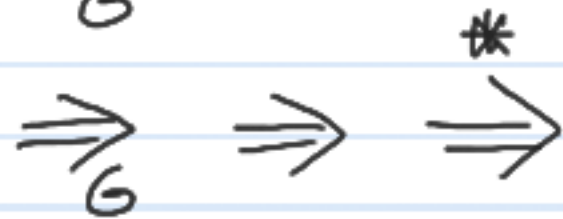
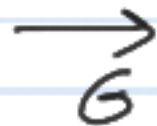


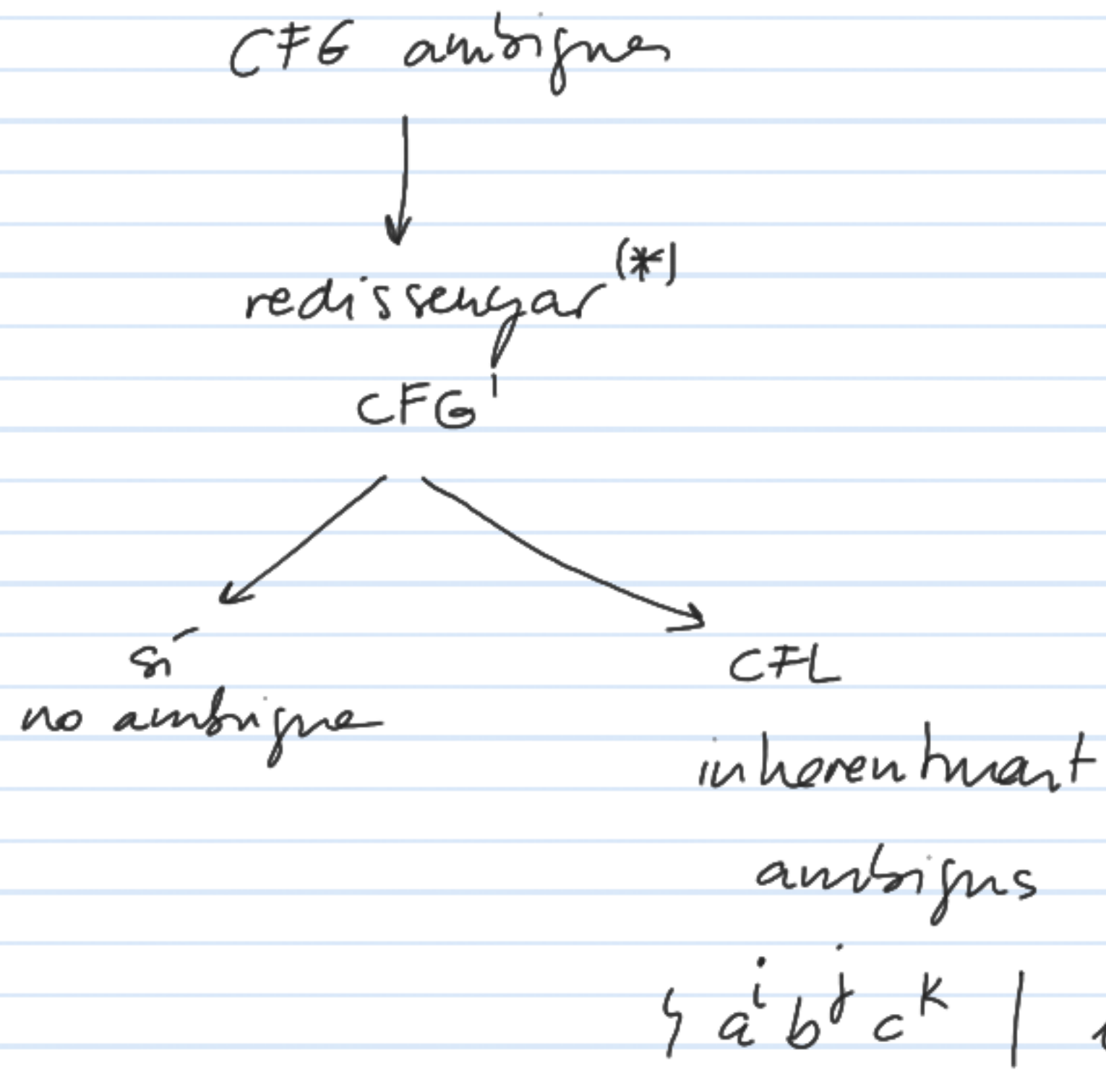
- compilers
- formats documents (XML)

$$G = (V, \Sigma, \delta, S)$$



Noam Chomsky

$$L(G) = \{ w \mid w \in \Sigma^*, S \xRightarrow[G]{*} w \}$$



(\*) No hi ha algorisme concret

$$E \rightarrow E + E \mid E - E \mid N$$

$$N \rightarrow ND \mid D$$

$$D \rightarrow 0 \mid 1 \mid 2 \mid \dots \mid 8 \mid 9$$

→ ambiguous

$$E \rightarrow N + E \mid N - E \mid N$$

$$N \rightarrow ND \mid D$$

$$D \rightarrow 0 \mid 1 \mid 2 \mid \dots \mid 8 \mid 9$$

→ No ambiguous

$$\underbrace{\dots}_{E} + \underbrace{\dots}_{E}$$

$$\underbrace{2.37}_{N} + \underbrace{\dots}_{E}$$

Es necessita ... CREATIVITAT i PRÀCTICA!!

ides...

① CFG com a operations de CFG's més petites  
(unions, rev, concat, \*)

ex:

$S_1 \rightarrow \dots$        $S_2 \rightarrow \dots$        $S_3 \rightarrow \dots$

$L(\underline{S_1 \cup S_2 \cup S_3}) = L(S)$  on

$S \rightarrow$	$S_1$	$S_2$	$S_3$
-----------------	-------	-------	-------

|  $S_1 \rightarrow$   
|  $\vdots$   
|  $S_2 \rightarrow$   
|  $\vdots$   
|  $S_3 \rightarrow$   
|  $\vdots$

(miren vídeo #15)

② si l regular

DFA  $\longrightarrow$  CFG

$q_i \longrightarrow$  variable  $R_i$

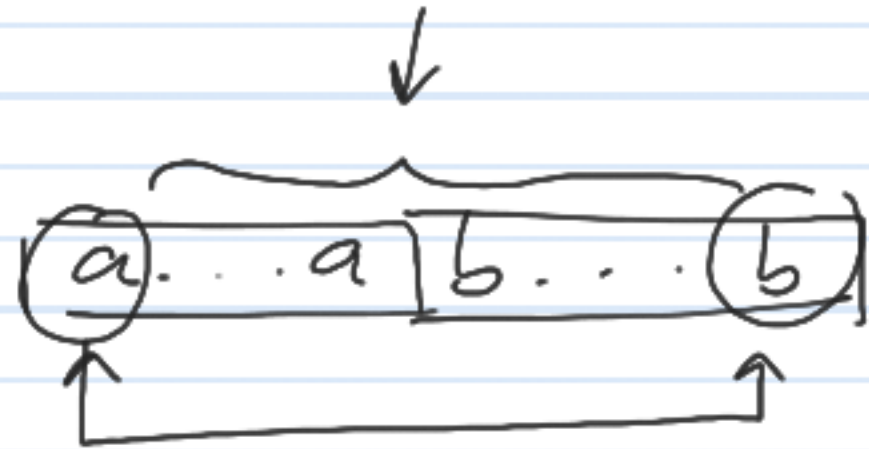
$\delta(q_i, a) = q_j \longrightarrow R_i \longrightarrow a R_j$

$q_i$  acceptador  $\longrightarrow R_i \longrightarrow \lambda$

$q_0 \longrightarrow R_0$  variable initial

③  $\{ \underline{a}^n \underline{b}^n \mid n \geq 0 \}$

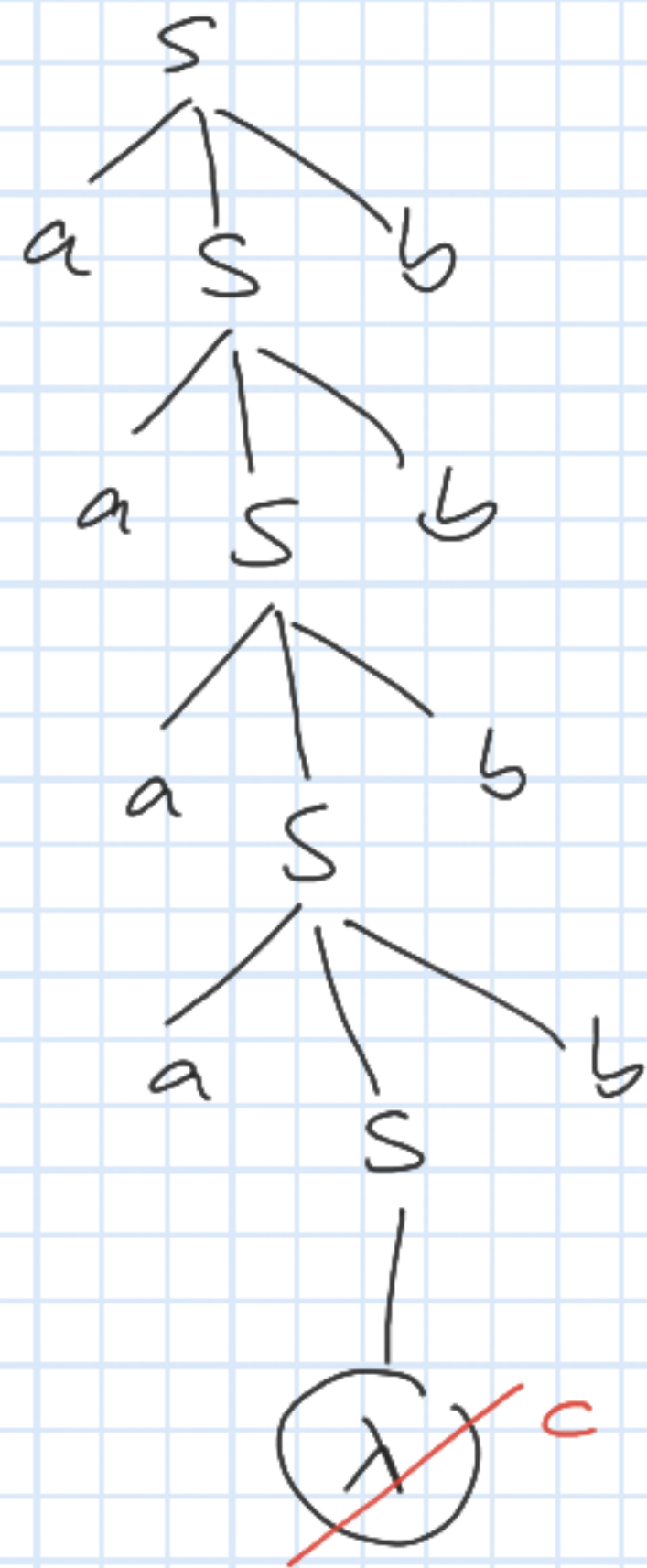
$R \rightarrow a \underline{R} b$

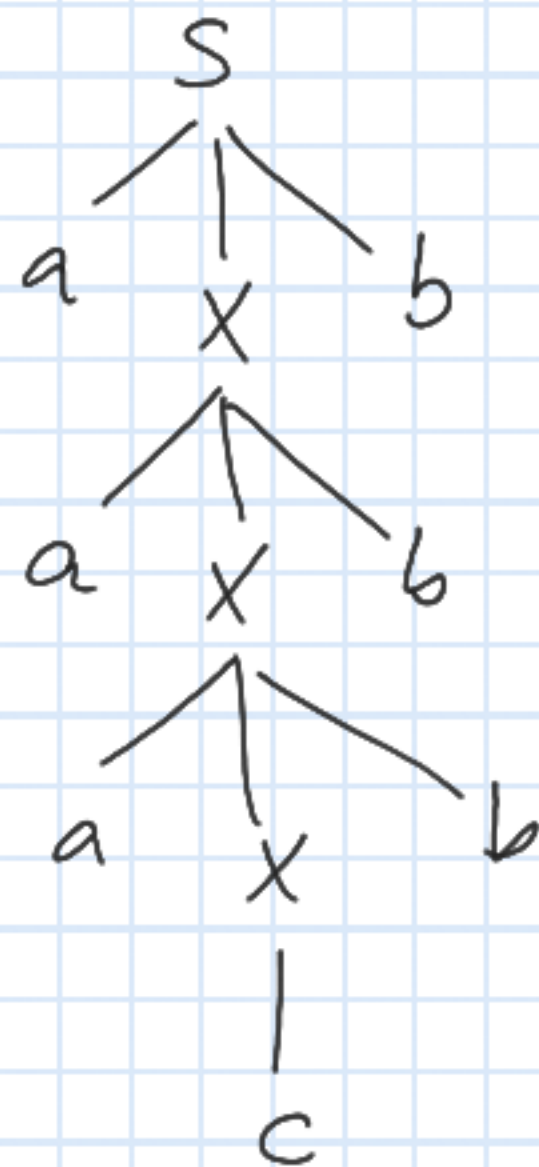
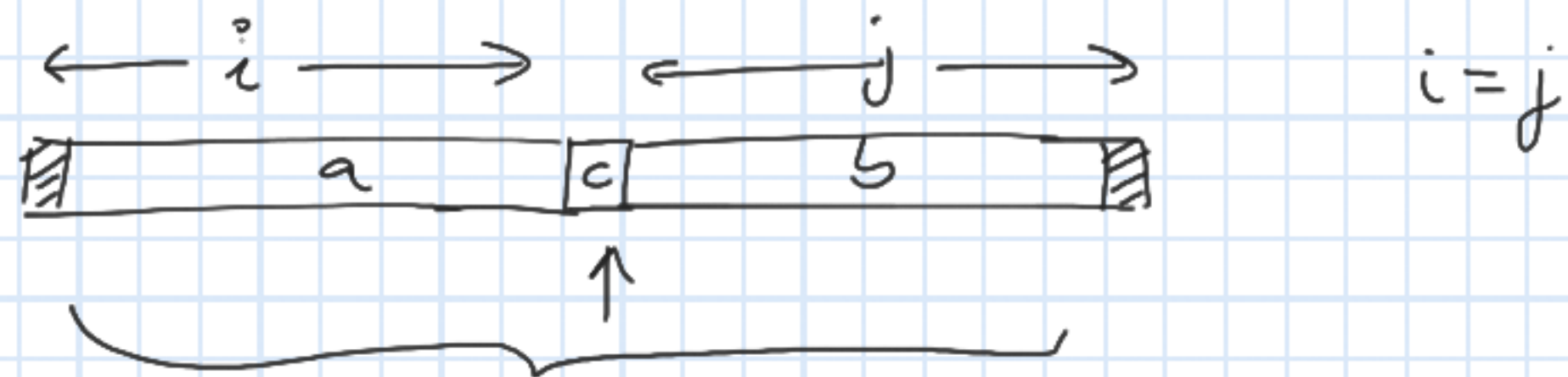


④ Detectar construcciones recursivas

$\{$   
variables

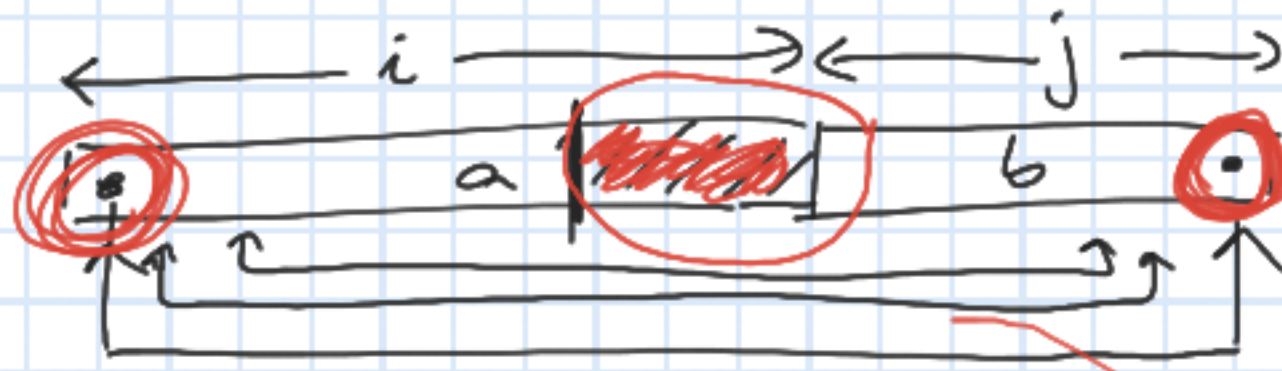
Ex.  
1 i 2







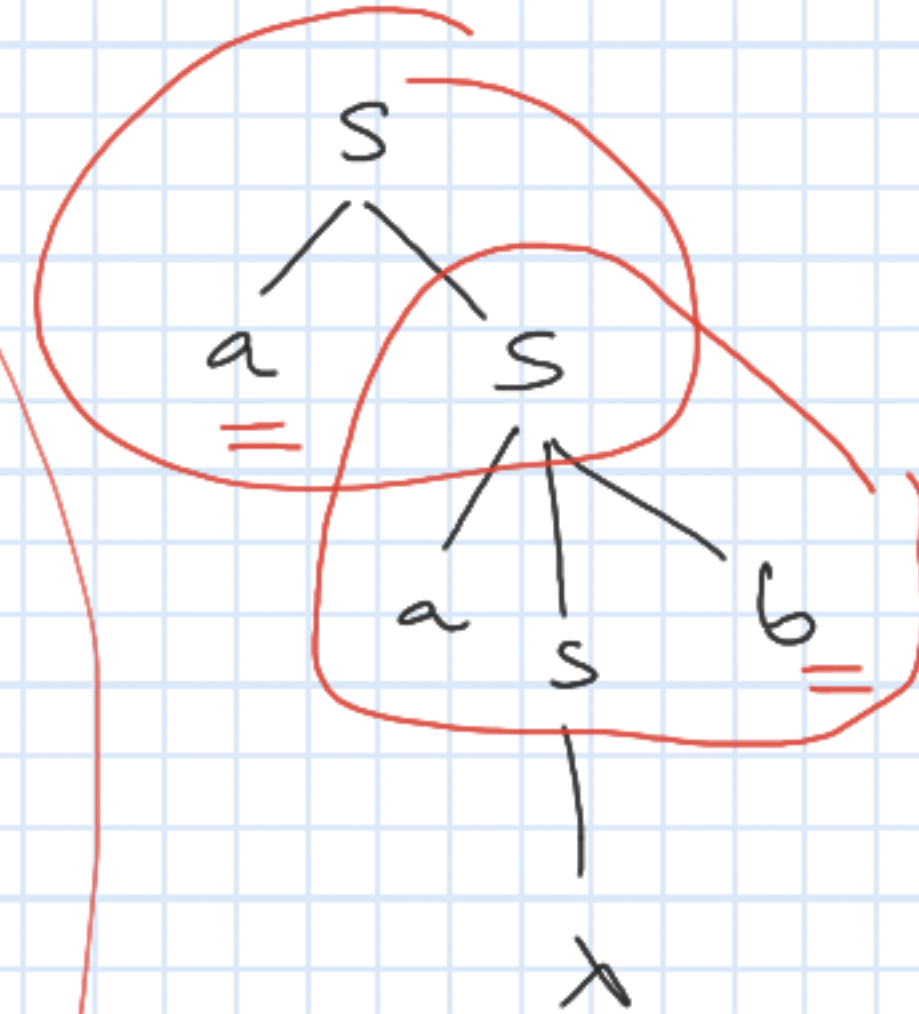
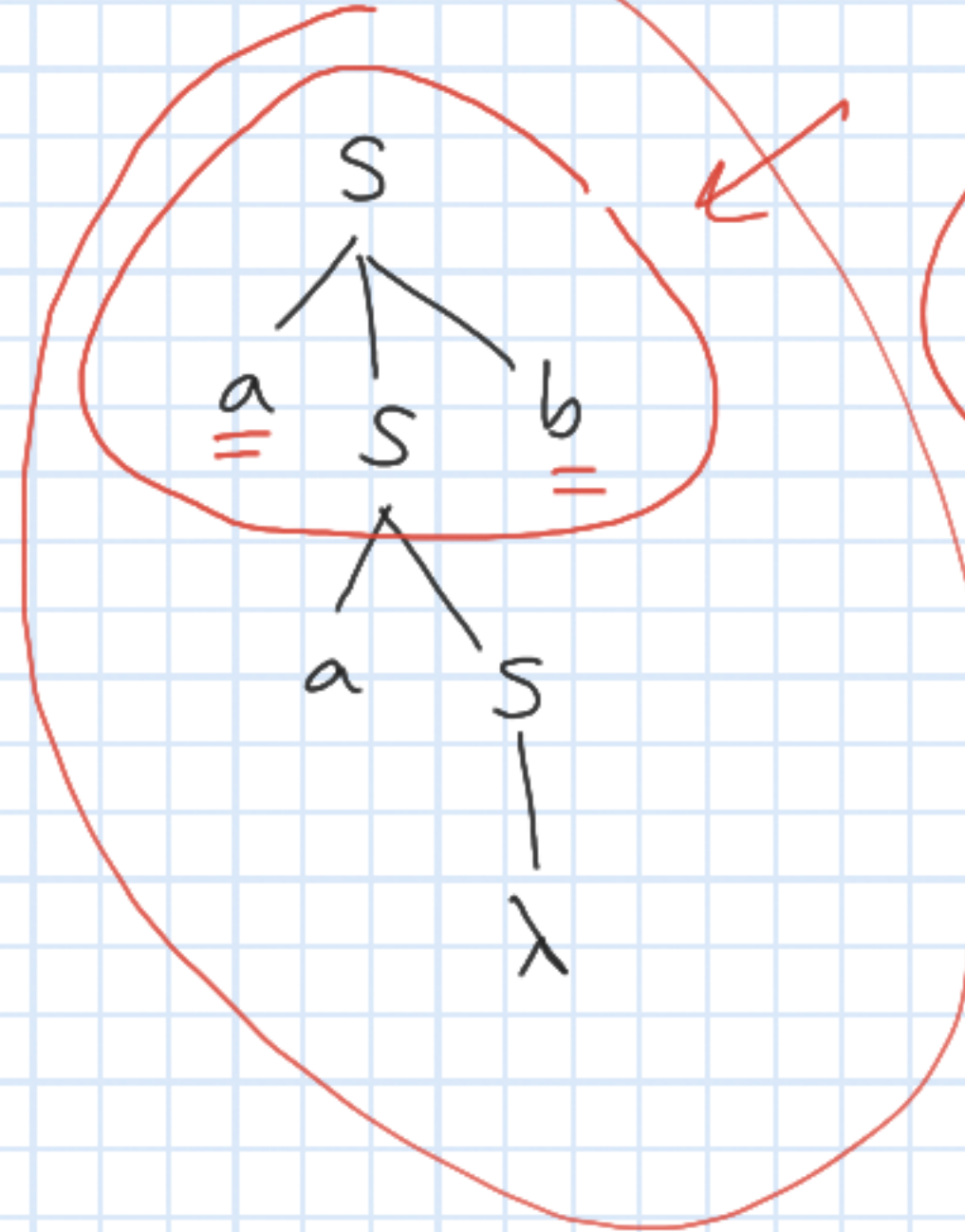
Ex. 3



$$i \geq j$$

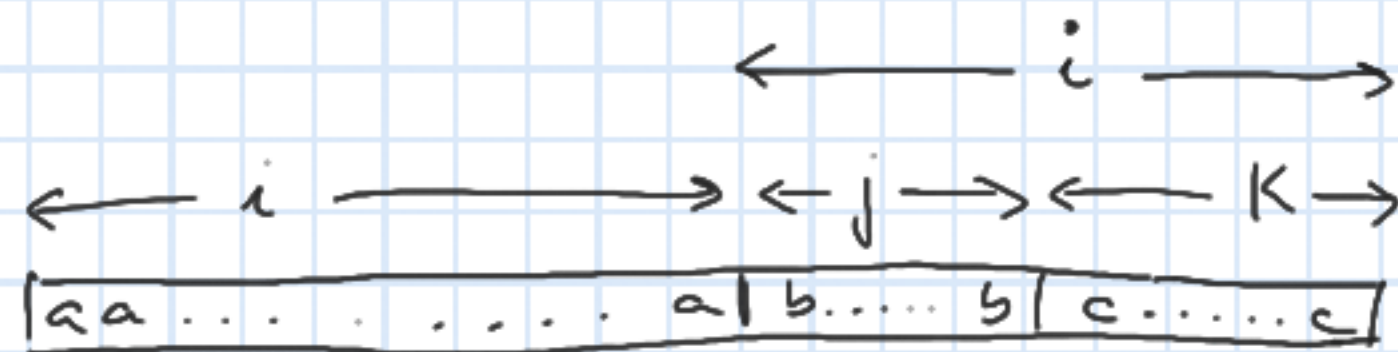
$$S \rightarrow aSb / aS / \lambda$$

ambigue





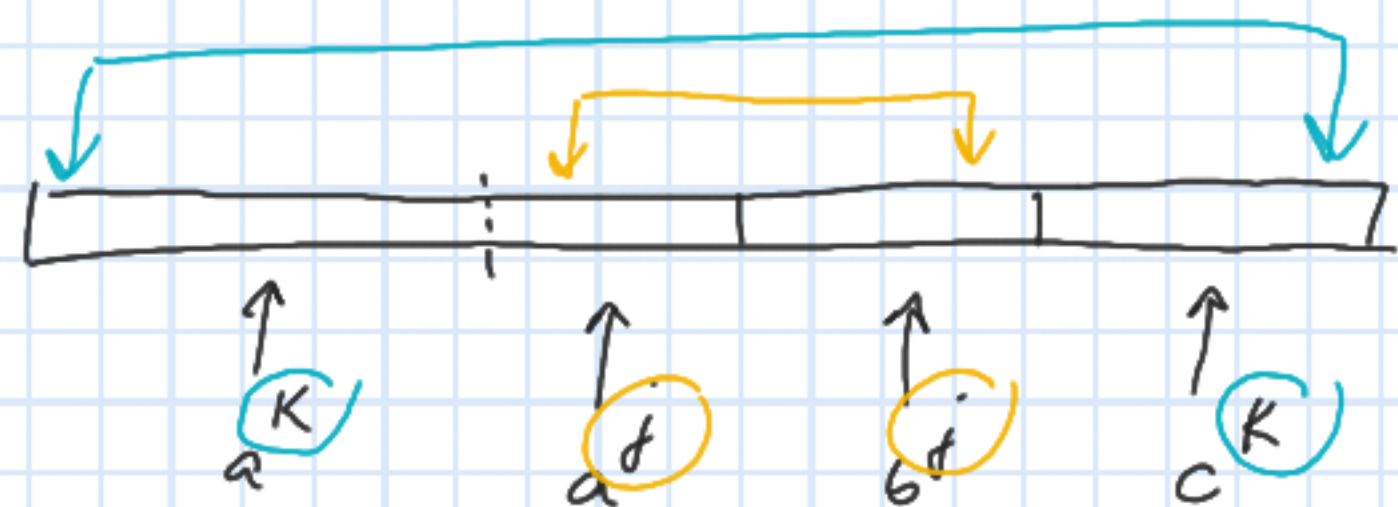
Ex.  
10



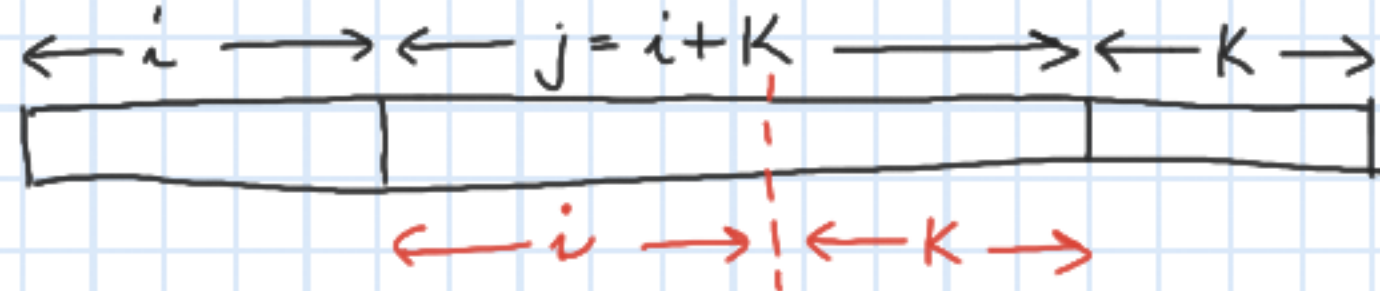
$$\{a^i b^j c^K \mid i = j + K\}$$

//

$$\{a^K a^j b^j c^K \mid K, j \geq 0\}$$



Ex. 11



$$j = i + K$$

$$\{a^i b^j c^K \mid j = i + K\} = \{a^i b^i b^K c^K \mid i, K \geq 0\}$$

$$= \{a^i b^i \mid i \geq 0\} \cdot \{b^K c^K \mid K \geq 0\}$$

$$\cancel{S} \rightarrow a \cancel{S} b \mid \lambda$$

X

$$\cancel{S} \rightarrow b \cancel{S} c \mid \lambda$$

Y

$$S \rightarrow XY$$

$$X \rightarrow a X b \mid \lambda$$

$$Y \rightarrow b Y c \mid \lambda$$