## 计算机应用技术丛书

# 一个中文书籍的BTFX模板

—— 这里可以放一个副标题

这个图书模板是在群主网站上的一个封面模板的基础上改写而成的,设定了一些图书出版要素,设计了封面、扉页及版权页和封底的样式,修改了 chapter 的样式,并提供了几个选项可切换色彩风格,其余则维持 book 基本文档类的设定。

图书模板部分代码的完成得到了林莲枝大神的帮助,在此表示感谢。由于作者水平有限,模板代码编写不恰当之处还请用户提出批评和指正。

感谢造字工坊提供了刻宋、郎宋和黄金时代 三种非商业可免费下载使用的字体。

感谢谷歌提供自由使用的思源宋体、思源 黑体。

感谢文泉驿提供的开源的文泉驿等宽微米 黑字体。 张三著

LATEXStudio 出版社

## 一个中文书籍的 IATEX 模板

张 三著

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### 一个中文书籍的 LATEX 模板

张 三著

\* \* \*

## LATEXStudio 出版社

http://www.latexstudio.net 开本: 216 mm×279 mm 字数: 有功夫您帮我数一下

印数: 001-100 册 定价: 26.5 元

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T<sub>E</sub>X Design

第1章

### 模板使用说明

首先我们简要说明一下目前已经开发出来的模板功能,包括字体选择和颜色选择。

#### 第 1.1 节 前 颜色选择

目前颜色选择共三种, green, orange 和 violet, 默认为 green。你也可以自己设置 cvprimary, cvsecondary 以及 cvtext,定制你自己喜欢的色盘。



#### 自己来设定颜色吧!

% 如果想要用 xcolor 宏包已定义的颜色,记得要在 \documentclass 之前

% 传递相应的 xcolor 选项。

\PassOptionsToPackage{dvipsnames}{xcolor}

\documentclass{lsbook}

% cuprimary 为封面、标题盒子最外围的颜色

\colorlet{cvprimary}{SkyBlue}

% cusecondary 为封面、标题盒子主要填充的颜色

\colorlet{cvsecondary}{RoyalBlue}

% cvtext 为封面、标题盒子里文字的颜色,也可以自己给出

%特定的色值。

\definecolor{cvtext}{HTML}{EEEEFF}

## 第 1.2 节 字体选择

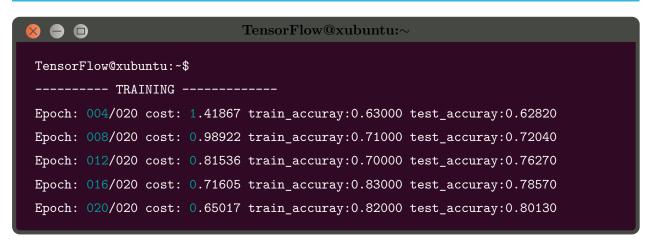
目前字体选择共两种, customfont 和 systemfont, 默认为 systemfont。若要使用 customfont, 需要安装相应的字体。若要使用 systemfont,则模板直接调用系统内部字体。

#### 

现有 appledark, applelight, win10dark, win10light 四个选项。如果是供荧幕阅读的还好; 如果是要打印出来的,除非您就是打印店的老板,不然还是不要多用 \*dark 选项。



#### 1.3.1 Ubuntu Terminal



#### 



T<sub>E</sub>X Design

第2章

## 代码盒子

```
程序清单 1: SIFT 算法

# -*- coding: utf-8 -*-
"""

Created on Wed Jan 22 19:22:10 2014

Gauthor: duan

"""

import cv2

import numpy as np

img = cv2.imread('home.jpg')

gray= cv2.cvtColor(img,cv2.COLOR_BGR2GRAY)

sift = cv2.SIFT()

kp = sift.detect(gray,None)

img=cv2.drawKeypoints(gray,kp)

cv2.imwrite('sift_keypoints.jpg',img)
```

```
程序清单 2: Matlab 求解

b1 = [-6;0];
a1 = [-3 -2;1 0];
d1 = [0;5/2];
format rat;
alpha1 = b1\(a1*d1) % 右乘 a1
```

## Haar cascading detection in OpenCV # -\*- coding: utf-8 -\*-Created on Thu Jan 30 11:06:23 2014 @author: duan 0.00 import numpy as np import cv2 face\_cascade = cv2.CascadeClassifier('haarcascade\_frontalface\_default.xml') eye\_cascade = cv2.CascadeClassifier('haarcascade\_eye.xml') img = cv2.imread('sachin.jpg') gray = cv2.cvtColor(img, cv2.COLOR\_BGR2GRAY) # Detects objects of different sizes in the input image. # The detected objects are returned as a list of rectangles. # cv2. CascadeClassifier. detectMultiScale(image, scaleFactor, minNeighbors, formula in the context of the→ flags, minSize, maxSize) # scaleFactor - Parameter specifying how much the image size is reduced at → each image # scale. # minNeighbors - Parameter specifying how many neighbors each candidate → rectangle should # have to retain it. # minSize - Minimum possible object size. Objects smaller than that are $\rightarrow$ ignored. # maxSize - Maximum possible object size. Objects larger than that are $\rightarrow$ ignored. faces = face\_cascade.detectMultiScale(gray, 1.3, 5) for (x,y,w,h) in faces: img = cv2.rectangle(img,(x,y),(x+w,y+h),(255,0,0),2)

#### **Multi-GPU Basics**

```
import numpy as np
   import tensorflow as tf
   import datetime
  #Processing Units logs
  log_device_placement = True
 #num of multiplications to perform
  n = 10
  # Example: compute A \hat{n} + B \hat{n} on 2 GPUs
# Create random large matrix
A = np.random.rand(1e4, 1e4).astype('float32')
B = np.random.rand(1e4, 1e4).astype('float32')
  # Creates a graph to store results
18 c1 = []
19 c2 = []
# Define matrix power
def matpow(M, n):
       if n < 1: #Abstract cases where n < 1
          return M
```

```
else:
         return tf.matmul(M, matpow(M, n-1))
  # Single GPU computing
 with tf.device('/gpu:0'):
     a = tf.constant(A)
     b = tf.constant(B)
 #compute A^n and B^n and store results in c1
 c1.append(matpow(a, n))
  c1.append(matpow(b, n))
with tf.device('/cpu:0'):
      sum = tf.add_n(c1) #Addition of all elements in c1, i.e. A^n + B^n
 t1_1 = datetime.datetime.now()
 with

→ as sess:

  # Runs the op.
     sess.run(sum)
     t2_1 = datetime.datetime.now()
  # Multi GPU computing
 # GPU:0 computes A^n
 with tf.device('/gpu:0'):
  #compute A în and store result in c2
     a = tf.constant(A)
     c2.append(matpow(a, n))
 #GPU:1 computes B^n
 with tf.device('/gpu:1'):
  #compute B n and store result in c2
 b = tf.constant(B)
```

```
c2.append(matpow(b, n))

with tf.device('/cpu:0'):
    sum = tf.add_n(c2) #Addition of all elements in c2, i.e. An + Bn

t1_2 = datetime.datetime.now()
    with
    tf.Session(config=tf.ConfigProto(log_device_placement=log_device_placement))
    as sess:

# Runs the op.

sess.run(sum)

t2_2 = datetime.datetime.now()

print "Single GPU computation time: " + str(t2_1-t1_1)
    print "Multi GPU computation time: " + str(t2_2-t1_2)

Single GPU computation time: 0:00:11.833497
    Multi GPU computation time: 0:00:07.085913
```



```
2018-08-02 00:11:16.044897: I
→ tensorflow/core/common_runtime/gpu/gpu_device.cc:1030] Found device 0 with
→ properties:
name: GeForce GTX 1080 Ti major: 6 minor: 1 memoryClockRate(GHz): 1.582
pciBusID: 0000:0a:00.0
totalMemory: 10.92GiB freeMemory: 3.04GiB
2018-08-02 00:11:16.044948: I

→ tensorflow/core/common_runtime/gpu/gpu_device.cc:1120] Creating TensorFlow

→ device (/device:GPU:0) -> (device: 0, name: GeForce GTX 1080 Ti, pci bus
→ id: 0000:0a:00.0, compute capability: 6.1)
----- TRAINING -----
Epoch: 004/020 cost: 1.41867 train_accuray:0.63000 test_accuray:0.62820
Epoch: 008/020 cost: 0.98922 train_accuray:0.71000 test_accuray:0.72040
Epoch: 012/020 cost: 0.81536 train_accuray:0.70000 test_accuray:0.76270
Epoch: 016/020 cost: 0.71605 train_accuray:0.83000 test_accuray:0.78570
Epoch: 020/020 cost: 0.65017 train_accuray:0.82000 test_accuray:0.80130
Extracting data/train-images-idx3-ubyte.gz
Extracting data/train-labels-idx1-ubyte.gz
Extracting data/t10k-images-idx3-ubyte.gz
Extracting data/t10k-labels-idx1-ubyte.gz
train shape: (55000, 784) (55000, 10)
test shape: (10000, 784) (10000, 10)
-----MNIST loaded-----
NeuralNetwork Ready!
2018-08-02 00:11:15.818190: I

→ tensorflow/core/platform/cpu_feature_guard.cc:137] Your CPU supports

→ instructions that this TensorFlow binary was not compiled to use: SSE4.1
→ SSE4.2 AVX AVX2 FMA
2018-08-02 00:11:16.044897: I
→ tensorflow/core/common_runtime/gpu/gpu_device.cc:1030] Found device 0 with

    properties:

name: GeForce GTX 1080 Ti major: 6 minor: 1 memoryClockRate(GHz): 1.582
pciBusID: 0000:0a:00.0
totalMemory: 10.92GiB freeMemory: 3.04GiB
```

```
2018-08-02 00:11:16.044948: I

tensorflow/core/common_runtime/gpu/gpu_device.cc:1120] Creating TensorFlow

device (/device:GPU:0) -> (device: 0, name: GeForce GTX 1080 Ti, pci bus

id: 0000:0a:00.0, compute capability: 6.1)

Output Data
```

## 第 2.1 节 settings.sty 的一些设置和宏包的使用

```
程序清单 3: Matlab 求解

b1 = [-6;0];
a1 = [-3 -2;1 0];
d1 = [0;5/2];
format rat;
alpha1 = b1\(a1*d1) % 右乘 a1
```

得 
$$\hat{a}_k = \frac{6}{5}$$
  
 $\succeq \succ \prec \preceq xyzxx$ 

$$\nabla_x L(x, \nu) = 2x + A^T \nu = 0,$$

#### 2.1.1 线性规划问题

#### ■ 考虑标准形式的线性规划问题

minimize 
$$c^Tx$$
  
subject to  $Ax = b$ ,  
 $x \succeq 0$   

$$b^T = \begin{bmatrix} b_1 & b_2 & \cdots & b_n \end{bmatrix}$$

$$x^T = \begin{bmatrix} x_1 & x_2 & \cdots & x_n \end{bmatrix}$$

$$b^T\nu = \nu^Tb$$

如果我们猜测 x 的值为  $\hat{x}$ ,也就是隐含地猜测 v 的值为  $y-A\hat{x}$ 。假设 v (在  $\|\cdot\|$  度量下)越小越可信,那么对于 x 的最有可信的猜测是

$$\hat{x} = \operatorname{argmin}_{z} \|Az - y\| \tag{2.2}$$

考虑子空间  $\mathcal{A}=\mathcal{R}(A)\subseteq\mathbf{R}^m$  和一个点  $b\in\mathbf{R}^m$ 。点 b 向子空间  $\mathcal{A}$  的投影是  $\mathcal{A}$  中在  $\|\cdot\|$  下最靠近 b 的点,也就是说,它是下列问题的任意最优解

将  $\mathcal{R}(A)$  中的元素参数化为 u=Ax,我们可以看出求解范数逼近问题 (6.1) 等价于计算 b 向 A 的投影。 Newton 方法是求解无约束优化问题的有效算法,干净优化问题的一个特例就是经常遇到的最小二乘问题

minimize 
$$||Ax - b||_2^2 = x^T (A^T A)x - 2(A^T b)^T x + b^T b$$
 (2.4)

其最优性条件

$$A^T A x^* = A^T b$$

被称为最小二乘问题的正规方程 无约束几何规划 作为第二个盒子,我们考虑凸的无线事几何规划问题

minimize 
$$f(x) = \log \left( \sum_{i=1}^{m} \exp(a_i^T x + b_i) \right)$$
 (2.5)

其最优性条件为

$$\nabla f(x^*) = \frac{1}{\sum\limits_{i=1}^{m} \exp(a_j^T x^* + b_j)} \sum_{i=1}^{m} \exp(a_i^T x^* + b_i) a_i = 0.$$

一般情况下该方程组没有解析解,因此我们必须采用迭代算法。由于  $\mathbf{dom} f = \mathbf{R}^n$ ,斜体点都可以用作初始点  $x^{(0)}$ 。

$$f(y) \leqslant f(x) + \nabla f(x)^T (y - x) + \frac{m}{2} \|y - x\|^2 \tag{2.6}$$

对任意固定的 x,式 (2.6)的右边是 y 的二次凸函数。令其关于 y 的层数等于零,即

$$\frac{\partial \left[ f(x) + \nabla f(x)^T (y - x) + \frac{m}{2} \|y - x\|_2^2 \right]}{\partial y} = 0 \tag{2.7}$$

$$0 + \nabla f(x) + m(y - x) = 0 \tag{2.8}$$

其中 y > x,可以得到该二次函数的最优解  $\tilde{y} = x - (1/m)\nabla f(x)$ 。

二次型函数极点

$$\left(-\frac{b}{2a}, \frac{4ac-b^2}{4a}\right)$$

unicode-math 的一些说明 这里使用的数学宏包是 unicode-math, 所以一些命令与 amsmath 里面有

Table 1: New unicode-math commands which overlap with legacy math commands. For new documents the sym versions are recommended.

| Command     | Synonym     | Command    | Synonym     |
|-------------|-------------|------------|-------------|
| \symnormal  | \mathnormal | ×          |             |
| \symliteral |             |            |             |
|             |             | \symbfsf   | \mathbfsf   |
|             |             | \symbfup   | \mathbfup   |
|             |             | \symbfit   | \mathbfit   |
| \symbb      | \mathbb     |            |             |
| \symbbit    | \mathbbit   |            |             |
| \symcal     | \mathcal    | \symbfcal  | \mathbfcal  |
| \symscr     | \mathscr    | \symbfscr  | \mathbfscr  |
| \symfrak    | \mathfrak   | \symbffrak | \mathbffrak |
| \symsfup    | \mathsfup   | \symbfsfup | \mathbfsfup |
| \symsfit    | \mathsfit   | \symbfsfit | \mathbfsfit |

■ 直接引入文件来排版

#### 代码

```
程序清单 4: 使用方法

1 \langCVfile[代码语言][盒子标签][语言名显示]{标题}{文件名}

2 \gitfile[代码语言]{标题}{文件名}

3 \langPyfile[代码语言]{标题}{文件名}
```

```
程序清单 5: testInput

import tensorflow as tf

import numpy as np

import os

os.environ['TF_CPP_MIN_LOG_LEVEL'] = '2'

# Create 100 phony x, y data points in Numpy, y = x * 0.1 + 0.3

x_data = np.random.random(100).astype("float32")

y_data = x_data * 0.1 + 0.3

# Try to find values for W and b that compute y_data = W * x_data + b

# (We know that W should be 0.1 and b 0.3, but Tensorflow will

# figure that out for us.)
```

```
W = tf.Variable(tf.random_uniform([1], -1.0, 1.0))
b = tf.Variable(tf.zeros([1]))
y = W * x_{data} + b
18
# Minimize the mean squared errors.
loss = tf.reduce_mean(tf.square(y -y_data))
optimizer = tf.train.GradientDescentOptimizer(0.5)
train = optimizer.minimize(loss)
🛂 # Before starting, initialize the variables. We will 'run' this first
init = tf.global_variables_initializer()
28 # Launch the graph.
sess = tf.Session()
30 sess.run(init)
# Fit the line.
for step in range(201):
     sess.run(train)
     if step % 20 == 0:
         print(step, sess.run(W), sess.run(b))
36
# Learns best fit is W: [0.1], b: [0.3]
```

```
import tensorflow as tf
import numpy as np
import os
os.environ['TF_CPP_MIN_LOG_LEVEL'] = '2'

# Create 100 phony x, y data points in Numpy, y = x * 0.1 + 0.3
```

```
x_data = np.random.random(100).astype("float32")
y_{data} = x_{data} * 0.1 + 0.3
# Try to find values for W and b that compute y_{data} = W * x_{data} + b
# (We know that W should be 0.1 and b 0.3, but Tensorflow will
# figure that out for us.)
W = tf.Variable(tf.random_uniform([1], -1.0, 1.0))
b = tf.Variable(tf.zeros([1]))
y = W * x_{data} + b
# Minimize the mean squared errors.
loss = tf.reduce_mean(tf.square(y -y_data))
optimizer = tf.train.GradientDescentOptimizer(0.5)
train = optimizer.minimize(loss)
# Before starting, initialize the variables. We will 'run' this first
init = tf.global_variables_initializer()
# Launch the graph.
sess = tf.Session()
sess.run(init)
# Fit the line.
for step in range(201):
    sess.run(train)
    if step % 20 == 0:
        print(step, sess.run(W), sess.run(b))
# Learns best fit is W: [0.1], b: [0.3]
```

train = optimizer.minimize(loss)

# Launch the graph.
general sess = tf.Session()
sess.run(init)

33 for step in range(201):

32 # Fit the line.

init = tf.global\_variables\_initializer()

## testInput import tensorflow as tf import numpy as np import os os.environ['TF\_CPP\_MIN\_LOG\_LEVEL'] = '2' # Create 100 phony x, y data points in Numpy, y = x \* 0.1 + 0.3x\_data = np.random.random(100).astype("float32") $y_{data} = x_{data} * 0.1 + 0.3$ # Try to find values for W and b that compute $y_data = W * x_data + b$ # (We know that W should be 0.1 and b 0.3, but Tensorflow will # figure that out for us.) W = tf.Variable(tf.random\_uniform([1], -1.0, 1.0)) b = tf.Variable(tf.zeros([1])) $y = W * x_{data} + b$ # Minimize the mean squared errors. loss = tf.reduce\_mean(tf.square(y -y\_data)) optimizer = tf.train.GradientDescentOptimizer(0.5)

# Before starting, initialize the variables. We will 'run' this first

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