

MOVING THE NEXT NOTES
to the iPad.

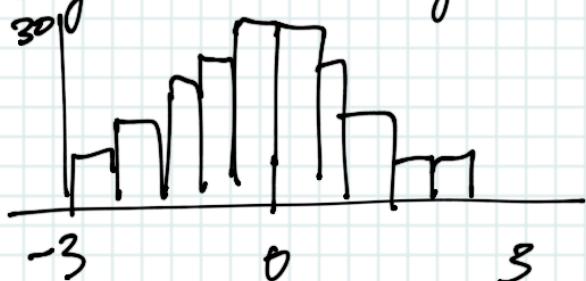
10 August 2020

So: trying to generate truth w/ more action in expectations (R, b).

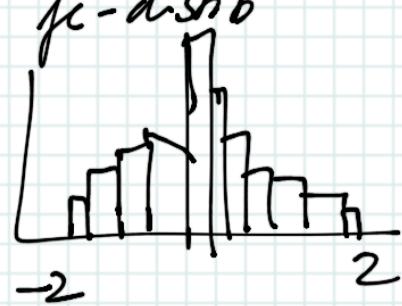
Observed:

- 1) If you increase the α -support, α 's in the simulation become more tight around zero, and extremes are smaller. (E.g. $\alpha \in (-2, 2)$ vs. $\alpha \in (-0.5, 0.5)$).
- 2) If you scale up α 's, α -distribution becomes more spread out: fatter tails

E.g. 4. α^{true} gives the following α -distrib



instead of
being like



and $\bar{\alpha}$ fluctuates much more.

Estimating $\hat{\alpha}$

- loss was initially much smaller 4.95 instead of on the order of 4000.
- estimation gets a lot of "fe was nan" messages and also a new one: "obj function returned NaN, trying a new point". Then...
 - ↳ I already got this message 9 times
- It took 585 sec.
- Implied k^{-1} is < 0 4 times!
 - maybe that's for negative k ?
- Again, $\text{loss}(\hat{\alpha}) = 3.2 < \text{loss}(\alpha^{\text{true}}) = 416$.
- Not possible to evaluate loss function?!
- ↳ It seems to be nans everywhere?
 - Is that why the loss just returned nan b/c all simulations were nan in the cross-section?
- Look at the loss: it sucks:
 - for α_1, α_5 , it's apparently always nan
 - for α_2, α_4 it blows up
 - for α_3 , it's oscillatory.

Any $\alpha > 0.5$ gives all nans. Maybe that's b/c since the truth is higher, it more quickly explodes?

- I'm not shocked that many histories explode.
- Also very many VAR instability problems.

$\hat{\alpha}$'s do more or less peak at the truth even now.
 (well, $\hat{\alpha}_3$ doesn't and $\hat{\alpha}_1$ & $\hat{\alpha}_5$ have 2 minima around the true value, but still)

→ Does this indicate that the data-generation is wrong or the estimation?

- True moments changed very much:
 - moments pertaining to x scaled up, ones pertaining to π or i scaled down / were unchanged
 - own moments or cross-moments w/ π or i have the same shape
 - cross-moments w/ x have changed shape:
 are now more U- or reverse U-shaped.

↳ I think these make sense b/c since κ is low, and $i = 1.5\pi$, x is the one that absorbs movements in expectations, while the pass-thru to π and to i is small.

⇒ The data-generation I think is correct. But this kinda suggests that the mean moments are also (more or

(loss) computed correctly, of which I'm not convinced.

↳ Let's try an estim w/ $\eta_x = 0.5$.

- But suppose the data is generated correctly. Why isn't the "x absorbs all" mechanism catchable by the estimation? I mean, moments didn't move far from initial ones.

↳ Explosion % reveals that in the estimation, either 0% or 100% of the N simulations explode. No, sometimes it's 19, 79 or 99%. And it seems that the obj fn returns nan' when 100% explode. Yes.

I learn also, by the way, that each iter of the solver evaluates the loss function exactly 6 times.

→ Why? It's not changing α , or if it is, only one and only marginally.
I'm also noticing that it's only considering α 's really close to $\alpha_0 \Rightarrow$ multistab!

I'm also noticing that the simulation is not giving the 'if was nan' error most of the time, even though the solver gets a positive expl-percent. Hm!

Ask Ryan →

When the "fe was nan" error comes, then the explosion-counter does catch it. But apparently there are a bunch of explosions that come not from there.

Ok, it's clear: when fe is nan, it's always caught.
The other thing that causes "explosive" simulations is $k^{-1} < 0$. These get caught and register as explosions, but aren't really.

→ My check for "global nonnegativity" and wasn't catching everything!

Her ho : That's where the troubles start.

⇒ Initially, fe is nan (maybe the gain is too high) but then the bulk of the supposed explosions come from $k < 0$.

Ok... even when fe is nan it seems it's b/c or at the same time as $k < 0$...

→ It's at the same time. The initial iteration involves 5% "fe was nan" (5/100 simulations) but 100% have $k < 0$ at one point!

Let's see for the July 6 dataset ... and yes,

the initial iters involve 1% fcnan

69% $k < 0$

and later iters have 2% fcnan

86% $k < 0$

Converges after 23 iter.

Has no more problems after iter 4.

Why is fe often nan early in the search and not later? Is it b/c of the initial values x_0 ?

And could a finer, and more broad fe-grid for
the global nonnegativity test work?

! \hookrightarrow I introduced the variable broaden=2,
which extends the fegrid-file by \pm broaden at
both ends. It seems like this catches & subsumes
all the previous errors!

It still finds the same min though :S
(But at least it's 2/3 of the time)

If I make the loss fct=nan when $k < 0$ globally, I can
engineer the "Obj fct returned nan" error message.

Does this influence the estimate? (Previously I had set the objective to $1e+10$) No it doesn't.

→ I don't think so but it does affect the plots of the loss I would think!

Let's go back to the scaled-up truth and plot the loss. Should understand why $k < 0$: is it, as I think, that d isn't convex and so a f_e outside the grid is extrapolated to a $k < 0$?

The other thing is that this doesn't seem to really affect the behavior of the loss fit. It still converges to the same (wrong) thing. Actually, for the 4x4 truth, it converges to something different, but most likely that's b/c it took an avg of a smaller set.

The loss: $k < 0$ and $f_e = \text{nan}$ return. Does that mean that fgrid-fine needs to be over broader?

Not necessarily b/c now it happens that e.g.

$f_e = \text{nan}$ in 14%

but $k < 0$ in 0%.

In fact, $k < 0$ doesn't happen a lot! f_e is the problem here!

Why is it that for the estimation, k_{20} is the root of all evil, but in plotting the loss, suddenly $\text{je} = \text{van}$ becomes the problem #1? Is it that the estim avoids high α 's (or maybe also very low ones) that could cause turmoil?

Materials 40, Section 4: Look into behavior of simulation. I think I learn a lot from this. Fig 7, which shows means & distros of k^{-1} , $\bar{\pi}$ and je are indicative.

- 1) While k^{-1} spends a lot of time being near 0 (see histogram), $\text{mean}(k^{-1}) \approx 0.0185$ (see means)
↳ If the moments capture the latter aspect, then the estim should have a hard time pushing α_s down.
But the moments should more capture the first.
Moreover, what does it matter if $\text{mean}(k^{-1}) = 0.013$?
It still can enter the lower parts of its state space, and it does! So scrap that.
- 2) The cross-sectional mean of $\bar{\pi}$ & of $\text{je} \downarrow$ as $N \uparrow$.
Maybe this is why $\text{loss} \uparrow$ in N ?
I'm not sure this should happen! →

As $N \rightarrow \infty$, $\epsilon \rightarrow 0$. So $f_e \rightarrow 0$ and thus \bar{x} too.

But that means that mean moments will reflect a sim in which \bar{x} isn't moving much, and f_e are very small.

Now turn to changing α 's: do the following exercises:

- $\alpha = \alpha$
- More edges: $\alpha_1 \& \alpha_5$
- More middle: $\alpha_2 \& \alpha_4$
- More O-point: α_3

Obs. 1: If all α 's ≤ 0.1 , simulation doesn't blow up.

At 0.11, they do. (2 occurrences of "f_e was nan", one of which was also $k_{t-1} < 0$)

Obs. 2: $\alpha = 0$ doesn't cause explosions.

Obs 3: In the early scenarios, "f_e was nan" is the only message. In the late ones, it comes together w/ " $k_{t-1} < 0$ ". Does this mean that $k < 0$ when α_3 is large?

↳ Making the code output α suggests that:

- "f_e was nan" alone occurs when $\alpha_1 \& \alpha_5 \geq 0.11$
- "f_e was nan" + " $k_{t-1} < 0$ " occurs when $\alpha_2 \& \alpha_4 \geq 0.11$

- α_3 doesn't shift any water: it can also be 0.5, that doesn't cause explosions. (0-neighborhood indifference problem)

- these seem to occur across shock histories.

Now let's look at the plots of the means:

Scenario 1: Varying α_1 and α_3 : 0, 0.05, 0.1

- Shifts k^{-1} up from $(0.01, 0.02)$ to $(0.02, 0.03)$
- Shifts $\bar{\pi}$ from $(-0.01, 0.01)$ to $(-0.02, 0.04)$
- Barely shifts f_e : it remains in the $(-0.2, 0.2)$ range

Scenario 2: Varying α_2 and α_4

- Shifts k^{-1} up from $(0.005, 0.001)$ to $(0.05, 0.06)$
- Barely shifts $\bar{\pi}$: it remains in the $(-0.01, 0.03)$ range
- Barely shifts f_e : it remains in the $(-0.2, 0.2)$ range

Scenario 3: Varying α_3 :

- Shifts k^{-1} up from $(0.015, 0.02)$ to $(0.05, 0.06)$
- Barely shifts $\bar{\pi}$: it remains in the $(-0.01, 0.03)$ range
- Barely shifts f_e : it remains in the $(-0.2, 0.2)$ range

↳ So: why aren't $\alpha_{2,3,4}$ moving $\bar{\pi}$ & f_e ?

↳ is it b/c in that range k^{-1} . f_e is a really small number? i.e.: is the 0-neighborhood indifference a problem

here too?

→ I think so! I think what is happening is that the entire $\rho \in (-1, 1)$ -region yields too small \mathbf{E}^{-1} - ρ products such that they do matter a little bit (the loss does take a min there) but not a lot (the loss is very flat)

⇒ To be identified, you need to consider α 's associated w/ $\rho > 1$ (possibly even greater). But: you also need a truth that's not too big, b/c $\alpha > 0.1$ seems to be ill tolerated by the model.

→ To Do!

For Peter meeting:

- ① Loss does have a min, almost at right spot. (Fig 1)
 - a) Need convexity assumption - don't get removal (Fig 2)
 - b) Rescaling W affects loss, although no indication of inversion issues. (Fig 3.b)
 - c) Adding $E(\cdot)$ screws things up in a way I don't get. (Fig 4)
- (② Truth w/ more action in $E(\cdot)$) (Fig 6)
I thought that if $E(\cdot)$ aren't moving, then both rescaling

and informativeness of moments might be skewed up.
Explorations hinted at something else.
 $\alpha \stackrel{?}{\in} 0.1$ to avoid explorations.

③ Behavior of simulation

- Loss \uparrow in NP b/c $\bar{\pi}$ & fe \downarrow in N? (Fig 7 b & d)
- Fig 8: Only α_1 & α_5 can affect $\bar{\pi}$, and even that can't affect fe. (Fig 8)

Peter meeting

11 Aug 2020

Fig 1. Loss higher at $\hat{\alpha}$ vs α^{true}

Again: b/c data from model is nonlinear, this may not suggest that α^{true} is a local min.

Thinks that a lot of problems come from that (st a nonstat model is tricky).

The next issue: holding α 's fixed, but estimating one then one α may not work. This would happen if you let $y = \beta_1 x_1 + \beta_2 x_2$ and x_1 & x_2 multicollinear.

\hookrightarrow might be some weird interaction between α 's so that the concavity restriction helps provide constraint.

Fig 8 conclusions sound exactly right.

Rescaling : still quite strange

| Fix λ , check loss w/ and w/o scaling \rightarrow should recover the scaling factor.

Also explains why imposing convexity helps.

| Wann guard against claiming what is really a coding error. \rightarrow Should go back to that.

The level of loss fit has no meaning; only the curvature.

Min in Fig 1. don't line up w/ truth; not a problem b/c if you sim using a diff ℓ , you'd get a diff min.

If std. errs large, can be b/c of

| ID \rightarrow doesn't go away as $N \rightarrow \infty$
Sampling error

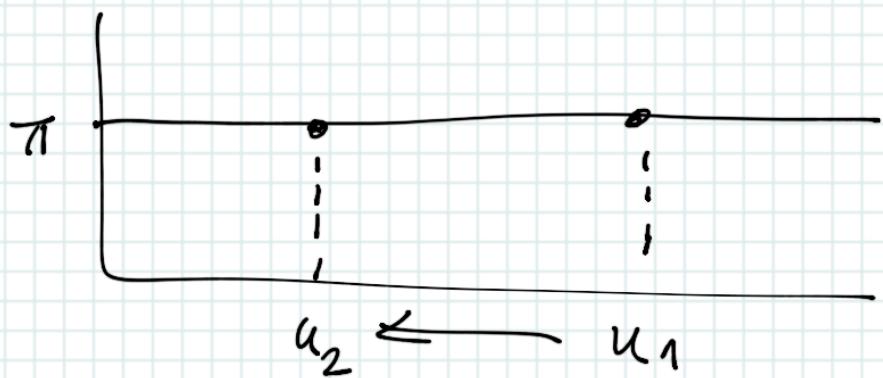
\hookrightarrow goes away as $N \rightarrow \infty$

Recall the logistic functional specification for anchoring fit:
Somehow more structure has to be imposed on
the anchoring function to guide the info in the
data

Analogy: Selma?
 Silvana Tenreyro: \hat{PC} : slope is $\approx 0 \rightarrow$ b/c CB is
 credible! So est a PC w/ these data doesn't
 tell you what would happen if CB abandoned
 target. (b/c that's just not in the data!)

\rightarrow bc obs that have modest fl, we don't learn a lot
 about how agents learn from forecast errors.

"flat PC": " π isn't moving in tandem w/ u anymore"



\hookrightarrow he says that the "flat PC" from refers to the idea that π doesn't follow u , not the other way around!

how u doesn't lead to any diff π !

- A fall-back approach: a simpler functional form for anch. pt.
- Or: pick unconditional moments w/o VAR or weighting matrix
 He called it an in-between when est & calibration.
 "Moment-matching": take sample moments & match those.

Successful esti will involve putting restrictions on α OR on the anchoring set to allow to glean info that is in the data.

↳ And I'm not sure why he calls the "moment-matching" by that name : it's not much different than my SMM.

Let's try the thing w/ α 's out in
the edges.

12 August 2020

Attempt (1) : July 6 data, $\text{fgrid} = [-2, -1.5, 0, 1.5, 2]$
(truth same) converged, not much change.

Attempt (2) : July 6 data, $\text{fgrid} = [-4, -3, 0, 3, 4]$

Took 500 sec & converged to sthg quite diff!
Not correct but maybe getting near?

Attempt (3) : July 6 data, $\text{fgrid} = [-4, -3 ; 3, 4]$ $wk=4$
Took 115 sec & converged to sthg very diff.

Isn't correct either but the thing is that the "truth" doesn't have a lot of fe in the $3-4.5$ range.

Attempt (4) : July 6 data, $\text{fgrid} = [-4, -3, 0, 3, 4]$
but w/ $W_{\text{mid}}=1000$.

Took 233 sec. Looks good. $fe \pm 3.84$ are still off, but I'm hopeful.

Attempt (5) : generate data with large forecast errors which you can est. w/ $\text{fgrid} = [-4, -3, 0, 3, 4]$

First try Aug 10 data ($g \cdot d^{\text{true}}$)

(w/ $W_{\text{mid}} = 1000$)

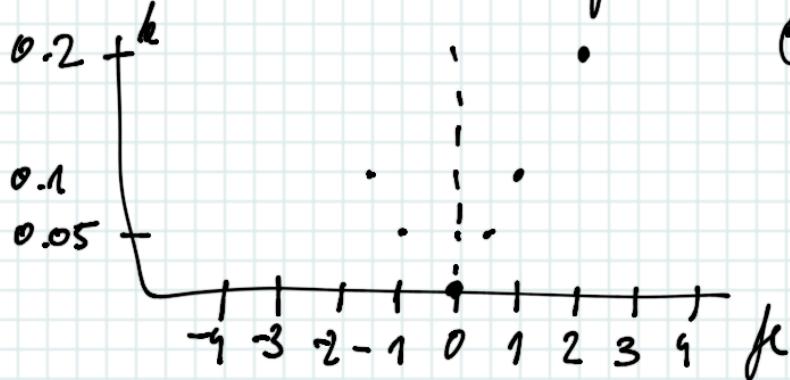
I'm also noting that the convexity things ain't working well.

Took 693 sec.

Got a bunch of "3% of sim histories exploded" messages.

There we go, lookin' good!

~~Attempt (6)~~: Make α 's associated w/ small f_c large, so the truth looks something like:



Oh shh. This is exactly the 4x times thing!

And $5 \times \alpha^{\text{true}}$ explodes already.

I don't think I can generate a dataset w/ bigger f_c b/c large f_c need large α 's, but sufficiently large α 's also explode, so...

Real data with Attempt (3) settings leads to a 1-2% sim histories exploded sign. 380 sec.

I think I'm going to leave it at that and consider the rescaling issue. Can I recover the scaling factor? And... no. Actually yes, if you recall that the loss involves squaring W .

↳ Ask Ryan: could it make a diff that in Ignoromia you specify the equations reside in W ?

Applied Young Economists Webinar (AYEW) 22 Aug 2020

Nanthu & Zexi Sun "Vague Talking at Central Banks' Press Conference: News or Noise?" (19 participants)

Hong Kong Institute for Monetary and Financial Research (note)

Vague talking that includes words like "risk", "uncertainty", "volatility" and "perturbation" raises stock returns
vs. noise → b/c investors expect expansionary trend in the future: the \oplus news dominate the \ominus news that "current situation is bad".

Expansionary disinflation (Ball 1994)

dictionary from Loughran & ..., freq. of uncertain words

Regression: $R_t = b_0 + b_1 \Delta \text{vaguetalking}_t + \beta' b X_t + \epsilon_t$

First diff b/c EMH: stocks should only react to surprise

Prepare Ryan meeting:

- ① loss has a min at truth (Fig 1.)
- ② loss is indifferent to α 's such that $|f_e| \leq 1$ (Fig. 8)
- ③ Having a more action in fe truth and est- α 's corresponding to large fe works (Fig 15)

Details & problems:

- ④ Solver evaluates loss 6 times for the same α ?
- ⑤ Rescaling: changes shape of loss while no sign of inversion issue?

Ryan meeting

→ or play around w/ em.

12 August 2020

- Need to est 3 of shokes in order to get model-implied moments closer to those of the data, at least for π .
↳ If shokes too small, no $f_e \Rightarrow$ ID problems
- Isn't the whole story, b/c edgepoints also off
- Fig 8: would learn more if you plotted the auto-coranograms for these exercises!
→ So what's still amiss? We still don't know.

Weighting matrix: Eq (2): multiply by $\sqrt{\text{diag}(w)}$

→ Take the $\sqrt{\cdot}$ b/c otherwise you may put all weight on one moment.

• My rescaling strategy likely not to solve inversion issues b/c it's the ratio $\frac{\max(\text{element})}{\min(\text{element})}$ of elements of Σ . ^{which matters} If it's more than 10^6 , then problem.

↳ Ryan's strategy
Fix largest el. of Σ and fix all elements to be not smaller than $1/10\ 000$ the largest.

• Not aligning the right els of W w/ the right moments could be a potential problem.

• Search alg:

6 evals b/c it computes gradient & jacobian.

(by 100 say) You can multiply the step for eval of ∇f , then the est. of derivatives is less precise but you get a better idea of the slope.

"first/forward difference" or `diff` in Matlab

Search algorithm evaluates loss 6 times for each guess b/c if 1.) evaluates at the guess
2.) changes each x_i a LITTLE bit to estimate

first and second derivatives. It changes one α_i at a time, so this gives 5 additional coordinates.

Main point: the story that we can't use small β s to learn about how agents learn from β s is good, but it isn't the whole story. And one may be that shocks are too small, partly responsible for why there are no large β s in the data.

Work after

13 Aug 2020

I have 2 open businesses:

- 1) The ID question:
 - larger β needed in sample
 - 3 shocks
- 2) The weighting matrix:
 - take $\text{sqrt}(\cdot)$ of α s
 - figure out rescaling

Point 2): The weighting matrix.

Taking sqrt of the elements of W does change the est results. But in a sense these results are kinda better than the flat default Nsmmt.

For the "0's in the edges" specification, \sqrt{W} doesn't matter a lot. I guess not b/c that one is better ID-cd anyhow!

What I notice though is that taking \sqrt{w} , I don't get $L(\sqrt{w}) = L(w^{\text{rescale}}) \cdot \text{scaling factor}$
(that I don't get $L(w) = L(w^{\text{rescale}}) \cdot \text{scf}^2$ is no surprise)

Ok but what does hold is:

$$L(\sqrt{w}) = L(\sqrt{w^{\text{rescale}}}) \cdot \text{scf}. \quad \text{So it still works, as it should.}$$

The thing is: maybe, w/ larger shocks, $\text{Var}(E(\cdot))$ will be higher so the weighting matrix won't be an issue at all. Still: I need to understand why the weighting matrix rescaling changes the loss function.

Comparing to the default Nsimul picture, does \sqrt{w} change the shape of the loss? \rightarrow It does, a little, but not a lot. This is what I expected, given that it weights diff. moments and therefore also obtains diff. estimates.

Now scale w and see if the loss changes.

It does - but again only for x_1 & x_5 ...

I've also checked what Ryan said about the orders being screwed up: that doesn't seem to be happening either.

there are 2 options: either I'm somehow rescaling in a way that does change relationships, or there is something else somewhere.

I think it's Option 2 b/c

$$\frac{\max(W)}{\min(W)} = \frac{\max(W^{\text{rescale}})}{\min(W^{\text{rescale}})}$$

also we should have

$$W^{\text{rescale}} = \frac{1}{\text{scf}} W \quad \text{and that holds too!}$$

↳ I'm really starting to think that the change in the shape of the loss fit has very weird to do w/ the indifference of $\alpha_2, \alpha_3, \alpha_4$.

The rescaling makes the loss smaller \rightarrow maybe the non-rescaled one would have the same shape if I zoomed in more?

Erm... not quite. Can it be that it's a numerical thingy that it changes shape?

Honestly, I don't think so.

Try to set $W = I$. Now rescale loss and see if it changes.
 \rightarrow it does! And the same way too!

I have an idea. Maybe the loss plot is changing shape b/c the convexity moment is in place.

Shut off $W_{\text{diffs2}} \rightarrow W_{\text{diffs2}} = 0$.

Set $W = I$ and compare loss w/ & w/o rescaling!
⇒ They have the same shape!

Redo w/ $W = \Sigma^{-1}$ & $W_{\text{diffs2}} = 0 \Rightarrow$ same thing!

YEAH! That was it! The convexity moment was effectively relatively weighted more when I scaled down the weights on the others!

I also don't get why evaluating the loss plot now takes longer than before. Producing these loss plots takes 35s instead of 75 sec. → today

→ Whoa, I can't believe that it was that simple!
So I can move on to what matters: the forecast errors and the variance of shocks. Let's think:
how best to do this:

A first pass thing is to see whether simulated f_t^A as \hat{f}_t^A . (command - check - simulation - approx. a)

Set $N=1$ ($\text{rng}(1)$). Default $b_2 = 1$ $\alpha = r, u, i$

Default: $f \in (-2, 2)$. $(\underline{-2, 2})$ $X = 2.5 \cdot \alpha^{\text{true}}$.

Raise $b_u = 2 \rightarrow \text{explodes}$. $\alpha = 4 \cdot \alpha^{\text{true}}$ $\alpha = \alpha^{\text{true}}$

Raise $b_u = 1.2 \Rightarrow f \in (-4, 4)$. $\text{explodes } (-2, 2)$

Raise $b_u = 1.5 \Rightarrow f \in (-5, 5)$. $-(-f) \in (-4, 4)$

$b_u = 4 \rightarrow (10, 10)$ $b_u = 1.8 \rightarrow \text{explodes}$. $-u \in (-5, 5)$

Raise $b_i = 1.2 \Rightarrow f \in (-2, 2) \setminus (-2, 2) \cap (-5, 5)$ ($b_i = 2$ too)

$b_i = 4 \Rightarrow \text{same. } (\underline{-2, 2}) \text{ explodes}$

b_i should have an effect though.

$b_i = 8 \Rightarrow f \in (-4, 4) \setminus (-2, 2)$ \rightarrow It does, just a much smaller one.

Raise $b_r = 8 \Rightarrow f \in (-5, 5)$ explodes , $b_r = 2$

\hookrightarrow Also a much smaller effect. I'm a little surprised that b_r apparently has a higher effect than b_i b/c ... oh no, idiot... of course b_r has a higher effect b/c the int. rate works from the IS-curve!

$$\pi = kX + u$$
$$X = b_i + r^n$$
$$i = \gamma_\pi \pi_f + \bar{i}$$

So the strength of the effect is of course $b_u > b_r > b_i$.

Ok, so that was like initial reconnoitering. I guess the next step is going to be to see how the estimation reacts to 1) the data being generated via higher β . Maybe the easiest is to do $\beta_0 = 4$ as a first pass. w/ $\alpha^{\text{true}} = \alpha^{\text{true}} (0.05, 0.025, 0, -11, -11)$

↳ This is the Aug 13 data!

Shit. VAR complaints, a lot of them.

Ridge? No complaints.

↳ But then maybe the estimation needs to use ridge too.

↳ Yep, it definitely complains.

Ok now it has some explosions (it was non) and it still has VAR issues despite the ridge. Let's try to lower (?) the ridge parameter λ .

(It was 0.001, now it's 0.0001)

↳ immediate VAR error.

So raise it to 0.01

↳ seemed to work well, but then an "imput to rank must not contain NaN or Inf" error. Hmmm.

↳ Let's try $\beta_0 = 2$. Think I need to rethink the ridge?

Yeah, immediate error. → Can create data w/o ridge? No.

Ok, so the situation is the following: for higher β , data creation and estimation needs ridge. So To Do: look into ridge and confirm that it's correct. Create some replicable simple example.

Confirming ridge

17 Aug. 2020

The issue of centering & scaling: Matlab's default for ridge is to center & scale: X is standardized (mean 0, var 1)

and y is centered (demeaned I guess?)

There is mention of this on some websites when I check ridge. Why is this important?

Statweb.Stanford.edu

Ridge is related to PCA: sort of weighted X 's are j^{th} principal components of X .

→ Ridge projects y on the PC's w/ large variance.

Statlect.com provides a hint as to why:

OLS is scale-invariant: β^{OLS} of $R \cdot X = R^{-1} \cdot \beta^{\text{OLS}}$ of X .

β^{ridge} is NOT scale-invariant! Therefore, whether you express variables in m or cm, e.g., matters!

↳ we therefore standardize all variables in ridge to

avoid undesirable scaling effects.

But I think you only need to stdize X , not Y ?

Matlab helpfile is confusing me now:

$$B0 = \left[\frac{\text{mean}(Y) - \text{mean}(X) \cdot \frac{B1}{\text{std}(X, 0, 1)}}{\text{std}(X, 0, 1)} , \frac{B1}{\text{std}(X, 0, 1)} \right]$$

Maybe Matlab is actually standardizing in each case,
it just computes $B0$ as above?

Stata notes on Ridge (ncss-wpengine.netdna-ssl.com)

- standardize all variables : X and Y
 - when final results are presented, they are adjusted back into their original scale. (Matlab's "0").
 - When "scaled=0" "ridge restores the coefficients to the scale of the original data".
- ↳ It's out:
- Matlab standardizes in any case
 - scale = 1 or 0 determines whether Matlab scales them back to their original scale.

→ So let's stdize Y & X !

Many observations:

1) still not the same as Matlab.

2) Matlab's ridge.m doesn't seem to be scaling Y .

↳ If I use the original, non-stdized Y , I get the same as Matlab's Ridge, scale = 1.

✓ Ok, but should one stdize Y or not?

Let's see:

$$\hat{\beta}^{\text{OLS}} = (X'X)^{-1} X'Y. \quad \text{Let } z = X R \xrightarrow{\text{rescale.}}$$

$$\begin{aligned}\tilde{\beta}^{\text{OLS}} &= ((X R)' X R)^{-1} (Z R)' Y \\ &= (R' X' X R)^{-1} R' X' Y \\ &= (R')^{-1} (X' X)^{-1} (R^{-1} R') X' Y \\ &= (R')^{-1} (X' X)^{-1} X' Y = R'^{-1} \hat{\beta}^{\text{OLS}}.\end{aligned}$$

$$\hat{\beta}^{\text{ridge}} = (X'X + \lambda I)^{-1} X'Y \quad \text{Again } z = X R$$

$$\begin{aligned}\tilde{\beta}^{\text{ridge}} &= ((X R)' X R + \lambda I)^{-1} (X R)' Y \\ &= (R' X' X R + \lambda I)^{-1} R' X' Y \\ &= (R' X' X R + \lambda R'(R')^{-1} R^{-1} R)^{-1} R' X' Y \quad \begin{array}{l} \text{Factor } R' \\ \text{and } R \end{array} \\ &= [R' (X' X + \lambda (R')^{-1} R^{-1}) R]^{-1} R' X' Y \\ &= R'^{-1} (X' X + \lambda (R')^{-1} R^{-1})^{-1} (R')^{-1} R' X' Y\end{aligned}$$

↑ inverse of product switching order.

$$\hat{\beta}^{\text{ridge}} = R^{-1} (X'X + \lambda (R')^{-1} R^{-1})^{-1} (R')^{-1} R' X' Y$$

$$= R^{-1} (X'X + \lambda \underline{(R')^{-1} R^{-1}})^{-1} X' Y$$

For this to be equal to $\hat{\beta}^{\text{ridge}}$, we need $(R')^{-1} R^{-1} = I$
i.e. R needs to be orthonormal. Generally doesn't hold!

↳ only need to standardize X ! (not Y)

Do need to standardize but also need to scale back! → 18 Aug 2020
NFA stats.stackexchange question & answer: (Philipp Burkhardt) For when only regressors std-
Let $z_j := \frac{x_j - \bar{x}_j}{s_j}$ standardized regressor j ^{ized.}

Then we have the regression line

$$E[Y] = \beta_0 + \sum_{j=1}^k \beta_j z_j$$

which gives fitted values

$$\hat{y} = \hat{\beta}_0 + \sum_{j=1}^k \hat{\beta}_j z_j . \quad \text{Write this as}$$

$$\hat{y} = \hat{\beta}_0 + \sum_{j=1}^k \hat{\beta}_j \left(\frac{x_j - \bar{x}_j}{s_j} \right)$$

Mallat has \hat{y} in her too.

$$\hat{y} = \left(\hat{\beta}_0 - \sum_{j=1}^k \hat{\beta}_j \frac{\bar{x}_j}{s_j} \right) + \sum_{j=1}^k \hat{\beta}_j \frac{x_j - \bar{x}_j}{s_j}$$

Scaled-back intercept | Rearrange

$\hat{\beta}_j$ scaled back
($=$ what Mallat has)

If both regressors and regressed were scaled:

$$\hat{Y}_{\text{scaled}} = \frac{\hat{Y}_{\text{unscaled}} - \bar{Y}}{S_y} = \hat{\beta}_0 + \sum_{j=1}^k \hat{\beta}_j \left(\frac{x_j - \bar{x}_j}{S_j} \right) \quad | \cdot S_y \leftarrow \bar{y}$$

$$\begin{aligned}\hat{Y}_{\text{unscaled}} &= \bar{y} + S_y \hat{\beta}_0 + S_y \sum_{j=1}^k \hat{\beta}_j \left(\frac{x_j - \bar{x}_j}{S_j} \right) \\ &= \left(\bar{y} + S_y \hat{\beta}_0 - \underbrace{S_y \sum_{j=1}^k \hat{\beta}_j \bar{x}_j}_{\text{F}} \right) + \underbrace{S_y \sum_{j=1}^k \frac{\hat{\beta}_j}{S_j} x_j}_{\text{A}}\end{aligned}$$

This doesn't correspond to Matlab either: extra terms absent in Matlab.

I don't think Matlab does scaling Y . I suspect $\text{mean}(Y)$ is added back to take care of $E(Y)$ somehow?

Actually, Matlab's help for `ridge.m`, "Coefficient Scaling" explains it. Matlab standardizes X and centers Y (uses $\tilde{Y} := Y - \text{mean}(Y)$), which is why $\text{mean}(y)$ shows up in the intercept.

Ok: at least whether you use demeaned Y or not doesn't matter for β_1, \dots, β_k , only for β_0 , the intercept.

Hm! If you don't use demeaned Y , & scale back w/o \bar{y} , you get the same thing as if you used demeaned \bar{y} and scaled back w/ \bar{y} .

Ah - I think ridge is scale-invariant in Y :

$$\hat{\beta}^{\text{ridge}} = (X'X + \lambda I)^{-1} X'Y$$

Now let $Z = YR$

$$\hat{\beta}^{\text{ridge}}(Z) = (X'X + \lambda I)^{-1} X'ZR$$

$$= \hat{\beta}^{\text{ridge}} \cdot R$$

So just to be like Matlab, demean Y and standardize X .

Wait - why is $\hat{\beta}^{\text{ridge}}(Y) = \hat{\beta}^{\text{ridge}}(\underbrace{Y - \text{mean}(Y)}_{=: F})$?

$$\hat{\beta}_0^{\text{rescaled}} \underset{\substack{\uparrow \\ \text{0: intercept}}}{\text{adding back } \bar{Y}} = \hat{\beta}_0^{\text{rescaled}} \underset{\substack{\uparrow \\ \text{not}}}{} + F.$$

which makes sense. But this shouldn't be this entire business about scaling Y if it doesn't matter for $\hat{\beta}^{\text{ridge}}$...

Ah ... I think I know $X'Y$ is kinda $\text{Cov}(X, Y)$

$$\text{Cor}(X, Y) = \text{Cor}(X, Y - \bar{Y})$$

\uparrow b/c \bar{Y} is a constant ($\text{Var}(\bar{Y}) = 0$)

$$\text{Cov}(X, Y) = E[(X - E(X))(Y - E(Y))]$$

$$\text{Cov}(X, Y - \bar{Y}) = E[(X - E(X))(Y - \bar{Y} - E(Y - \bar{Y}))]$$

$$= E[(X - E(X))(Y - E(Y) - \bar{Y} + \bar{Y})] = \text{Cov}(X, Y).$$

→ So demeaning Y gives you the same $\hat{\beta}$ ridge as not demeaning.

So it seems like in any case you adjust the intercept, adding \bar{Y} to it. Ok...

Finally the last ridge - thing of interest:

$Y_{n \times k}$ (for VAR)

↳ Matlab can't do it, but doing it by hand, and then separately for each regressor gives the same thing.

↳ So more on: generate data w/ the new ridge commands and see if that solves the VAR-instability issues.

Note: the data-generation itself of 13 August ($\beta_n = 2$) complains of VAR-instability. That had the old ridge.

Data-generation complains w/ new ridge code?

(rf-var-ridge.m)

Nope, it didn't! :) ($\beta_n = 2, \lambda = 0.004$)

⇒ acf-sim-univariate-data-18-Aug-2020.

Ok, so finally do 1st w/ 18 Aug data

- ridge $\lambda = 0.001$

- $b_n = 2$

- \sqrt{W} (! this guy needs to become the new reference fig, as in Fig 3, Materials 41)

- $\gamma = 0.001$

Estimation: instability in VAR: 6 times

↳ It seems like it's the initial 6 evnts that cause problems. Warning never occurs afterwards.

→ Fig 4, Materials 41 ($\text{Flag} = 3$)

- Try same thing for $\text{Tolfun} = 1e-9 \rightarrow \text{same, Flag} = 2$.

- Same, $\text{TolX} = 1e-9 \rightarrow \text{same, Flag} = 3$.

- Now: do 'manual' grid out in far end ($\text{Tolfun} = \text{TolX} = e-9$)
But really one should have $\text{TolX} = \text{Tolfun} = 1e-6$ (default)
and add $\text{Wmid} = 1000$. Yeah this one's not great.

↳ Doing that now.

- tols back at defaults

- $b_n = 2$ (ridge, $\lambda = 0.001$)

- \sqrt{W}

- $\text{fgrid} = [-4, -3, 0, 3, 4]$

Not bad but not great either. What avenue to pursue? Raise b_n more?

Prep for Peter:

- ZEW interview
- Presentations : Aug 25 12.30 - 2pm (BU macro read)
- Sep 1 3.30 - 4.30 pm (Diss Workshop)
- Content: just Fig 15 from Materials 4D

Send link!
R

18 Aug 2020

Peter meeting

Main issue: works, but not so well in the neighborhood of 0 β .

↳ Ready to go back to true data? Yes?

But what you wanna do for sure is to constrain the parameters of β close to zero.

For real data: proceed in steps:

- first identify α (large β) and constrain α (small β) and see how well you can do
 - gradually expand # of α to expand to α (small β)
- Volatility of shocks important AND data is likely to be informative about them
- ↳ could est them
- ↳ or calib them such that model-sim data matches volatility of data.

• β shocks are simply harder to calibrate!

→ 2 questions:

1. In real world data, you wanna have a good feel for how ambitious you can be in est & and whether this depends on β
2. β is simply hard to assign values to.

↳ Talk after BN Seminar!

10:30 - 11:45 Tu & Th
Fabor 9 - 20.15

Do an email exchange after DissWork to talk on Sep 2 or the next days.

Work after

OK - so see if we can estimate β .

I wanna do a new obj function which complements
obj - GMM - LGM gain - univariate - mean.m
in that it also estimates β_j $j = r, u, i$ + - shocks.m

I also wanna

✓ change names of figures so that they're not as long

→ Try it on Aug 10 data b/c that's the hx scaled-up truth.

! And FW is a default now! ! Warn=1000 too! Nsimul too!

The code is running... Took 713 sec. And it ends:

$$b_i = 0.1 \quad H_j \quad (\text{while truth is } 1). \quad \hookrightarrow 70 \text{ iter}$$

Why didn't it more? Error in code or? Is it time to try Ryan's thing of making it take larger steps when evaling the loss?

After 70 iterations, it looks like Matlab never tries anything else than b_0 . It doesn't seem like it's a problem of getting the values into "param".

→ I think it's something like "forward finite differences". As usual, some background: finite differences seems to be a numerical approximation method for derivatives.

Wait you idiot: of course it's not trying out any values of b : b is irrelevant in the model as it now stands. I think I need to modify the obj. fn.

→ Yeah, now I can see Matlab trying different things, that's good.

Finite difference := an expression of the form $f(x+b) - f(x+a)$
difference quotient := $\frac{f(x+b) - f(x+a)}{b-a}$ "finite diff approximation"

Finite differences are used in approximating derivatives, or for "finite difference methods" for solving ODE's.

finite difference quotients are used in approximating derivatives.

3 types :

$$\text{forward difference : } \Delta_h[f](x) := f(x+h) - f(x)$$

$$\text{backward difference : } \nabla_h[f](x) := f(x) - f(x-h)$$

$$\text{central difference : } S_h[f](x) := f(x + \frac{1}{2}h) - f(x - \frac{1}{2}h)$$

! Authors who use the term "finite differences" to mean "finite difference approximation of derivatives" also mean "forward difference quotient" when they say "forward difference".

Relation w/ derivatives

$$f'(x) := \lim_{h \rightarrow 0} \frac{f(x+h) - f(x)}{h}$$

For a fixed h , this is

$$\frac{f(x+h) - f(x)}{h} =: \frac{\Delta_h[f](x)}{h}$$

the forward difference quotient!

And I think the 45 poly correction to the convexity moment does this: $\Delta\alpha = f(x+h) - f(x)$, $h = \Delta$ fgrid.

Exciting stuff: in Matlab's solvers, there's the

Finite Difference Step Size: I guess this is " h ".

The default is $\sqrt{\text{eps}}$ for forward
(for optimset, "FinDiffRelStep") $\text{eps}^{(1/3)}$ for central
finite diff.

Finite Difference Type: "forward" (default) or "central"
Central is more accurate but takes twice
as many function evaluations.

(for optimset, "FinDiffType")

? 45 min!

I'm trying: same (i.e. MaxFunEvals = 200 (instead of 700))

but FinDiffStepSize = $100 \cdot \sqrt{\text{eps}}$.

Same. $\beta = (0.43, 0.25, 0.56)$.

Let's go back to MaxFunEvals = 700 (12 min).

and set FinDiffStepSize = $100\ 000 \cdot \sqrt{\text{eps}}$. ^{awful} _{timed out}

↪ Better but still timed out. Try $1M \cdot \sqrt{\text{eps}}$ ² didn't move

Let's make a little: why is the solver iterating out now
w/o convergence? Am I starting too far from the truth?
Is this complementarity between α and β which comes
from the \oplus feedback loop in the model?

What is really weird is that, compared to the case where

I fixed $\beta = 1$, now the estimates for $\hat{\alpha}$ are lower, while $\hat{\gamma} < \gamma^{\text{true}} = 1$. I would have expected $\hat{\alpha}$ to be higher, b/c the time data is more volatile ($b/c \gamma^{\text{true}} > \beta$) so to capture that, if the estimation doesn't raise β , it should raise $\hat{\alpha}$! Analogously, the moments aren't matched well at all.

Interestingly, increasing the `findiff stepsize` does allow the estimation to move away from the initial values more and fits moments better too. But why doesn't the solver continue on this path?

With `findiff stepsize` = $100k \cdot \sqrt{\epsilon}$, $\hat{\beta} = (3.5, 0.3, 0.75)$ and $\hat{\alpha} < \alpha^{\text{true}}$, but closer. So, in a sense, I see the tradeoff I was talking about (instead of $\hat{\alpha} \uparrow$, $\hat{\gamma} \uparrow$, in fact above γ^{true}), but in a way, $\hat{\beta} \uparrow$ was accompanied by $\hat{\alpha} \uparrow$, so the complementarity is kinda also not there.

I also wonder whether there's a kinda "symmetry indifference" in the sense that in half of simulations, $f_e < 0$, in the other half, $f_e > 0$, so $\alpha_{1,2} \gg 0$, $\alpha_{4,5} = 0$ matches moments just as well as $\alpha_{1,2} = 0$, $\alpha_{4,5} \gg 0$. Similarly, $\beta_r = 0$ & $\beta_i \gg 0$ may be undistinguishable from $\beta_r \gg 0$, $\beta_i = 0$.

Or is the estimation saying that x is more volatile and therefore $\hat{\beta}_r > \hat{\beta}_i$ or $\hat{\beta}_u$? But why isn't it saying $\hat{\alpha}$?

And is 1M · default pndiff stepsize not moving at all b/c

i) Jacobian is so imprecise

ii) or the loss is really flat over large surfaces?

$\frac{f(x+h) - f(x)}{h}$ is initially ≈ 0 as $\hat{\beta}$ is raised,

and then it becomes consistently $= \varepsilon \ll 0$, small.

Maybe what is going on, is that if $h :=$ pndiff stepsize is small, it's not getting to large $\hat{\beta}$, so it times out, but if h large, it gets to large $\hat{\beta}$, but then the steps in α are too large to make a diff.

Let's try $h = \begin{bmatrix} h_2 \\ h_\alpha \end{bmatrix} = \begin{bmatrix} \text{look for all the } \hat{\beta}'s \\ 1 \text{ for all the } \hat{\alpha}'s \end{bmatrix}$.

Interesting: this leads to $\hat{\alpha} < \hat{\alpha}^* \quad (h=100k \text{-default tparams})$
 $\hat{\beta} < \hat{\beta}^* \quad (-11-)$

Reverse to $h = \begin{bmatrix} h_2 \\ h_\alpha \end{bmatrix} = \begin{bmatrix} 1 \text{ for all } \hat{\beta}'s \\ \text{look for all } \hat{\alpha}'s \end{bmatrix}$

Interesting: this gets me almost as far as $h = 100k$ for all!
 \hookrightarrow So it's the h in α that matters, not so much the one in β .
 What does that mean? \rightarrow The loss is locally flatter in α than in β .

Try: $b = 100K \times \text{default}$ for all (uniformly), but initializes at truth: $b_0 = 1$.

↳ Much better (see Materials 41) \rightarrow seems to suggest that some of the "small step issue" may be coming from the initialization. But maybe the same holds true for α ?

↳ Trying $b_0 = 2$. Much more explosions and $k^{-1} < 0$.

But best so far! If I don't make the estimation "experience volatility", it doesn't.

↳ Maybe should do the same for α : initialize at truth or at higher values.

Try to $\alpha_0 \approx (0.176, 0.099, 0, 0.099, 0.176)$ \rightarrow doesn't work (VAR)

Also: I'm wondering if I should penalize $k^{-1} < 0$ in the estimation?

Prep for Ryan

- ZEW interview \rightarrow not avail.
- Presentations : Aug 25 12.30 - 2pm (BU macro read)
- Sep 1 3.30 - 4.30 pm (Diss workshop)
- Teaching: coordinate \rightarrow no rules or things to abide by.

Ryan meeting

Makes sense to $b_0 > b^{\text{true}}$.

19 August 2020

- Pick β_j such that you hit moments of data.

- Fixed-point problem: with a truth that looks like the data.

I fix some params. \rightarrow EST on real data. Take $\hat{\alpha}^{\text{real}}$ and put it into the fake data est. \rightarrow iterate until convergence.

capital crime
loss is

- Not continuous \rightarrow 2 cases you can make

• Kinney (misdemeanor)

\hookrightarrow cutting simulation that exploded introduces a jump in the obj. fn.

could explain
diff to Nestim

\hookrightarrow Any gain that's < 0 , set it to zero and

go on w/ the simulation

\hookrightarrow for exploding f_k , you could set f_k to a max

\hookrightarrow clean sol.

Worst-case scenario: is projection faculty which introduces kinks!

(can take 3×3 sigmas, est α for 9 cases, take $\arg(\hat{\alpha})$)
or the one w/ the best loss.

Try to calibrate β_0 so as to match moments of data. See if est then is better ID-ed. Can send him an email to get feedback.

Take-aways:

- ① 1st priority is to calibrate β 's to match data moments (for a given α) and see if this higher volatility would help ID-ing the α 's.
- ② Need to address how you deal w/ exploding f_k and $k^{-1} < 0$ in individual simulations. Throwing those out introduces jumps in the objective fn which is the biggest crime you can commit.
 - ↳ doing this could explain the difference to the "N estimations" strategy b/c that one doesn't have these jumps, it has a cross-section of $N=100$ anyway!
- ③ For the "ceteris paribus problem" in β and α , can start w/ a laboratory w/ fixed α, β . Estimate those for fake data. Does it work? Estimate on real data. Use $\hat{\alpha}$ & $\hat{\beta}$ as α^{true} & β^{true} in the next round of fake data. Iterate.

The first priority is actually to deal w/
exploding f_k and $k^{-1} < 0$.

↳ set to 0.

↳ set to $|\mu| < 20$?

20 Aug 2020

First of all: $f_k = \text{nan}$ & $k^{-1} < 0$ don't occur together a lot.

But displaying the $k^{-1} < 0$, I see that it's clearly $\rightarrow -\infty$. Isn't f_k exploding then too? Yes it is.

Interesting that it's not being caught by the test `isnan(fk)`. It seems like if the simulations would be longer, `ct205` might just turn into `nan`.

↳ If, within the simulation, I catch $|f_k| > \text{threshold}$
 $|k^{-1}| > \text{threshold}$
 $k^{-1} < 0$

then I get in control of the sim.

Set $k^{-1} < 0$ to $k = 10^{16} \rightarrow k^{-1} = 10^{-16}$.

Her 1b is where the first $k^{-1} < 0$ occurs.

↳ The strategy seems to work! Didn't change `ctsimPro`.

Now turning to the exploding simulation case.

- It does seem to begin w/ large f_k and gain

Try to set a tight bound on f_k & gain, for now not on the observations.

What's the appropriate threshold?

$|f_k| > 10$ already seems to have $k^{-1} > 0.6$

And it seems like once $|f_k| > 10$, you always explode eventually.

Ok, let's just try $\bar{f}_c = 10$, $k^{-1} = 0.6$.

As a first step, let's cap f_c at $\bar{f}_c = 10$, and do nothing else.

Did impact f_c & estimation. It never explodes now
is worse but there are VAR instability issues which suggests
that either observables explode or they are simply
constant. \rightarrow Yeah b/c now things that are exploding
enter the VAR which didn't before. I can also see
that observables, gain & f_c continue exploding. So
once f_c reaches 10, the economy is already on an
explosive path.

Since here $\alpha^{\text{true}} = [0.2, 0.1, 0; 0.1, 0.2]$ for $f_c = [-2, -1, 0, 1, 2]$
it follows that for $f_c = 10$, $k^{-1} = 1$. So $\bar{f}_c \geq 10$.

Try $\bar{f}_c = 5$.

- First of all, now no VAR complaints.
- Second of all, obs & gain don't seem to explode now.
But I've found some explosive paths, they just don't
have time to explode.

$\text{Loss}(\alpha_0)$, $\bar{f}_c = 5 \rightarrow$ no complaints.

Obj(α -true):

One simulation ($n=87$) explodes. What are its features?

1) $f_e > 5$ at $t=111$. $b^{-1} = 0.1712$ et basta.

But I wonder if we could penalize b^{-1} instead b/c the threshold f_e is likely to depend on α , while b^{-1} may not.

Now I tried to do it with restricting $b \leq \bar{f}_e$. It seems to be smarter, 3 times it's worked.

↳ And in estimation?

seems more strict here too. Smaller f_e 's lead to violation too. Smaller obs.

An issue to also keep in mind is that `whichSimplex()` shouldn't take nan-values, so it's desirable to work on the f_e instead of the gain.

How many iter does it take? 73 and now 562 sec. (?!)
Too many outputs! I've reverted to outputting only the % sim w/ explosion or $b^{-1} < 0$, and if within a sim, more explosions occur, I output the % of sim it is which more than 1 explosion occurred. I hope that can be a metric for whether my f_e -threshold is too high.

Way more $\bar{\mu}^{-1} < 0$ seems to happen. But also more explosions. I don't get it.

↳ That makes sense b/c the crit. for explosions is way lower.

✗ What is also worrying is that $\bar{\mu}^{-1} < 0$ even if α is convex.

When α is nonconvex, that's when you get

the " $\bar{\mu}^{-1}$ was negative on a fine grid" message.

22 Aug 2020

↳ Is setting the obj_fn to NaN here a good idea?

The other $\bar{\mu}^{-1} < 0$ signs don't occur for nonconvex α .

$\bar{f}_e = 5$. `explode_t` lets me look into each history at see where the \bar{f}_e -threshold was crossed. I do this for $\hat{\alpha}$. It's crossed in 17% of histories. Sometimes it's crossed at one t only, sometimes for long streaks of time. Interesting is also that even some longer streaks can end e.g. a streak from $t=22$ to $t=50$.

$\text{negate}_{t=0} \neq t,n$. Hmmm. So maybe my counter is screwed up? Yep, the thing was displaying as $\bar{\mu}^{-1} < 0$ signs where explosions happened more than once.

$\bar{f}_e = 10$ Only 2 iter complain of VAP issues.

At $\text{loss}(\hat{\alpha})$, \bar{f}_e , $\bar{\mu}^{-1}$ don't seem to be crossed.

$\bar{f}_c = 8$

of course gets invoked a lot more than $\bar{f}_c = 10$.
and the estimate isn't so good either!

But it stopped a lot earlier (263 sec, 39 iter)

$\bar{f}_c = 3$

flag = 2 and estimation is quite off. Err!

It took 730 sec and the \bar{f}_c was invoked a lot of course, about 37% of cross-section histories evoke it, 9% several times.

All iter. No $k^{-1} < 0$.

explode + shows that crossings are only punctual,
there aren't really crossing spells.

Now turning to see whether b 's can generate true models w/ moments close to those of the data:

command-sigmas.m

Peter meeting

21 August 2020

- b 's are scaling the red lines in Materials 42
- If the underlying NC can't come to grips w/ the volatility of the most important observables of the model, then need to address that prob.

- Scaling: if $i = 3\%$ in data, is it 3 or 0.03 in the model.
- units: 0.1 may be huge for output gap shock (β_r)
 $\hookrightarrow 0.001$

The other thing:

• go to real data

• calibrate β_j so as to match the moments of the data

π : multiply model $\cdot \frac{1}{4}$, or $\frac{1}{4} \cdot \text{data}$

→ Proceed iteratively:

try: 2, 2, 0.5 → as long as π isn't volatile enough, raise β_u

But supp. you try this and there's no way to get it anywhere near, then the NK cool parameters may need to be recalibrated.

The last thing:

NK model loc: β, α, γ_x gleaned from data.

Calib shock β to match $\text{vol}(\pi, x, i)$ is data-

Question: are there any problems left? No.

Suppose you impose β at 0 → reduce to 2 symmetric → convex parameters

try to calibrate the remaining two α 's to match the $\text{vol}(\text{Expected } \bar{\pi})$ in the data & the corr. btrn $\text{Exp}(\bar{\pi})$ & $\bar{\pi}_{t-1}$.

↳ b/c α 's effect : $E(\bar{\pi})$ & how it responds to $E(\bar{\pi})$ (or vice versa, better / worse)

2 advantages to proceeding this way:

- 1) indication that you can go back to real data & do a full-blown cst. (if this works)
- 2) could use this careful calibration as a basis for policy exercise.

No meeting next week.

Touch base mid-next week via email so that if I need to meet before the Sep 4 Slmwr we can still meet.

- Many jobs come in the Sep Ed. of JOE (mid-Sept)
- But many jobs miss that deadline (\rightarrow so mid-Oct)
most: Sept 15 - Oct 30

deadlines: Nov 15 - Nov 30

Work after

23 Aug 2020

- Go back to get-data.m
- The model is quarterly so π should be quarterly (q-o-q)
Not y-o-y. (%) → corrected. ✓
- Checked that x and i^* are both quarterly and % ✓
- Now the only thing I'm stuck at is $E_t(\pi_{t+1})$. In the model, this should be quarterly: $E_{Q3}(\pi_{Q4})$ e.g.
But the data is 1-yr-ahead, e.g. $E_{2000-Q3}(\pi_{2001-Q3})$.
Also, and more importantly, the data thinks of annual
(or annualized) rates, i.e. 2% annual rate is Q4.
In the model, the rate is quarterly.
→ This can be solved by taking "CPI3" from the
"Mean-CPI-Level.xlsx" from the SPF.

1 = previous quarter

2 = current quarter

3 = next quarter

etc

A = this year

B = next year

But I will still need to annualize the quarterly model rates.
Or actually, if π is quarterly, I'd need to deannualize
the data!

Compromise: what if we take quarterly frequency π & $E(\pi)$, but an annualized rate? Easier to interpret.

- Want:
- the rate should be annual (% inflation per year)
 - the frequency quarterly (occurs every quarter)
 - $\circled{q-o-q}$?

\Rightarrow 1-quarter ahead, annual rate

"In the next quarter, inflation on an annual basis will be 2%" \leftarrow quarterly change in %.

$$\text{In the model, } \pi_t = \frac{P_t - P_{t-1}}{P_{t-1}} \Rightarrow q-o-q$$

and in each quarter, an obs. is generated.

If you annualize this, you don't get the q-o-q change!

Ok so now I have q-o-q changes in % in π in data and model, but for expectations I have q-o-q $E_t(\pi_{t+1})$ but at annualized rate.

\hookrightarrow So I can either annualize model $\pi, E(\pi)$ & data π , or de-annualize data $E(\pi)$.

SPF: documentation: "All growth rates are expressed in annualized percentage points. The formulas use discrete compounding, not continuous compounding."

Annual growth rate for CPI inflation in SPF $\left(\frac{4^{\text{th}} \text{ quarter}}{4^{\text{th}} \text{ quarter}} - 1 \right) \cdot 100$

$Z_t := 4^{\text{th}}\text{-quarter value of a variable in year } t \cdot \cdot \cdot \text{ qrt}$)

$gZ_t :=$ annual growth rate of the variable:

$$gZ_t = 100 \cdot \left[\left(\frac{Z_t}{Z_{t-1}} \right) - 1 \right]$$

Discrete compounding

$$A = P \left(1 + \frac{r}{n} \right)^{nt} \rightarrow A = P \left(1 + \frac{r}{q} \right)^q$$

A = amount after time t

P = principal (initial amount)

r = interest rate (annual)

n = # periods in a year (compounding frequency)

t = time in years

Continuous compounding : $A = Pe^{rt}$

I have data : $\pi^d \rightarrow$ This can be q-o-q or q-o-q,
quarterly.

and the SPF $E(\pi)^d \rightarrow$ annualized q-o-q % changes

And model : π^m is q-o-q % change

$E(\pi)^m$ is q-o-q % change

$$A = P \left(1 + \frac{\pi}{n}\right)^{nt}$$

So for $E(\pi)^d$: $CPI_{Q2} = CPI_{Q1} \left(1 + \frac{\pi_{\text{annual}}}{q}\right)^q$

$$\Rightarrow \frac{CPI_{Q2}}{CPI_{Q1}} = \left(1 + \frac{\pi^a}{q}\right)^q$$

$$\Rightarrow \left(\sqrt[q]{\frac{CPI_{Q2}}{CPI_{Q1}}} - 1\right)^q = \pi^a$$

What I have in the data is $\pi^a = E(\pi)^d$. Can I convert this to $q\text{-o-}q$ changes, that is, $\frac{CPI_{Q2} - CPI_{Q1}}{CPI_{Q1}}$?

I think yes, as

$$\underbrace{\frac{CPI_{Q2}}{CPI_{Q1}} - 1}_{E(\pi)^{q\text{-o-}q}} = \left(1 + \frac{\pi^a}{q}\right)^q - 1$$

But this also means that if I have $E(\pi)^{q\text{-o-}q}$ or $\pi^{q\text{-o-}q}$, and I want the annualized rate π^a , I write

$$\pi^{q\text{-o-}q} = \left(1 + \frac{\pi^a}{q}\right)^q - 1 \Leftrightarrow \left(\sqrt[q]{\pi^{q\text{-o-}q} + 1} - 1\right)^q$$

$$\Rightarrow \pi^a = q \left(\sqrt[q]{\pi^{q\text{-o-}q} + 1} - 1\right)$$

Annualized π -rate from $q\text{-o-}q \pi$.

Dallas Fed on Annualizing Data

g_m := annualized % change.

X_m := values of variable in month m (level)

$$g_m := \left[\left(\frac{X_m}{X_{m-1}} \right)^{12} - 1 \right] \cdot 100$$

For quarterly data:

$$g_q := \left[\left(\frac{X_q}{X_{q-1}} \right)^4 - 1 \right] \cdot 100$$

		Monthly % change	Monthly % change annualized
June	9 553.8	$\frac{9574.8 - 9553.8}{9553.8} \cdot 100$	$\left[\frac{(9574.8)^{12}}{9553.8} - 1 \right] \cdot 100$
July	9 574.8	= 0.22%	= 2.67%

$$g_q = \left[(q - q_{-1} \text{ grt} + 1)^4 - 1 \right] \cdot 100$$

Annualization := Adjusting a growth rate to reflect the amount a variable would have changed over a year's time had it continued to grow at the given rate.

So if the SPF is an annualized gdp growth rate, then I should use the gdp π^d , and for π^m , $E(\pi)^m$ and π^d , I should annualize as

$$\pi^a = \left[\left(\frac{\pi^g}{100} + 1 \right)^4 - 1 \right] \cdot 100.$$

Annualized inflation (expectation), net, in %, is the gross quarterly inflation (expectation) taken to the 4th power, subtracting 1 to get the net, and multiplying by 100 to get the %.

I'm in command-signals.m and I notice that η is wrong.

It should be $\eta = \begin{bmatrix} b_r & 0 \\ 0 & b_u \\ 0 & b_i \end{bmatrix}$ and not $\begin{bmatrix} b_r & b_i \\ b_i & b_u \end{bmatrix}$

No, sorry, that's actually not true b/c the order !

of shocks is $S_t = \begin{bmatrix} r_r^h \\ i_r \\ u_r \end{bmatrix}$, so $\eta = \begin{bmatrix} b_r & b_i \\ b_i & b_u \end{bmatrix}$

Ok so redid PEA & VFI w/ this calibration. To DD tomorrow!
figure out why objective CB approx.m is giving trouble!

- learning-code issue \leftarrow plot-sim-loss.m
- model-NK issue \leftarrow grid-search-approx.m

For grid-search.m, when I use the correct learning code, the solver wants to try $\gamma_t = \text{NaN}$, for which reason modd-MK.m returns an error, b/c it cannot take the derivative of a NaN. \rightarrow But why try a NaN???

As for plot-sim-loss.m, the errors occur in ndim-simplex.m b/c the point at which it's evaluated, the current f_c , is NaN.

\hookrightarrow My explode-count variable reveals here that indeed as you raise $\gamma_t \geq 1.7$, you begin getting explosions. It seems you need to keep $\gamma_t \leq 1.4$ not to explode.

\hookrightarrow Yes I've checked and above that the loss is only zero b/c $b^{t+} \times (\inf + \inf + \inf) = \text{NaN}$.

\hookrightarrow to continue w/ why the solver hits a NaN!

It looks like grid-search.m works if 24 Aug 2020
I just set $nb = 1.4$ (given that I know the loss explodes for a $\gamma_t > 1.4$).

\hookrightarrow It's worth it to always do the plot_sim_loss.m first so you have an idea how the loss behaves and what reasonable bounds are.

BU polzi notes

25 Aug 2020

Adam: What about an NK model w/ an inflation rate (which is a random variable). For some reason, people have a dispersed prior.

Adam: Crazy interest rates - doesn't seem feasible.

I'm also wondering whether a first-order approx is fine when int. rates move 20% - 30%.

Slide 25: ECB will get CB in trouble. Also would CB want to get $E(\cdot) \uparrow$ as much under ECB too? Slide 25 will get you in trouble b/c responses so large.

After polzi:

Stephen: Cool & carefully done. 2 categories of comments.

① Presentation: difficult to show empirical results w/o model. Instead: Show a data fact!
E.g. "I regress $E(\bar{a})$ on f_0 and I get"

- ② Model:
- 1) Why just constant & not the slope?
 - 2) Agents estimate gains from data, but not in an optimal way.
 - 3) Comment on E-stability.

i) Do you care about adaptive learning or only about aggressive policy? \rightarrow These two imply different approaches.

Adam:

1) Most delicate point of preci: when you introduce the simplifications: why don't they learn the slope? Once you get ppl on board w/ that, everything follows. Need to convince them things so can pass over it smoothly. Stay like: "Given I want to model anchoring, I'm going to do the smallest possible deviation (from RE)"

2) Worried by how aggressive policy is \rightarrow will lose ppl. In particular, that a hiring committee member will not have understood anything, just remembers that the numbers were crazy and so wouldn't hire me.

Is there a way to do the simple version for analytical purposes, and then the full-blown version for the quantitative part?

Ryan meeting

26 Aug 2020

State of the art of CBO output gap? \times Fluctuating more
25 by an order of magnitude.

Check whether int. rate is annualized too.

↳ Early 80s did have a lot of interest craziness
May might drive the changes in ACF.

- Cross-correlations targeted is pretty ambitious when only 3 params
- Why is $\text{cov}(x_i, i)$ not < 0 in the data? Check the series?
- Trend is gonna dominate the random term (for α)
This is 4 times as volatile as $E(\cdot)$. May not be wrong.
- Calibration B is a good backup and good for the exercise to see whether the model can estimate α now.

Interest rate (DFF) is yield per annum,
that is, the damned thing is annualized now!

27 Aug. 2020

↳ Need to annualize the model!

~~OK - but I'm gonna agree w/ myself that for the opt. TR exercise and the PEA & VFI I don't need to annualize b/c for PEA it just scales up or down, it doesn't change when they hold.~~

No, I think I have to annualize them for b/c the concern is that if there are nonlinearity, then that changes the shapes.

The problem though is that for this calib, the loss in plot-sim-loss.n always explodes. So I'm NOT gonna annualize PEA & VFI and TR.

File this! Now the PEA code doesn't work - it keeps running forever, seemingly w/o progressing. The issue seems to be the parallel pool...

↳ Yes, that was it! Somehow the parallel pool stopped working! Restarted and now it works!

Loss: Anchoring / RE

$\gamma_a = 1.5$, $\gamma_x = 0.3$	1.5559
RE-optimal	2.5660
Anchoring-opt	1.1199
Sum:	<hr/> 5.2918
Arg	: 3 1.747



Theoretically, I would need to annualize π_i , i , $\bar{\pi}$ & f_C in PEA. But I agreed w/ myself NOT to right now and therefore I'm also not annualizing them on the plots b/c they wouldn't correspond!

Stephen's data idea: What I can do is:

28 Aug 2020

- construct f_C in the data
- reg long-run $E(a)$ on f_C

To do: need to figure why there are matrix instability issues when I use expectations in estimation w/ calibration C.

29 Aug 2020

↳ Need to implement Ryan's rescaling of W b/c ratio of smallest to largest element is bigger than it should be.

implemented "Ryan's rescaling" but it
doesn't solve the instability issue. What does though
 $\beta \uparrow \lambda^{\text{ridge}} = 0.01$ (from 0.001) 31 Aug 2020

Dissertation workshop prezi

1 Sept 2020

Ryan R: stabilization vs. volatility tradeoff

Keny A: inflation-response

R: Eq. (8)

Sasmita S: derive from adaptive learning

Jenny: anticipated utility: in some cases it does
matter b/c subjective uncertainty matters
for precautionary savings

Jenny: constant gain is a benchmark

S: Is the reg well specified? Is the long term uncorr w/ regres?

J.

D: individual data can be useful to estimate
(Daniel) the anchoring fit.

Ryan comments

Fit & finish & marketing

- ✓ . Powell's comment not so much related to my stuff
- ✗ S. 3 is not consistent w/ the SPF.

↳ Use the SPF sections to remain consistent

- ✓ S. 4. Good: Remove "optimal" from 1st line
→ narrow audience

Frame your learning as "extension" "not specific case"

- ✓ S. 5 "2nd ↳" feels clear but the first isn't
 - ↳ don't put it in b/c it's not crystallized & doesn't give the casual person the feeling they're understood.
 - ↳ may want to put in later as it's clear

- ✓ S. 9. Susanto's Q: "10-yr as LR and therefore it doesn't make sense in LE: b/c var = 0 so corr = 0.

But if you interpret it as just a longer-horizon T-exp, but not the LR. This q was: "Is the reg well specified?" But I'm not saying that it's a structural relation I've estimated. →

✓ Put reg on page. Is it a rejection of RE?

Even if it's just a longer-term T_1 -Exp(\cdot).

Gore is less volatile. Might plot that.

✓ S.14 is "what's in the head of ppl?"

Distinguish b/w what ppl think about the future (anticipated volatility) vs. the reason ppl adopt this rule (Peter)

"This is a behavioral description of what agents do not of what they think" \rightarrow could answer by saying that what they do makes sense b/c it fits the data. The informal description is that they are worried about the regime changing

\hookrightarrow practise this Goro b/c source of quickestd.

✓ Eq. (11) $\sum \alpha_i b_i$ may be easier!

✓ Wanna call target crit. a proposition?

✓ S.24 talk only about PEA & cubic spline

S.25 How present results:
onwards:

- Working w/ a couple different calibs in my head but the audience can't bounce around.
- Should explain calibration
Split table in 2 : standard picked to match what exactly
Whether you show moments depends on how you do
in the data \rightarrow for calib, if you do well, you
don't have

S. 26 Add ~~axis~~ labels!

- $i(\bar{\pi}, \text{everything else at its mean})$, not $\partial i / \partial \pi$
- Show this line for some low k_+ , and some
high k_+ (90^{th} percentile) $\hookrightarrow 10^{\text{th}}$ percentile
Also this line for gain learning would be interesting
but might be too much info. (for a high & low
 k_{tar})

S.27 k_+ in 10^{th} vs. k 90^{th} percentile

S. 29 Axes!

- Could do the loss for $\hat{\pi}_x = 0.05$ to avoid conclusion
 Line for optimal loss!

Susanto: Taylor-rule w/ $E(\pi)$ should do it
↳ should mention that you did.

S. 31 "I am go 90% of the distance from 13.6
to 5.31 by acknowledging 6.89 and doing"
Take the RE in RE Anch. in Anch. RE, in Anch.
x x x

s:
Is this relevant to the real world?

Practice answering this question at one ex. under several headings.

- 1.) Yes it's a plausible learning model which makes sense in terms of what we know (introspection)
- 2) And name 1 paper that shows it empirically, especially if it's (experimental)
some-ranging gains
- 3) The pattern of $E(\cdot)$ in the paths is consistent w/ the model. (Crib & book or the reg (forecast-based))

4) These models do a good job of matching the data, cfr E&P & Milani. (time-series data)

Point 2) Cars Hommes type est. learning models on people in my list

Introspection + experiments \rightarrow miss-founded expectations β_3 + outcomes $\beta_3 \rightarrow$ macro-relevant

\hookrightarrow Play around w/ calibration to see if can decrease σ -volatility.

Work after To think about:

- ① In motivating regression, is $\hat{\beta} > 0$ a rejection of RE?
As it a rejection of RE even if SPF10 isn't a long-run expectation, just an expectation far in the future?
 \hookrightarrow I think no, b/c $E_t(y_{t+h})$ can and does move in RE. I think though that for a large enough h , the movement should be minimal b/c if agents know the model, then $E_t(y_{t+h}) = g \cdot E_t(s_{t+h})$ and in $h < 1$, $h^k \rightarrow 0$.

$$-x^2 - (x+1)^2$$

BS 1

$$-x^2 - x^2 - 2x - 1$$

$$= -2x^2 - 2x - 1$$

$$\text{FOC: } -4x - 2 = 0$$

$$-4x = ?$$

$$x = -\frac{1}{2}$$

$$y \geq \frac{1}{2}$$

Daniel meeting

3 Sept 2020

0) Key parts are there → think hard of how to communicate

1) Intro: language assumes audience like Ryan
lingo, and even Ryan didn't understand
Part is intuitive enough.

Powell quote is good to make the case
but read it less technically, break it down

E.g. start w/ RE-benchmark & explain what
~~exp~~ anchoring is. In 30 sec (initially 5min)

↳ guide us to what def you'll use

"If we were in RE, there's no way ..."

Focus on first 10 min, first few slides!

Slide 2) Little fig to anchoring!

Why should I be surprised

→ LR-exp = st. st in RE. Policymakers are worried that unanchored: this doesn't hold
→ Anchoring def.

- Broad comment #1
- 2) Easy to be disengaged in Zoom: bring enthusiasm & energy. Very low energy in Palle! Come up w/ a routine to be excited.
- 3) Broad comment #2: Answers too long in general. Very conscious about it. Ok to be quiet for 5-10 sec so that you can answer very briefly & succinctly! Avoid repetitions, digressions. Don't tell everyone that it's a good question.

Slide 4: . Not happy b/c didn't know what anchoring

- Should avoid "cendayn-gain learning"
↳ could give intuition of it though
(don't cite papers though)
- Don't know what anchoring jet is

Slide 5 even worse

- Need to be reminded of optimal policy
But not patronizing. Make them feel that it's simple
E.g. respond to what
If too much to say, then don't mention it.

→ think of what is simple to communicate
as the main result

□ aggressive & honest → don't know what it means

Every economist should be able to tell
in 5 min what is going on.

How to impress Ryan:

not by technical language, but by
how you can translate that
language to terms everyone can
understand.

slide 9. Have to be VERY clear about reg.
→ why should I be surprised

Model setup:

• lots of assumptions not fully spelled out.

□ ↳ specify what's in their info-set

slide 13 → spell out very clearly what the
assumptions on E are

What are the set of beliefs that lead to
this updating rule

These agents seem really dumb, as his new
they aren't as dumb.

They believe the world is stationary whereas
the world is not stationary
→ very dumb & doesn't make sense

a) When journalists ask you why it's a good model

- your strongest point has to come first

↳ "intuition" is your last resort

Empirical support is much stronger

↳ start there

1. RE benchmark fails
2. This rule captures lot of E in data
3. All policymakers are concerned about .

Peter meeting

3 Sept 2020

- 1) Key elements were these
- 2) but in a job seminar what you want is that ppl
who in micro theory can walk out w/ the message
"the RE ass regarding the Fed's target of 2%
implies it will be 2% and yet in data we
see E not only varying away from 2%,
but varying away from it in a way that's
systematically related to f_k and what we
learned is that it's not enough for monetarist
to tell the PS, but it ..."

Specific comments:

- 1) Most was there, but repeatedly what happened
is that b/c some details are left out, ppl
asked questions which took longer.
E.g. the regressions or a model
 - ↳ ppl were thinking I'm testing a theory
but what I'm saying is "if the 2% target
is fully credible, LR- E_p should be 2%"
↳ the regression shows sensitivity to f_k

"E denote all the time from 2% and they do so in response to observed movements in the"

↳ so if you're a CB'er, what do you need to do w/ the tools you have to prevent unanch.

But for this we cannot rely on reg. b/c only corr. So I develop a fully developed model w/ a negative from RE.

↳ same kinds comments for IRFs w) TR-coefficients
Also there you wanted to not show the details but then people asked \rightarrow e.g. the calibration.
 \hookrightarrow Need to explain even std parameter values.

One thing that would help:

when you introduce

$$\bar{a}_t = \bar{a}_{t-1} + k_t(\epsilon)$$

□ "Helpful to consider two cases usually treated again \rightarrow optimal learning about a stationary environment where agents take an average of the sample, which converges

comes \rightarrow agents are open to the possibility of regime shifts \rightarrow rolling subsamples

→ "I use a different model of learning more suited to model nonconverging endogenizing k's"

↳ Why is this a well-suited model?

We observe in data (graph & reg) that CB perceive that seem to reflect fundamental deviations from RE and CB-ers ask 'what should (do)?'

I take a canonical model & tailored it to

- a) explain the phenomenon
- b) tell CB-ers what to do

My paper is the first to answer these questions.

□ - state-space sol of RB & then learning

Should I show IS- & PC before showing \hat{E}^n

"- I take a std NK model which has a state-space sol, and then you introduce \hat{E} and IS & PC."
↳ Maybe show IS & PC before state-space.

- You may notice Π_1 & Π_2 are different

- Bolzon's point, I'm happy to discuss but it's not contrb. of my paper.

"In the paper I analytically characterize opt policy which yields results about the nature of mon. policy. It can be more instructive to use numerical results to tease out features of model which are less model-specific & more robust to calibration"

Daniel
Frazis &
Thomas
van
Welle

↳ One could make slides in the appendix, and if have time, you can cover those in the end.
→ want to good school w/ Bob.

- Marni Goodfriend : Inflation Scare Problem

Marni & Bob: Thought Bob was gonna raise that isn't "Incredible Volcker problem?"

↳ dynamics today were seeing the opposite
can't be explained by • Sargent, Congress → PS is RE, the CB teams

RE must be that fed credible & limited the Fed took action quickly the fed would have caught on that there's nothing in SR. no tradeoff.

↳ question was not so much about adoption or RE. It was: can Great Infl. be explained if the CB believes there's an exploitable tradeoff when

there was none. The challenge to a. learning is how

Susanne meeting

3 Sept 2020

For job market:

① what are your expectations:

regarding my communication w/ you

- a) do you want regular updates on job list
- b) do you want to discuss my applications
- c) want to give you early notice, but this may not always be possible

② Would normally Lucy (Sail) handle all reference letters?

Even if they're not via JOE? (As will be the case a lot this year.)

③ My preferences:

- 1.) Research institution in the US / Europe, but flexible on location (can be global)
- 2.) Central banks, especially Fed, ECB, Canada, Scandinavian CB's, BoE.
- 3.) Teaching institutions / World Bank, IMF
- 4.) Research/policy NGOs like RAND, Mathematica ...
- 5.) Industry: prefer "research teams" at Microsoft to consulting

④ Guidance on what "tier" institutions I can/should target.
↳ unwilling to write references ...

⑤ Our communication about my job market materials

- JMP
- application materials

⇒ What is useful for you to have, and what will you comment on?

-
1. We don't discuss positions to apply
 - Share a Google spreadsheet → have it online & shared.
 - Select 12 places you really think are a good fit
 - Apply to places where you see any reasonable prob.
 - Also on the high end.
 2. Even in the past, fair amount of places who don't use JDE & EM
 3. Follow up before the first application b/c otherwise it's the same letter used.
 4. Typically IMF mid-October is the first

5. He'll look at Jmp - late September when he writes the letter.

6. Preferences: More postdocs. A good postdoc is a very good for getting a sense track.

- Up until end Oct - mid Nov: work really hard on Jmp
- After that, work really hard on interview & politi

General feedback

1) Talk is a good macro seminar but not a good general audience talk

→ non-macro audiences

→ introduction is particular (20 min)

- Why interesting?
- What you do?

get a lot of questions

At some point ppl get lost you need to go into details which they won't fully grasp

↳ most important point by far

- 2) You should talk a bit about
- the fact of anchoring
 - why anchoring can't be examined in RE
or in other frameworks than yours
- First help ppl think in general terms about anchoring → then the std model & why it can't be used to analyse
- This is the 2nd most important
- 3) Communicate lots of energy
- 4) Learning
- truth
 - how truth evolves over time
 - how ppl think the truth is & evolves
 - ↳ at times it wasn't clear what I'm describing
- 5) What would happen if people were learning about the slope → that would close off questions

What many didn't ppl nose is what this corresponds to: they know b but not a

Plausible: ppl know the objective egs but not man. target. (But a but not b is the opposite)

↳ higher-order uncertainty is behind the world we're uncertainly.

w/o lot of time expenditure get credit for doing things
I had 8 minutes left over → so fine.

Send email w/ draft

- If Lshim stands before Sept 15 → send email w/ Lshim results saying that he should use this version of the paper for the Sept 30 letters.

To do

- Label obs in PEA for opt & TR (quarters) $\xrightarrow{\text{log scale}}$ x-axis
□ Label autocorogram (lags) $\xrightarrow{\text{log scale}}$ x-axis
 \downarrow
Log-order
from st. st on
y-axis

✓ IRFs in the continuous cost model
for anch & unanch

□ optimal policy as a lot of b

✓ Add cgrain vs dgrain in prob' when Peter suggested.

→ estimation! figure out what's up w/ E

funny meeting

↳ Sept 2020

- Connect (intro) more w/ other stuff along these lines
 1. More away from full info (Coibion & Goro)
 2. Schleifer - diagnostic exp. (noisy info)

Gatmik - bounded ab.

↳ allude to them

Can
maybe
talk
about
it

when you
talk about
(gain learning

- What is the key difference b/w these E(.) and my?
- Also for opt' policy

↳ No longer sufficient to say that RE doesn't fit, but also why

these other non-FI or non-RE models

- can't fit the data
- drives optimal policy

↳ To do that, you would need to exploit individual variation

diagn. E violate some basic rule → deviations from
and even post $E(\text{var}) = \text{var}$ (!) → Expected U

↳ Ref: Mank: "Overreaction in macro"

Fn: "Diagn. E in credit cycles"

↳ oscillating dynamics which
they call credit cycles
↳ published

Noisy info / Rat. inattention

h_{bp} is too small - maybe it's reasonable
in a RE/noisy info, especially given that
 π is persistent.

↳ maybe in other periods it deviates more

↳ If no some info on individual level

SPF might be problematic b/c they might

run a VAR which is by def stationary

↳ NY Fed consumer survey

- better than UMich b/c larger sample
- b/c stay in the survey longer
- UMich cross-sectionally smooth the data ... impose a Normal on it and round it & they're unclear about it.

↳ firm surveys

- 1. Livingston : has LR-E
- 2. Vining have a firm-level survey in New Zealand
- Fed's Framework Review: Jony did a paper for it
↳ Fig w/ LR-E (Hibben et al 2020)
- JMP 2 years ago: in cons. survey ppl are more aware of supply shocks : \textcircled{F} corr b/wn $E(u)$ & $E(\pi)$
vs. in firm/profi E : has much more demand shocks
- What forecasters report may differ from their beliefs b/c they may just report estimates from models which are stationary \rightarrow lower bound.

- Do you not get these mon. pol. conflicts if again learning?

Estimate a again regression using rolling window reg.
 ↳ and check whether again is corr.
 w/ β_t and time-varying \rightarrow gain isn't constant

Eq(10) A regression w/ interaction terms (fe & dummies)
 → rewritten form of the previous linear

Away to est (10) directly is to say s_t is a proxy : Principal components of data

OR: you do VAR-learning extension.

- CEMP isn't enough as evidence b/c for me the gain needs to be related to fe so I'd need to do that anyway.
- bring CEMPs back later in the talk
 maybe when you intro the learning framework & you can talk how this is diff from other derivations \rightarrow Anchoring mechanism slide: after.

- Could also do my estimation w/ the constant gain case and you can show how much worse it fits the moments!
- My subject is a good fit for the Board
 → same as Policy Framework!
 - ↳ Fabian Winkler (Board) LSE
 - ↳ slack out!
 - ↳ he was also working on the Framework Review
 - ↳ they do a lot of these learning models
 - need for ppl who get these models

BosFed Fellowship:

- 2 other students
- schedule a polzi
- we'll meet regularly = every other week, fri 10.30.
- Tues 10.30-12pm. Seminar series.
 - ↳ schedule 1-on-1 meetings w/ speakers typically on the afternoon after the seminar
 - The first meetings will be wed morning.