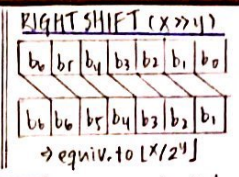
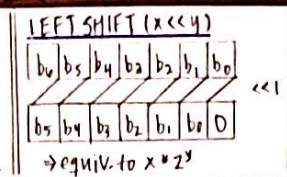


BITS/BYTES/INTEGERS

C Data Type	size (bytes)
char	1
short	2
int	4
long (long)	8 (8)
float	4
double	8
pointer	8



Logical Right Shift
→ fill left w/ 0's
→ unsigned values
→ rounds toward 0
Note: $(-11/4) > (-11/2)$

Arithmetic Right Shift
→ fills left w/ MSB
→ signed values
→ rounds toward $-\infty$
compute $\lfloor (x+2^y-1)/2^y \rfloor$

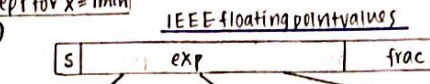
	value (hex)	values (wrt w)
unsigned max	0xFFFFFFFF	$2^w - 1$
2's compl. max	0x7FFFFFFF	$2^{w-1} - 1$
2's compl. min	0x80000000	-2^{w-1}

(negation) Identity: $\sim x + 1 = -x$
except for $x = T_{min}$

LITTLE ENDIAN: store object in memory least significant byte first.
eg. int $x = 0x01234567$; (stored at address 0x100)
0x100 0x101 0x102 0x103
... 67 45 23 01 ...
lowest order byte has lowest address

General Rules:

- constants are signed values
→ explicit cast: $(int)x$
→ implicit cast: $8u$
- expressions w/ signed and unsigned:
→ signed values implicitly casted to unsigned
- converting small data type to larger (same sign):
→ sign extension: make copies of sign bit
→ unsigned values pad w/ 0's
eg. char $c = 0xFF$;
→ real value of $c = 0xFFFF$
- converting large data type to smaller (same sign):
→ truncation: drop top (higher order) bits
- 2's complement wraps around both ends (+/-)
→ if $x \geq 2^{w-1}$: becomes negative
→ if $x < -2^{w-1}$: becomes positive
- casting (int ↔ float/double)
i) int → double (53 mantissa)
→ exact conversion
→ no bits lost
ii) int → float (23 mantissa)
→ will round (bits lost)
→ correct magnitude
→ incorrect precision



denormalized: when $exp = 00...000$
→ $E = 1 - bias$
→ frac has implied leading 0
if $frac = 00...000$ → represents ± 0
if $frac \neq 00...000$ → represents small values

normalized: $exp \neq 00...00$ and $exp \neq 11...11$
→ $E = exp - bias$
→ frac has implied leading 1
(float) Single Precision (32 bits)
S: 1 bit, exp: 8 bits, frac: 23 bits
bias = 127

Special values: when $exp = 11...11$
if $frac = 00...000$ → represents $\pm \infty$
if $frac \neq 00...000$ → represents NaN (double)
II-DOUBLE Precision (64 bits)
S: 1 bit, exp: 11 bits, frac: 52 bits
bias = 1023
→ $E = 1...2046$
→ $E = -1022...1023$

Rounding (to even)
 $x = BBq.RXXXXX$
guard: LSB of result
round: 1st bit removed
sticky: OR of the remaining bits
if (guard & round) || (round & sticky)
→ round up (+1 to number)

ASSEMBLY

First 6 arguments stored in registers:

$\%rdi, \%rsi, \%rdx, \%rcx, \%r8, \%r9$

Return value stored in $\%rax$

Set X	jX	condition	Description
sete	je	ZF	equal/zero
setne	jne	$\sim ZF$	not equal/not zero
sets	js	SF	negative
setns	jns	$\sim SF$	nonnegative
setg	jg	$\sim(SF \wedge OF) \wedge \sim ZF$	greater (signed)
setge	jge	$\sim(SF \wedge OF)$	greater/equal (signed)
setl	jl	$SF \wedge OF$	less (signed)
setle	jle	$(SF \wedge OF) \vee ZF$	less/equal (signed)
seta	ja	$\sim CF \wedge \sim ZF$	above (unsigned)
setb	jb	CF	below (unsigned)
	jmp	I	unconditional

- CF: carry flag (unsigned)
→ if add had carry or subtract had borrow
- SF: sign flag (signed)
→ if answer is negative
- ZF: zero flag
→ if answer is 0
- OF: overflow flag
→ if +/- overflow in 2's complement

Note: mov dereferences address
 $\rightarrow leaq$ doesn't
computes address w/o memory reference
eg. $leaq 3*\%rax, \%rax$
vs. $movq 3*\%rax, \%rax$
→ computes arithmetic w/ contents inside $\%rax$

Instruction	computation
$movq(R, \%rax)$	$Mem[Reg[R]]$
$movq(R, \%rax, D)$	$Mem[Reg[R] + D]$
$addq source, dest$	$dest = dest + source$
$shlq source, dest$	$dest = dest \ll source$
$sarlq source, dest$	$dest = dest \gg source$
$shrq source, dest$	$dest = dest \gg source$
$incq dest$	$dest = dest + 1$
$decq dest$	$dest = dest - 1$
$negq dest$	$dest = -dest$
$notq dest$	$dest = \sim dest$
$cmpq src1, src2$	$src2 - src1$ (w/dest)
$testq src1, src2$	$src2 \& src1$ (w/dest)

Other instructions:
1. setX dest
→ sets lower order byte of dest to 0 or 1 based on combinations
→ sets certain flags
→ can't overwrite register by name
→ read flags from condition codes and save in register for use
eg. $testq b, a$
→ after setX: need to zero-extend the higher 7 bytes of register
→ $movzbq \%a0, \%rax$

Important:
1. $\%rsp$ decrements by 8 to leave space for return address right before all fn calls
→ return addr. is placed after decrement at current location
2. push src
i) obtain value of src
ii) decrement $\%rsp$ by 8
iii) put val. at cur. $\%rsp$ location
3. popq dest
i) obtain value at addr of $\%rsp$
ii) increment $\%rsp$ by 8
iii) store value at dest
4. stack grows down in memory
→ bottom of stack has highest memory address
→ $\%rsp$ contains lowest memory address (addr. of top element)

Memory Addressing Mode
 $D(Rb, Ri, S) \Rightarrow Mem[Reg[Rb] + S * Reg[Ri] + D]$
constant displacement (1, 2, 4 bytes)
index register (1, 2, 4, 8)
scale (1, 2, 4, 8)
base register (1, 2, 4, 8)
eg. $cmpq b, a$

eg. $testq b, a$
→ CF set: if carry/borrow from MSB
→ ZF set: if $a = b$
→ SF set: if $(a - b) < 0$
→ assigned
→ OF set: if overflow

call <label>
1. push return addr. on stack
2. jump to label
ret
1. pop addr. from stack
2. jump to address

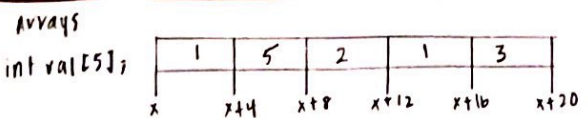
%rax	return value
%rdi	arguments
%rsi	
%rdx	
%rcx	
%r8	caller saved temporaries
%r9	
%r10	
%r11	

%rbx	callee saved temporaries
%r12	
%r13	
%r14	special
%rbp	
%rsp	

⇒ if callee (function) wants to use, must save before using, restore when returns

register values are preserved over a call

⇒ value of registers not guaranteed to be maintained over a call



	type	value	
val	int*	x	accessing methods
val[2]	int	2	
*(val+2)	int	2	
&val[2]	int*	x+8	addressing methods
val+2	int*	x+8	
val+i	int*	x+(4*i)	