogram was then used for the basis of measuring the separation between neuron models. An example of the histogram from two neuron models and the two width defintions can be seen in figure ??.

The histograms represent a probability distribution of measuring a certain spike width given a spesific neuron model.

Little overlap of the neurons models signify a good ability to seperate the models into two classes. It is useful to have a metric to measure the separation between models. A proper distance metric for histogram data is already an important component for some machine learning tasks. This kind of binary discrimination task has been researched a lot.

Though the classification this data is better suited for a meachine learning algorithm it is still useful to have a number on the separation between the neuron models. A common measure of the perfomance of a binary classfyer is ROC curves. The area under curve of the ROC, often called the AUC, has been used as a measure of the accuracy of the classfyer. The AUC of the MODEL TPPCP and LCLC was XX for the peak-to-peak definition and XX for the half-amplitude definition. In this case the peak-to-peak definition serves as a better classification criteria then half-amplitude.

To further investigate the separation between pyramidal neurons and interneurons, this metric was applied to all available neuron models in L5. To make the measurements clearer neuron models of the same morphological type has been binned together and then compared to the other morphological classes.

The two spike widths were recorded and binned according to their distance from soma. The results of the simulations can be seen in [fig. 4.9](#). First it is important to note that during single unit recordings the distance to soma is usually unknow. It is still useful to know the dependence to the distance to soma. For classification purposes, if the distance to the soma is unknow it would be good if the width is constant. But most importantaly that the

For both deifinitions the spike width of interneurons are smaller than the width of pyramidal neurons. These findings are in line with previously established research. With the Type I definition the separation between the two classes are greater in both absolute and relative value for all distances from soma. The separation between the mean of pyramidal and interneurons for Type I were 0.40 ms at 30  $\mu\text{m}$  and 0.60 ms at 100  $\mu\text{m}$ . For Type II the separation was 0.15 ms at 30  $\mu\text{m}$  and 0.35 ms at 100  $\mu\text{m}$ . These results suggests that using a type I deifinition of the spike width increases the chance of correctly classifying the neuron class.

**Variance:** To evaluate the precision of the two width definitions it is not very useful to compare the raw variance because the mean values are different. An example is the  $\sigma$  at 50  $\mu\text{m}$  for the group "All Inter" from [fig. 4.9](#). For Type I  $\sigma = 0.25$  ms and  $\mu = 1.1$  ms, while for Type II  $\sigma = 0.15$  ms and  $\mu = 0.3$  ms. The variance is lower for Type II but is also almost 50% of the mean value. The variance from Type I is higher, but is only about 25% of the mean value, which

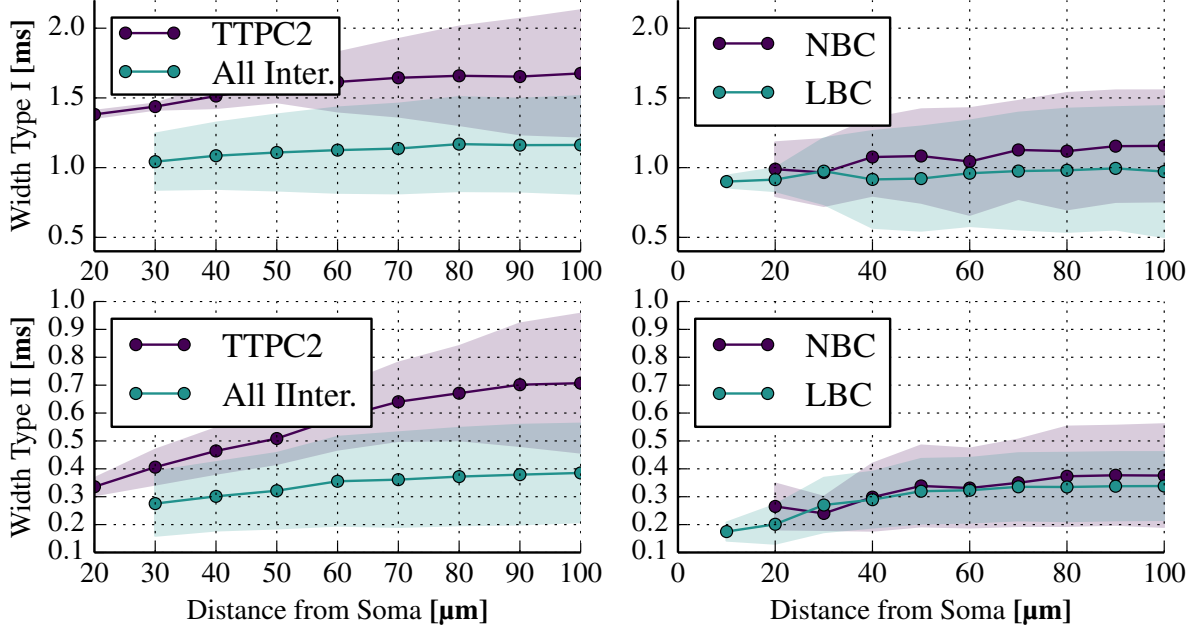


Figure 4.9: Nothing.

makes Type I more accurate than Type II.

The coefficient of variation,  $c_v$ , is the relative variance compared to the mean.

$$c_v = \frac{\sigma}{\mu} \quad (4.1)$$

Because the variance is of similar magnitude for both width definitions, the overall greater mean of the Type I definition results in a lesser  $c_v$  at all distances, for all groups except LBC (fig. 4.10). To minimize errors when classifying neurons based on width it is best to minimize the overlap between the two definitions. Because the separation is higher and  $c_v$  is lower with Type I, this definition is better suited for classification.

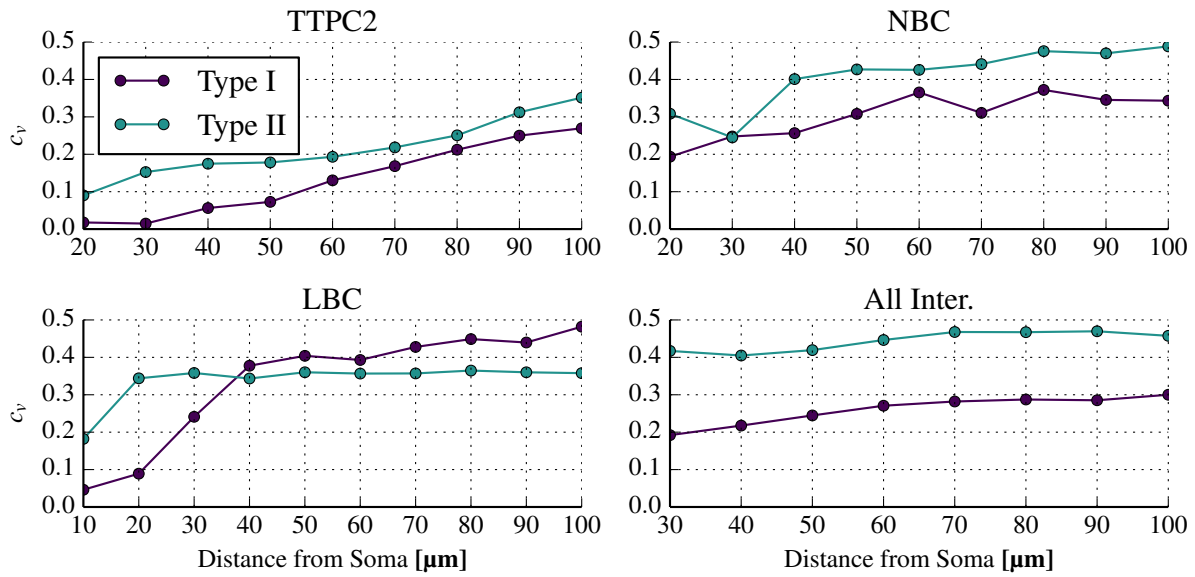


Figure 4.10: Nothing.

## Interneurons and Pyramidal Neurons

The spike width combined with the amplitude was used to see if this gave a better criteria for classification than using spike width alone.

The spike width and amplitude can be combined into 2d histograms as seen in the right column of figure fig. 4.11. The left column shows the histogram only based on the spike width. The histograms are made up of the spike width and amplitude data from all pyramidal and interneuron models. The pyramidal models consisted of 20 neuron models from the 4 me-types TTPC1, TTPC2, STPC, and UTPC. The interneuron models consisted of 240 neuron models from 48 me-types.

When combining spike amplitude and spike width it is no longer possible to apply the AUC similarity metric as was done in Optimal Width Definition. To compare pyramidal neurons against interneurons the histograms were compared using a similarity metric defined as the histogram intersection divided by the union (Methods sec. XX). This metric can be interpreted as the overlap between the two histograms and is a valid metric for both 1d and 2d histograms.

A considerable difference was seen when comparing the overlap between the histograms. When only using spike width the overlap between interneurons and pyramidal neurons was 12.15%. In the case of spike width and amplitude the overlap was 5.10%. This suggests that using spike amplitude as an additional parameter for classification will give a more accurate result.

## Subclasses

The spike width and amp. 2d histogram for the pyramidal models has a multimodal distribution that could suggest this group could be split into subclasses. The multimodal distribution could be a result of a low diversity among the pyramidal models, as the pyramidal data is based

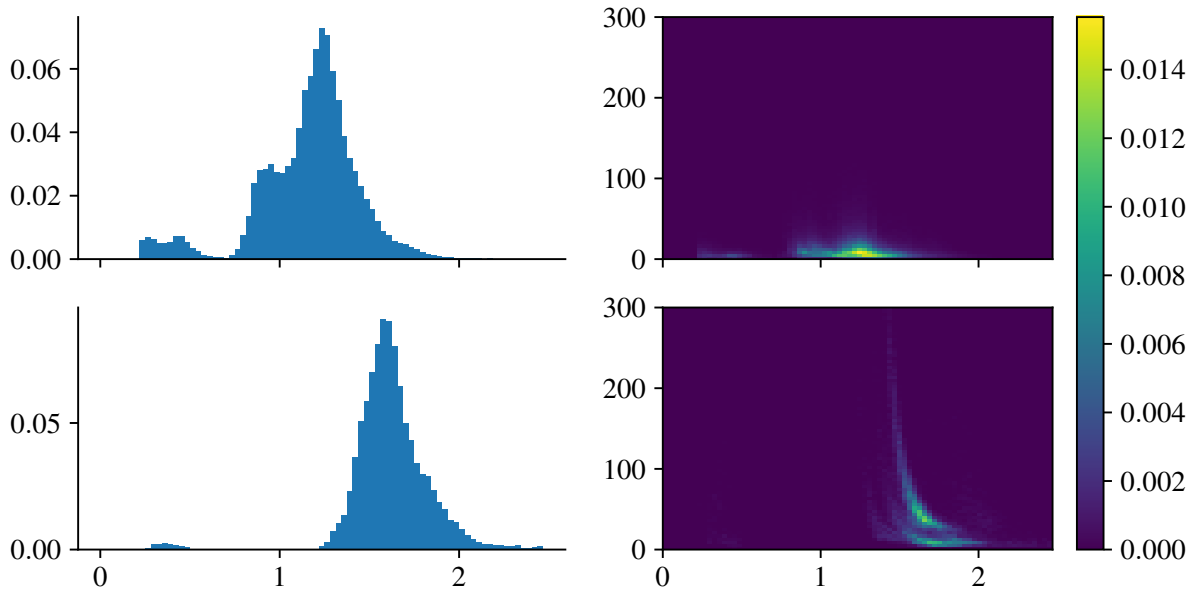


Figure 4.11: Notin.

on 20 models versus the 240 interneuron models. Though there is a much higher number of interneuron models, the number of models were based on the diversity of neurons encountered in the mouse somatosensory cortex. If the diversity in the pyramidal models correctly represent the diversity in the mouse brain it is possible to classify some of the me-types of pyramidal neurons based only on spike width and amplitude.

Figure 4.12 shows the histograms of the different classes of pyramidal neurons. where each class has 5 models. Each class is a me-type but also represents the morphological class, m-type, as the pyramidal neurons only have one e-type. Each pyramidal models tends to have a "hockey stick" shaped distribution.

Figure 4.12 also shows the overlap between each of the classes.

There is no clear multimodal distribution in the interneuron group but it might still be possible to assign models into subclasses.

## Comparing Results

Bartho 2004, spike widths =  $0.43 \pm 0.27$  ms than that of the putative pyramidal cells  $0.86 \pm 0.17$  ms.



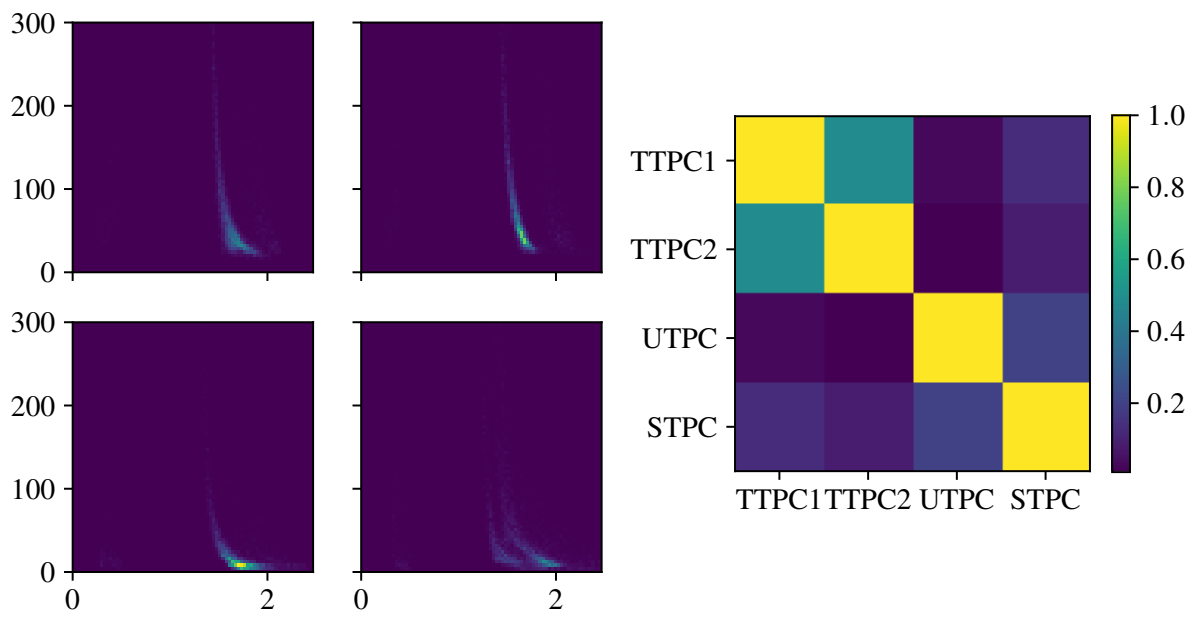


Figure 4.12: Notin.



# Discussion

**Spike Width and Spike Amplitude:** It has been seen that of the spike width definitions investigated here, one type of spike width definition is overall better suited to classify this set of neurons. This has also been seen in the literature. A similar investigation was done using the spike amplitude and of the definitions investigated here the peak-to-peak amplitude gave the best separation between interneuron and pyramidal neurons.

**Classification:** It has been previously shown that using only spike width as a way to classify neurons is not the best. Several papers have stated that other methods can be used to give a clearer distinction, such as considering the interspike interval. Also one group looked at the spike width from axons which gave a short duration.

Using a simple measure of the similarity between populations neuron models it can be clearly stated that interneurons can be separated from pyramidal neurons. Excitatory interneurons cannot be clearly distinguished from the rest of the interneurons. Using machine learning algorithms it might be possible to divide these into even small groups, how can I show this? Neurons could probably be separated into smaller groups based on spike width and spike amplitude.

**LFPyUtil:** LFPyUtil is a useful tool that can be used to easily gather new data when new models arrive. As long as a model has the mechanics defined with NEURON and has a morphology the same simulations and data as seen here can be ran and extracted.

The models did now show the expected variance with firing frequency.

**Comparisons with other data:** several articles were investigated to compare current data with. There is a large variance in the literature of spike widths and amplitude. All in all the data fall within the variance of the investigated articles. The number range between this and that.

Sources of variation:





# Appendix

```
1 import LFPy
2 import LFPy_util
3 import os
4 import numpy as np
5 import neuron
6 from glob import glob
7
8 # Location of the models.
9 DIR_FILE = os.path.dirname(os.path.realpath(__file__))
10 DIR_MODELS = os.path.join(DIR_FILE, 'res/')
11
12 def get_cell(neuron_name):
13     """
14     Load a spesific model based on a string and return a LFPy Cell object.
15     :param string neuron_name:
16         String to identify the neuron model that will be loaded.
17     :return:
18         Cell Object from LFPy.
19     """
20     original_cwd = os.getcwd()
21     neuron.h.load_file('stdrun.hoc')
22     neuron.h.load_file('import3d.hoc')
23
24     # Use the neuron name to find the desired model.
25     dir_nrn_model = os.path.join(DIR_MODELS, neuron_name)
26
27     # Load mod files of the neuron.
28     mechanism_mod_dir = os.path.join(dir_nrn_model, 'mechanisms')
29     LFPy_util.other.nrnivmodl(mechanism_mod_dir)
30
31     # The following .hoc files are spesific for the blue brain models.
32     os.chdir(dir_nrn_model)
33     #get the template name
34     tmp_file = file("template.hoc", 'r')
35     templatename = get_templatename(tmp_file)
36     tmp_file.close()
37     #get biophys template name
38     tmp_file = file("biophysics.hoc", 'r')
39     biophysics = get_templatename(tmp_file)
40     tmp_file.close()
41     #get morphology template name
42     tmp_file = file("morphology.hoc", 'r')
43     morphology = get_templatename(tmp_file)
44     tmp_file.close()
45     #get synapses template name
46     tmp_file = file(os.path.join("synapses", "synapses.hoc"), 'r')
47     synapses = get_templatename(tmp_file)
48     tmp_file.close()
49     neuron.h.load_file('constants.hoc')
50
51     if not hasattr(neuron.h, templatename):
52         # Load main cell template
53         neuron.h.load_file(1, "template.hoc")
54     if not hasattr(neuron.h, morphology):
55         # Load morphology
56         neuron.h.load_file(1, "morphology.hoc")
57     if not hasattr(neuron.h, biophysics):
58         # Load biophysics
59         neuron.h.load_file(1, "biophysics.hoc")
60     if not hasattr(neuron.h, synapses):
61         # load synapses
62         neuron.h.load_file(1, os.path.join('synapses', 'synapses.hoc'))
63
64     for morphologyfile in glob('morphology/*'):
65         # Instantiate the cell(s) using LFPy
66         cell = LFPy.TemplateCell(
67             morphology=morphologyfile,
68             templatefile=os.path.join(neuron_name, 'template.hoc'),
69             templatename=templatename,
70             templateargs=0,
71             tstartms=0,
72             tstopms=300.,
73             pt3d=True,
74             timeres_NEURON=2 ** -5, 38
75             timeres_python=2 ** -5,
76             passive=False,
77             v_init=-70,
78         )
79     # Reset back to the previous working directory.
```







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